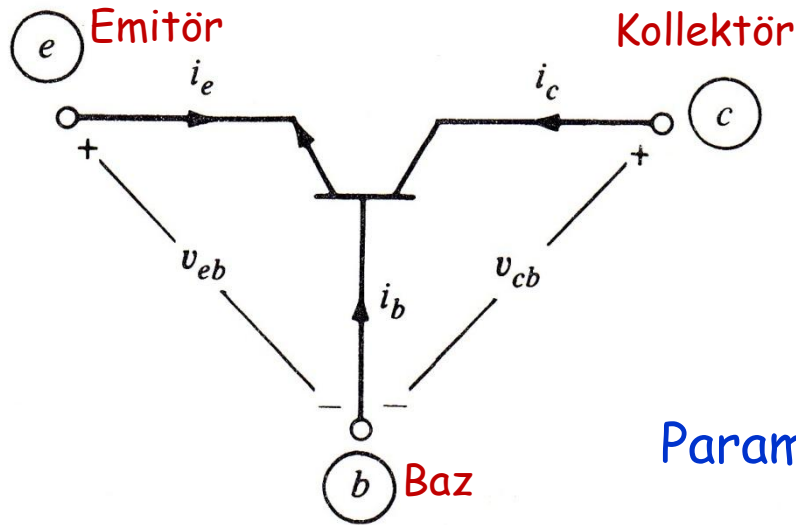


# nnp Bipolar Tranzistör

Hatırlatma

## Algak Frekanslardaki Eşdeğeri



Ebers-Moll  
Denklemleri

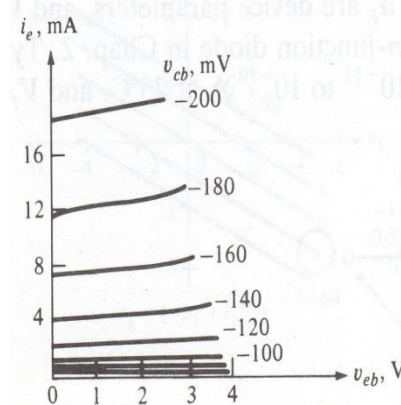
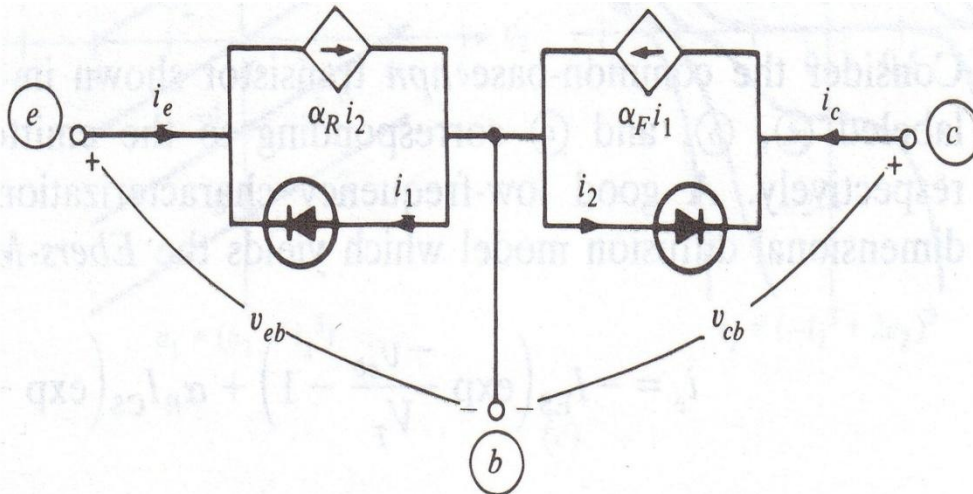
$$\begin{cases} i_e = -I_{ES} e^{-\frac{v_{eb}}{V_T} - 1} + \alpha_R I_{CS} e^{-\frac{v_{cb}}{V_T} - 1} \\ i_c = \alpha_F I_{ES} e^{-\frac{v_{eb}}{V_T} - 1} - I_{CS} e^{-\frac{v_{cb}}{V_T} - 1} \end{cases}$$

Parametreler:  $I_{ES}, I_{CS}, \alpha_F, \alpha_R, V_T$

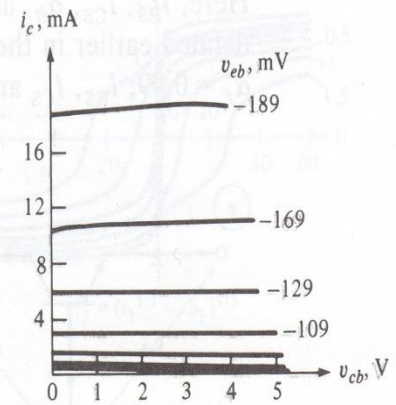
$I_{ES}, I_{CS} \ 10^{-12} - 10^{-10} \text{ A}, \alpha_F = 0.99, \alpha_R \ 0.5 - 0.8, V_T \cong 25 \text{ mV} \ (25^\circ \text{ C})$

Ebers-Moll Denklemleri ile verilen tranzistör nasıl bir eleman?

3-uçlu, gerilim kontrollü

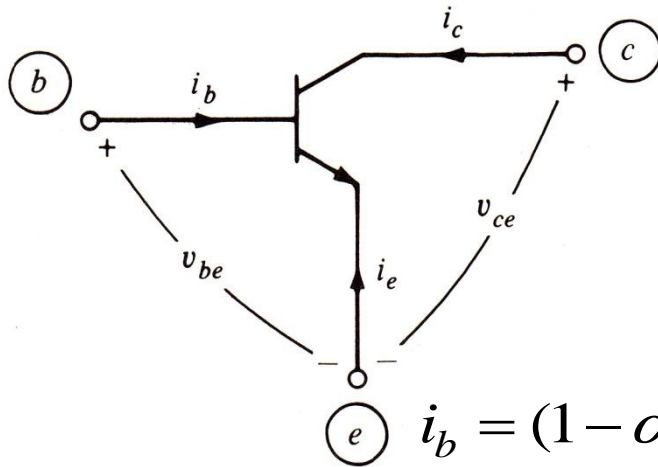


(a)



(b)

3-üçlü elemanın referansını baz yerine emitör olarak alırsak... <sup>Hatırlatma</sup>

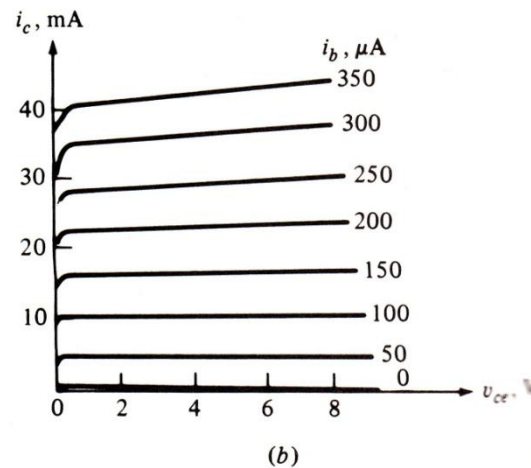
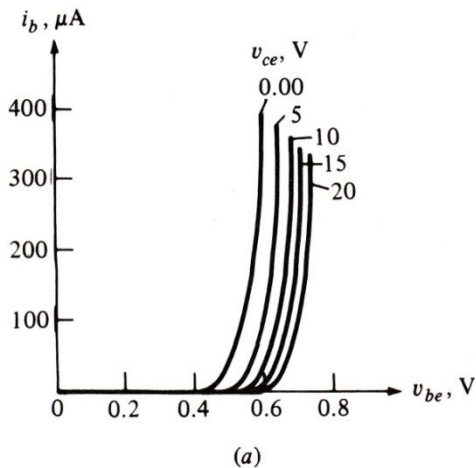


$$\left. \begin{aligned} v_{be} &= -v_{eb} \\ v_{ce} &= v_{cb} - v_{eb} \\ i_b &= -(i_e + i_c) \end{aligned} \right\}$$

