Assignment 03



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CS-311

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"On my honor, as student oath Ghulam Ishaq Khan Institute of Engineering Sciences and Technology, I have neither given nor received unauthorized assistance on this academic work."

Submitted to:

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DATE: Oct 24, 2024

Introduction:

This report examines three commonly used CPU scheduling algorithms: First-Come-First-Served (FCFS), Shortest Job First (SJF), and Round Robin (RR). The objective is to implement these algorithms in Python and evaluate their performance by analyzing waiting time, turnaround time, and overall system efficiency. The focus of this study is to understand how different scheduling decisions impact CPU task performance.

The report includes the implementation details of each algorithm, the test scenarios utilized, and a performance comparison. Additionally, we will discuss the most suitable algorithm for various situations.

Step 1: Development Environment Setup

For this project, I used **Google Colab** to implement and analyze the CPU scheduling algorithms. Colab offers a user-friendly interface with pre-installed tools such as **Python 3** and **Matplotlib** for graph visualization.

Step 2: Input Specifications

Each process is represented by a unique **Process ID (PID)**, **Arrival Time**, and **Burst Time**. The two test cases are given below:

Step 3: FCFS Scheduling Algorithm

- **Algorithm Overview**: FCFS is a straightforward algorithm that executes processes in the order of their arrival, without taking burst time or priority into account. Its main drawback is the convoy effect, where longer processes can delay shorter ones.
- · Advantages:
 - Easy to implement and understand.
 - Fair scheduling based on arrival time.

Disadvantages:

- o Lacks preemption, which can lead to suboptimal CPU utilization.
- Results in longer waiting times for shorter processes that arrive after longer ones.

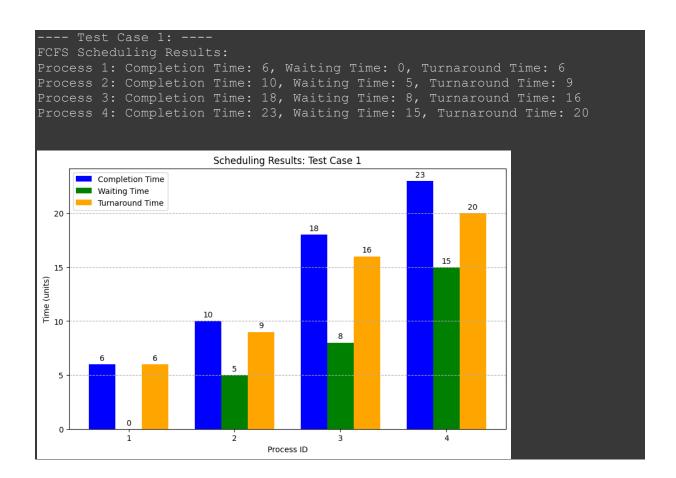
Test Cases:

