

Interview-talk
for Student Assistant position
at XAI Group at Fraunhofer HHI

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Berlin, 11.09.2024

About me

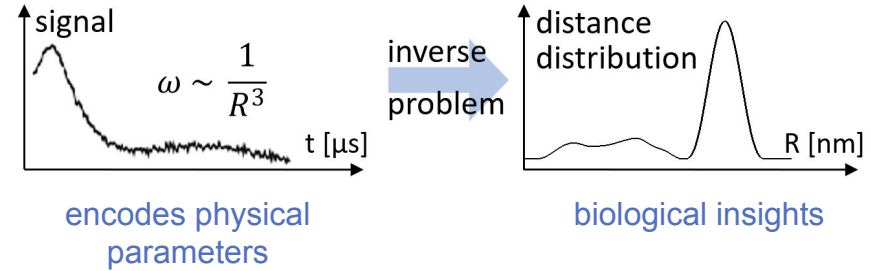
- 4th semester MSc Data Science (Freie Universität Berlin)
- BSc + MSc Physics
- 6 years in experimental research

Plan for the talk

- Previous research in bio-chemical physics
- Data Science experience
- Recent project on XAI

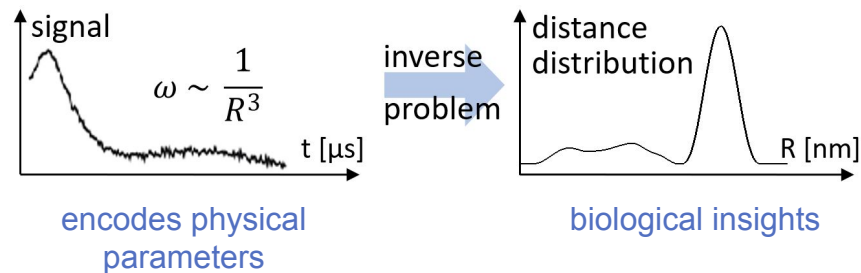
Research in bio-chemical physics

Studied properties of biomolecules
using electron magnetic resonance
spectroscopy

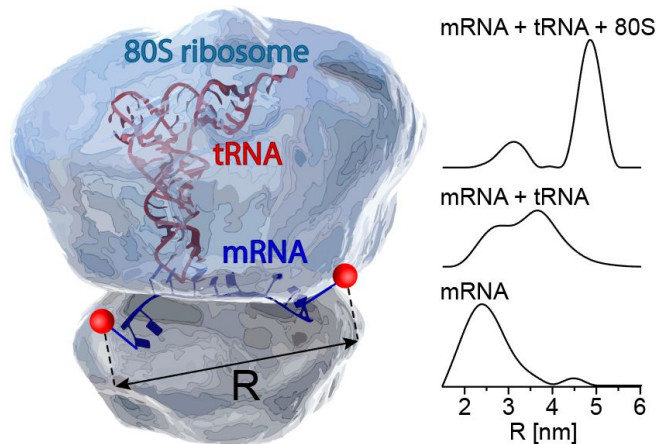


Research in bio-chemical physics

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- Research directions:
 - Ribosomal complexes
 - Boosting reliability (regression, Monte Carlo simulations, neural network)
 - Method development
- 11 papers (4 as primary contributor)



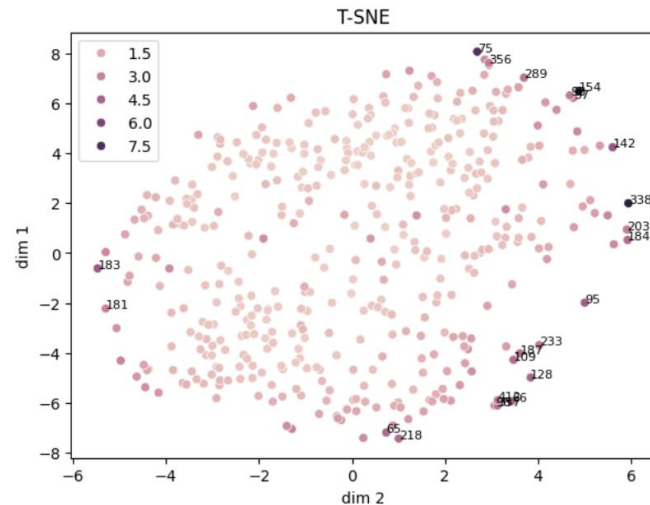
Experience in data science

- 3 years of studying (classic ML, DL, tool proficiency)
- Implemented architectures:
 - Developed NN framework from scratch using numpy
 - Implemented ResNet for defect detection in solar cell images
 - Implemented self-supervised CV models for representation learning (BYOL, contrastive learning)
 - Implemented Transformer for text generation (Attention Is All You Need)
- Tool proficiency:
 - Tools: Unix/Linux, VCS Git, GitHub CI/CD, Docker
 - Languages: Python (PyTorch, TensorFlow), C++, MATLAB, Mathematica, SQL, bash

