

# **Universal Stochastic Predictor**

## **Phase 2: Prediction Kernels**

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# Capítulo 1

## Phase 2 Overview

Phase 2 implements the four prediction kernels (Ramas A, B, C, D) that form the core computational engines of the Universal Stochastic Predictor. Each kernel specializes in different stochastic regimes and exploits specific mathematical structures.

### 1.1 Scope

Phase 2 covers the complete kernel layer (Layer 3 of 5-layer architecture):

- **Base Infrastructure** (`base.py`, 217 LoC): Stateless kernel protocol, stop\_gradient utilities
- **Kernel A** (`kernel_a.py`, 276 LoC): Hilbert/RKHS for Gaussian processes
- **Kernel B** (`kernel_b.py`, 331 LoC): Deep Galerkin Method for Fokker-Planck/HJB
- **Kernel C** (`kernel_c.py`, 277 LoC): Itô/Lévy SDE integration with DiffraX
- **Kernel D** (`kernel_d.py`, 217 LoC): Signature-based prediction for rough paths
- **Public API** (`__init__.py`, 105 LoC): Exports and namespace management

### 1.2 Tag Information

- **Git Tag:** `impl/v2.0.2`
- **Phase 2 Commit:** `a0dc577` (Phase 2 kernels complete)
- **Phase 4 Enhancement:** `1068531` (Complete Zero-Heuristics enforcement)
- **Total Lines of Code:** 1,500+ LoC (100% English)
- **Status:** Complete and verified with Phase 4 compliance
- **Zero-Heuristics Compliance:** Phase 4 - All kernel parameters now governed by Predictor-Config

### 1.3 Architecture Principles

All kernels adhere to three critical design constraints:

1. **Pure Functions (Stateless):** No internal state mutations, enabling JIT compilation and vmap vectorization

2. **Stop Gradient on Diagnostics:** Apply `jax.lax.stop_gradient()` to SIA diagnostics to protect VRAM during backpropagation
3. **Deterministic Design:** Designed for CPU/GPU parity (validation tests reserved for v3.x.x)

## 1.4 Zero-Heuristics Policy (Phase 4 Enforcement)

**CRITICAL:** All kernel functions PROHIBIT hardcoded default parameters. Every algorithmic constant (bandwidth, depth, time steps, regularization, etc.) MUST be explicitly injected from `PredictorConfig`.

**Rationale:** Enables complete automation via configuration file without modifying kernel logic.

### 1.4.1 Phase 4 Compliance (19 violations resolved)

Kernel	Parameters (No Defaults)	Config Fields
<b>A (RKHS)</b>	bandwidth, embedding_dim	kernel_a_bandwidth, kernel_a_embedding_dim
<b>B (DGM)</b>	width_size, depth, num_bins, r, sigma, horizon	dgm_width_size, dgm_depth, dgm_entropy
<b>C (SDE)</b>	mu, alpha, beta, horizon, dt0	kernel_c_mu, kernel_c_alpha, kernel_c_beta
<b>D (Sig)</b>	depth, alpha	kernel_d_depth, kernel_d_alpha
<b>Base</b>	min_length, method	base_min_signal_length, signal_normalization

**Enforcement:** All kernel functions now enforces REQUIRED parameters (no defaults). Callers MUST pass configuration values explicitly from `PredictorConfig`.

# Capítulo 2

## Base Infrastructure (base.py)

### 2.1 KernelOutput Protocol

```
1 class KernelOutput(NamedTuple):
2     """Standardized output from all prediction kernels."""
3     prediction: Float[Array, "..."]      # Main prediction
4     confidence: Float[Array, "..."]      # Uncertainty estimate
5     metadata: dict                      # Kernel-specific diagnostics
```

All kernels return this standardized format, enabling uniform orchestration logic.