Ebers-Moll  
denklemlerine  
yerleştir

$$i_b = (1 - \alpha_F) I_{ES} e^{\frac{v_{be} - 1}{v_T}} + (1 - \alpha_R) I_{CS} e^{\frac{v_{be} - v_{ce} - 1}{v_T}}$$

$$i_c = \alpha_F I_{ES} e^{\frac{v_{be} - 1}{v_T}} - I_{CS} e^{\frac{v_{be} - v_{ce} - 1}{v_T}}$$

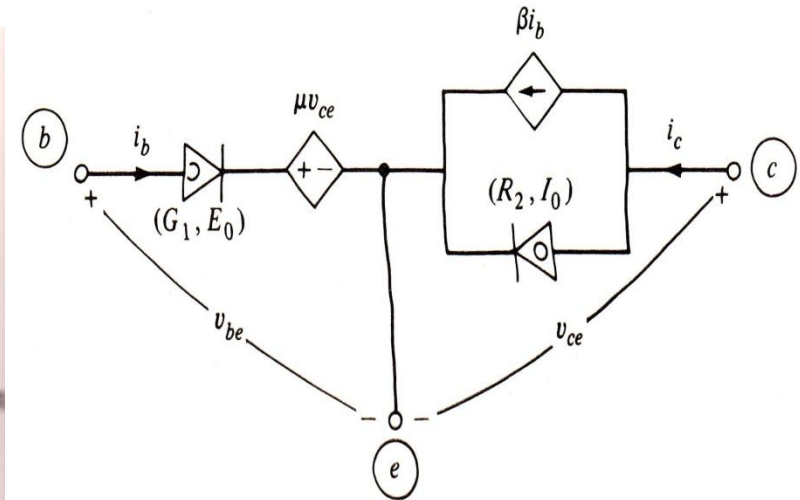
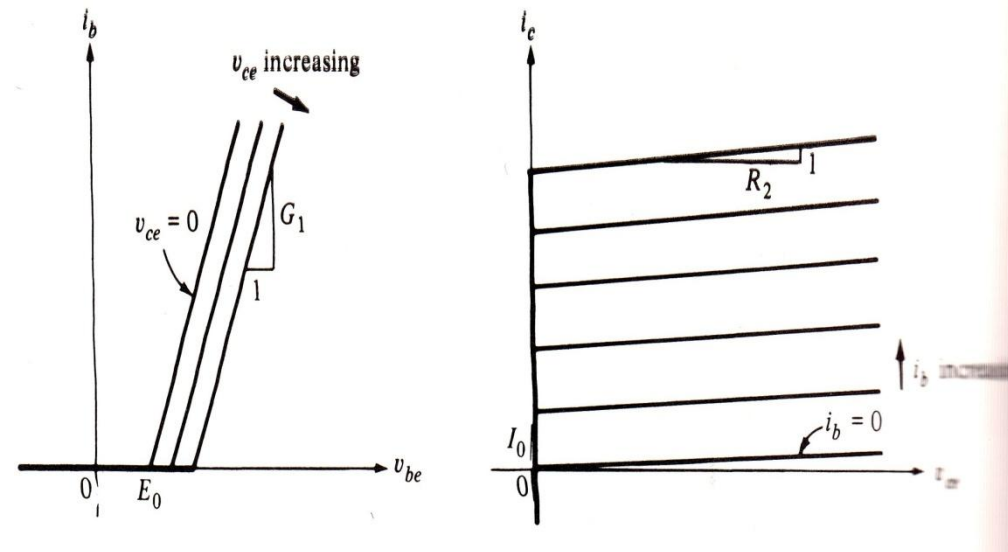


$$v_{be} = \hat{v}_{be}(i_b, v_{ce})$$

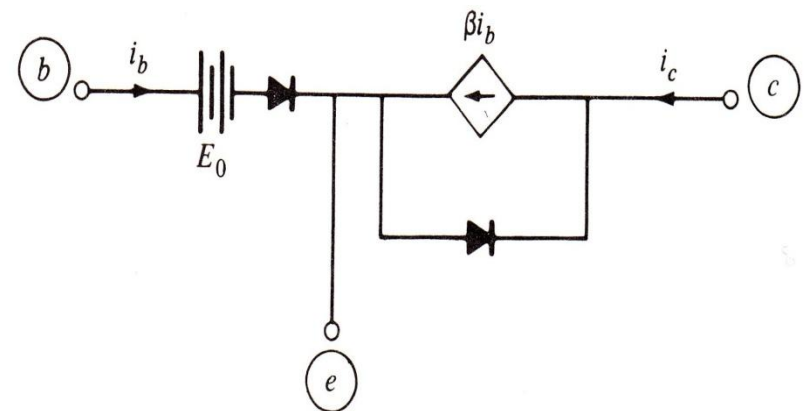
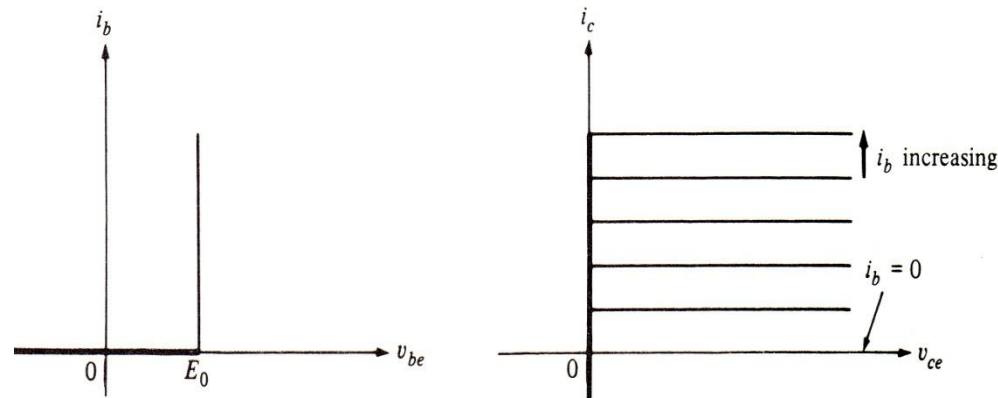
$$i_c = \hat{i}_c(i_b, v_{ce})$$

Bu gösterim  
hangisi?