XAI project: part 1/3

Task: identify anomalies in tabular dataset in unsupervised manner and explain using LRP

- Kernel density estimation $\tilde{p}(\mathbf{x}) = \frac{1}{N} \sum_{k=1}^N \exp(-\gamma \|\mathbf{x} - \mathbf{u}_k\|^2)$
- x' – anomaly threshold $\tilde{p}(\mathbf{x}) < \tilde{p}(\mathbf{x}')$

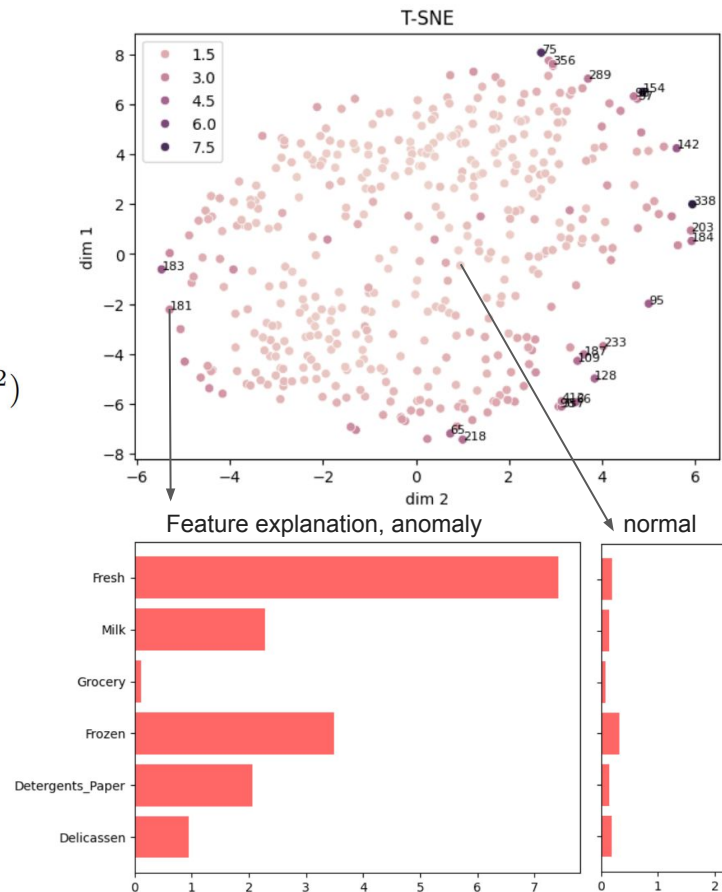


XAI project: part 1/3

Task: identify anomalies in tabular dataset in unsupervised manner and explain using LRP

- Kernel density estimation $\tilde{p}(\mathbf{x}) = \frac{1}{N} \sum_{k=1}^N \exp(-\gamma \|\mathbf{x} - \mathbf{u}_k\|^2)$
- x' – anomaly threshold $\tilde{p}(\mathbf{x}) < \tilde{p}(\mathbf{x}')$

- Layer-wise relevances
$$R_k^{(j)} = \frac{\exp(-\gamma z_{jk})}{\sum_{k \neq j} \exp(-\gamma z_{jk})} \cdot y_j$$
$$R_i^{(j)} = \sum_{k \neq j} \frac{[\mathbf{x}_k - \mathbf{x}_j]_i^2}{\|\mathbf{x}_k - \mathbf{x}_j\|^2} \cdot R_k^{(j)}$$



