

```

% For constant torque 5Nm

clc

clear

TR = [0 5]; % time RANGE

X0 = [0;0;0;0];%initial conditions

[t,z] = ode45(@func1, TR, X0);%calling the solver to solve by function

%storing given array as vectors

theta1 = z(:, 1);

AngVel1 = z(:, 2);

theta2 = z(:, 3);

AngVel2 = z(:, 4);


%plotting the angular displacements and velocities

acc1 = diff(AngVel1);

acc2= diff(AngVel2);

plot(t,theta1,t,AngVel1,t,[0;acc1],t,theta2,t,AngVel2,t,[0;acc2]);

xlabel('time')

legend('Angular Displacement 1','Angular Velocity 1','Angular acceleration 1','Angular Displacement 2','Angular Velocity 2','Angular acceleration 2')

ylabel('position & Velocity')

title("m-file")

%function containing the differentialequations

function dx = func1(~, x)

% Values of Coefficients

J1=1; J2=10; D1=0.9; D2=0.02; k=3;T=5;


% State Equations

dx(1) = x(2);

dx(3) = x(4);

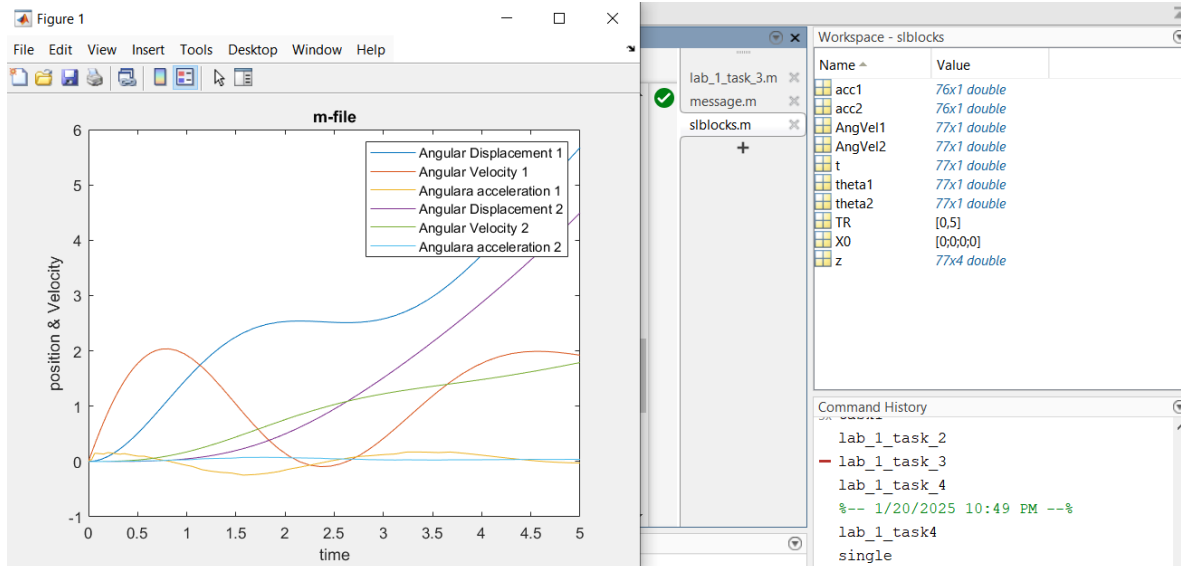
dx(2) = (T-D1*x(2)-k*x(1)+k*x(3))/J1;

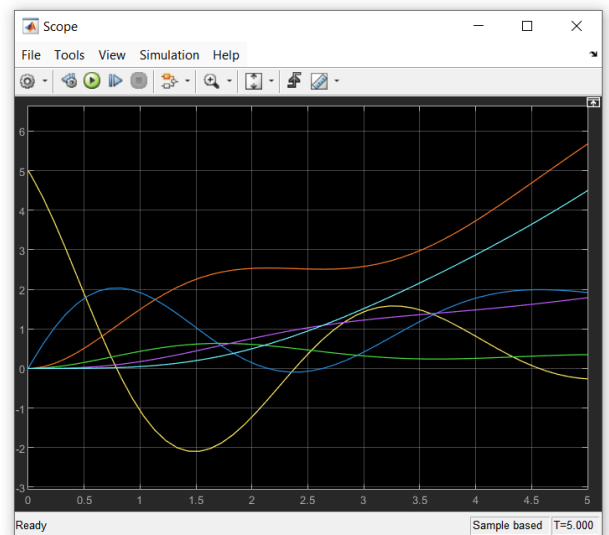
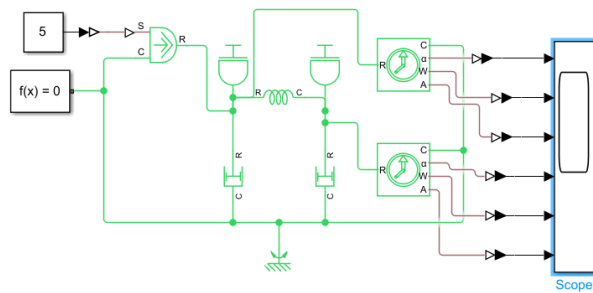
dx(4) = (-k*x(3)-D2*x(4)+k*x(1))/J2;

dx = dx';

end