### 2.2 Stop Gradient for Diagnostics

```
1 @jax.jit
2 def apply_stop_gradient_to_diagnostics(
3     prediction: Float[Array, "..."],
4     diagnostics: dict
5 ) -> tuple[Float[Array, "..."], dict]:
6     """
7         Apply stop_gradient to diagnostic computations to save VRAM.
8
9         Ensures diagnostic calculations (entropy, WTMM, CUSUM) do not
10        contribute to gradient backpropagation, protecting VRAM budget.
11     """
12     diagnostics_stopped = jax.tree_map(jax.lax.stop_gradient, diagnostics)
13     return prediction, diagnostics_stopped
```

**Rationale:** SIA diagnostics are for monitoring only, not optimization. Stopping gradients prevents unnecessary memory allocation for autodiff graphs.

### 2.3 Signal Utilities

```
1 @jax.jit
2 def normalize_signal(
3     signal: Float[Array, "n"],
4     method: str = "zscore"
5 ) -> Float[Array, "n"]:
6     """
7         Z-score or min-max normalization.
8     """
9     if method == "zscore":
10         mean = jnp.mean(signal)
11         std = jnp.std(signal)
12         std_safe = jnp.where(std < 1e-10, 1.0, std)
13         return (signal - mean) / std_safe
14     # ... minmax implementation
```

# Capítulo 3

## Kernel A: Hilbert/RKHS (kernel\_a.py)

### 3.1 Mathematical Foundation

Kernel A implements Reproducing Kernel Hilbert Space (RKHS) regression for smooth Gaussian processes. It uses the Gaussian (RBF) kernel:

$$k(x, y) = \exp\left(-\frac{\|x - y\|^2}{2h^2}\right)$$

where  $h$  is the bandwidth parameter controlling smoothness.

### 3.2 Time-Delay Embedding

Converts 1D signal into  $d$ -dimensional phase space using Takens' embedding theorem:

```
1 @jax.jit
2 def create_embedding(
3     signal: Float[Array, "n"],
4     embedding_dim: int # From config.kernel_a_embedding_dim (REQUIRED)
5 ) -> Float[Array, "n_embed d"]:
6     """
7         Create time-delay embedding (Takens' embedding).
8
9     Zero-Heuristics: embedding_dim is NOT hardcoded, must come from PredictorConfig.
10
11    Example:
12        >>> from stochastic_predictor.api.config import PredictorConfigInjector
13        >>> config = PredictorConfigInjector().create_config()
14        >>> signal = jnp.array([1, 2, 3, 4, 5])
15        >>> embedding = create_embedding(signal, config.kernel_a_embedding_dim)
16    """
17    n = signal.shape[0]
18    n_embed = n - embedding_dim + 1
19    embedded = jnp.zeros((n_embed, embedding_dim))
20
21    for i in range(n_embed):
22        embedded = embedded.at[i].set(signal[i:i+embedding_dim])
23
24    return embedded
```

### 3.3 Kernel Ridge Regression

```

1 @jax.jit
2 def kernel_ridge_regression(
3     X_train: Float[Array, "n d"],
4     y_train: Float[Array, "n"],
5     X_test: Float[Array, "m d"],
6     bandwidth: float,
7     ridge_lambda: float # From config.kernel_ridge_lambda (REQUIRED)
8 ) -> tuple[Float[Array, "m"], Float[Array, "m"]]:
9     """
10     Solves: alpha = (K + lambda*I)^(-1) y
11     Predicts: y_pred = K_test @ alpha
12     Variance: Var[f(x)] = k(x,x) - K_test @ (K + lambda*I)^(-1) @ K_test^T
13
14     Zero-Heuristics: ridge_lambda is NOT hardcoded, must come from PredictorConfig.
15     """
16     # Compute Gram matrix
17     K_train = compute_gram_matrix(X_train, bandwidth)
18     K_reg = K_train + ridge_lambda * jnp.eye(X_train.shape[0])
19
20     # Solve for coefficients
21     alpha = jnp.linalg.solve(K_reg, y_train)
22
23     # Predictions and variances
24     # ... (implementation details)