XAI project: part 2/3

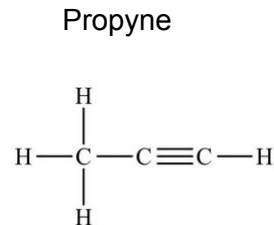
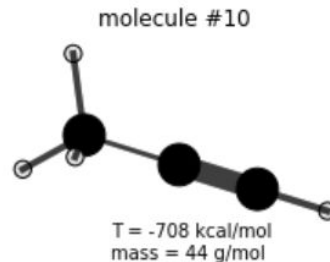
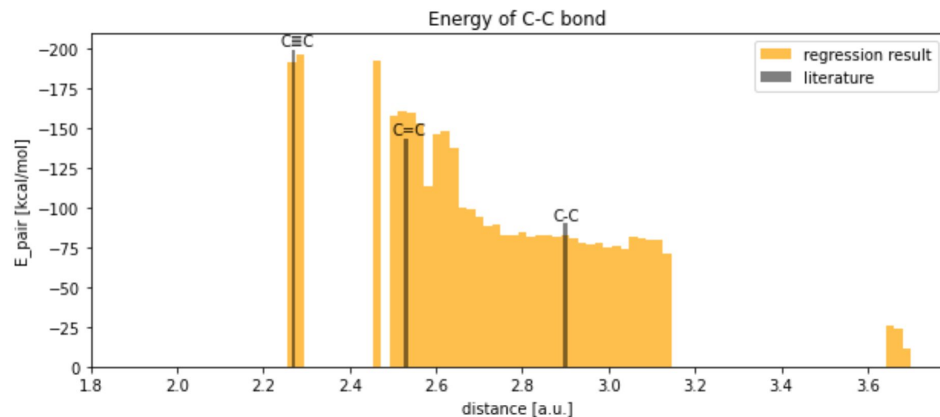
- Task: predict atomization energies of molecules based on
- atomic numbers
 - 3D coordinates
 - atomization energies
- Linear model with pair-encoded representation
 - Explanation: $\text{energy}(\text{molecule}) = \sum \text{energy}(\text{atomic pair})$
 - Good metrics, but physically incorrect pair energies

XAI project: part 2/3

Task: predict atomization energies of molecules based on

- atomic numbers
- 3D coordinates
- atomization energies

- Linear model with pair-encoded representation
 - Explanation: $\text{energy}(\text{molecule}) = \sum \text{energy}(\text{atomic pair})$
 - Good metrics, but physically incorrect pair energies
- Physical constraints – meaningful pair energies



XAI project: part 3/3

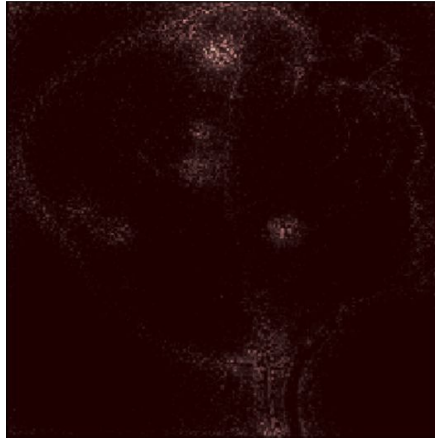
Task: gain insights into healthy/diseased leaf dataset

- Pretrained VGG16 + simple binary classifier
- Robust gradient-based explanation – prioritizes excitatory effect over inhibitory effects in the network

label: diseased



gradient score



Final remarks

How I can contribute to the work of the XAI Group at Fraunhofer HHI:

- DL proficiency
 - Expertise in multiple scientific domains
 - Physics+math background
 - Academic background
-
- + Overall highly motivated to grow in data science
 - + Interested in applying and developing XAI methods
 - + Open to discussing any available research topic in your group

Thank you for your attention!

XAI project: part 1/3

$$\tilde{p}(\mathbf{x}) = \frac{1}{N} \sum_{k=1}^N \exp(-\gamma \|\mathbf{x} - \mathbf{u}_k\|^2)$$

$$\tilde{p}(\mathbf{x}) < \tilde{p}(\mathbf{x}')$$

$$o(\mathbf{x}) \triangleq -\frac{1}{\gamma} \log \tilde{p}(\mathbf{x})$$

$$h_k = \|\mathbf{x} - \mathbf{u}_k\|^2 \quad (\text{layer 1})$$

$$o(\mathbf{x}) = \text{LME}_k^{-\gamma}\{h_k\} \quad (\text{layer 2})$$

$$\text{LME}_k^\alpha\{h_k\} = \frac{1}{\alpha} \log \left(\frac{1}{N} \sum_{k=1}^N \exp(\alpha h_k) \right)$$

$$R_i = \sum_k \frac{[\mathbf{x} - \mathbf{u}_k]_i^2}{\epsilon + \|\mathbf{x} - \mathbf{u}_k\|^2} R_k$$

$$R_k = \frac{\exp(-\beta h_k)}{\sum_k \exp(-\beta h_k)} \cdot o(\mathbf{x})$$