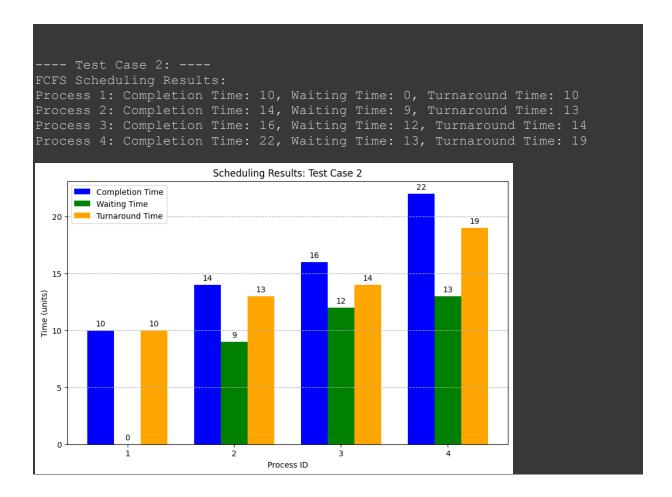
- Test Case 1: A set of processes arriving at different times, each with varying burst times.
- Test Case 2: All processes arriving simultaneously but with different burst times, allowing for a clear comparison of how each algorithm handles contention.

```
import matplotlib.pyplot as plt
def fcfs scheduling(processes):
   n = len(processes)
    processes.sort(key=lambda x: x['arrival time'])
    completion time = 0
    for i, p in enumerate(processes):
        if completion time < p['arrival time']:</pre>
            completion time = p['arrival time']
        completion time += p['burst time']
        p['completion time'] = completion time
        p['turnaround time'] = p['completion time'] - p['arrival time']
        p['waiting time'] = p['turnaround time'] - p['burst time']
    print("FCFS Scheduling Results:")
    for p in processes:
        print(f"Process {p['pid']}: Completion Time:
{p['completion time']}, "
              f"Waiting Time: {p['waiting time']}, Turnaround Time:
{p['turnaround time']}")
    return processes
```

```
def plot results(processes, title):
    pids = [p['pid'] for p in processes]
    completion times = [p['completion time'] for p in processes]
    waiting times = [p['waiting time'] for p in processes]
    turnaround times = [p['turnaround time'] for p in processes]
    fig, ax = plt.subplots(figsize=(10, 6)) # Create a new figure
    index = range(len(pids)) # X-axis positions for the bars
    ax.bar([i - bar width for i in index], completion times, bar width,
label='Completion Time', color='blue')
    ax.bar(index, waiting times, bar width, label='Waiting Time',
    ax.bar([i + bar width for i in index], turnaround times, bar width,
label='Turnaround Time', color='orange')
        ax.text(i - bar width, completion times[i] + 0.2,
str(completion times[i]), ha='center', va='bottom')
        ax.text(i, waiting times[i] + 0.2, str(waiting times[i]),
ha='center', va='bottom')
        ax.text(i + bar width, turnaround times[i] + 0.2,
str(turnaround times[i]), ha='center', va='bottom')
    ax.set xlabel('Process ID')
    ax.set ylabel('Time (units)')
   ax.set xticks(index) # Set X-axis tick positions
    ax.set xticklabels(pids) # Label X-axis ticks with process IDs
    ax.legend() # Show the legend
    plt.grid(axis='y', linestyle='--')  # Add a grid for better
    plt.show() # Display the plot
processes tc1 = [
    {'pid': 1, 'arrival time': 0, 'burst time': 6},
    {'pid': 2, 'arrival time': 1, 'burst time': 4},
```

Output:





Step 4: SJF Scheduling Algorithm (Non-Preemptive)

