



## All permutations of a set

*Published 23 June 2013, updated 21 June 2015*

[Algorithm](#) [Computer science](#) [Interview question](#) [Java](#) [JavaScript](#)  
[Open source](#)

This article looks at the interview question - *Implement a function that gets all possible permutations (or orderings) of the characters in a string. For example for the input string "abc", the output will be "abc", "acb", "bac", "bca", "cab" and "cba".*

## Analysis

This problem is very similar to [all combinations of a set](#), though the actual computing of the values will be quite different. Let's start by defining the inputs and outputs.

```
ArrayList<String> getPermutations(String characters);
```

Now let's look at how this problem is naturally solved. When I write down a set of permutations by hand, I tend to start with the first letter (a), and then find all permutations without that letter in it. So for "abc" I would write:

a bc  
a cb  
b ac  
b ca  
c ab  
c ba

This approach can be translated exactly into a recursive function in which for all letters in a string, we pull the letter out of the string and prepend it to all permutations of the string without that letter in it. The base case when the string is a single character will return the character.

$$\text{permutations}(\text{abc}) = \begin{matrix} \text{a} + \text{permutations}(\text{bc}) + \\ \text{b} + \text{permutations}(\text{ac}) + \\ \text{c} + \text{permutations}(\text{ab}) \end{matrix}$$
$$\text{permutations}(\text{ab}) = \begin{matrix} \text{a} + \text{permutations}(\text{b}) + \\ \text{b} + \text{permutations}(\text{a}) \end{matrix}$$
$$\text{permutations}(\text{a}) = \text{a}$$

## Pseudocode

```
function getPermutations (string text)
  define results as string[]
  if text is a single character
    add the character to results
    return results
  foreach char c in text
    define innerPermutations as string[]
    set innerPermutations to getPermutations (text without c)
    foreach string s in innerPermutations
      add c + s to results
  return results
```

## Complexity

Much like [all combinations of a set](#), the time and space complexity of the above algorithm should be the same as the number of items produced. The number of unique permutations of any set of size  $n$  is  $n!$ , therefore our algorithm is  $O(n!)$ .

## Code #

Java

JavaScript

```
function getAllPermutationsOfASet(text) {  
    var results = [];  
  
    if (text.length === 1) {  
        results.push(text);  
        return results;  
    }  
  
    for (var i = 0; i < text.length; i++) {  
        var first = text[i];  
        var remains = text.substring(0, i) + text.substring(i + 1);  
        var innerPermutations = getAllPermutationsOfASet(remains);  
        for (var j = 0; j < innerPermutations.length; j++) {  
            results.push(first + innerPermutations[j]);  
        }  
    }  
  
    return results;  
}
```

[View source on GitHub](#)

## Textbooks

Here are two [CS](#) textbooks I personally recommend; the [Algorithm Design Manual](#) (Steven S. Skiena) is a fantastic introduction to data structures and algorithms without getting too deep into the maths side of things, and [Introduction to Algorithms](#) (CLRS) which provides a much deeper, math heavy look.

Share this page



More posts tagged [Interview question](#)

- [Check if a binary tree is balanced](#)
- [Determine if a string is a palindrome](#)
- [Find the kth last element in a linked list](#)
- [Find the median of two sorted arrays](#)
- [Given random5\(\), implement random7\(\)](#)
- [Implement a maximum value aware stack](#)
- [Implement a queue using 2 stacks](#)
- [Reverse a linked list](#)
- [Reverse a string](#)
- [The Fibonacci sequence](#)

Comments

Follow me



© 2012-2017 Daniel Imms. All Rights Reserved.

[About](#) | [Disclaimer](#) | [Code license](#) | [Third party licenses](#) | [Sitemap](#)