# Input properties

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### Input properties

Experiments are performed on the following inputs:

Table 1: Input datasets

slen	tlen	alp	rep_mut	sim_mut	num_blocks	block_len	s_mutation_rate	t_mutation_rate
100'000	10'000	5	100	10000	1,000	100	1,00	1,0000
100'000	10'000	5	100	1000	1'000	100	1,00	0,1000
100'000	10'000	5	100	100	1'000	100	1,00	0,0100
100'000	10'000	5	100	1	1'000	100	1,00	0,0001
100'000	10'000	5	10	10000	1'000	100	0,10	1,0000
100'000	10'000	5	10	1000	1'000	100	0,10	0,1000
100'000	10'000	5	10	100	1'000	100	0,10	0,0100
100'000	10'000	5	10	1	1'000	100	0,10	0,0001
100'000	10'000	5	1	10000	1'000	100	0,01	1,0000
100'000	10'000	5	1	1000	1'000	100	0,01	0,1000
100'000	10'000	5	1	100	1'000	100	0,01	0,0100
100'000	10'000	5	1	1	1'000	100	0,01	0,0001
100'000	10'000	20	100	10000	1'000	100	1,00	1,0000
100'000	10'000	20	100	1000	1'000	100	1,00	0,1000
100'000	10'000	20	100	100	1'000	100	1,00	0,0100
100'000	10'000	20	100	1	1'000	100	1,00	0,0001
100'000	10'000	20	10	10000	1'000	100	0,10	1,0000
100'000	10'000	20	10	1000	1'000	100	0,10	0,1000
100'000	10'000	20	10	100	1'000	100	0,10	0,0100
100'000	10'000	20	10	1	1'000	100	0,10	0,0001
100'000	10'000	20	1	10000	1'000	100	0,01	1,0000
100'000	10'000	20	1	1000	1'000	100	0,01	0,1000
100'000	10'000	20	1	100	1'000	100	0,01	0,0100
100'000	10'000	20	1	1	1'000	100	0,01	0,0001

The index (aka S) is generated by the concatenation of  $(s_1, \ldots, s_k)$  where  $\sum_i |s_i| = |S|$ . The query (aka T) is generated by mutating S[1..|T|].

#### Description of columns:

- slen/tlen: length of the index/query string. I.e., |S| and |T|.
- alp: the alphabet length
- rep\_mut: number of mutations introduced to block  $s_1$  to obtain blocks  $s_i$  with  $1 < i \le k$ .
- sim\_mut: number of mutations introduced to S[1..|T|] in order to obtain T I.e., T differs from S by sim\_mut characters.
- num\_blocks: number of blocks to obtain S (k above).
- block\_len: length of  $s_i$  for  $1 \le i \le n$
- s\_mutation\_rate: sim\_mut / block\_len
- t\_mutation\_rate: sim\_mut / tlen

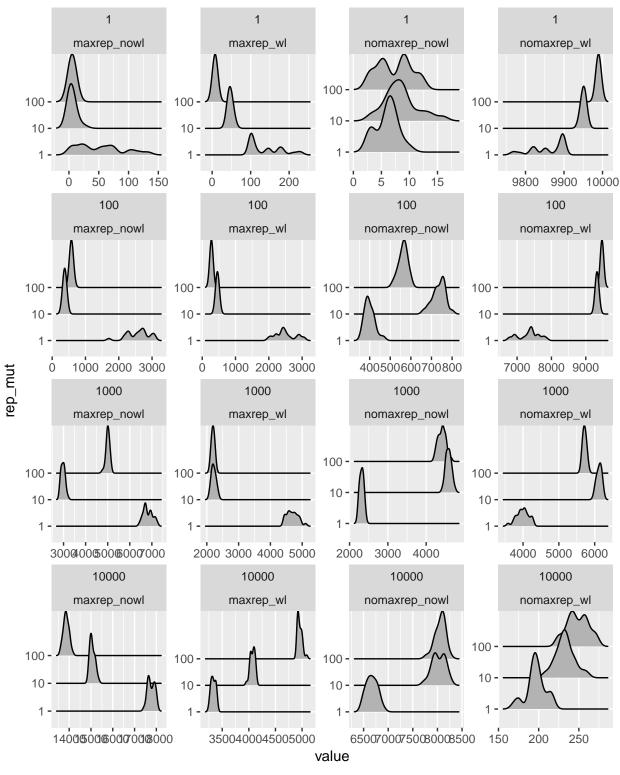
Notice that the row with rep\_mut=rep\_sim=1 has S that is a almost a perfect repeat of blocks, and T almost a perfect copy of it.

On the other hand,  $rep_mut=block_len$  and  $rep_sim=|T|$  has S pretty much random (since we are mutating all chars of a block) and T having mismatches everywhere.