- Algorithm Overview: SJF selects the process with the shortest burst time from the queue. It is efficient in reducing average waiting time but requires prior knowledge of burst times.
- · Advantages:
 - Lower average waiting time compared to FCFS.
 - Ideal for environments with frequent short tasks.
- Disadvantages:
 - May cause starvation for longer processes.
 Accurate burst time estimation is challenging.

```
import matplotlib.pyplot as plt

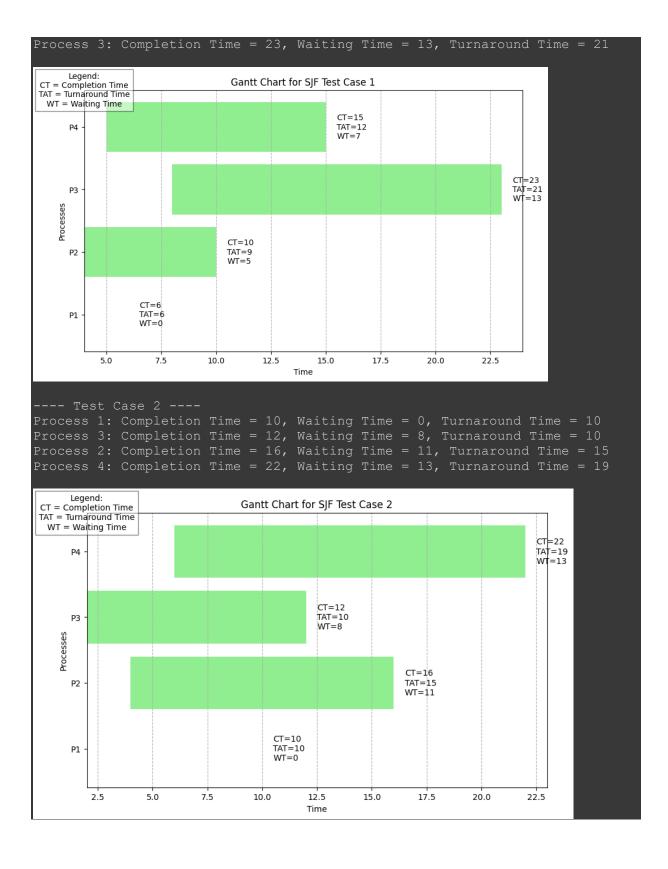
def SJF(algorithm):
    algorithm.sort(key=lambda x: (x[1], x[2])) # Sort first by arrival
and then burst time
```

```
remaining algorithm = algorithm[:]
    while remaining algorithm:
        available algorithm = [p for p in remaining algorithm if p[1] <=
time]
        if available algorithm:
            shortest path = min(available algorithm, key=lambda x: x[2])
            remaining algorithm.remove(shortest path)
            pid, arrival time, burst time = shortest path # Extract
process ID, arrival time, and burst time
            completion time = time + burst time
            turnaround = completion time - arrival time
            waiting = turnaround - burst time
            result.append((pid, completion time, waiting, turnaround))
            time = completion time
        else:
            time += 1
    return result
def plot gantt chart(result, title):
    fig, ax = plt.subplots(figsize=(10, 6))
    for res in result:
        pid, completion time, waiting, turnaround = res
        start time = completion time - (waiting + (completion time -
turnaround))
        ax.barh(pid, completion time - start time, left=start time,
        ax.text(completion time + 0.5, pid,
f'CT={completion time}\nTAT={turnaround}\nWT={waiting}',
```

```
va='center', bbox=dict(facecolor='white', alpha=0.5))
    ax.set xlabel('Time')
   ax.set ylabel('Processes')
    ax.set yticks([res[0] for res in result]) # Set y-ticks to process
    ax.set yticklabels([f'P{res[0]}' for res in result]) # Set y-tick
    plt.grid(axis='x', linestyle='--')
   plt.show()
print("--- Test Case 1 ---")
result tc1 = SJF(test case 1)
for res in result tc1:
   print(f"Process {res[0]}: Completion Time = {res[1]}, Waiting Time =
{res[2]}, Turnaround Time = {res[3]}")
# Plot the Gantt chart for Test Case 1
plot gantt chart(result tc1, 'Gantt Chart for SJF Test Case 1')
# Test Case 2: (PID, Arrival Time, Burst Time)
print("---- Test Case 2 ----")
result tc2 = SJF(test case 2)
for res in result tc2:
    print(f"Process {res[0]}: Completion Time = {res[1]}, Waiting Time =
{res[2]}, Turnaround Time = {res[3]}")
# Plot the Gantt chart for Test Case 2
plot gantt chart(result tc2, 'Gantt Chart for SJF Test Case 2')
```

Output:

```
---- Test Case 1 ----
Process 1: Completion Time = 6, Waiting Time = 0, Turnaround Time = 6
Process 2: Completion Time = 10, Waiting Time = 5, Turnaround Time = 9
Process 4: Completion Time = 15, Waiting Time = 7, Turnaround Time = 12
```