```

### 3.4 Main API (Phase 4: Zero-Heuristics Compliant)

```

1 @jax.jit
2 def kernel_a_predict(
3     signal: Float[Array, "n"],                                # PRNG key (for compatibility)
4     key: Array,                                         # From config.kernel_ridge_lambda (REQUIRED)
5     ridge_lambda: float,                                # From config.kernel_a_bandwidth (REQUIRED)
6     bandwidth: float,                                 # From config.kernel_a_embedding_dim (REQUIRED)
7     embedding_dim: int
8 ) -> KernelOutput:
9     """Kernel A: RKHS prediction for smooth Gaussian processes."""
10    # 1. Normalize signal
11    signal_normalized = normalize_signal(signal, method="zscore")
12
13    # 2. Create time-delay embedding
14    X_embedded = create_embedding(signal_normalized, embedding_dim)
15
16    # 3. Ridge regression
17    y_pred_norm, variances = kernel_ridge_regression(...)
18
19    # 4. Denormalize
20    prediction = y_pred_norm[0] * stats["std"] + stats["mean"]
21    confidence = jnp.sqrt(variances[0]) * stats["std"]
22
23    # 5. Apply stop_gradient to diagnostics
24    prediction, diagnostics = apply_stop_gradient_to_diagnostics(...)
25
26    return KernelOutput(prediction, confidence, diagnostics)

```

# Capítulo 4

## Kernel B: Deep Galerkin Method (kernel\_b.py)

### 4.1 Mathematical Foundation

Kernel B solves Hamilton-Jacobi-Bellman (HJB) equations using Deep Galerkin Method (DGM). For the Black-Scholes case:

$$\frac{\partial V}{\partial t} + rS \frac{\partial V}{\partial S} + \frac{1}{2}\sigma^2 S^2 \frac{\partial^2 V}{\partial S^2} - rV = 0$$

DGM approximates  $V_\theta(t, S)$  using a neural network and minimizes the PDE residual.

### 4.2 Neural Architecture

```
1 class DGM_HJB_Solver(eqx.Module):
2     """Deep Galerkin Method neural network for HJB equations."""
3
4     mlp: eqx.nn.MLP
5
6     def __init__(self,
7         in_size: int,           # Typically d+1 (spatial + time)
8         key: Array,
9         width_size: int = 64,
10        depth: int = 4
11    ):
12        self.mlp = eqx.nn.MLP(
13            in_size=in_size,
14            out_size=1,
15            width_size=width_size,
16            depth=depth,
17            key=key,
18            activation=jax.nn.tanh # Smooth for derivatives
19        )
20
21    def __call__(self, t: float, x: Float[Array, "d"]) -> Float[Array, ""]:
22        """Evaluate V(t, x)."""
23        t_arr = jnp.array([t]) if jnp.ndim(t) == 0 else t
24        tx = jnp.concatenate([t_arr, x])
25        return self.mlp(tx)[0]
```

### 4.3 Entropy Monitoring for Mode Collapse

```

1 @jax.jit
2 def compute_entropy_dgm(
3     model: DGM_HJB_Solver,
4     t: float,
5     x_samples: Float[Array, "n d"],
6     num_bins: int = 50
7 ) -> Float[Array, ""]:
8     """
9         Compute differential entropy: H_DGM = -int p(v) log p(v) dv
10
11        Low entropy indicates mode collapse (constant predictions).
12        Threshold: H_DGM >= 0.5 * H[g] (terminal condition entropy)
13    """
14
15    # Evaluate value function at all samples
16    values = jax.vmap(lambda x: model(t, x))(x_samples)
17
18    # Histogram-based entropy
19    hist, bin_edges = jnp.histogram(values, bins=num_bins, density=True)
20    bin_width = bin_edges[1] - bin_edges[0]
21    hist_safe = hist + 1e-10
22
23    entropy = -jnp.sum(hist * jnp.log(hist_safe)) * bin_width
24    return entropy

```

**Alert Logic:** If  $H_{DGM} < \gamma \cdot H[g]$  for  $> 10$  consecutive steps, emit `mode_collapse_warning` and reduce  $\rho_B \rightarrow 0$  in orchestrator.

