Info-gap assessment of cost-effectiveness for flood-mitigation scenarios: Haigh Beck case study

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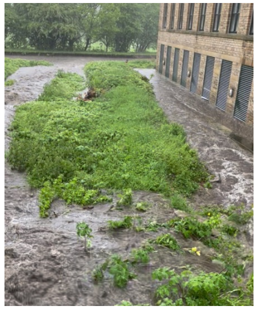
Sharing is encouraged

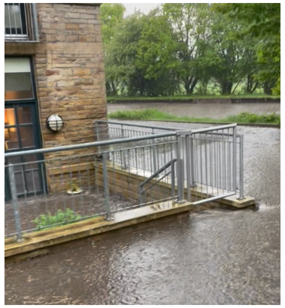
Haigh Beck & graphical cost-effectiveness tool

Goal & outcome: value unvalued (NBS)co-benefits! *Case study:* Urban ***Haigh Beck*** runs 2000m from spring to River Aire with 100m drop, flows into/under canal, culverted last 200m. Surface flooding occurs in neighborhoods near river & canal at ~1:15yrs AEP. New flood defense walls near river cover 1:200yrs AEP but trap beck: limited pump action Q_T=0.245m³/s. Canal segment for large (extra) flood storage between two locks is 7.5kmx10mx1.5m with several overflows. CSO pollutes beck.

Flooding, polluted, 06-05-2024 of 6 Bradford apartments (~1:15yrs AEP):



Haigh Beck-canal-Dyehouse Mill
https://www.youtube.com/shorts/T9mH2MQkA3s



canal-apartments of Mill
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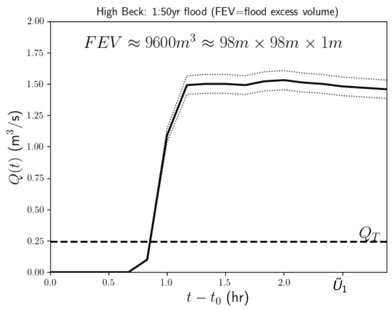
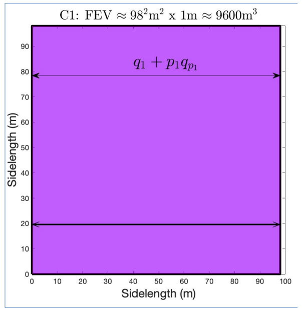
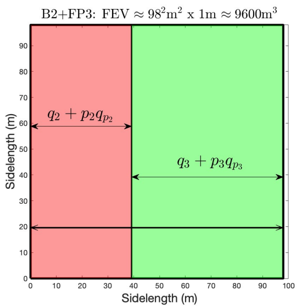


Flood—Excess Volume (FEV) is volume that causes damage [1]; ~numerical modelling (LCC/BDMC) 1:50yrs Haigh Beck flood:

FEV = $\int_{t_0}^{t_0+T}$ Q(t)-Q_T dt= 9600m³ = 98x98x1m³ sense of size!

Measure	Base cost q_i ($k£$)	Probability p_i (/50yrs)	Damage q_{p_i} ($k£$)	Total ($k£$)
C1	500(900)	1	70	570(970)
B2	385	0.25	200	435
FP3	400	0.05	200	410
B2+FP3	-	-	-	845





Flood-mitigation scenarios shown in square-lake graphs [1,2,3,4]:

C1 *canal*: beck diverted into canal, automated gate to divide water into canal/culvert, coverage of α_1xFEV with α_1>1, *costs* $q_1+p_1 q_{p1}$, excess FEV coverage. Benefits **N**ature-**B**ased **S**olutions: anti-drought, clean canal, extra storage for climate change; split CSO spills split from beck to limit/cut **C**ombined **S**ewer **O**verflows; extra costs $-B_{11}=q_{1CSO}$.

B2+FP3 *bund & flood-plain storage*: 1.0xFEV. **B2** *upstream bund*: in flatter areas, partial prevention α_2xFEV with α_2=0.4, costs $q_2+p_2 q_{p2}$.

FP3 culvert from canal to river opened at playing fields (protective flood plains), pumping needed, partial prevention α_3xFEV with α_3=0.6, *costs* $q_3+p_3 q_{p3}$.

Base costs, probabilities & damage costs:

To obtain estimate for q_{p1}, start from £1.7M repair costs of a culvert breach, emptying 60km of the Leeds-Liverpool canal (2021-2022 CRT). Since the canal stretch involved in C1 is 7km, 1/8 of those costs are involved so ~£210k, of which £140k are standard costs occurring even in the absence of flood storage in the canal, so £70k extra investment. Base costs: C1 q_1= £500k, plus extra costs for (optional) 200m pipeline to separate CSO from beck £400k (clean-up). ***Real figures impossible to obtain in real cases*** (~10xFOIs!), q_2+q_3=785k given; rest estimated, e.g., $q_{p2}=q_{p3}$= £200k, see Table above.

Utility functions U_1 and U_2:

$U_1 = \sum_{j=1}^{2} w_j C_j$ without co-benefits, weights w_j=0,1. **B2+FP3** best.