```





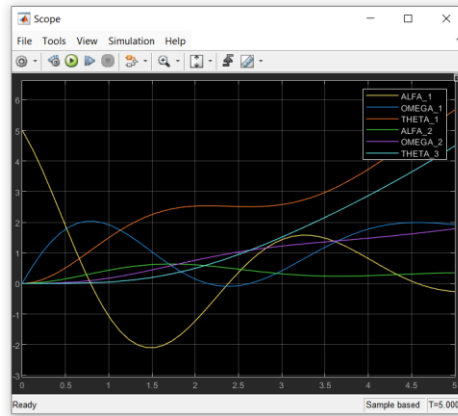
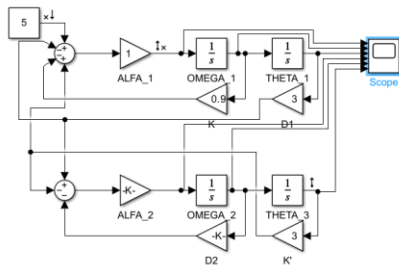
simulink

From input "Constant" to output "THETA\_3":  
0.3

$$s^4 + 0.902 s^3 + 3.002 s^2 + 0.006 s$$

A =

	OMEGA_1	OMEGA_2	THETA_1	THETA_3
OMEGA_1	-0.9	0	-3	0
OMEGA_2	0	-0.002	0.3	0
THETA_1	1	0	0	0
THETA_3	0	1	0	0



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From input "Constant" to output "PS-Simulink Converter4":  
0.3

$$s^4 + 0.902 s^3 + 3.302 s^2 + 0.276 s$$

A =

	task1.Task1_	task1.Task1_	task1.Task1_	task1.Task1_
task1.Task1_	-0.9	0	0	-3
task1.Task1_	1	0	0	0
task1.Task1_	0	0	-0.002	0.3
task1.Task1_	1	0	-1	0

```

clc
clear

TR = [0 5]; % time RANGE

X0 = [0;0;0;0];%initial conditions

[t,z] = ode45(@func1, TR, X0);%calling the solver to solve by function

%storing given array as vectors

theta1 = z(:, 1);

AngVel1 = z(:, 2);

theta2 = z(:, 3);

AngVel2 = z(:, 4);

%plotting the angular displacements and velocities

acc1 = diff(AngVel1);

acc2= diff(AngVel2);

plot(t,theta1,t,AngVel1,t,[0;acc1],t,theta2,t,AngVel2,t,[0;acc2]);

xlabel('time')

legend('Angular Displacement 1','Angular Velocity 1','Angular acceleration 1','Angular Displacement 2','Angular Velocity 2','Angular acceleration 2')

ylabel('position & Velocity')

title("m-file")

%function containing the differentialequationsa

function dx = func1(~, x)

% Values of Coefficients

% J1=1; J2=10; D1=0.9; D2=0.02; k=3

T=5;

%

% State Equations

dx(1) = x(2);

dx(3) = x(4);

dx(2) = (T-2*x(2)-x(1)+x(3)+x(4));

dx(4) = (x(2)-x(3)-2*x(4)+x(1));

dx = dx';

end