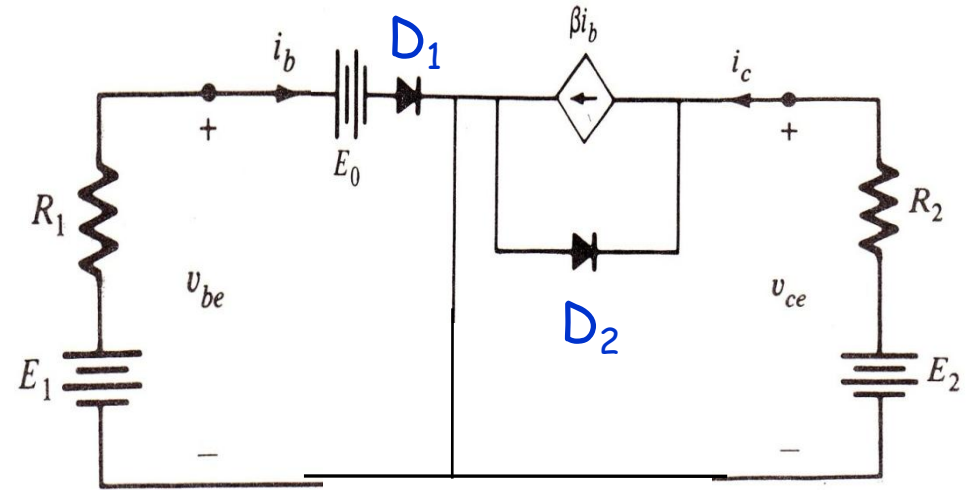
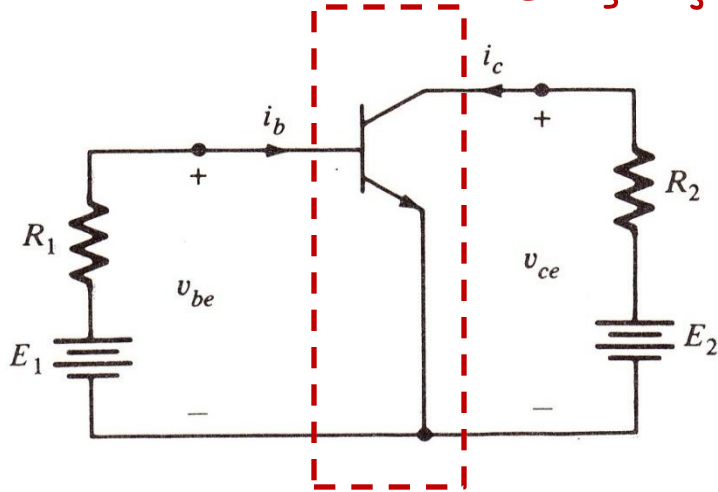
# Ortak emitör karakteristiklerinin parça parça lineer eşdeğeri



Biraz daha basitleştirirsek....



## DC Çalışma Noktasının Belirlenmesi



KGY+ KAY+ETB

$$v_{be} = E_1 - R_1 i_b \quad v_{ce} = E_2 - R_2 i_c$$

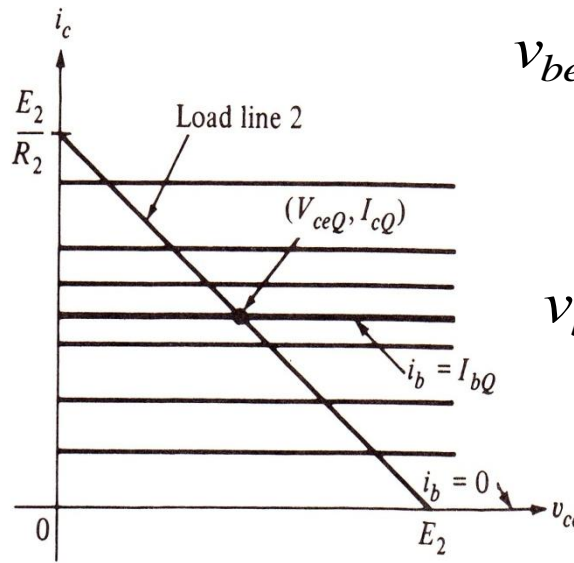
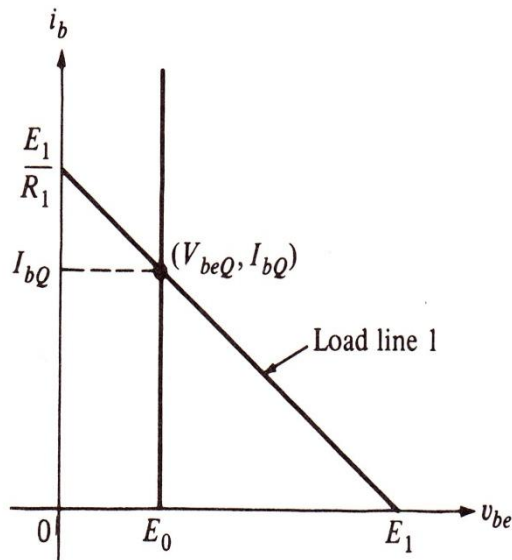
Varsayım:  $E_1 > 0, E_2 > 0$

$D_1$  kısa devre,  $D_2$  açık devre

$$v_{be} = E_0 \Rightarrow i_b = \frac{1}{R_1} (E_1 - E_0)$$

$$i_c = \beta i_b \Rightarrow i_c = \frac{\beta}{R_1} (E_1 - E_0)$$

$$\Rightarrow v_{ce} = E_2 - \beta \frac{R_2}{R_1} (E_1 - E_0)$$



$$V_{be_Q} = E_0, \quad I_{b_Q} = \frac{E_1 - E_0}{R_1},$$

$$V_{ce_Q} = E_2 - \beta \frac{R_2}{R_1} (E_1 - E_0), \quad I_{c_Q} = \frac{\beta}{R_1} (E_1 - E_0)$$

### Küçük İşaret Analizi

- Çalışma noktasını belirle.
- Lineer olmayan elemanın çalışma noktası civarında lineer eşdeğerini belirle.

$$\left. \begin{array}{l} v_1 = \hat{v}_1(i_1, i_2) \\ v_2 = \hat{v}_2(i_1, i_2) \end{array} \right\} \begin{array}{l} \text{Akım kontrollü} \\ \text{eleman tanım} \\ \text{bağıntısı} \end{array} \quad \left. \begin{array}{l} V_{1_Q} = \hat{v}_1(I_{1_Q}, I_{2_Q}) \\ V_{2_Q} = \hat{v}_2(I_{1_Q}, I_{2_Q}) \end{array} \right\} \text{Çalışma Noktası}$$

$$v_1 \cong \hat{v}_1(I_{1_Q}, I_{2_Q}) + \left. \frac{\partial \tilde{v}_1}{\partial i_1} \right|_{(I_{1_Q}, I_{2_Q})} (i_1 - I_{1_Q}) + \left. \frac{\partial \tilde{v}_1}{\partial i_2} \right|_{(I_{1_Q}, I_{2_Q})} (i_2 - I_{2_Q}) + \dots$$