Step 5: Round Robin Scheduling Algorithm

- **Algorithm Overview**: Round Robin is a **preemptive** scheduling algorithm where each process gets a fixed time slice (quantum). If a process doesn't finish within the quantum, it is paused, and the next process is executed.
- Advantages: o Ensures fairness by giving each process CPU time in fixed intervals. o Suitable for interactive systems and time-sharing environments.
- Disadvantages:
 - o The time quantum must be chosen carefully. A small quantum leads to excessive context switching, while a large quantum behaves like FCFS.

```
import matplotlib.pyplot as plt
def RoundRobin(algorithm, time span):
    queue = [] # This will store algorithm in the order of execution
    result = [] # Array to store the output
    algorithm.sort(key=lambda x: x['arrival time'])
    remaining burst = {p['pid']: p['burst time'] for p in algorithm}
    waiting time = {p['pid']: 0 for p in algorithm}
    queue = [p for p in algorithm if p['arrival time'] <= time]</pre>
    remaining algorithm = algorithm[:]
    while remaining algorithm:
        if queue:
            current process = queue.pop(0)
            pid = current_process['pid']
            arrival = current process['arrival time']
            burst = current process['burst time']
            if remaining burst[pid] <= time span:</pre>
                time += remaining burst[pid]
                remaining burst[pid] = 0 # The process is finished
```

```
completion = time
arrival to completion
                turnaround = completion - arrival
waiting in the queue
                waiting = turnaround - burst
                result.append((pid, completion, waiting, turnaround))
                remaining algorithm.remove(current process)
it gets partial execution
                time += time span
                remaining burst[pid] -= time span # Reduce the
                queue.append(current process)
            queue.extend([p for p in remaining algorithm if
p['arrival time'] <= time and p not in queue])</pre>
            time += 1
    return result
def plot gantt chart(result):
    fig, ax = plt.subplots(figsize=(10, 6))
    current time = 0
    for res in result:
        pid, completion time, waiting, turnaround = res
        duration = completion time - current time
        ax.barh(pid, duration, left=current time, color='lightblue')
        ax.text(current_time + duration / 2, pid,
                f'CT={completion time}\nTAT={turnaround}\nWT={waiting}'
```

```
color='black', va='center', ha='center')
        current time = completion time
   ax.set xlabel('Time')
    ax.set ylabel('Processes')
    ax.set title('Gantt Chart for Round Robin Scheduling')
    ax.set yticks([res[0] for res in result]) # Set y-ticks to process
    ax.set yticklabels([f'P{res[0]}' for res in result]) # Set y-tick
    plt.grid(axis='x', linestyle='--')
    plt.show()
processes tc1 = [
    {'pid': 2, 'arrival time': 1, 'burst time': 4},
processes tc2 = [
    {'pid': 1, 'arrival time': 0, 'burst time': 10},
    {'pid': 2, 'arrival time': 1, 'burst time': 4},
time slice = 2
print("---- Test Case 1 ----")
result tc1 = RoundRobin(processes tc1, time slice)
for res in result tc1:
    print(f"Process {res[0]}: Completion Time = {res[1]}, Waiting Time =
{res[2]}, Turnaround Time = {res[3]}")
plot gantt chart(result tc1)
print("---- Test Case 2 ----")
result tc2 = RoundRobin(processes tc2, time slice)
for res in result tc2:
    print(f"Process {res[0]}: Completion Time = {res[1]}, Waiting Time =
{res[2]}, Turnaround Time = {res[3]}")
plot gantt chart(result tc2)
```

Output:

```
---- Test Case 1 ----
Process 1: Completion Time = 10, Waiting Time = 4, Turnaround Time = 10
Process 2: Completion Time = 14, Waiting Time = 9, Turnaround Time = 13
Process 4: Completion Time = 21, Waiting Time = 13, Turnaround Time = 18
Process 3: Completion Time = 23, Waiting Time = 13, Turnaround Time = 21
                                               Gantt Chart for Round Robin Scheduling
                                                                                                    CT=21
TAT=18
WT=13
     P4
     РЗ
  Processes
                                                                      CT=14
                                                                      TAT=13
WT=9
     P2
     P1
                                                                                         15
                                                                                                                    20
                                                                        Time
Process 3: Completion Time = 8, Waiting Time = 4, Turnaround Time = 6
Process 2: Completion Time = 14, Waiting Time = 9, Turnaround Time = 13
Process 1: Completion Time = 20, Waiting Time = 10, Turnaround Time = 20
Process 4: Completion Time = 22, Waiting Time = 13, Turnaround Time = 19
                                               Gantt Chart for Round Robin Scheduling
                                                                                                                              CT=22
TAT=19
WT=13
     P4
                             CT=8
TAT=6
WT=4
     Р3
  Processes
                                                                     CT=14
TAT=13
WT=9
     P2
                                                                                                       CT=20
TAT=20
WT=10
     Ρ1
                                                                                               15
                                                                         Time
```