```

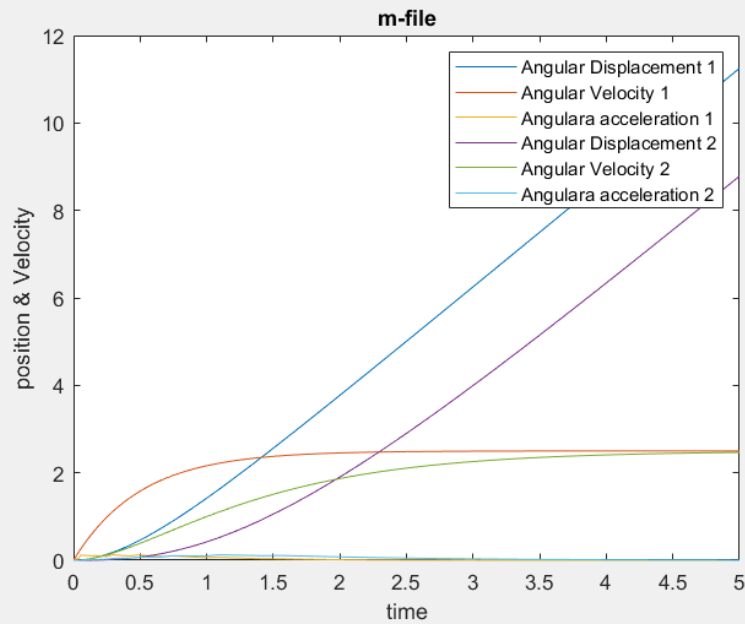
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% TIME RANGE
;0];%initial conditions
45(@func1, TR, X0);%calling thr ide sol
ven array as vectors
:, 1);
(:, 2);
(:, 3);
(:, 4);
he angular displacements and velocities
(AngVel1);
AngVel2);
a1,t,AngVel1,t,[0;acc1],t,theta2,t,AngV
e')
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ition & Velocity')
le")
ontaining the differentialequationsa
= func1(~, x)
Coefficients
10; D1=0.9; D2=0.02; k=3

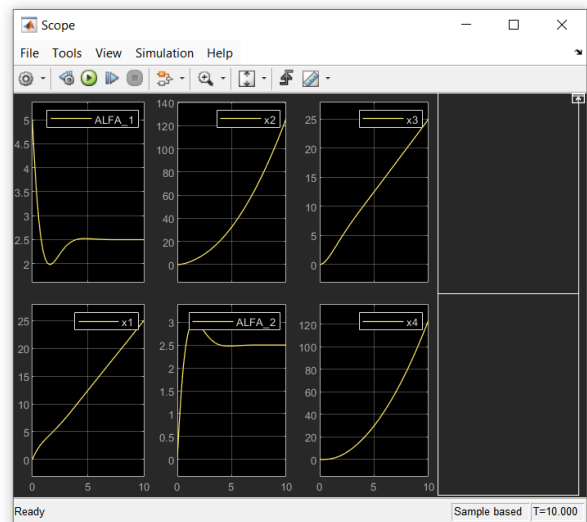
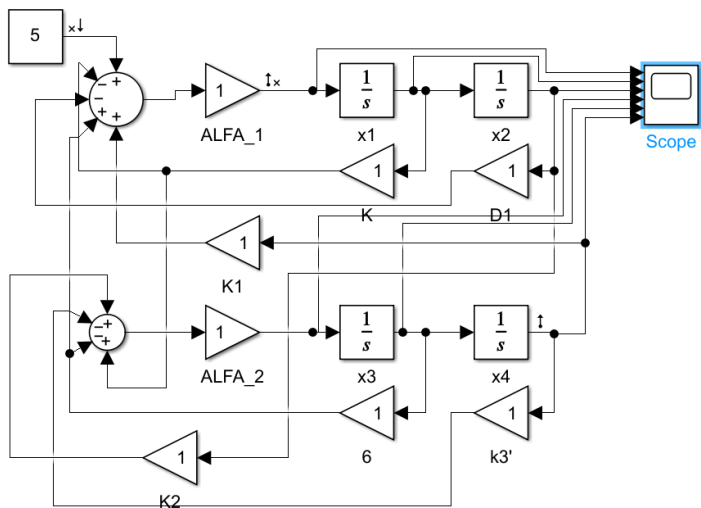
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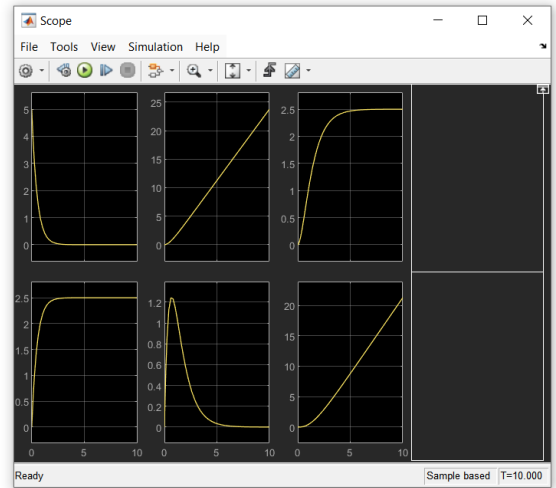
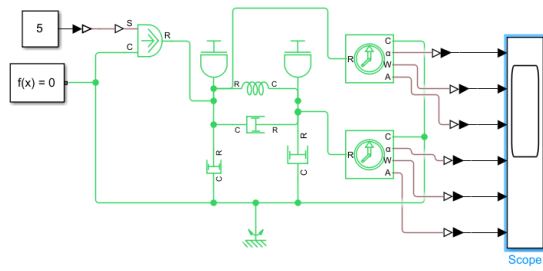
Figure 1