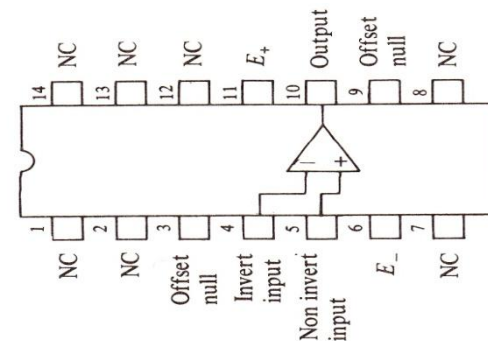
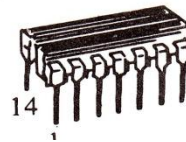
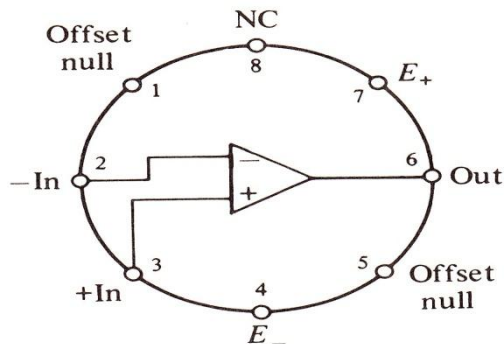
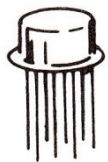
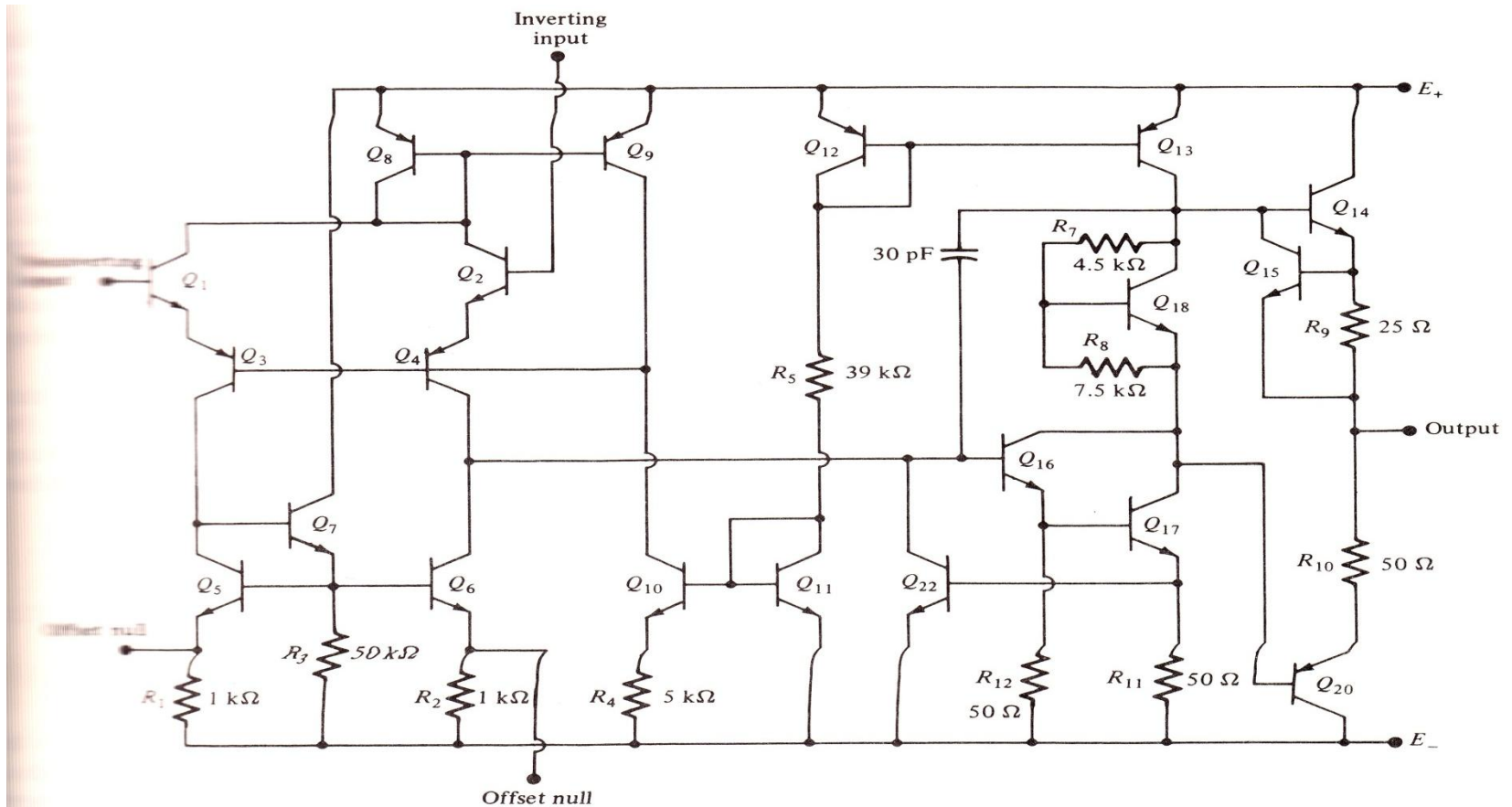
$$v_2 \cong \hat{v}_2(I_{1_Q}, I_{2_Q}) + \left. \frac{\partial \tilde{v}_2}{\partial i_1} \right|_{(I_{1_Q}, I_{2_Q})} (i_1 - I_{1_Q}) + \left. \frac{\partial \tilde{v}_2}{\partial i_2} \right|_{(I_{1_Q}, I_{2_Q})} (i_2 - I_{2_Q}) + \dots$$

$$\begin{bmatrix} v_1 \\ v_2 \end{bmatrix} = \begin{bmatrix} V_{1_Q} \\ V_{2_Q} \end{bmatrix} + \underbrace{\begin{bmatrix} \frac{\partial \tilde{v}_1}{\partial i_1} & \frac{\partial \tilde{v}_1}{\partial i_2} \\ \frac{\partial \tilde{v}_2}{\partial i_1} & \frac{\partial \tilde{v}_2}{\partial i_2} \end{bmatrix}}_{\text{Jakobiyen Matrisi}} \begin{bmatrix} i_1 - I_{1_Q} \\ i_2 - I_{2_Q} \end{bmatrix}$$

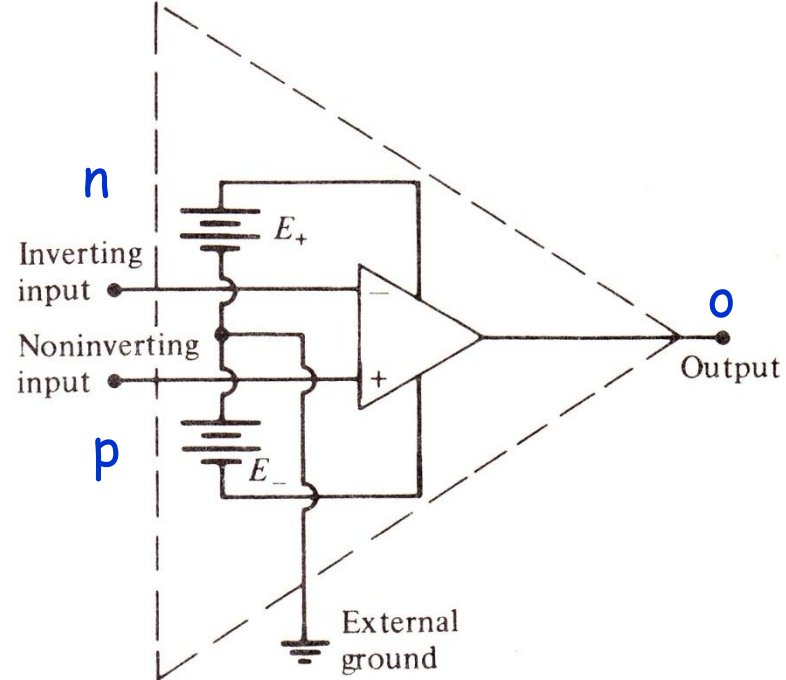
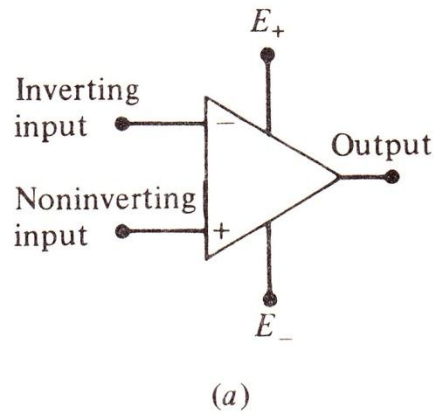
$$\begin{bmatrix} v_1 - V_{1_Q} \\ v_2 - V_{2_Q} \end{bmatrix} = \begin{bmatrix} \frac{\partial \tilde{v}_1}{\partial i_1} & \frac{\partial \tilde{v}_1}{\partial i_2} \\ \frac{\partial \tilde{v}_2}{\partial i_1} & \frac{\partial \tilde{v}_2}{\partial i_2} \end{bmatrix} \begin{bmatrix} i_1 - I_{1_Q} \\ i_2 - I_{2_Q} \end{bmatrix}$$

$$\begin{bmatrix} \tilde{v}_1 \\ \tilde{v}_2 \end{bmatrix} = \begin{bmatrix} \frac{\partial \tilde{v}_1}{\partial i_1} & \frac{\partial \tilde{v}_1}{\partial i_2} \\ \frac{\partial \tilde{v}_2}{\partial i_1} & \frac{\partial \tilde{v}_2}{\partial i_2} \end{bmatrix} \begin{bmatrix} \tilde{i}_1 \\ \tilde{i}_2 \end{bmatrix}$$