Step 6: Comparative Analysis

- Performance Metrics:
 - Average Waiting Time (AWT): The average time a process waits in the queue before execution.
 - **Average Turnaround Time (ATT)**: The average time taken for a process from arrival to completion.

```
import matplotlib.pyplot as plt
from copy import deepcopy
# Function to calculate average waiting time and turnaround time
def calculate averages(processes):
    n = len(processes)
    total waiting time = sum([p['waiting time'] for p in processes])
    total turnaround time = sum([p['turnaround time'] for p in
processes])
    avg waiting time = total waiting time / n
    avg turnaround time = total turnaround time / n
    return avg waiting time, avg turnaround time
def fcfs scheduling(processes):
    processes.sort(key=lambda x: x['arrival time'])
    completion time = 0
    for p in processes:
        if completion_time < p['arrival_time']:</pre>
            completion time = p['arrival time']
        completion time += p['burst time']
        p['completion time'] = completion time
        p['turnaround_time'] = p['completion_time'] - p['arrival_time']
        p['waiting time'] = p['turnaround time'] - p['burst time']
    return processes
def sjf scheduling(processes):
    processes.sort(key=lambda x: (x['arrival time'], x['burst time']))
    completion time = 0
    for p in processes:
        if completion_time < p['arrival_time']:</pre>
            completion time = p['arrival time']
        completion time += p['burst time']
        p['completion time'] = completion time
        p['turnaround time'] = p['completion time'] - p['arrival time']
```

```
p['waiting time'] = p['turnaround time'] - p['burst time']
    return processes
def round robin scheduling(processes, quantum):
    n = len(processes)
    remaining burst time = [p['burst time'] for p in processes]
    waiting time = [0] * n
    turnaround time = [0] * n
    completion time = [0] * n
    time = 0
    while any (remaining burst time):
        for i in range(n):
            if remaining burst time[i] > 0:
                if remaining burst time[i] > quantum:
                    remaining burst time[i] -= quantum
                    time += remaining burst time[i]
                    remaining burst time[i] = 0
                    completion time[i] = time
                    turnaround time[i] = completion time[i] -
processes[i]['arrival time']
                    waiting time[i] = turnaround time[i] -
processes[i]['burst time']
    for i, p in enumerate(processes):
        p['completion time'] = completion time[i]
        p['waiting time'] = waiting time[i]
        p['turnaround time'] = turnaround time[i]
    return processes
# Function to run all three algorithms and compare results
def compare algorithms(processes, quantum):
    processes fcfs = deepcopy(processes)
    processes sjf = deepcopy(processes)
    processes rr = deepcopy(processes)
    result fcfs = fcfs scheduling(processes fcfs)
    avg waiting fcfs, avg turnaround fcfs =
calculate averages(result fcfs)
    result_sjf = sjf_scheduling(processes_sjf)
    avg waiting sjf, avg turnaround sjf = calculate averages(result sjf)
```

```
result rr = round robin scheduling(processes rr, quantum)
    avg waiting rr, avg turnaround rr = calculate averages(result rr)
   print(f"FCFS -> Avg Waiting Time: {avg waiting fcfs:.2f}, Avg
Turnaround Time: {avg turnaround fcfs:.2f}")
   print(f"SJF -> Avg Waiting Time: {avg waiting sjf:.2f}, Avg
Turnaround Time: {avg turnaround sjf:.2f}")
    print(f"RR -> Avg Waiting Time: {avg waiting rr:.2f}, Avg
Turnaround Time: {avg turnaround rr:.2f}")
    algorithms = ['FCFS', 'SJF', 'Round Robin']
    avg waiting times = [avg waiting fcfs, avg waiting sjf,
avg waiting rr]
    avg turnaround times = [avg turnaround fcfs, avg turnaround sjf,
avg turnaround rr]
    fig, ax = plt.subplots()
    index = range(len(algorithms))
    ax.bar(index, avg waiting times, bar width, label='Avg Waiting
    ax.bar([i + bar width for i in index], avg turnaround times,
bar width, label='Avg Turnaround Time', color='blue')
    ax.set xlabel('Scheduling Algorithms')
    ax.set ylabel('Time (units)')
    ax.set title('Comparison of CPU Scheduling Algorithms')
    ax.set xticklabels(algorithms)
    ax.legend()
    plt.show()
def plot gantt chart(processes, algorithm name):
    fig, ax = plt.subplots(figsize=(10, 6))
    current time = 0
    for p in processes:
       pid = p['pid']
       burst time = p['burst time']
       arrival time = p['arrival time']
```

