# Competitive Programming Notebook

# Programadores Roblox

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### DP

- 1.1  ${f Lis}$
- 1.2Lcs

#### 1.3Knapsack

```
_{1} // dp[i][j] => i-esimo item com j-carga sobrando na
      mochila
2 // O(N * W)
4 for(int j = 0; j < MAXN; j++) {
      dp[0][j] = 0;
6 }
7 for(int i = 1; i <= N; i++) {</pre>
      for(int j = 0; j <= W; j++) {</pre>
          if(items[i].first > j) {
               dp[i][j] = dp[i-1][j];
10
12
           else {
               dp[i][j] = max(dp[i-1][j], dp[i-1][j-
13
      items[i].first] + items[i].second);
14
15
16 }
```

- 2 String
- 3 Geometry
- Graph

#### Dijkstra 4.1

```
_{\rm 1} // SSP com pesos positivos.
_{2} // O((V + E) log V).
4 vector < int > dijkstra(int S) {
      vector < bool > vis(MAXN, 0);
      vector < 11 > dist(MAXN, LLONG_MAX);
      dist[S] = 0;
      priority_queue <pii, vector <pii>, greater <pii>> pq 2 return (x >> k) & 1;
      pq.push({0, S});
      while(pq.size()) {
10
          11 v = pq.top().second;
          pq.pop();
12
          if(vis[v]) continue;
           vis[v] = 1;
          for(auto &[peso, vizinho] : adj[v]) {
15
               if(dist[vizinho] > dist[v] + peso) {
                   dist[vizinho] = dist[v] + peso;
                   pq.push({dist[vizinho], vizinho});
19
           }
20
21
      return dist;
22
23 }
```

- Math 5
- 5.1Exgcd

```
1 // O retorno da funÃgÃco Ãľ {n, m, g}
2 // e significa que gcd(a, b) = g e
_3 // n e m sÃčo inteiros tais que an + bm = g
4 array<11, 3> exgcd(int a, int b) {
     if(b == 0) return {1, 0, a};
     auto [m, n, g] = exgcd(b, a % b);
      return {n, m - a / b * n, g};
8 }
```

### 5.2 Fexp

```
1 // a^e mod m
2 // O(log n)
4 ll fexp(ll a, ll e, ll m) {
      a %= m;
      ll ans = 1;
      while (e > 0){
          if (e & 1) ans = ansa % m;
          a = aa % m;
9
          e /= 2;
      return ans%m;
12
13 }
```

#### Equacao Diofantina 5.3

```
_1 // resolve equacao ax + by = c
2 // retorno {existe sol., x, y, g}
3 array<11, 4> find_any_solution(11 a, 11 b, 11 c) {
     auto[x, y, g] = exgcd(a, b);
      if (c % g) return {false, 0, 0, 0};
     x *= c / g;
      y *= c / g;
      return {true, x, y, g};
```

- DS 6
- Primitives
- General 8

#### 8.1 Bitwise

```
int check_kth_bit(int x, int k) {
5 void print_on_bits(int x) {
6 for (int k = 0; k < 32; k++) {</pre>
      if (check_kth_bit(x, k)) {
        cout << k << ' ';
10 }
    cout << '\n';
11
12 }
13
14 int count_on_bits(int x) {
int ans = 0;
    for (int k = 0; k < 32; k++) {
    if (check_kth_bit(x, k)) {
17
18
        ans++;
      }
19
20 }
2.1
    return ans;
22 }
24 bool is_even(int x) {
```

```
25    return ((x & 1) == 0);
26 }
27
28 int set_kth_bit(int x, int k) {
29    return x | (1 << k);
30 }
31
32 int unset_kth_bit(int x, int k) {
33    return x & (~(1 << k));</pre>
```

```
34 }
35
36 int toggle_kth_bit(int x, int k) {
37    return x ^ (1 << k);
38 }
39
40 bool check_power_of_2(int x) {
41    return count_on_bits(x) == 1;
42 }</pre>
```