# İşlemsel Kuvvetlendirici







## İşlemsel kuvvetlendirici kaç uçlu eleman?

Baz akımları

Bipolar ( $\mu A741$ ) FET ( $\mu A740$ )

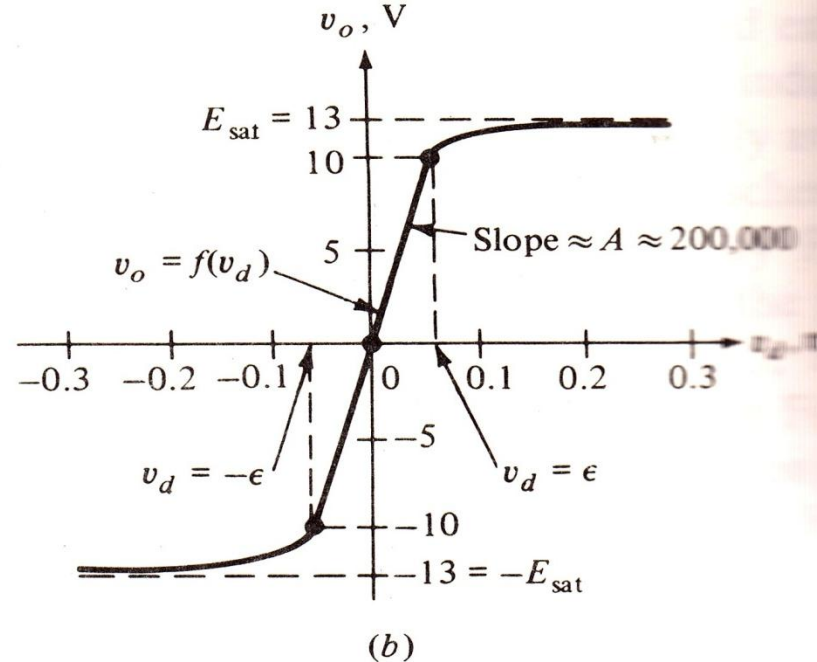
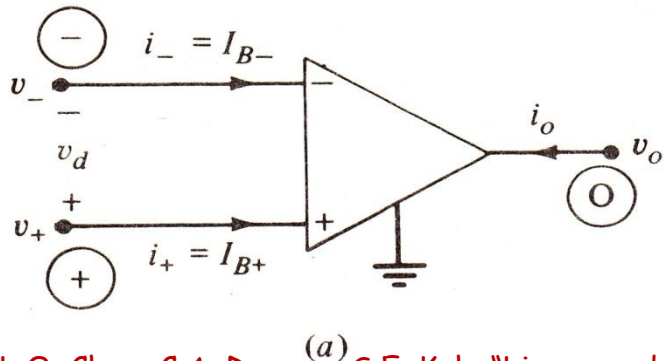
$\sim 0,2\text{mA}$

$\sim 0,1\text{nA}$

$$i_n = I_{B_n}$$

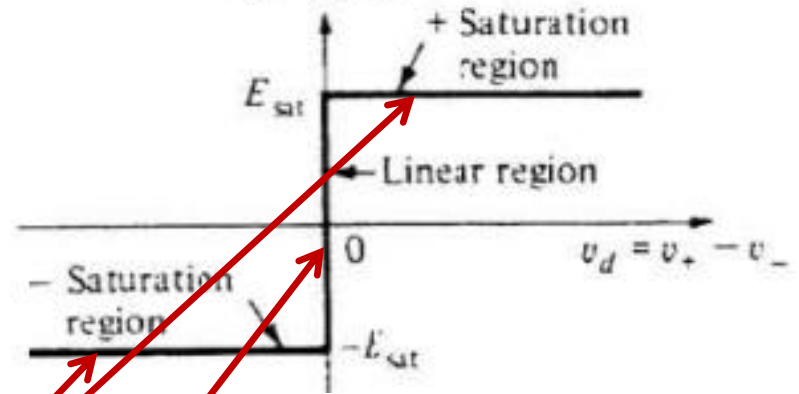
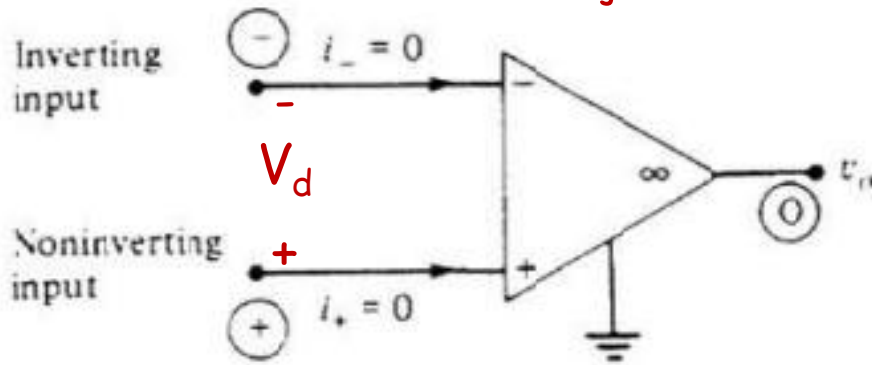
$$i_p = I_{B_p}$$

$$v_o = f(v_d)$$





# İdeal İşlemsel Kuvvetlendirici $v_o = f(v_d)$



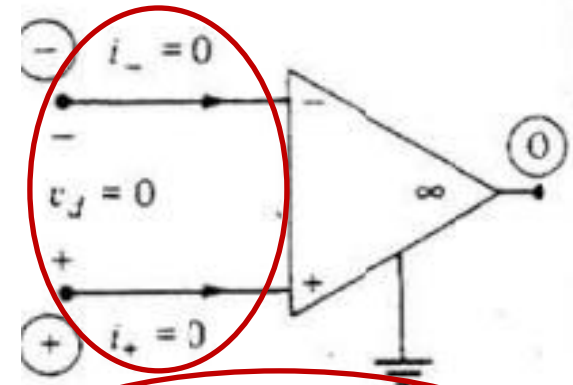
Linear çalışma bölgesi

$$i_n = 0$$

$$i_p = 0$$

$$v_o = E_{sat} \frac{|v_d|}{v_d}, \quad v_d \neq 0$$

$$-E_{sat} < v_o < E_{sat}$$



$$i_n = 0$$

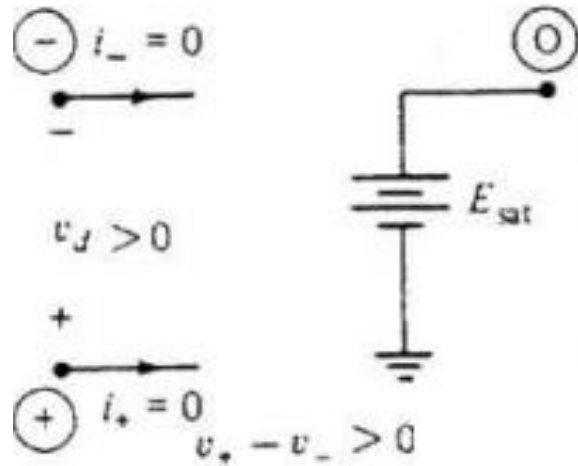
$$i_p = 0$$

$$v_p - v_n = 0$$

$$-E_{sat} < v_o < E_{sat}$$

(c) Equivalent circuit for linear region

## Pozitif Doyma bölgesi



$$v_d = v_p - v_n > 0$$

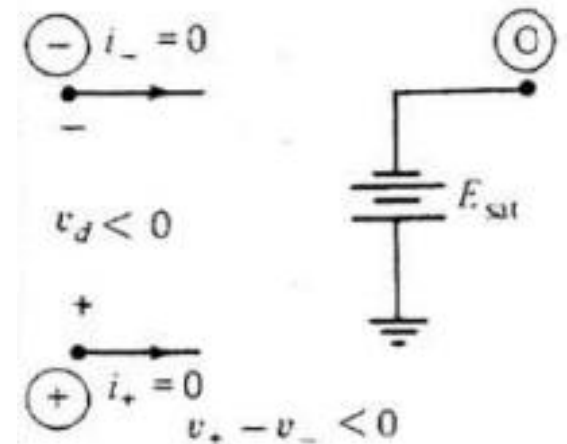
$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_p \\ i_n \\ i_o \end{bmatrix} + \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} v_p \\ v_n \\ v_o \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ E_{sat} \end{bmatrix}$$