#### Node properties

Before making a wl(v, c) call register whether v is a maximal repeat, and whether the Weiner link exists or not.

```
## Picking joint bandwidth of 7.23
## Picking joint bandwidth of 7.44
## Picking joint bandwidth of 0.94
## Picking joint bandwidth of 7.57
## Picking joint bandwidth of 60.9
## Picking joint bandwidth of 53.5
## Picking joint bandwidth of 11.4
## Picking joint bandwidth of 52.2
## Picking joint bandwidth of 57.3
## Picking joint bandwidth of 46.3
## Picking joint bandwidth of 36
## Picking joint bandwidth of 44.8
## Picking joint bandwidth of 63.7
## Picking joint bandwidth of 21.1
## Picking joint bandwidth of 56.1
## Picking joint bandwidth of 4.35
```

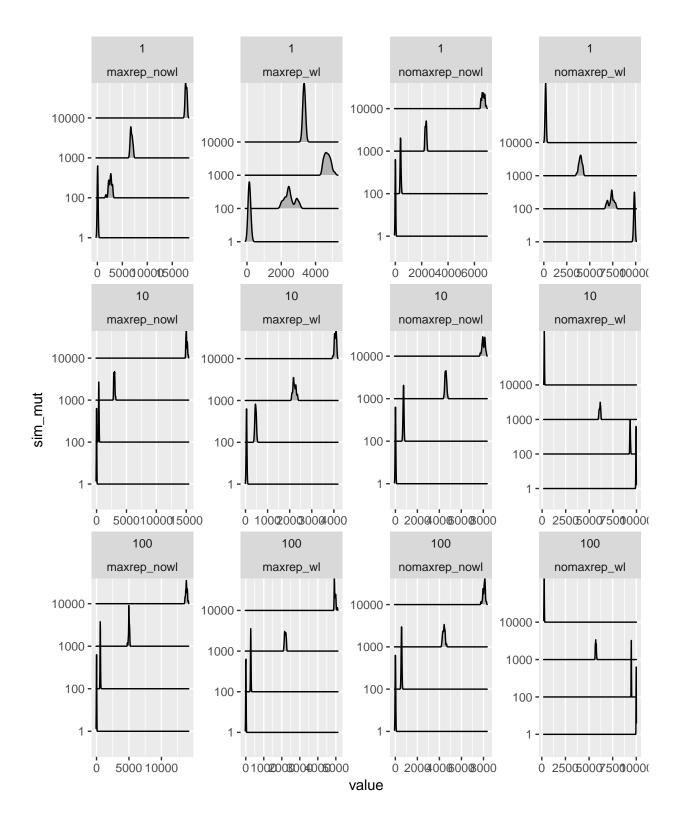


- ## Picking joint bandwidth of 88.9
- ## Picking joint bandwidth of 67.5
- ## Picking joint bandwidth of 22.6
- ## Picking joint bandwidth of 61.3

```
## Picking joint bandwidth of 27.9
```

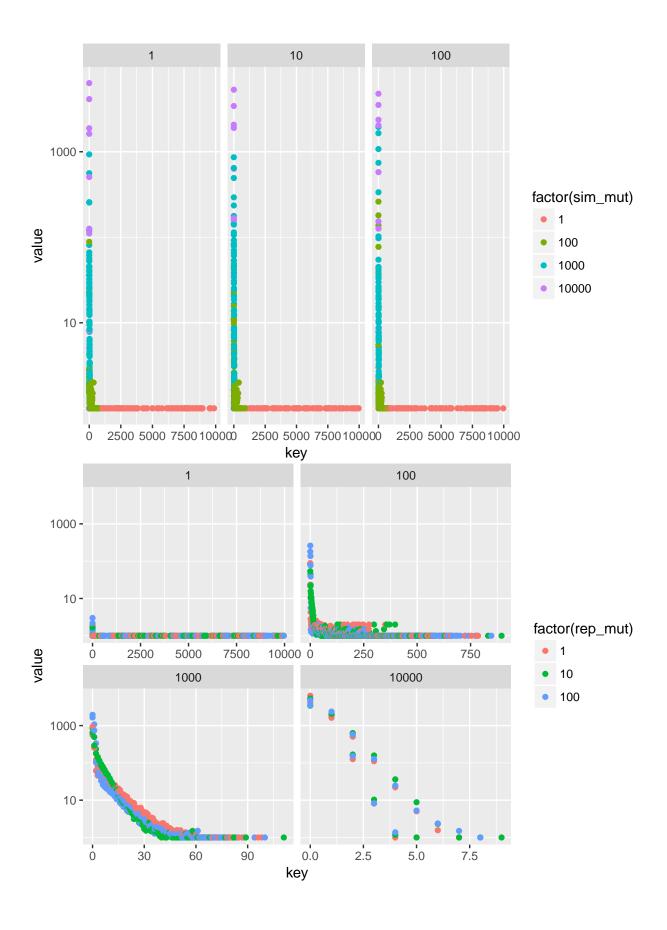
- ## Picking joint bandwidth of 28.7
- ## Picking joint bandwidth of 12.7
- ## Picking joint bandwidth of 25.1
- ## Picking joint bandwidth of 11.2
- ## Picking joint bandwidth of 27
- ## Picking joint bandwidth of 7.74

<sup>##</sup> Picking joint bandwidth of 17.5



#### Consecutive wl() calls

During the MS vector construction, count the number of consecutive wl() calls due to matches between reversed indexed string and the query. In other words count the k-length iterations of the while cycle.



## $Consecutive\ parent()\ calls$

During the MS vector construction, count the number of consecutive parent() calls after a failed wl() call.

