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Question 3:

We have $n+1$ squares in total, in this question source is square 0 and sink is square n

For each square i , directly linked an edge from i to $i+1$ and $i+2, i+3, \dots, i+k$ with infinity edge capacity.

Although the capacity between any two squares is infinity but each square i has a restriction, the maximum children that can access this square, which is $A[i]$, and let's separate every square into two nodes $N_{in}(i)$ and $N_{out}(i)$, linked from $N_{in}(i)$ to $N_{out}(i)$ with edge capacity $A[i]$.

Then we can use Max-flow algorithm to get the maximum flow, which is the largest number of children who can successfully complete the game

Time complexity $O((2n+2)^3) = O(n^3)$