Programmeringsspråk TDT4165 - Assignment 4

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Threads

Task 1

In the sequential model of computation, statements are executed sequentially, in a single computation. The thread ... end statement extends the model with concurrency.

a Execute the following code in Mozart and observe the results. What sequence of numbers gets printed as output of the Oz environment?

```
6 local A=10 B=20 C=30 in
 7
      {System.show C}
 8
 9
      thread
10
          {System.show A}
          {Delay 100}
11
12
          \{System_show A * 10\}
13
      end
14
15
      thread
         {System.show B}
16
17
          {Delay 100}
18
          \{System_show B * 10\}
19
      end
20
21
      \{System_show C * 100\}
22 end
```

Figure 1: The code to be run in task 1 a.

Figure 2: One potential output from task 1 a.

b Explain with your own words how execution proceeds and why the result is as such. Would it be possible to have a different sequence printed as output? Explain your answer.

As we can see in figure 2 we print the C-value first, as expected. Then we start a thread that prints A and then it delays. In the meantime the main program continues and starts the next thread that prints B and delays. Then the main program continues and prints C * 100 before the threads are done delaying. Then the thread for B gets runtime again before thread A and print s B * 10 and lastly thread A prints A * 10.

This is one of many potential sequences of printing. Since we are running threads we have a non-deterministic execution order between the different threads and the main program.

c Execute the following code in Mozart and observe the results. What sequence of numbers gets printed as output of the Oz environment?

```
26 local A B C in
27
      thread
28
          A = 2
29
          {System.show A}
30
      end
31
      thread
32
          B = A * 10
33
          {System.show B}
34
      end
35
36
      C = A + B
37
      {System.show C}
38
39 end
```

Figure 3: Code to run in task 1 c.

2 20 22

Figure 4: Output of running code in figure 3.

d Explain with your own words how execution proceeds and why the result is as such. Would it be possible to have a different sequence printed as output? Explain your answer.

In this case there a deterministic sequence of when the results of A, B and C are ready, but they can be printed in any order.

First we start a threads where A is defined, then we print A. Then a new thread for B is started and calculated B based on A, so this thread will stall on this line (32) until A is resolved (at line 28).

The same case goes for C (line 36), it depends on A and B. So the order in which A, B and C is resolved is A, B and C. However, it is possible that the threads are suspended before they can print, but after they have resolved their variable. In this case the printing could happen in another order.

Streams

A stream is a list that is created incrementally by leaving the tail as an unbound dataflow variable: it is extended by binding that variable to the next value, and then appending a new unbound tail. Streams are

potentially infinite, and have various applications in the processing of sequence of data of unspecified length. By combining streams and threads it is possible to implement a producer/consumer model in a straightforward way, thanks to declarative concurrency.

Task 2

a Implement a function fun {Enumerate Start End} that generates, asynchronously, a stream of numbers from Start until End.

```
{System.show {Enumerate 1 5}} should print [1 2 3 4 5]
```

Hint: You can use the thread ... end statement inside the definition of the function, to wrap the iterative process that generates the numbers.

```
44 declare Enumerate
45
46 fun {Enumerate Start End}
47
48
         if Start > End then
49
            nil
50
         else
51
            Start | thread {Enumerate Start + 1 End} end
52
         end
53
  end
```

Figure 5: The code for asynchronously generating a list from a start to end value.

In figure 5 we can see the code. To print the list with "{System.show {Enumerate 1 5 }}" and obtaining "[1 2 3 4 5]" as the output did not happen. I instead got "1 — _<optimized>". I could use "{Browse {Enumerate 1 5 }}" to get the correct result, but after a visit to piazza I saw the instructor had written what is shown in figure ?? and so I ended up printing it with "{System.show {List.take {Enumerate 1 5} 5}}".

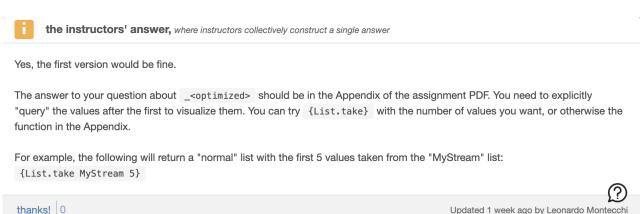


Figure 6: Screenshot from piazza of answer to question about printing in task 2 a.

b Implement a function fun {GenerateOdd Start End} that generates, asynchronously, a stream of odd numbers from Start to End. The GenerateOdd function must be implemented as a consumer of Enumerate. That is, it must read the stream generated by Enumerate and filter it as appropriate.

```
{System.show {GenerateOdd 1 5}} should print [1 3 5]
{System.show {GenerateOdd 4 4}} should print nil
```

```
61 declare GenerateOdd ConsumeList Filter
62
63 fun {Filter X}
64
      if X \mod 2 = 0 then
65
         true
66
      else
67
         false
68
      end
69 end
70
71 fun {ConsumeList List}
      case List of nil then
72
73
         nil
74
      [] Head|Tail then
75
         if {Filter Head} == true then
76
            Head | thread {ConsumeList Tail} end
77
         else
78
            thread {ConsumeList Tail} end
79
         end
80
      end
81 end
82
83 fun {GenerateOdd Start End}
      {ConsumeList thread {Enumerate Start End} end}
84
85 end
```

Figure 7: Code for generating a list of odd numbers in a given inclusive range asynchronously.