File Edit View Insert Tools Desktop Window Help



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```

clc;

TR=0:0.01:10;

x0=[0;0;0;0];

[t,x]=ode45(@Task3Fun,TR,x0);

th1=x(:,1);

om1=x(:,2);

alpha1=gradient(om1)./gradient(t);

th2=x(:,3);

om2=x(:,4);

alpha2=gradient(om2)./gradient(t);


subplot(2,3,1);

plot(t,th1);xlabel('time');ylabel('theta 1');

subplot(2,3,2);

plot(t,om1);xlabel('time');ylabel('omega 1');

subplot(2,3,3);

plot(t,alpha1);xlabel('time');ylabel('alpha 1')

subplot(2,3,4);

plot(t,th2);xlabel('time');ylabel('theta 2');

subplot(2,3,5);

plot(t,om2);xlabel('time');ylabel('omega 2');

subplot(2,3,6);

plot(t,alpha2);xlabel('time');ylabel('alpha 2')

%%%%%%%%%%%%%%

function dy=Task3Fun(t,y)

    T=1;

    dy(1)=y(2);

    dy(2)=1/5*(y(4) + 9*y(3) - 9*y(2) - 9*y(1));

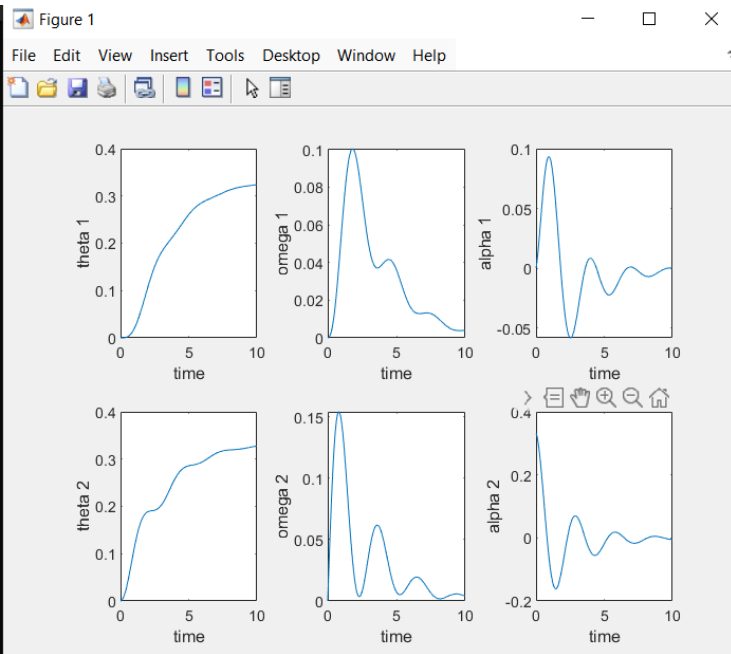
    dy(3)=y(4);

