Okko Makkonen March 6, 2023

MyMacros package documentation

Fonts in math mode

normal: abcdefghijklmnopqrstuvwxyz
\mathrm: abcdefghijklmnopqrstuvwxyz
\mathbf: abcdefghijklmnopqrstuvwxyz
\bm: abcdefghijklmnopqrstuvwxyz

\mathfrak: abcdefghijtlmnopqrstuvwxyz
\mathsf: abcdefghijklmnopqrstuvwxyz

normal: ABCDEFGHIJKLMNOPQRSTUVWXYZ \mathrm: ABCDEFGHIJKLMNOPQRSTUVWXYZ

\mathbf: ABCDEFGHIJKLMNOPQRSTUVWXYZ

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\mathbb: ABCDEFGHIJKLMNOPQRSTUVWXYZ

\mathcal: \abcDEFGHIJKLMNOPQRSTUVWXYZ \mathfrak: \abcDEFGHIJKLMNOPQRSTUVWXYZ

\mathscr: ABCDEFGHIJKLMNOPQRSTUVWXYE

\mathsf: ABCDEFGHIJKLMNOPQRSTUVWXYZ

Letter modifiers

\bar: $ar{a}\ ar{b}\ ar{c}\ ar{d}\ ar{e}\ ar{f}\ ar{g}\ ar{h}\ ar{i}\ ar{j}\ ar{k}\ ar{l}\ ar{m}\ ar{n}\ ar{o}\ ar{p}\ ar{q}\ ar{r}\ ar{s}\ ar{t}\ ar{u}\ ar{v}\ ar{w}\ ar{x}\ ar{y}\ ar{z}$

 $ar{A}\,ar{B}\,ar{C}\,ar{D}\,ar{E}\,ar{F}\,ar{G}\,ar{H}\,ar{I}\,ar{J}\,ar{K}\,ar{L}\,ar{M}\,ar{N}\,ar{O}\,ar{P}\,ar{Q}\,ar{R}\,ar{S}\,ar{T}\,ar{U}\,ar{V}\,ar{W}\,ar{X}\,ar{Y}\,ar{Z}$

 $\overline{A}\overline{B}\overline{C}\overline{D}\overline{E}\overline{F}\overline{G}\overline{H}\overline{I}\overline{J}\overline{K}\overline{L}\overline{M}\overline{N}\overline{O}\overline{P}\overline{Q}\overline{R}\overline{S}\overline{T}\overline{U}\overline{V}\overline{W}\overline{X}\overline{Y}\overline{Z}$

 $\text{ \begin{tibeser} \begin{tibeser} \widetilde{a}\ \widetilde{b}\ \widetilde{c}\ \widetilde{d}\ \widetilde{e}\ \widetilde{f}\ \widetilde{g}\ \widetilde{h}\ \widetilde{i}\ \widetilde{j}\ \widetilde{k}\ \widetilde{l}\ \widetilde{m}\ \widetilde{n}\ \widetilde{o}\ \widetilde{p}\ \widetilde{q}\ \widetilde{r}\ \widetilde{s}\ \widetilde{t}\ \widetilde{u}\ \widetilde{v}\ \widetilde{w}\ \widetilde{x}\ \widetilde{y}\ \widetilde{z} \\ \end{tibeser} }$

 $\widetilde{A}\,\widetilde{B}\,\widetilde{C}\,\widetilde{D}\,\widetilde{E}\,\widetilde{F}\,\widetilde{G}\,\widetilde{H}\,\widetilde{I}\,\widetilde{J}\,\widetilde{K}\,\widetilde{L}\,\widetilde{M}\,\widetilde{N}\,\widetilde{O}\,\widetilde{P}\,\widetilde{Q}\,\widetilde{R}\,\widetilde{S}\,\widetilde{T}\,\widetilde{U}\,\widetilde{V}\,\widetilde{W}\,\widetilde{X}\,\widetilde{Y}\,\widetilde{Z}$

\narrowtilde: $\tilde{a} \ \tilde{b} \ \tilde{c} \ \tilde{d} \ \tilde{e} \ \tilde{f} \ \tilde{g} \ \tilde{h} \ \tilde{i} \ \tilde{j} \ \tilde{k} \ \tilde{l} \ \tilde{m} \ \tilde{n} \ \tilde{o} \ \tilde{p} \ \tilde{q} \ \tilde{r} \ \tilde{s} \ \tilde{t} \ \tilde{u} \ \tilde{v} \ \tilde{w} \ \tilde{x} \ \tilde{y} \ \tilde{z}$

