Algorithm 1: Traversal (in preorder) of a tree representation that supports only firstchild, nextsibling and parent operations. The space is constant $(O(\log n)$ bits) and time is O(n).

Input: Tree representation that supports FirstChild, NextSibling and Parent in constant time

```
\texttt{1} \; \; \texttt{currnode} \leftarrow \texttt{root};
 2 \text{ direction} \leftarrow \text{down};
 з repeat
         \quad \textbf{if direction} = \texttt{down then} \\
 4
              nextnode = FirstChild(currnode);
 5
 6
              \mathbf{if} \ \mathtt{nextnode} = \mathtt{nil} \ \mathbf{then}
                    direction \leftarrow up;
              else
 8
                    currnode = nextnode;
 9
              end
10
         \mathbf{else}
11
              nextnode = NextSibling(currnode);
12
               \  \  \, \textbf{if} \,\, \texttt{nextnode} = \texttt{nil} \,\, \textbf{then} \\
13
                    currnode = Parent(currnode);
14
               else
15
                    currnode = nextnode;
16
                    \mathtt{direction} \leftarrow \mathtt{down};
17
              end
18
         \mathbf{end}
19
20 until currnode = root;
```

Algorithm 2: Marking of intervals in the BWT that correspond to maximal repeats. The space is constant $(O(\log n))$ bits) and time is $O(n\log \sigma)$.

```
Input: ST representation that supports FirstChild, NextSibling,
             Parent and Interval in constant time and BWT[1..n] array that
             supports rank queries in O(\log \sigma) time.
   Output: A bitvector B[1..n] in which B[i] = 1 (resp. B[j] = 1) iff i is
               leftmost (resp. rightmost) position in the bwt interval of a
               maximal repeat.
 1 B[1..n] = 0^n;
 z currnode \leftarrow ST.root;
 3 \text{ direction} \leftarrow \text{down};
 4 repeat
       \quad \textbf{if direction} = \texttt{down then} \\
 \mathbf{5}
            [i..j] \leftarrow Interval(currnode);
 6
            c \leftarrow \mathtt{BWT}[j];
 7
            count = rank_{BWT}(c, j) - rank_{BWT}(c, i - 1);
 8
 9
           if count \neq j - i + 1 then
               B[i] \leftarrow 1;
10
               B[j] \leftarrow 1;
11
           end
12
            nextnode = FirstChild(currnode);
13
           if nextnode = nil then
14
15
               direction \leftarrow up;
           else
16
17
               currnode = nextnode;
           end
18
       else
19
           nextnode = NextSibling(currnode);
20
           \mathbf{if} \ \mathtt{nextnode} = \mathtt{nil} \ \mathbf{then}
21
               nextnode = Parent(currnode);
22
           else
23
               currnode = nextnode;
24
               direction \leftarrow down;
25
           end
26
       end
27
28 until currnode = root;
```

Algorithm 3: Weiner link algorithm that exploits the array B[1..n] that marks all the intervals of maximal repeats. The input consists in a bwt-interval corresponding to substring p and in a character c. the output is the interval corresponding to substring cp. The running time is $O(\log \sigma)$ (running time of rank query).

Input: A bwt-interval [i..j] corresponding to some rightmaximal substring p, a character c, the BWT[1..n] array that supports rank queries in $O(\log \sigma)$ time, the $C[1..\sigma]$ array and the bitvector B[1..n] that marks starting and ending of bwtntervals of maximal repeats.

```
Output: The interval [i', j'] corresponding to the substring cp
 1 if (B[i] = 1 \text{ AND } B[j] = 1) then
        i' \leftarrow C[c] + \mathtt{rank}_{\mathtt{BWT}}(c, i - 1) + 1;
        j' \leftarrow C[c] + \operatorname{rank}_{BWT}(c, j);
        if j' < i' then
 4
         return nil;
 5
        end
 6
 7 else
 8
        if BWT[j] = c then
            i' \leftarrow C[c] + \mathtt{rank}_{\mathtt{BWT}}(c, i-1) + 1;
 9
            j' = i' + j - i;
10
11
            return nil;
12
        end
13
14 end
15 return [i', j'];
```