

Model Evaluation Metrics

Understanding Performance in Machine Learning

A Day in the Life of a Data Scientist

Confusion Matrix: The Foundation

All metrics start from the confusion matrix, which shows prediction outcomes:

TP **True Positives:** Correctly predicted positive

TN **True Negatives:** Correctly predicted negative

FP **False Positives:** Incorrectly predicted positive (Type I error)

FN **False Negatives:** Incorrectly predicted negative (Type II error)

		Predicted	
		Positive	Negative
Positive	Positive	TP	FN
	Negative	FP	TN
		Actual	

Accuracy

What is it?

The proportion of correct predictions among all predictions made.

$$\text{Accuracy} = \frac{\text{TP} + \text{TN}}{\text{TP} + \text{TN} + \text{FP} + \text{FN}}$$

Example:

80 correct, 20 incorrect → Accuracy = 80%

When to use?

- Balanced datasets
- All errors equally important
- Quick performance assessment

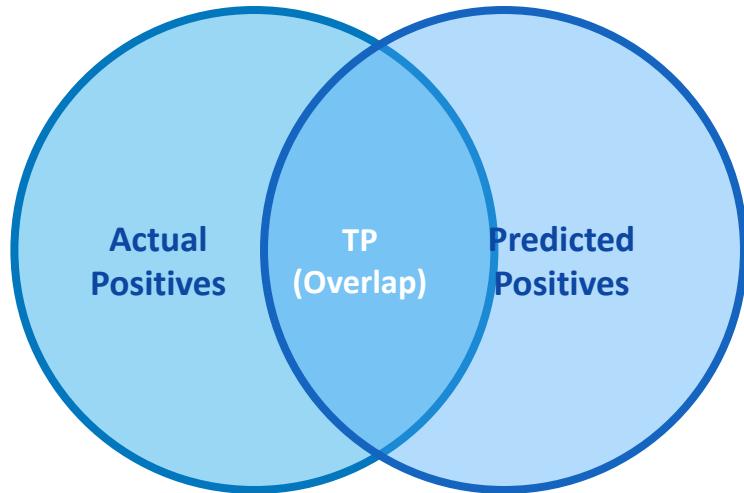
Limitations:

- Misleading with imbalanced classes
- Doesn't distinguish error types

Warning: 99% accuracy on 1% fraud data means always predicting "no fraud"!

Precision & Recall

Visual Understanding



Precision: How many **TP** / **Predicted Positives** are actually positive, how much **TP** was actually **TP** / **This Circle** positive?

Recall: Of all the actual positives, how many did we find?

Precision

$$\text{Precision} = \text{TP} / (\text{TP} + \text{FP})$$

Use when false positives are costly

- Spam filtering: Don't mark good emails as spam
- Medical tests: Avoid unnecessary treatments

Recall (Sensitivity)

$$\text{Recall} = \text{TP} / (\text{TP} + \text{FN})$$

Use when false negatives are costly

- Disease screening: Don't miss sick patients
- Fraud detection: Catch all fraud cases

The Precision-Recall Tradeoff: Improving one often decreases the other!

F1-Score: The Harmonic Mean

What is it?

Harmonic mean of Precision and Recall, balancing both into a single score.

$$F1 = \frac{2 \times (\text{Precision} \times \text{Recall})}{(\text{Precision} + \text{Recall})}$$

Punishes extreme imbalance and forces balance between both metrics.

When to use?

- Single balanced metric needed
- Imbalanced datasets
- Both error types matter

Example:

Model A: P=0.9, R=0.5 → F1=0.64

Model B: P=0.7, R=0.7 → F1=0.70

Model B wins!

The Imbalanced Dataset Problem

What is Label Imbalance?

When one class significantly outnumbers the other in training data.

Common Examples:

- **Fraud:** 99% legitimate, 1% fraud
- **Disease:** 95% healthy, 5% sick
- **Churn:** 90% retain, 10% leave

The Problem:

Models predict majority class and ignore the minority (often what we care about!).

Result: High accuracy, terrible recall on minority class!

SMOTE to the Rescue

Synthetic Minority Over-sampling Technique

How it works:

Creates realistic "fake" examples of the minority class by blending similar real examples together.

Example: If you have 2 fraud cases with similar patterns, SMOTE creates new synthetic fraud examples with features "in between" those two real cases.

```
from imblearn.over_sampling import SMOTE  
smote = SMOTE(random_state=42)  
X_train, y_train = smote.fit_resample(X, y)
```

From Probabilities to Predictions

The Decision Threshold

Models Output Probabilities

ML models don't predict "yes" or "no" directly. They output a probability between 0.0 and 1.0.

Example predictions:

- Patient A: $P(\text{disease}) = 0.95$
- Patient B: $P(\text{disease}) = 0.62$
- Patient C: $P(\text{disease}) = 0.31$
- Patient D: $P(\text{disease}) = 0.08$

We set a threshold!

Choose a cutoff value. If probability \geq threshold, predict positive.

If threshold = 0.5:

- Patient A (0.95) → Predict: **Positive**
- Patient B (0.62) → Predict: **Positive**
- Patient C (0.31) → Predict: **Negative**
- Patient D (0.08) → Predict: **Negative**

Different thresholds = Different results!

Lower threshold → More positives predicted (higher recall, lower precision)

Higher threshold → Fewer positives predicted (lower recall, higher precision)

ROC-AUC: Evaluating All Thresholds

ROC Curve

Receiver Operating Characteristic: Shows model performance at every possible threshold.

TPR = Recall

FPR = $FP / (FP + TN)$

Each point on the curve represents a different threshold choice.

AUC Score

Area Under Curve: Performance across all thresholds.

1.0 = Perfect | 0.9+ = Excellent | 0.8+ = Good | 0.5 = Random

ROC Curve Visualization