 $\tilde{A}\,\tilde{B}\,\tilde{C}\,\tilde{D}\,\tilde{E}\,\tilde{F}\,\tilde{G}\,\tilde{H}\,\tilde{I}\,\tilde{J}\,\tilde{K}\,\tilde{L}\,\tilde{M}\,\tilde{N}\,\tilde{O}\,\tilde{P}\,\tilde{Q}\,\tilde{R}\,\tilde{S}\,\tilde{T}\,\tilde{U}\,\tilde{V}\,\tilde{W}\,\tilde{X}\,\tilde{Y}\,\tilde{Z}$

 $\widehat{a}\;\widehat{b}\;\widehat{c}\;\widehat{d}\;\widehat{e}\;\widehat{f}\;\widehat{g}\;\widehat{h}\;\widehat{i}\;\widehat{j}\;\widehat{k}\;\widehat{l}\;\widehat{m}\;\widehat{n}\;\widehat{o}\;\widehat{p}\;\widehat{q}\;\widehat{r}\;\widehat{s}\;\widehat{t}\;\widehat{u}\;\widehat{v}\;\widehat{w}\;\widehat{x}\;\widehat{y}\;\widehat{z}$

 $\widehat{A}\,\widehat{B}\,\widehat{C}\,\widehat{D}\,\widehat{E}\,\widehat{F}\,\widehat{G}\,\widehat{H}\,\widehat{I}\,\widehat{J}\,\widehat{K}\,\widehat{L}\,\widehat{M}\,\widehat{N}\,\widehat{O}\,\widehat{P}\,\widehat{Q}\,\widehat{R}\,\widehat{S}\,\widehat{T}\,\widehat{U}\,\widehat{V}\,\widehat{W}\,\widehat{X}\,\widehat{Y}\,\widehat{Z}$

\narrowhat: $\hat{a} \ \hat{b} \ \hat{c} \ \hat{d} \ \hat{e} \ \hat{f} \ \hat{g} \ \hat{h} \ \hat{i} \ \hat{j} \ \hat{k} \ \hat{l} \ \hat{m} \ \hat{n} \ \hat{o} \ \hat{p} \ \hat{q} \ \hat{r} \ \hat{s} \ \hat{t} \ \hat{u} \ \hat{v} \ \hat{w} \ \hat{x} \ \hat{y} \ \hat{z}$

 $\hat{A}\,\hat{B}\,\hat{C}\,\hat{D}\,\hat{E}\,\hat{F}\,\hat{G}\,\hat{H}\,\hat{I}\,\hat{J}\,\hat{K}\,\hat{L}\,\hat{M}\,\hat{N}\,\hat{O}\,\hat{P}\,\hat{Q}\,\hat{R}\,\hat{S}\,\hat{T}\,\hat{U}\,\hat{V}\,\hat{W}\,\hat{X}\,\hat{Y}\,\hat{Z}$

\dot: $\dot{a}\ \dot{b}\ \dot{c}\ \dot{d}\ \dot{e}\ \dot{f}\ \dot{g}\ \dot{h}\ \dot{i}\ \dot{j}\ \dot{k}\ \dot{l}\ \dot{m}\ \dot{n}\ \dot{o}\ \dot{p}\ \dot{q}\ \dot{r}\ \dot{s}\ \dot{t}\ \dot{u}\ \dot{v}\ \dot{w}\ \dot{x}\ \dot{y}\ \dot{z}$

À B C D E F G H I J K L M N O P Q R S T U V W X Y Z

\ddot: $\ddot{a} \ddot{b} \ddot{c} \ddot{d} \ddot{e} \ddot{f} \ddot{q} \ddot{h} \ddot{i} \ddot{j} \ddot{k} \ddot{l} \ddot{m} \ddot{n} \ddot{o} \ddot{p} \ddot{q} \ddot{r} \ddot{s} \ddot{t} \ddot{u} \ddot{v} \ddot{w} \ddot{x} \ddot{y} \ddot{z}$

 $\ddot{A}\,\ddot{B}\,\ddot{C}\,\ddot{D}\,\ddot{E}\,\ddot{F}\,\ddot{G}\,\ddot{H}\,\ddot{I}\,\ddot{J}\,\ddot{K}\,\ddot{L}\,\ddot{M}\,\ddot{N}\,\ddot{O}\,\ddot{P}\,\ddot{Q}\,\ddot{R}\,\ddot{S}\,\ddot{T}\,\ddot{U}\,\ddot{V}\,\ddot{W}\,\ddot{X}\,\ddot{Y}\,\ddot{Z}$

Common notation

Differentials can be written with \dd.