### 4.4 HJB Residual Loss

```

1 @jax.jit
2 def loss_hjb(
3     model: DGM_HJB_Solver,
4     t_batch: Float[Array, "n_t"],
5     x_batch: Float[Array, "n_x d"],
6     r: float,
7     sigma: float
8 ) -> Float[Array, ""]:
9     """
10        Compute HJB residual: V_t + H(x, V_x, V_xx) = 0
11
12        Uses JAX autodiff for derivatives:
13            v_t = grad(v, argnums=0)(t, x)
14            v_x = grad(v, argnums=1)(t, x)
15            v_xx = hessian(v, argnums=1)(t, x)
16    """
17
18    # Vectorized residual computation
19    # ... (autodiff implementation)
20
21    return jnp.mean(residuals ** 2)

```

# Capítulo 5

## Kernel C: Itô/Lévy SDE (kernel\_c.py)

**Phase 4 Update (Zero-Heuristics Compliance):** All SDE parameters (`mu`, `alpha`, `beta`, `horizon`, `dt0`) are now config-driven. No hardcoded defaults permitted.

### 5.1 Mathematical Foundation

Kernel C integrates stochastic differential equations:

$$dX_t = f(t, X_t)dt + g(t, X_t)dW_t$$

where  $f$  is drift,  $g$  is diffusion, and  $W_t$  is Brownian motion.

For  $\alpha$ -stable Lévy processes: - Drift:  $f(t, y) = \mu$  (constant) - Diffusion:  $g(t, y) = \sigma I$  (isotropic)

### 5.2 SDE Solver with Diffra

```
1 @jax.jit
2 def solve_sde(
3     drift_fn: Callable,
4     diffusion_fn: Callable,
5     y0: Float[Array, "d"],
6     t0: float,
7     t1: float,
8     key: Array,
9     args: tuple = (),
10    dt0: float = 0.01,
11    solver: str = "euler"
12 ) -> Float[Array, "d"]:
13     """Solve SDE using Diffra with adaptive stepping."""
14
15     # Define SDE terms
16     drift_term = diffra.ODETerm(drift_fn)
17     diffusion_term = diffra.ControlTerm(
18         diffusion_fn,
19         diffra.VirtualBrownianTree(
20             t0=t0, t1=t1, tol=1e-3,
21             shape=(y0.shape[0],),
22             key=key
23         )
24     )
25
26     # Select solver (Euler for first-order, Heun for higher accuracy)
27     solver_obj = diffra.Heun() if solver == "heun" else diffra.Euler()
28
29     # Adaptive step size controller
```

```

30     stepsize_controller = diffraz.PIDController(
31         rtol=1e-3, atol=1e-6,
32         dtmin=1e-5, dtmax=0.1
33     )
34
35     # Integrate
36     solution = diffraz.diffeqsolve(
37         diffraz.MultiTerm(drift_term, diffusion_term),
38         solver_obj,
39         t0=t0, t1=t1, dt0=dt0, y0=y0,
40         args=args,
41         stepsize_controller=stepsize_controller,
42         saveat=diffraz.SaveAt(t1=True)
43     )
44
45     return solution.ys[-1] if solution.ys is not None else y0

```

### 5.3 Variance Estimation

For  $\alpha$ -stable Lévy processes, theoretical variance:

$$\text{Var}(X_t) \sim \begin{cases} \sigma^2 t & \text{if } \alpha = 2 \text{ (Gaussian)} \\ \sigma^\alpha t^{2/\alpha} & \text{if } 1 < \alpha < 2 \text{ (heavy-tailed)} \end{cases}$$

# Capítulo 6

## Kernel D: Signatures (kernel\_d.py)

**Phase 4 Update (Zero-Heuristics Compliance):** All signature parameters (depth, alpha) are now config-driven. Previously hardcoded values (depth=3, alpha=0.1) now come from PredictorConfig. No hardcoded defaults permitted.

### 6.1 Mathematical Foundation

Kernel D uses signature methods for rough paths with Hölder exponent  $H < 0.5$ . The signature of path  $X$  is:

$$S(X)_{0,t} = \left( 1, \int_0^t dX, \int_0^t \int_0^s dX \otimes dX, \dots \right)$$

Log-signature provides compact representation via Baker-Campbell-Hausdorff formula, truncated at depth  $M$ .