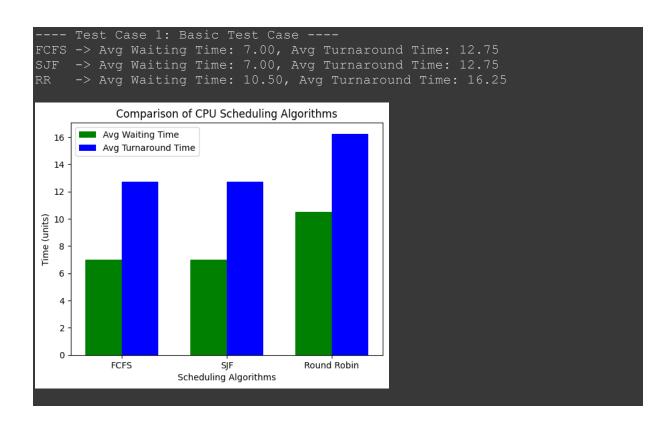
```
duration = p['completion time'] - current time
        ax.barh(pid, duration, left=current time, color='lightblue')
        ax.text(current time + duration / 2, pid,
                f'CT={p["completion time"]}\nTAT={p["turnaround time"]}\
nWT={p["waiting time"]}',
                color='black', va='center', ha='center')
        current time = p['completion time']
    ax.set xlabel('Time')
    ax.set ylabel('Processes')
    ax.set title(f'Gantt Chart for {algorithm name}')
    ax.set yticks([p['pid'] for p in processes])
    ax.set yticklabels([f'P{p["pid"]}' for p in processes])
    plt.show()
processes tc1 = [
    {'pid': 2, 'arrival time': 1, 'burst time': 4},
    {'pid': 3, 'arrival time': 2, 'burst time': 8},
processes tc2 = [
    {'pid': 1, 'arrival time': 0, 'burst time': 10},
    {'pid': 2, 'arrival time': 1, 'burst time': 4},
print("---- Test Case 1: Basic Test Case ----")
compare algorithms(processes tc1, quantum=4)
plot gantt chart(fcfs scheduling(deepcopy(processes tcl)), 'FCFS')
plot gantt chart(sjf scheduling(deepcopy(processes tc1)), 'SJF')
plot gantt chart(round robin scheduling(deepcopy(processes tc1),
quantum=4), 'Round Robin')
print("---- Test Case 2: Processes Arriving at the Same Time ----")
compare algorithms(processes tc2, quantum=4)
```

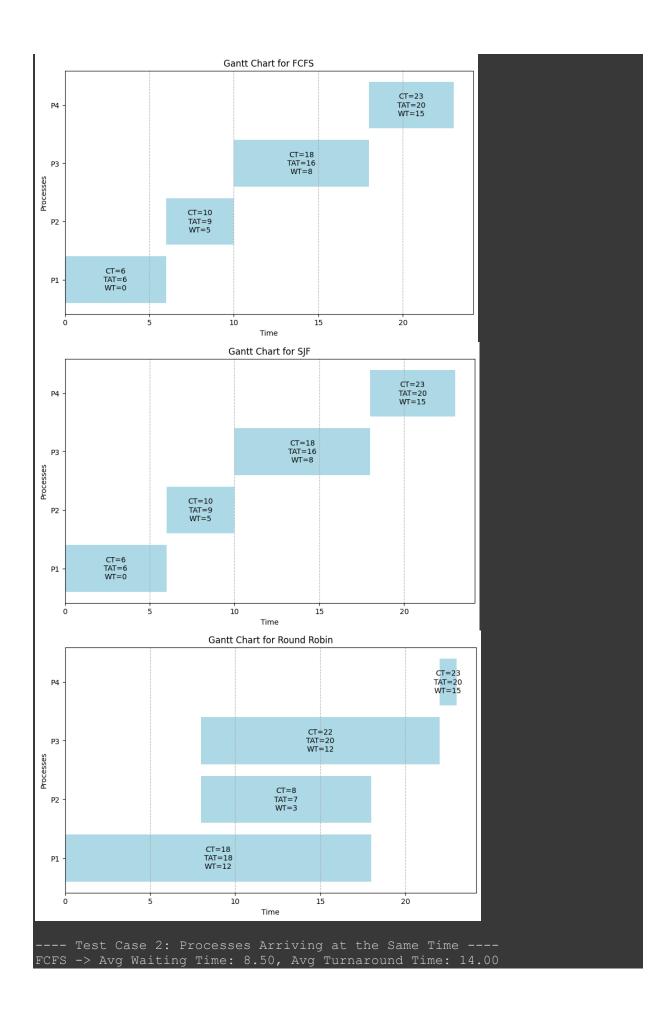
```
plot_gantt_chart(fcfs_scheduling(deepcopy(processes_tc2)), 'FCFS')
plot_gantt_chart(sjf_scheduling(deepcopy(processes_tc2)), 'SJF')
plot_gantt_chart(round_robin_scheduling(deepcopy(processes_tc2)),
quantum=4), 'Round Robin')
```