(d) Equivalent circuit for + Saturation region

## Negatif Doyma bölgesi

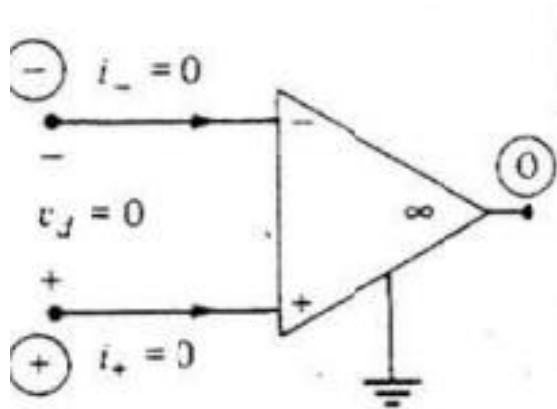
$$v_d = v_p - v_n < 0$$

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_p \\ i_n \\ i_o \end{bmatrix} + \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} v_p \\ v_n \\ v_o \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ -E_{sat} \end{bmatrix}$$



(e) Equivalent circuit for - Saturation region

## Lineer çalışma bölgesi



$$-E_{sat} < v_o < E_{sat}$$

(c) Equivalent circuit  
for linear region

$$-E_{sat} < v_o(t) < E_{sat}, \quad \forall t$$

$$i_n = 0$$

$$i_p = 0$$

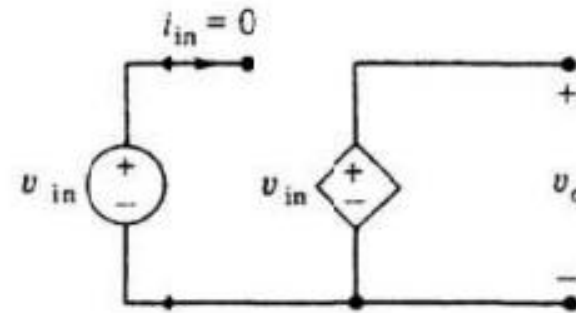
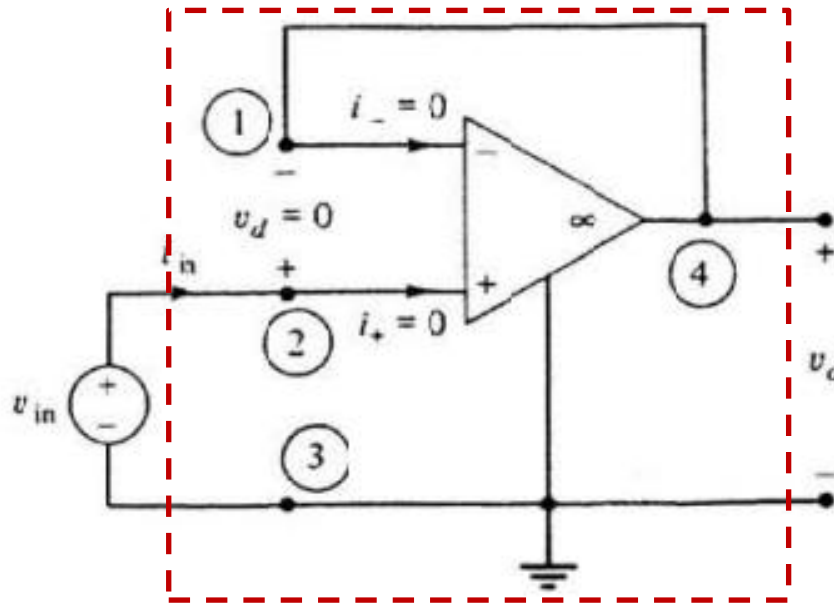
$$v_p - v_n = 0$$

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_p \\ i_n \\ i_o \end{bmatrix} + \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 1 & -1 & 0 \end{bmatrix} \begin{bmatrix} v_p \\ v_n \\ v_o \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix}$$

# Lineer çalışma bölgesi için bazı uygulamalar

## Bufer(Gerilim İzleyici)

*Amaç:* Çıkıştaki yük ne olursa olsun, çıkışdaki gerilim girişdeki gerilime eşit olsun. Çıkışa bağlı devre girişi etkilemesin.



Gerilim kontrollü  
gerilim kaynağı  $v_o = v_{in}$

2. Düğüm için KAY  $i_{in} = i_p$   
+  $i_{in} = 0$

Eleman tanım bağıntısı  $i_p = 0$

4-3-2-1-4 için KGY  $v_{43} + v_{32} + v_{21} + v_{14} = 0$   $v_o = v_{in}$

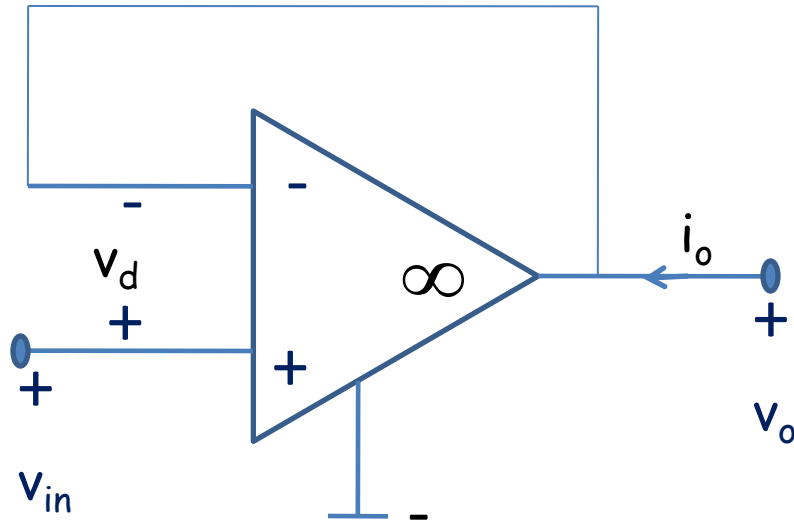
+  
Eleman tanım bağıntısı  $v_o + (-v_{in}) + v_d = 0$