$$a dx + b dy \qquad \int_0^\infty \frac{\sin x}{x} dx \qquad \int_{\mathbb{R}^n} f(x) d\mu(x)$$

Integrals can be typeset with \int, \iint, \oint and \dint.

$$\int_{a}^{b} \sin x \, dx \qquad \qquad \iint_{A} f(x, y) \, d\lambda(x, y) \qquad \qquad \oint_{\gamma} \ln z \, dz \qquad \qquad \oint_{Q} f(x) \, dx$$

The commands \Re and \Im have been redefined.

$$Re(z)$$
 $Im(z)$

For probability theory we have \Pr, \E and \Var.

$$\mathbb{P}[X \in A] \qquad \qquad \mathbb{E}[X^2] \qquad \qquad \text{Var}[X]$$

For common arrows we have \to, \into and \onto. For setting symbols above and below other symbols use \overset and \underset.

$$f: A \to B$$
 $A \hookrightarrow B$ $A \xrightarrow{f} B$

Multiline quantifiers can be written with \substack.

$$\sum_{\substack{i \in \mathbb{Z} \\ i \text{ odd}}} \frac{1}{i^2} = \frac{\pi^2}{4}$$

$$p(x, y) = \sum_{\substack{i, j \in \mathbb{Z} \\ i, j \geqslant 0 \\ i+j \leqslant 100}} x^i y^j$$

Use \loc to denote local spaces: $L^1_{loc}(\mathbb{R}^n)$.

The following commands use the variant version, \epsilon, \phi, \emptyset, \leq and \geq.

$$\varepsilon$$
 φ \varnothing

The old symbols can still be accessed with $\ensuremath{\mbox{le}}$ and $\ensuremath{\mbox{ge}}$: \le and \ge .

The following \mathbb variables can be accessed with \N , \Z , \Q , \R , \C , \K , \P , \V and \I .

$$\mathbb{N}$$
 \mathbb{Z} \mathbb{Q} \mathbb{R} \mathbb{C} \mathbb{F} \mathbb{K} \mathbb{P} \mathbb{V} \mathbb{I}

Additionally, \1 can be used to write 1. The old \P can still be accessed with \pilcrow: \(\frac{1}{2} \).

The \prep can be used to write the \perp before the variable: ${}^{\perp}V$. The \comp and \trans can be used to write set complement and matrix transpose: A^{c} and A^{T} . The \div and \ndiv can be used to denote divisibility: $a \mid b$ and $a \nmid b$.

You can use the dcases* environment to write nice conditional expressions.

$$f(x) = \begin{cases} \frac{x}{2} & \text{if } x \text{ is even} \\ 3x + 1 & \text{if } x \text{ is odd} \end{cases}.$$

Latin abbreviations

The Latin abbreviations can be written with $\ensuremath{\text{le}}$ e, $\ensuremath{\text{cf}}$, $\ensuremath{\text{cf}}$ etal and $\ensuremath{\text{etc}}$: i.e., e.g., cf., et al. and etc..

Enumerate

We can create an ordered list.

- i. First item
- ii. Second item
 - (a) First subitem
- iii. Third item

We can also include some text in the middle and resume with the list.

- iv. Fourth item
- v. Fifth item

Similarly, we can create an unordered list.

- An item
- Another item

Fixes

The spacing is correct when using a comma as a decimal separator, but also when using the comma as a separator normally when including a space.

$$\pi = 3,1415926535\dots \tag{1,2}$$

The spacing of delimiters is fixed, *i.e.*, it is safe to use \left and \right.

$$\sin\left(\frac{1}{2}\right)$$
 $\qquad \qquad \alpha\left(\int_A f(x) \, \mathrm{d}x\right) \qquad \qquad \frac{1}{2}\left(\frac{x-1}{x^2-2}\right)$

The \setminus and \smallsetminus now looks like this: $A \setminus B$ and $A \setminus B$.

Theorem environments

Theorem 1.1. Let R be a ring. If $A, B \in R$ are such that AB = BA, then

$$(A+B)(A-B) = A^2 - B^2.$$

Lemma 1.2 (Euclid [1, page 3]). Here is a named lemma.

Proof. This is the proof of the above lemma.

⇒ Denote this direction with \ProofRightarrow.

E Denote this direction with \ProofLeftarrow.

Proof of Theorem 1.1. This is the proof for the above theorem.

$$(A+B)(A-B) = AA - AB + BA - BB$$

(By commutativity of A and B)

$$= AA - AB + AB - BB$$

(By canceling the terms)

$$= A^2 - B^2$$

References

[1] Euclid, "Some paper," Annals of Mathematics, 400BCE.