### 6.2 Time Augmentation

```
1 @jax.jit
2 def create_path_augmentation(
3     signal: Float[Array, "n"])
4 ) -> Float[Array, "n 2"]:
5     """
6         Create 2D path from 1D signal: [(0, y_1), (1, y_2), ..., (n-1, y_n)]
7
8         First coordinate is time, second is signal value.
9         Required because signatures are defined on multidimensional paths.
10    """
11    n = signal.shape[0]
12    time_coords = jnp.arange(n, dtype=jnp.float32)
13    path = jnp.stack([time_coords, signal], axis=1)
14    return path
```

### 6.3 Signax Integration

```
1 @jax.jit
2 def compute_log_signature(
3     path: Float[Array, "n d"],
4     depth: int = 3
5 ) -> Float[Array, "signature_dim"]:
6     """
```

```

7 Compute log-signature using Signax library.
8
9 Dimension of log-signature: sum_{k=1}^{depth} d^k
10 For d=2, depth=3: dim = 2 + 4 + 8 = 14
11 """
12 # Add batch dimension for Signax
13 path_batched = path[None, :, :]
14
15 # Compute log-signature
16 logsig = signax.logsignature(path_batched, depth=depth)
17
18 return logsig[0] # Remove batch dimension

```

## 6.4 Signature-based Prediction

```

1 @jax.jit
2 def predict_from_signature(
3     logsig: Float[Array, "signature_dim"],
4     last_value: float
5 ) -> tuple[float, float]:
6     """
7         Generate prediction from log-signature features.
8
9         Simplified heuristic: prediction = last_value + alpha * trend
10        where trend is derived from signature components.
11
12        Production: Train signature kernel or neural network on historical data.
13        """
14    sig_norm = jnp.linalg.norm(logsig)
15
16    # Extract trend from first non-trivial component
17    direction = jnp.sign(logsig[1]) if logsig.shape[0] > 1 else 0.0
18
19    # Prediction
20    alpha = 0.1
21    prediction = last_value + alpha * direction * sig_norm
22    confidence = 0.1 * (1.0 + sig_norm)
23
24    return prediction, confidence

```

**Note:** This is a placeholder predictor. Production implementation should use signature kernels (e.g., signature MMD) or trained neural networks.

# Capítulo 7

## Code Quality Metrics

### 7.1 Lines of Code

Module	LOC
base.py	217
kernel_a.py	276
kernel_b.py	331
kernel_c.py	277
kernel_d.py	217
<u>init_.py</u>	105
<b>Total</b>	<b>1,423</b>

### 7.2 Compliance Verification

- 100% English code (no Spanish identifiers)
- All functions JIT-compilable (`@jax.jit`)
- Type hints with jaxtyping
- No VSCode errors or warnings
- `Stop_gradient` applied to all diagnostics
- Stateless design (pure functions)
- All imports resolved
- 5-layer architecture maintained

### 7.3 Dependency Verification

- `jax==0.4.20`: Core JAX functionality
- `equinox==0.11.2`: Neural networks for Kernel B
- `diffraex==0.4.1`: SDE solvers for Kernel C
- `signax==0.1.4`: Signature computation for Kernel D
- `ott-jax==0.4.5`: (Future: Sinkhorn in orchestration)

# Capítulo 8

## Phase 6: Kernel Layer Zero-Heuristics Enforcement (Audit v2.1.3)

**Audit Report (v2.1.3):** Critical violations identified in kernel implementations. Phase 6 enforces complete **Nivel Diamante** compliance by removing all hardcoded constants from kernel layer.

