Norwegian University of Science and Technology

SMILE – Homomorphic Encryption

Dr. Ferhat Ozgur Catak 19.06.2020

Outline

What is Homomorphic Encryption

Use-Cases for Homomorphic Encryption Including Border Control

Types of Homomorphic Encryption Crypto Schemes

Open Source Libraries Based Solutions for the Untrusted Cloud Systems





- Purpose: Computation on encrypted data
 - data can remain confidential while it is processed in untrusted environments.
 - Homomorphism: is a structure-preserving map between two algebraic structures
 - describes the transformation of one data set into another while preserving relationships between elements in both sets.
 - Greek words for "same structure."
 - Traditional Encryption vs Homomorphic Encryption
 - Homomorphic encryption allows computation to be performed directly on encrypted data without requiring access to a secret key.
 - The result of such a computation remains in encrypted form, and can at a later point be revealed by the owner of the secret key.





No Trusted Third-Parties

- Data remains secure and private in untrusted environments
- The data stays encrypted at all times, which minimizes the likelihood that sensitive information ever gets compromised.

Tradeoff between data usability and privacy

- There is no need to mask or drop any features in order to preserve the privacy of data.
- All features may be used in an analysis, without compromising privacy.

Quantumsafe Fully homomorphic encryption schemes are resilient against quantum attacks





Limitations

Poor performance

 Between slow computation speed, fully homomorphic encryption remains problematic for computationally-heavy applications

Large Memory Consumption

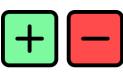
 Compared to plaintext operations making them sometimes impractical for the database queries





operation(plain)

Public key: (23,143) **Private key**: (47,143)

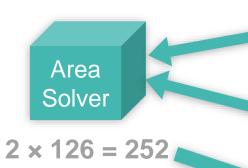






Private What is the area? Width:7 height:3





Enc(width) = width^e mod N **Enc**(width) = 7^{23} mod 143

Enc(width) = 2

Enc(height) = height^e mod N

Enc(height) = 3^{23} mod 143

Enc(height) = 126

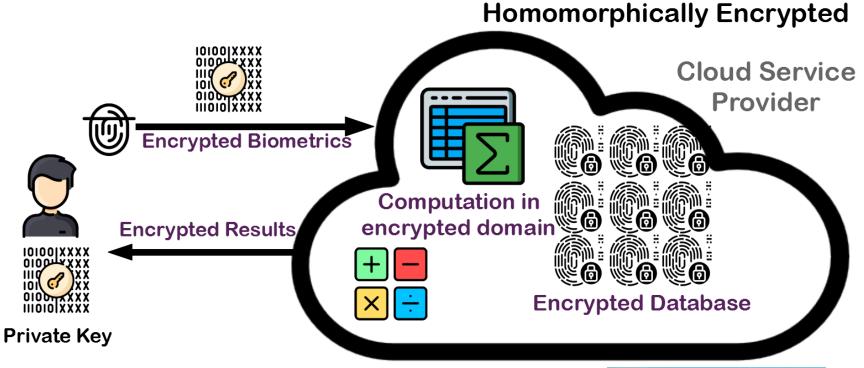
area = cipherd mod N

 $area = 252^{47} \mod 123$

area = 21

 $7 \times 3 = 21$









Use-Cases

Medical Records

- Analyze disease/treatment without disclosing
- Search DNA markers without revealing DNA

SPAM Filtering

Blacklisting Encrypted mails

Biometric Matching

- Encrypted distance metrics
- Similarity



Privacy Preserving Biometric Authentication

- Strong Authentication Method: Biometrics
 - Represents who you are
 - Unique, Universal, Permanent, and Collectable
- Security Concerns
 - Biometric identity stored at multiple service providers
 - Different proprietary protocols
 - Revealing Biometric ID during authentication



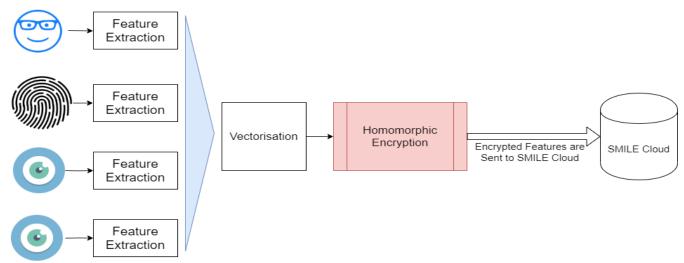
Privacy Preserving Biometric Authentication

- Stolen biometrics
 - Cannot be revoked easily
- Being compromised
 - Captured, cloned or forged
 - Identity theft or individual profiling



Privacy Preserving Biometric Authentication

- Face biometrics, fingerprint biometrics, and iris biometrics are protected by the homomorphic encryption technique. As shown in the figure below, feature vectors are extracted using smartphone technology and feature extraction algorithm.
- The homomorphic encryption is an additional layer of security to protect the privacy on top of the transport layer encryption such as SSL and TLS.