$$v_d = 0$$

Geçerli olduğu  
gerilim aralığı

$$-E_{sat} < v_{in} < E_{sat}$$

## Negatif-Pozitif Geribesleme Devreleri



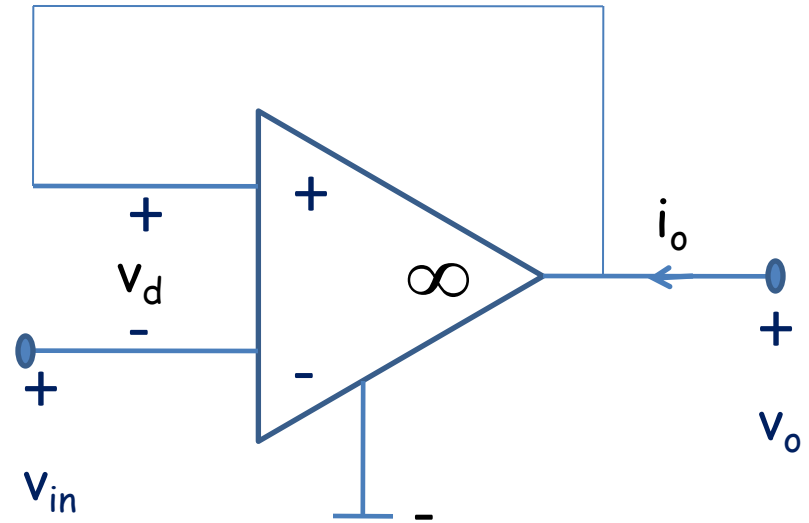
Lineer bölgede  $|v_{in}| < E_{sat}$

$$v_d = v_p - v_n = 0$$

$$v_p = v_{in}$$

$$v_n = v_o$$

$$v_o = v_{in}$$



Lineer bölgede  $|v_{in}| < E_{sat}$

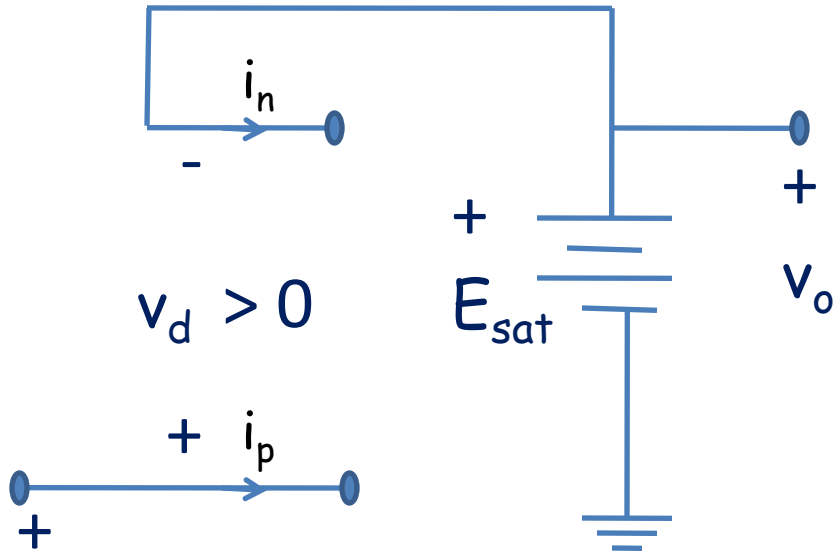
$$v_d = v_p - v_n = 0$$

$$v_p = v_o$$

$$v_n = v_{in}$$

$$v_o = v_{in}$$

+ Doyma Bölgesinde  $v_d > 0$



$$v_d > 0$$

$v_{in}$

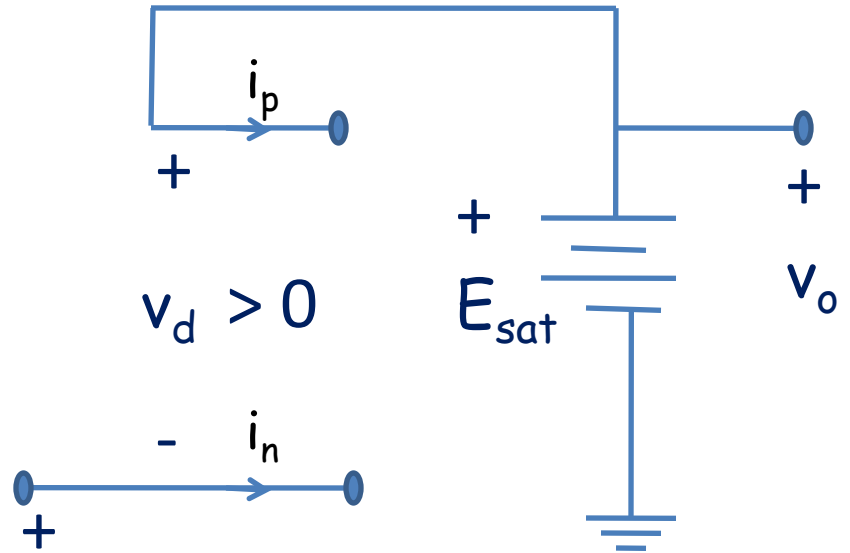
$$v_d = v_p - v_n > 0$$

$$v_p = v_{in}$$

$$v_n = E_{sat}$$

$$v_{in} > E_{sat}$$

+ Doyma Bölgesinde  $v_d > 0$



$$v_d > 0$$

$v_{in}$

$$v_d = v_p - v_n > 0$$

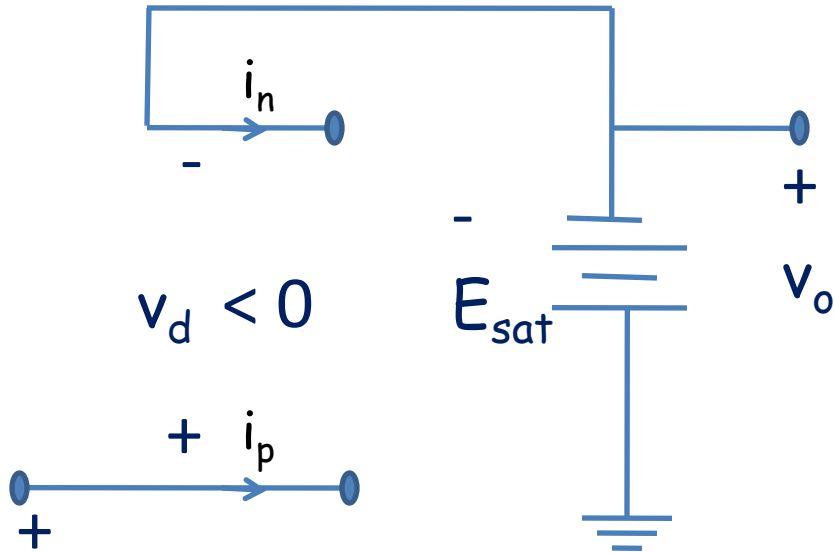
$$v_p = E_{sat}$$

$$v_n = v_{in}$$

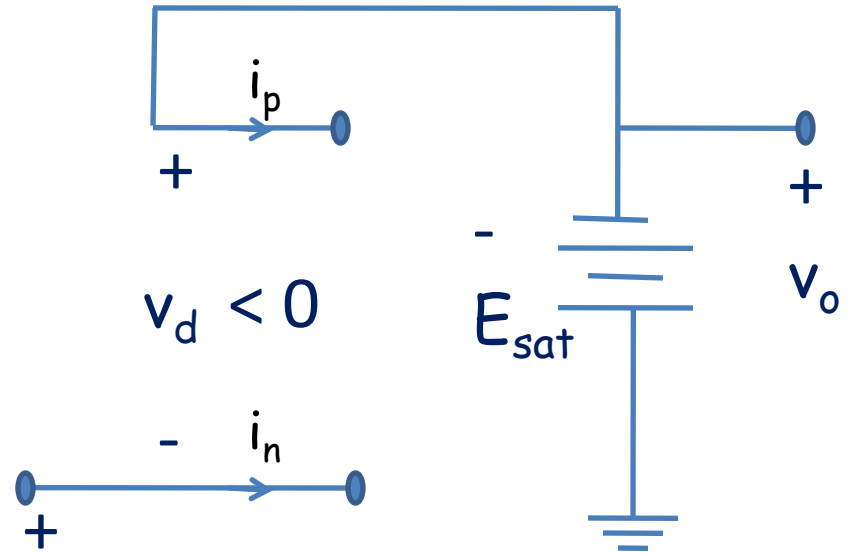
$$v_{in} < E_{sat}$$



- Doyma Bölgesinde  $v_d < 0$



- Doyma Bölgesinde  $v_d < 0$



$$v_d = v_p - v_n < 0$$

$$v_p = v_{in}$$

$$v_n = -E_{sat}$$

$$v_{in} < -E_{sat}$$

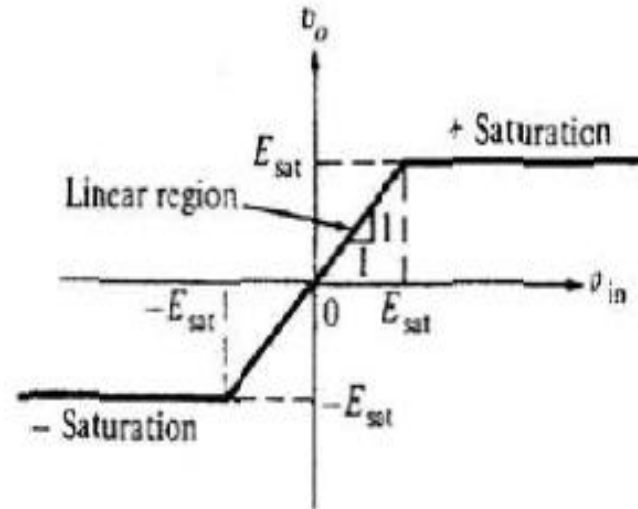
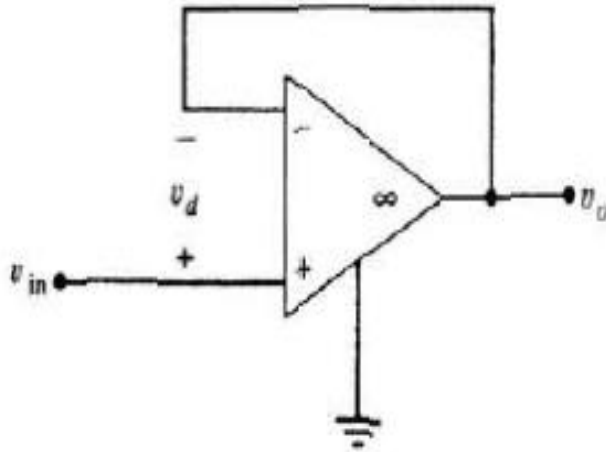
$$v_d = v_p - v_n < 0$$

$$v_p = -E_{sat}$$

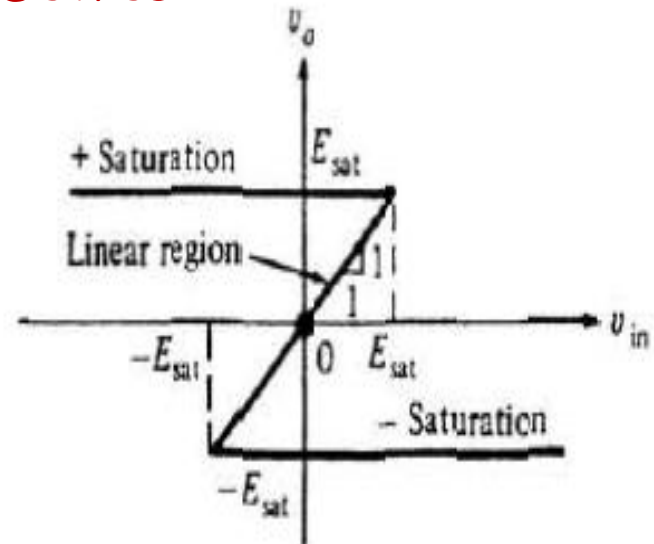
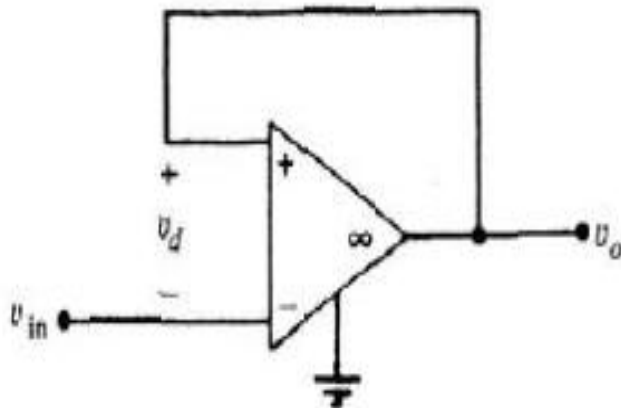
$$v_n = v_{in}$$

$$v_{in} > -E_{sat}$$

## Negatif Geribesleme Devresi



## Pozitif Geribesleme Devresi



# Lineer Direnç Devreleri

Lineer, zamanla değişmeyen direnç elemanları  
Bağımsız kaynaklar

Amaç: Özel bir grup direnç elemanlarından oluşmuş devrelerin çözümü için yöntem geliştirmek

<u>Yararlanılacaklar:</u>	KAY	$Ai = 0$	$n_d - 1$
	KGY	$Bv = 0$	$n_e - n_d + 1$
	ETB	$Mv + Ni = w$	$n_e$

Belirlenmesi gereken büyüklükler:  $v, i$   $2n_e$

## Genelleştirilmiş Düğüm Gerilimleri Yöntemi

$$v = A^T e$$

