(input, output, leak), where 0 means absent, and 1 means present	# leaks	Model diagram, where green indicates global identifiability, and blue indicates local identifiability	SIAN Code
(1, 1, 0), (0, 0, 0), (0, 0, 0)	0	1 2 3	dx1/dt = -k21*x1 + k13*x3 + u(t), $dx2/dt = k21*x1 - k32*x2,$ $dx3/dt = -k13*x3 + k32*x2,$ $y=x1$
(1, 1, 1), (0, 0, 0), (0, 0, 0)	1	2=3	dx1/dt = -k21*x1 + k13*x3 + u(t) -k01*x1, $dx2/dt = k21*x1 -k32*x2,$ $dx3/dt = -k13*x3 + k32*x2,$ $y=x1$
(1, 1, 0), (0, 0, 1), (0, 0, 0)	1	2=3	dx1/dt = -k21*x1 + k13*x3 + u(t), $dx2/dt = k21*x1 - k32*x2 - k02*x2,$ $dx3/dt = -k13*x3 + k32*x2,$ $y=x1$
(1, 1, 0), (0, 0, 0), (0, 0, 1)	1	1 = 2 = 3	dx1/dt = -k21*x1 + k13*x3 + u(t), $dx2/dt = k21*x1 - k32*x2,$ $dx3/dt = -k13*x3 + k32*x2 - k03*x3,$ $y=x1$
(0, 0, 0), (0, 0, 0), (1, 1, 0)	0	1=2=3	dx1/dt = -k21*x1 + k13*x3,dx2/dt = k21*x1 - k32*x2,dx3/dt = -k13*x3 + k32*x2 + u(t),y=x3
(0, 0, 1), (0, 0, 0), (1, 1, 0)	1		dx1/dt = -k21*x1 + k13*x3 - k01*x1, $dx2/dt = k21*x1 - k32*x2,$ $dx3/dt = -k13*x3 + k32*x2 + u(t),$ $y=x3$
(0, 0, 0), (0, 0, 1), (1, 1, 0)	1		dx1/dt = -k21*x1 + k13*x3, $dx2/dt = k21*x1 - k32*x2 - k02*x2,$ $dx3/dt = -k13*x3 + k32*x2 + u(t),$ $y=x3$
(0, 0, 0), (0, 0, 0), (1, 1, 1)	1	1=2=3	dx1/dt = -k21*x1 + k13*x3, dx2/dt = k21*x1 - k32*x2, dx3/dt = -k13*x3 + k32*x2 + u(t) -k03*x3, y=x3
(0, 0, 0), (1, 1, 0), (0, 0, 0)	0	1=2=3	$\begin{array}{rll} dx1/dt = & -k21*x1 + k13*x3, \\ dx2/dt = & k21*x1 - k32*x2 + u(t), \\ dx3/dt = & -k13*x3 + k32*x2 , \\ & & & & & & & & & & & & & \\ & & & &$
(0, 0, 1), (1, 1, 0), (0, 0, 0)	1	(1) = (2) = (3)	$ \begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 & +k01*x1, \\ dx2/dt = & k21*x1 & +k32*x2 & +u(t), \\ dx3/dt = & -k13*x3 & +k32*x2 & , \\ & & & & & & & & & \\ & & & & & & &$
(0, 0, 0), (1, 1, 1), (0, 0, 0)	1	1=2=3	$\begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 \;, \\ dx2/dt = & k21*x1 & +k32*x2 & +k02*x2 & +u(t), \\ dx3/dt = & -k13*x3 & +k32*x2 \;, \\ & & & & & & & & & & & & \\ & & & & & $
(0, 0, 0), (1, 1, 0), (0, 0, 1)	1		$\begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 , \\ dx2/dt = & k21*x1 & +k32*x2 & +u(t) , \\ dx3/dt = & -k13*x3 + k32*x2 & -k03*x3 , \\ & & & & & & & & & & & & & & \\ & & & & & & & & & & & & \\ \end{array}$
(0, 0, 0), (1, 0, 0), (0, 1, 0)	0	1=2=3	$\begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 \ , \\ dx2/dt = & k21*x1 & +k32*x2 & +u(t), \\ dx3/dt = & +k13*x3 & +k32*x2 \ , \\ & & & & & & & & & & & \\ & & & & & &$
(0, 0, 1), (1, 0, 0), (0, 1, 0)	1		
(0, 0, 0), (1, 0, 1), (0, 1, 0)	1		$\begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 \;, \\ dx2/dt = & k21*x1 & +k32*x2 & +k02*x2 & +u(t), \\ dx3/dt = & +k13*x3 & +k32*x2 \;\;, \\ & & & & & & & & & & & & \\ & & & & & $
(0, 0, 0), (1, 0, 0), (0, 1, 1)	1		$\begin{array}{rll} dx1/dt = & +k21*x1 & +k13*x3 \;, \\ dx2/dt = & k21*x1 & +k32*x2 & +u(t), \\ dx3/dt = & -k13*x3 & +k32*x2 & -k03*x3 \;, \\ & & & & & & & & & & & \\ & & & & & & $
(1, 0, 0), (0, 1, 0), (0, 0, 0)	0	(1)=(2)=(3)	dx1/dt = -k21*x1 + k13*x3 + u(t), $dx2/dt = k21*x1 - k32*x2,$ $dx3/dt = -k13*x3 + k32*x2,$ $y=x2$
(1, 0, 1), (0, 1, 0), (0, 0, 0)	1	2 = 3	$ \frac{dx1/dt = -k21*x1 + k13*x3 + u(t) - k01*x1,}{dx2/dt = k21*x1 - k32*x2,} \\ \frac{dx3/dt = -k13*x3 + k32*x2,}{y=x2} $
(1, 0, 0), (0, 1, 1), (0, 0, 0)	1	1=2=3	$\begin{array}{ll} dx1/dt = & -k21*x1 + k13*x3 + u(t) \; , \\ dx2/dt = & k21*x1 - k32*x2 - k02*x2 , \\ dx3/dt = & -k13*x3 + k32*x2 \; \; , \\ & y = x2 \end{array}$
(1, 0, 0), (0, 1, 0), (0, 0, 1)	1	2=3	dx1/dt = -k21*x1 + k13*x3 + u(t), $dx2/dt = k21*x1 - k32*x2,$ $dx3/dt = -k13*x3 + k32*x2 - k03*x3,$ $y=x2$