Types of Homomorphic Encryption

Partially Homomorphic

Somewhat Homomorphic

Fully Homomorphic





Partially Homomorphic Encryption

- When you can only perform certain mathematical operations on the ciphertext but not others
 - RSA cryptosystem: partially homomorphic with respect to multiplication
 - [a] x [b] OK
 - [a] + [b] Not Ok
 - Caesar Cipher: partially homomorphic with respect to addition
 - [a] + [b] OK
 - [a] x [b] Not OK
 - Paillier: partially homomorphic with respect to addition
 - [a] + [b] OK
 - [a] x b Ok (Encrypted x Plain)
 - [a] x [b] Not OK





Somewhat Homomorphic Encryption

 SHE is more general than PHE in the sense that it supports homomorphic operations with additions and multiplications. The drawback is that you can perform only a limited number homomorphic operations.



Fully Homomorphic Encryption

- When you can perform mathematical operations on the ciphertext
 - BGV and BFV
 - (Encrypted with Encrypted)
 - [a] + [b] OK
 - [a] [b] Ok
 - [a] x [b] OK
 - (Encrypted with Plain)
 - [a] + b OK
 - [a] b Ok
 - [a] x b OK





Open Source Libraries for HE



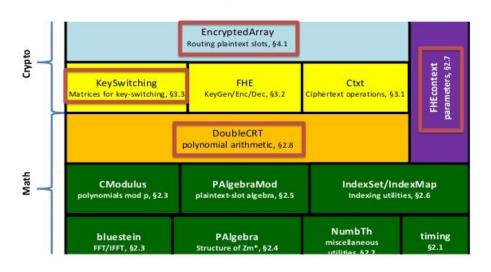
Simple Encrypted Arithmetic Library



PyFHEL

- SEAL
- HeLib
- PALISADE

Architecture of HElib







Privacy-Preserving Area Solver

```
from Pyfhel import Pyfhel
print("1. Creating Context and KeyGen in a Pythel Object ")
HE = Pyfhel()
                                                   # Creating empty Pythe
                                                                          object
HE.contextGen(p=65537, m=2048, flagBatching=True)
                                                   # Generating context.
HE.keyGen()
                                                   # Key Generation.
print("2. Encrypting integers")
integer1 = 7
integer2 = 3
ctxt1 = HE.encryptInt(integer1) # Encryption makes use of the public key
ctxt2 = HE.encryptInt(integer2) # For integers, encryptInt function is used.
print("3. Operating with encrypted integers")
ctxtSum = ctxt1 + ctxt2
                               # `ctxt1 += ctxt2` for quicker inplace operation
                               # `ctxt1 -= ctxt2` for quicker inplace operation
ctxtSub = ctxt1 - ctxt2
ctxtMul = ctxt1 * ctxt2
                               # `ctxt1 *= ctxt2` for quicker inplace operation
print("4. Decrypting result:")
resSum = HE.decryptInt(ctxtSum) # Decryption must use the corresponding function
                               # decryptInt.
resSub = HE.decryptInt(ctxtSub)
resMul = HE.decryptInt(ctxtMul)
print("\taddition: decrypt(ctxt1 + ctxt2) = ", resSum)
print("\tsubstraction: decrypt(ctxt1 - ctxt2) = '
                                                  ", resSub)
print("\tmultiplication: decrypt(ctxt1 * ctxt2) = ", resMul)
```

```
    Creating Context and KeyGen in a Pyfhel Object
    Encrypting integers
    Operating with encrypted integers
    Decrypting result:
        addition: decrypt(ctxt1 + ctxt2) = 10
        substraction: decrypt(ctxt1 - ctxt2) = 4
        multiplication: decrypt(ctxt1 * ctxt2) = 21
```





Homomorphic Encryption Applications

Privacy-Preserving Machine Learning

Homomorphic Encryption

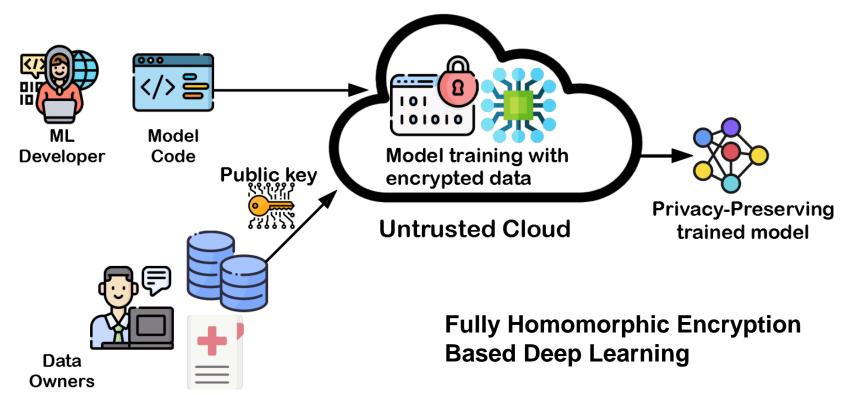


Secure Machine Learning





Homomorphic Encryption Applications







Contact Information

Dr. Ferhat Ozgur Catak

Norwegian University of Science and Technology

email: ferhat.o.catak@ntnu.no

Thank You!

