

4)

a)

	1	2	3	4	5
<u>B</u>	<u>B₂</u>	<u>A₂</u>	<u>B₁</u>	<u>A₁</u>	
<u>A₁</u>	<u>B</u>	<u>B₂</u>	<u>A₂</u>	<u>B₁</u>	
<u>A₂</u>	<u>B₁</u>	<u>A₁</u>	<u>B</u>	<u>B₂</u>	
<u>B₁</u>	<u>A₁</u>	<u>B</u>	<u>B₂</u>	<u>A₂</u>	
<u>B₂</u>	<u>A₂</u>	<u>B₁</u>	<u>A₁</u>	<u>B</u>	

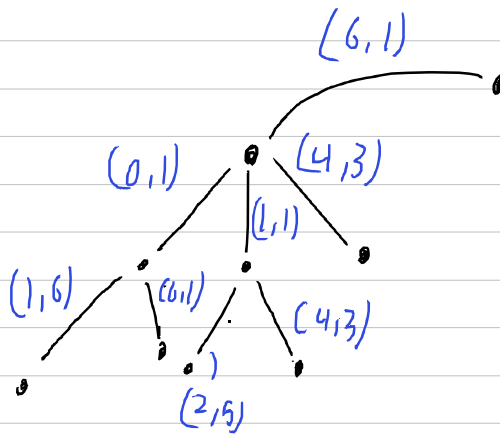
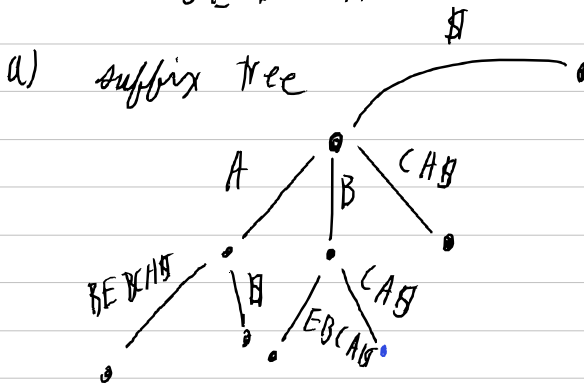
B A B A B

b)

<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>G₁</u>	<u>A₁</u>	<u>C₁</u>
<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>G₁</u>
<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>G₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>C₂</u>
<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>G₁</u>	<u>A₁</u>
<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>C₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>
<u>G₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>
<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>G₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>
<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>	<u>T₁</u>	<u>C₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>
<u>T₁</u>	<u>G₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>	<u>T₂</u>
<u>T₂</u>	<u>T₁</u>	<u>G₁</u>	<u>A₁</u>	<u>C₁</u>	<u>B</u>	<u>C₂</u>	<u>G₃</u>	<u>G₂</u>	<u>A₂</u>

C G G A T T G A C B

5) T = A B E B C A $\$$



b) Suffix Array

6	$\$$
5	<u>A</u> $\$$
0	<u>A</u> <u>B</u> <u>E</u> <u>B</u> <u>C</u> <u>A</u> $\$$
3	<u>B</u> <u>C</u> <u>A</u> $\$$
1	B E B C A $\$$
4	C A $\$$
2	E B C A $\$$

P = B A A C B
A B E B C A $\$$

c) BWT

$\$$	A	B	E	B	C	A
A	$\$$	A	B	E	B	C
A	B	$\$$	E	B	C	A
B	C	A	$\$$	A	B	E
B	E	B	C	A	$\$$	A
C	A	$\$$	A	B	E	B
E	B	C	A	$\$$	A	B

6)

	<u>A</u>	<u>B</u>	<u>B</u>	<u>A</u>	<u>C</u>	<u>A</u>	<u>B</u>	<u>B</u>
i:	0	1	2	3	4	5	6	7
o:	2	6	5	3	7	1	4	0

7)

	<u>C</u>	<u>B</u>	<u>A</u>	<u>A</u>	<u>C</u>	<u>C</u>	<u>B</u>
i:	0	1	2	3	4	5	6
o:	5	3	1	2	6	4	0

8)

hab - nu B B never row 0

2g - nu B B never row 0

$$nby \rightarrow \begin{bmatrix} byn \\ ynb \\ nby \end{bmatrix} \Rightarrow y < n \Rightarrow \text{no}$$

$$yx \Rightarrow \begin{bmatrix} byx \\ ybx \\ xyb \end{bmatrix} \rightarrow xyb \Rightarrow \text{yes}$$

$$yn \rightarrow \begin{bmatrix} byn \\ nxy \\ ybn \end{bmatrix} \rightarrow n y b \Rightarrow \text{yes}$$

$$ynb \rightarrow \begin{bmatrix} byn \\ ybn \\ nby \end{bmatrix} \Rightarrow y < n \Rightarrow \text{no}$$

9) yes

A B C D
A B C D ~~E~~ $\Rightarrow E=2$

for $E=1$ we need
mis matched length
 $\Rightarrow H=\infty$

No it is not possible because
for edit distance to be $< \text{hamming}$
it means we benefit
from insert/delete
but for an insert/delete
to edit match in 1 Δ the
original strings must have
different length which would
imply $\text{hamming} = \infty$

10)

A B C C f f
B C C f f X

insert
↙ ↘

A B C C f f
A B C C f f X

A B C C f f
~~B~~ ~~B~~ C ~~f~~ ~~f~~ X
H B C f

remove
↓

↓

A B C C f f
A B C C f f

A B C C f f
A B C C f f

$E = 2$

$H = 4$

11)

The order of sorted suffixes and sorted rotations of \$ terminated string are equivalent because the sorting of our rotations never will look past the \$. This is because \$ is the first letter lexicographically (by definition) in our alphabet and there only ever exists one in a string. This means that there exists only one \$ for every index for every sorted rotation and thus we never have to compare \$ to \$ and never need a subsequent tiebreaker afterwards. This means that every sorted rotation IS a suffix for the purpose of sort comparisons and the set of all rotations excluding content after to the \$ is identical to the set of all suffixes. Thus the sorted ordering of these two formats is identical and yields a datastructure representing the same offsets in the original string.