The same case as described in the previous task with the printing happened here as well. So again I printed it using the "List.take"-method.

Task 3

In this task we will implement a generator of prime numbers, exploiting Oz streams and concurrency.

a Implement the function fun {ListDivisorsOf Number}, which produces a stream of all the divisors of the integer number Number. A number $d \in N$ is a divisor of $n \in N$ if the rest of the integer division $\frac{n}{d}$ is zero. The modulo operation (i.e., rest of integer division) is denoted with the keyword mod in Oz. ListDivisorOf must be implemented as a consumer of Enumerate.

```
130 declare ListDivisorsOf ListDivisorsOfConsumer IsDivisor
131
132 fun {IsDivisor Number Divisor}
       if Number mod Divisor == 0 then
133
134
135
       else
136
          false
137
       end
138 end
139
140 fun {ListDivisorsOfConsumer List Number}
       case List of nil then
141
142
          nil
143
       [] Head|Tail then
          if {IsDivisor Number Head} then
144
145
             Head | thread {ListDivisorsOfConsumer Tail Number} end
146
          else
147
             thread {ListDivisorsOfConsumer Tail Number} end
148
          end
149
       end
150 end
151
152 fun {ListDivisorsOf Number}
       {ListDivisorsOfConsumer {Enumerate 1 Number} Number}
153
154 end
```

Figure 8: Code for "ListDivisorsOf"-function.

b Implement the function fun {ListPrimesUntil N}, which produces a stream of all the prime numbers up to the number N. A number n is prime if its only divisors are 1 and n itself. ListDivisorOf must be implemented as a consumer of Enumerate.

Hint: You can chain multiple streams, and also consume multiple streams in the implementation of a function. In particular, you should also consume the stream produced by ListDivisorsOf.

```
170 declare ListPrimesUntil ConsumePrimes
171
172 fun {ConsumePrimes List}
       case List of Head|Tail then
173
          case {ListDivisorsOf Head} of H|T then
174
175
             if \{And H == 1 T == nil\} then
                Head | thread {ConsumePrimes Tail} end
176
177
             else if {And H == 1 T.1 == Head} then
                Head | thread {ConsumePrimes Tail} end
178
179
             else
180
                thread {ConsumePrimes Tail} end
181
                  end
182
             end
183
          end
184
       [] nil then
185
          nil
186
       end
187 end
188
189 fun {ListPrimesUntil N}
       {ConsumePrimes thread {Enumerate 1 N} end}
190
191 end
```

Figure 9: Code for finding all primes up until N.

Lazy Evaluation

Task 4

The lazy keyword can be applied to functions to specify that they will be evaluated lazily, meaning that the values would be computed only when needed. This is particularly useful for working with (potentially) infinite streams.

We can rewrite our generator of prime numbers as a lazy function, using the lazy annotation.

a Implement a function fun {Enumerate} as a lazy function that generates an infinite stream of numbers, starting from 1.

```
203 declare EnumerateLazy EnumerateLazyConditioned
204
205 fun lazy {EnumerateLazy}
206
207    fun lazy {EnumerateLazyConditioned N}
208        N | {EnumerateLazyConditioned N + 1}
209    end
210
211    1 | {EnumerateLazyConditioned 2}
212 end
```

Figure 10: Code for lazy function. to generate an infinite stream of numbers starting at 1.

b Implement a function fun {Primes} as a lazy function that generates an infinite stream of prime numbers, starting from 2. You must implement Primes as a consumer of the stream produced by Enumerate, and any other streams you find useful.

Note: Streams produced by lazy functions are not easily displayed using the usual Browse procedure, because browsing a stream does not count as "needing" its value. Similarly, using the System.show procedure will just show <optimized>. To actually visualize the content of the stream you need to access its values, e.g., {List.take {Enumerate} 10} will show the first 10 values of the stream produced by Enumerate. See also the Appendix for additional hints on how to work with streams.

```
218 declare Primes ConsumePrimesLazy
220 fun {ConsumePrimesLazy List}
221
       case List of Head|Tail then
222
          if Head == 1 then
223
             {ConsumePrimesLazy Tail}
224
          else
             case {ListDivisorsOf Head} of H|T then
225
226
                if \{And H == 1 T == nil\} then
                    Head | {ConsumePrimesLazy Tail}
227
228
                elseif {And H == 1 T.1 == Head} then
229
                    Head | {ConsumePrimesLazy Tail}
230
231
                    {ConsumePrimesLazy Tail}
232
                end
233
             [] nil then
234
                nil
235
             end
236
          end
237
       [] nil then
238
          nil
239
       end
240 end
241
242 fun lazy {Primes}
243
       {ConsumePrimesLazy {EnumerateLazy}}
244 end
```

Figure 11: Code for generating primes with a lazy number generator. Functions used that are not defined in the figure is from earlier figures.