

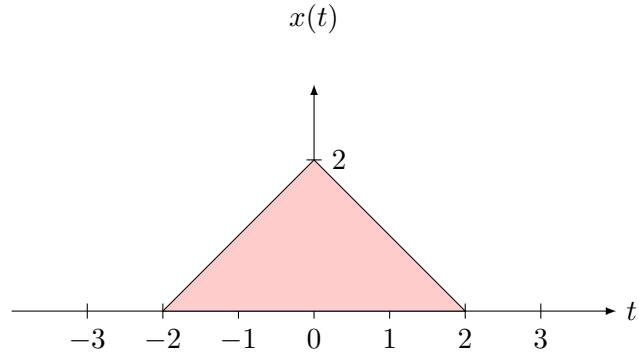
## Homework Assignment 1

### Matlab Review

If you feel you need additional Matlab practice, now is the time to do it. Please review Appendix A (pg. 205) in the course text lab manual (available on the CD or online at the textbook website).

### Problem 1-1

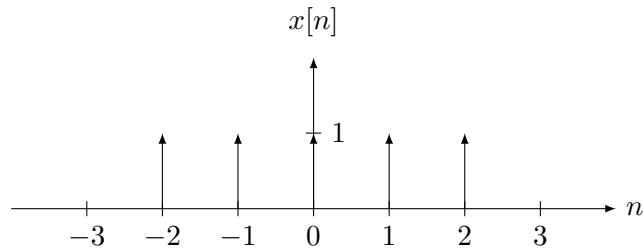
A triangle pulse signal  $x(t)$  is depicted below. Sketch the following signals derived from  $x(t)$ :  
 (a)  $x(2t)$  and (b)  $x(2t - 1)$ .



### Problem 1-2

Consider the discrete-time signal

$$x[n] = \begin{cases} 1, & -2 \leq n \leq 2, \\ 0, & |n| > 2. \end{cases}$$



Find and sketch  $y[n] = x[2n + 2]$ .

### Problem 1-3

Consider the discrete-time sinusoid given by

$$x[n] = A \cos(\omega_0 n + \phi),$$

where  $x[n]$  may or may not be periodic. For it to be periodic with a period of  $N$ , it must satisfy  $x[n] = x[n+N]$  for all integers  $n$ . (a) Substitute  $n + N$  into the expression for  $x[n]$  and determine the relationship between  $\omega_0$  and  $N$  that must be satisfied in order for  $x[n]$  to be periodic. (b) What is the fundamental period of the discrete-time signal  $x[n] = \cos(2\pi \frac{13}{52} n)$ ? (c) Use Matlab to verify your answer.

**Problem 1-4**

A discrete-time signal is defined by

$$x[n] = \sin(0.2\pi n).$$

- (a) What is the normalized angular frequency? (b) What is the fundamental period? (c) Plot this signal using Matlab (use Matlab function **stem**) to verify.

**Problem 1-5**

- (a) Draw a block diagram representing the input-output relationship

$$y[n] = \frac{1}{3} (x[n] + x[n - 1] + x[n - 2] + x[n - 3]).$$

- (b) Write a mathematical expression for  $y[n]$  using the sum operator, and (c) find the output  $y[n]$  using Matlab for the input signal in Problem 1-3b using sum index range of  $0 \leq n < 24$ .

**Problem 1-10**

In your engineering education you will often read in some mathematical derivation, or hear someone say, “For small  $\alpha$ ,  $\sin(\alpha) = \alpha$ .” Using Matlab, plot two curves defined by  $x = \alpha$ , and  $y = \sin(\alpha)$  over the range of  $\alpha = -\pi/2$  to  $\alpha = \pi/2$ , and discuss why that statement is valid.