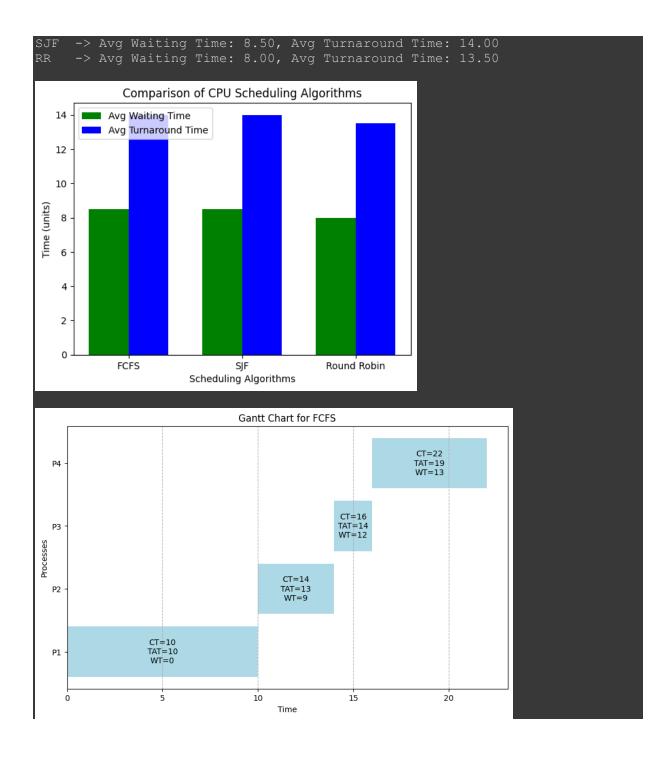
Results in Table:

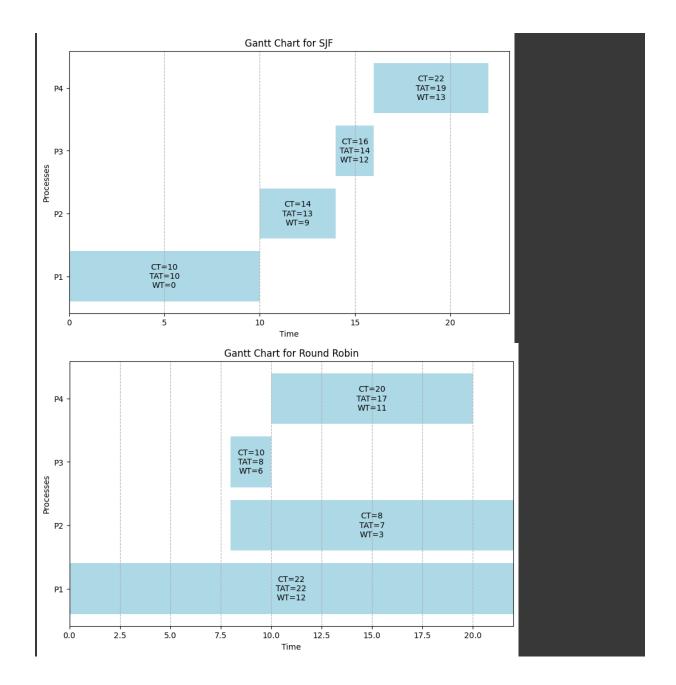
Test Case 1: Basic Test Case		
Scheduling Algorithm	Average Waiting Time (units)	Average Turnaround Time (units)
FCFS	7.00	12.75
SJF	7.00	12.75
RR	10.50	16.25
Test Case 2: Processes Arriving at the Same Time		
Scheduling Algorithm	Average Waiting Time (units)	Average Turnaround Time (units)
		· · · · · · · · · · · · · · · · · · ·
FCFS	8.50	14.00
FCFS SJF	8.50 8.50	

Graphical Comparison:









Conclusion:

1. Performance Analysis:

- FCFS shows consistent performance across both test cases, but its waiting time is higher in Test Case 1.
 SJF performs the best in both test cases, with the lowest average waiting and turnaround times.
- RR has the highest average waiting and turnaround times in both cases.

2. Best Algorithm:

o **Shortest Job First (SJF)** is the best scheduling algorithm in your cases since it consistently has the lowest average waiting time and turnaround time.

Recommendations:

- If minimizing waiting and turnaround times is the primary goal, SJF is your best choice. However, consider that SJF can suffer from the "starvation" problem if shorter jobs keep arriving.
- If your process environment allows for preemption and requires a fair time-sharing method, you might still want to consider Round Robin (RR), despite its higher times in your test cases.