$U_2 = \sum_{j=1}^{2} w_j C_j - \sum_{k=1}^{N_j} a_{jk} B_{jk}$ with co-benefits B_{jk}, $B_{2k}=0$, $N_1=5$.

Take $B_{11} = -q_{1CSO}$ = £ *400k* (no pollution beck/canal).

But value benefits unknown: $B_{12}= q_{1cc}$ (extra climate-change canal storage); $B_{13}= q_{1D}$ (drought benefits beck flow into canal); $B_{14} = q_{1E}$ (ecological value beck water in canal); $B_{15}= q_{1clean}$ (clean beck & canal). Difference *D=* £ *125k* costs C1 (w. CSO) - (B2+FP3). When we are willing to assign combined benefits $\sum_{k=2}^{N_1} B_{1k} > D$ over 50yrs, scenario **C1** becomes best: *break-even* 2.5k p/a.

Info-gap theory values NBS co-benefits!

Info-gap decision theory (Ben-Haim [5]) consists of three components:

(i) Costs $\tilde{U}_1 = C_1 + p_1 q_{p_1} + \alpha_{11} q_{1CSO} - \alpha_1 B_1, \tilde{U}_2 = C_2 + p_2 q_{p_2} + p_3 q_{p_3}$ benefits combined into B_1, α_{11}=1; α_1=1, i.e., system's model for scenarios C1 and B2+FP3.

(ii) Performance requirements $m_i(h) < C_s$, costs & uncertainty models $I_1(h)$, $I_2(h)$ for C1, B2+FP3:

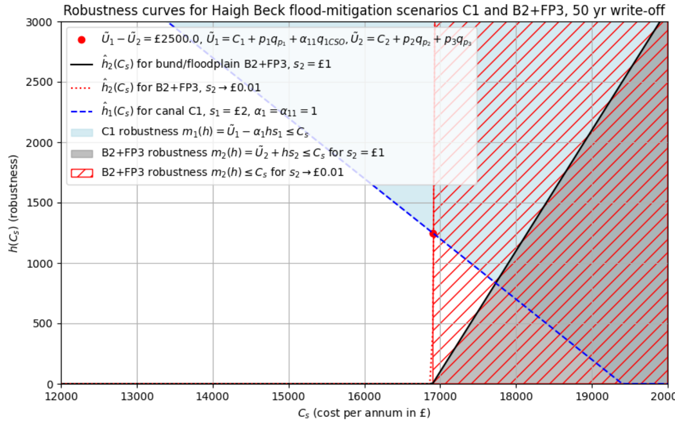
$$m_1(h) = \tilde{U}_1 - \alpha_1 h s_1 \le C_s, \quad \tilde{U}_1 = C_1 + p_1 q_{p_1} + \alpha_{11} q_{1CSO}$$

$$m_2(2) = \tilde{U}_2 + h s_2 \le C_s, \quad \tilde{U}_2 = C_2 + p_2 q_{p_2} + p_3 q_{p_3}$$

$$I_1(h) = \frac{|B_1|}{s_1} \le h, \quad I_2(h) = \frac{|U_2 - \tilde{U}_2|}{s_2} \le h$$

Hence: $h = \dfrac{(\tilde{U}_1 - C_s)}{\alpha_1 s_1} \ge 0, \quad h = \dfrac{(C_s - \tilde{U}_2)}{s_2} \ge 0$ (see graph below).

(iii) Performance aspiration or opportuneness [5,6] $\tilde{U}_2 - \beta s_2 \le C_w, \tilde{U}_1 + \alpha_1 \beta s_1 \le C_w$.



Discussion: C1 has factually **unvalued** co-benefits but base costs > B2+FP3 (starting point of lines at h=0). For well-known costs of B2+FP3 such that $s_2 \to 0$, red dot at cross-over sets value of 2500p/a, ***quantifying co-benefits***. C1 can be more robust than B2+FP3. Decision-makers decide whether worth money for extra co-benefits. **Critique**: Info-gap vs. Bayesian analysis? ***Outcome: unvalued NBS benefits can be valued robustly!***

References

[1] Bokhove, Kent, Kelmanson, Piton, Tacnet 2020: *Water* **12**. https://doi.org/10.3390/w12030652

[2] Bokhove, Kelmanson, Kent, Hicks 2021: REF2021 Impact Case Study. https://results2021.ref.ac.uk/impact/0ad7c1be-8e91-4aac-ab57-6c1e873cd3f1?page=1

[3] Bokhove 2024: LMS recorded talk (ourtool catches errors!): https://www.youtube.com/watch?v=RKVoV3y5ImE

[4] Knotters, Bokhove, Lamb, Poortvliet 2024: *Cambridge Prisms: Water* **2:e6**. https://doi.org/10.1017/wat.2024.4

[5] Ben-Haim 2019: Info-Gap Decision Theory (IG). In: Decision making under deep uncertainty. https://doi.org/10.1017/wat.2024.4

[6] Bokhove 2025: Info-gap assessment. Slides: https://obokhove.github.io/EGUBokhoveVienna2025.pdf