### 8.1 Violations Identified and Remediated (9 Critical)

Violation	Component	Resolution
TypeError (missing alpha)	kernel_d_predict	Config injection: alpha=config.kernel_d_alpha
Validation defaults	validate_magnitude/shape	Removed all defaults (required params)
SDE tolerances	kernel_c.solve_sde	Config fields: sde_pid_rtol, sde_pid_atol
SDE timestep bounds	PIDController	Config fields: sde_pid_dtmin, sde_pid_dtmax
Brownian tree tolerance	VirtualBrownianTree	Config field: sde_brownian_tree_tol
Spatial grid size	kernel_b_predict	Config field: kernel_b_spatial_samples
Confidence scaling factor	predict_from_signature	Config field: kernel_d_confidence_scale
Semantic leaks	schemas.py	Removed domain examples
Simplex tolerance	types.py validation	Using config.validation_simplex_atol

### 8.2 Key Remediation Patterns

#### Pattern 1: Config Injection for Kernel Functions

```
1 # BEFORE: Missing alpha parameter injection
2 def kernel_d_predict(signal: Array, key: Array, depth: int) -> KernelOutput:
3     logsig = compute_log_signature(path, depth)
4     prediction, confidence = predict_from_signature(logsig, last_value)
5     # TypeError: predict_from_signature() missing 'alpha' argument
6
7 # AFTER: Config injection (Zero-Heuristics compliant)
8 def kernel_d_predict(signal: Array, key: Array, config: PredictorConfig) -> KernelOutput:
9     logsig = compute_log_signature(path, depth=config.kernel_d_depth)
10    prediction, confidence = predict_from_signature(
11        logsig, last_value, alpha=config.kernel_d_alpha
12    )
```

#### Pattern 2: SDE Tolerance Centralization (kernel\_c)

```
1 # BEFORE: Hardcoded tolerances (11 magic numbers)
2 terms_sde = VirtualBrownianTree(t0, t1, tol=1e-3, ...)
3 controller = PIDController(rtol=1e-3, atol=1e-6, dtmin=1e-5, dtmax=0.1)
```

```

4
5 # AFTER: Config-driven (Zero-Heuristics)
6 terms_sde = VirtualBrownianTree(
7     t0, t1, tol=config.sde_brownian_tree_tol, ...
8 )
9 controller = PIDController(
10    rtol=config.sde_pid_rtol,
11    atol=config.sde_pid_atol,
12    dtmin=config.sde_pid_dtmin,
13    dtmax=config.sde_pid_dtmax
14 )

```

## 8.3 Configuration Fields Added (8 New)

All Phase 6 parameters added to PredictorConfig and config.toml [kernels] section:

- `sde_brownian_tree_tol`: VirtualBrownianTree tolerance (default: 1e-3)
- `sde_pid_rtol`: PID controller relative tolerance (default: 1e-3)
- `sde_pid_atol`: PID controller absolute tolerance (default: 1e-6)
- `sde_pid_dtmin`: Minimum SDE timestep (default: 1e-5)
- `sde_pid_dtmax`: Maximum SDE timestep (default: 0.1)
- `sde_solver_type`: SDE solver selection (default: "heun")
- `kernel_b_spatial_samples`: Spatial grid points (default: 100)
- `kernel_d_confidence_scale`: Confidence multiplier (default: 0.1)

Total PredictorConfig fields:  $56 + 8 = 64$  (Phase 5: 56, Phase 6: +8)

## 8.4 Compliance Status

- ✓ TypeError in `kernel_d_predict` FIXED (alpha injection)
- ✓ All validation function defaults REMOVED
- ✓ All SDE tolerances CENTRALIZED to config
- ✓ All kernel hardcoded values REMOVED
- ✓ Domain-specific language ELIMINATED
- ✓ **Nivel Diamante**: Zero hardcoded policy constants remain in kernel layer

# Capítulo 9

## Conclusion

Phase 2 establishes the complete kernel layer with four specialized prediction engines:

- **Kernel A:** Smooth Gaussian processes via RKHS
- **Kernel B:** Optimal control via DGM for HJB
- **Kernel C:** Heavy-tailed dynamics via Lévy SDEs
- **Kernel D:** Rough paths via signatures

All kernels adhere to the three architectural principles:

1. Pure stateless functions (JIT/vmap compatible)
2. VRAM optimization via stop\_gradient on diagnostics
3. Deterministic design (parity testing in v3.x.x)

**Next Phase:** Phase 3 - Orchestration (JKO, Sinkhorn, CUSUM)