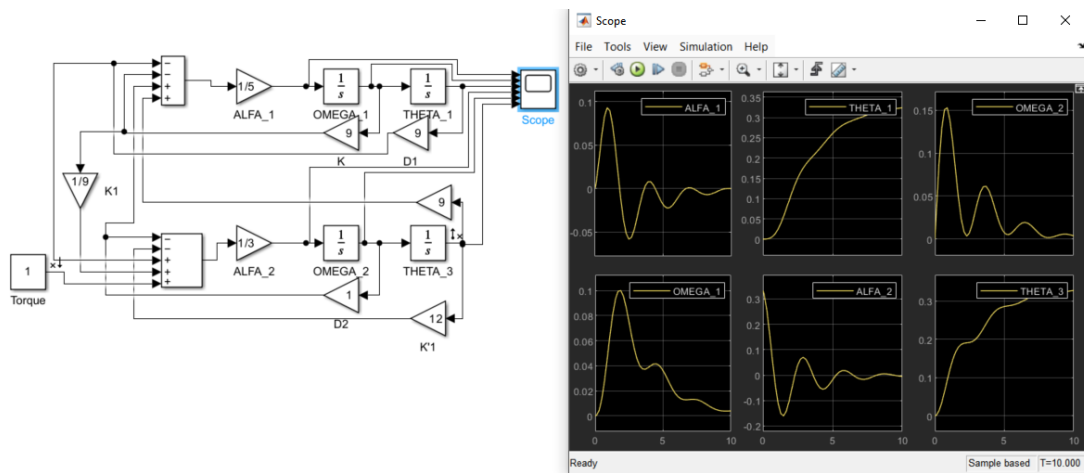
    dy(4)=1/3*(T+y(2) + 9*y(1) - y(4) - 12*y(3));

    dy=dy';

end

```



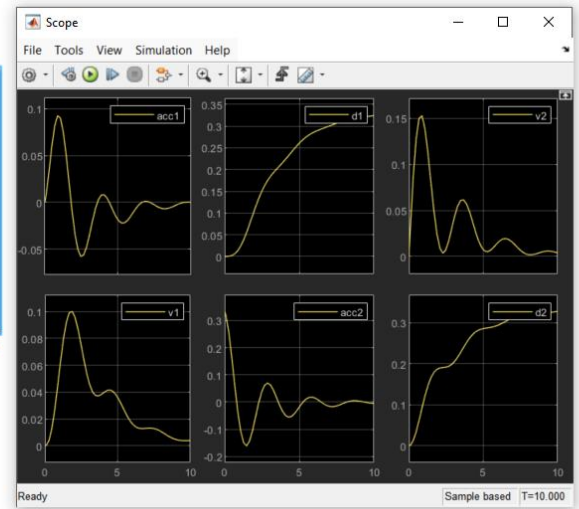
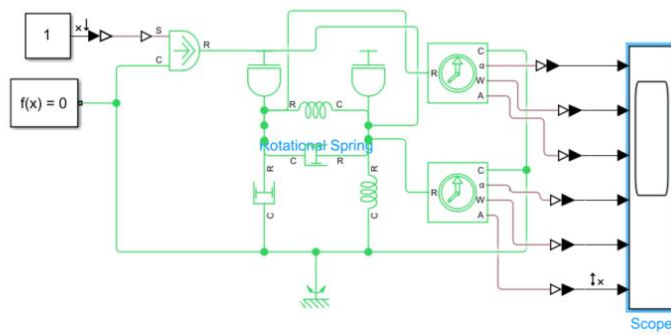


From input "Torque" to output "THETA\_3":  
 $0.3333 s^2 + 0.6 s + 0.6$

-----  
 $s^4 + 2.133 s^3 + 2.333 s^2 - 9.171e-17 s$

A =

	x1	x2	x3	x4
x1	-1.8	0.2	-1.8	0
x2	0.3333	-0.3333	3	0
x3	1	0	0	0
x4	0	1	0	0



From input "u1" to output "y1":  
 $0.3333 s^2 + 0.6 s + 0.6$

---


$$s^4 + 2.133 s^3 + 6.333 s^2 + 6.6 s + 1.8$$

A =

	x1	x2	x3	x4
x1	-1.8	0	0.2	-1.8
x2	1	0	0	0
x3	0.3333	-1	-0.3333	4
x4	1	0	-1	0