Bu denklem ne söylüyor?

Düğüm gerilimleri

$$v = A^T e$$

Tüm eleman gerilimleri



Tüm eleman akımları

$$Mv + Ni = w$$

Özel Durum: lineer, zamanla değişmeyen iki uçlu direnç elemanları ve bağımsız akım kaynaklarının bulunduğu devreler.

Yararlanılacaklar: **KAY**  $Ai = 0$

**KGY**  $v = A^T e$

**ETB**  $Mv + G_d v = i_k$

Yöntem:

1. Adım:  $n_d - 1$  düğüm için KAY'nı yaz  $Ai = 0$

2. Adım: eleman tanım bağıntılarını yerleştir  $Ai = 0$

$$A[G_d v + i_k] = 0$$

$$AG_d v + Ai_k = 0$$

$$AG_d v = -Ai_k$$

3. Adım: eleman gerilimlerini düğüm gerilimleri cinsinden yaz

$$v = A^T e$$

$$AG_d A^T e = -Ai_k$$

4. Adım: düğüm gerilimlerini bul

$$\hat{G}_d e = i_b$$

Genel Durum: lineer, zamanla değişmeyen gerilim kontrol edilebilir  
bağımlı bağımsız kaynakları Birinci grup elemanlar

lineer, zamanla değişmeyen gerilim kontrol edilebilir elemanlar  
bağımlı gerilim kaynakları İkinci grup elemanlar  
bağımsız gerilim kaynakları

Yöntem:

1. Adım:  $n_d - 1$  düğüm için KAY'nı yaz  $Ai = 0$

$$[A_1 \quad A_2] \begin{bmatrix} i_1 \\ i_2 \end{bmatrix} = 0$$

2. Adım: 1. grup elemanların eleman tanım bağıntılarını yerleştir,  
2. grup elemanların eleman tanım bağıntılarını yaz.

$$[A_1 G_1 \quad A_2] \begin{bmatrix} v_1 \\ i_2 \end{bmatrix} = -A_1 i_k$$
$$[M \quad N] \begin{bmatrix} v_2 \\ i_2 \end{bmatrix} = w$$

3. Adım: eleman gerilimlerini düğüm gerilimleri cinsinden yaz

$$v_1 = A_1^T e$$
$$v_2 = A_2^T e$$
$$\begin{bmatrix} A_1 G_1 A_1^T & A_2 \\ M A_2^T & N \end{bmatrix} \begin{bmatrix} e \\ i_2 \end{bmatrix} = \begin{bmatrix} -A_1 i_k \\ w \end{bmatrix}$$

4. Adım: düğüm gerilimlerini ve ikinci grup elemanların akımlarını bul