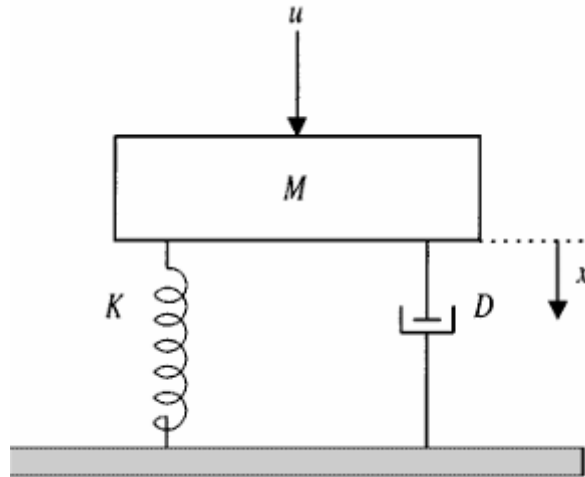


# EXAMPLE\_1



-----<(M File)>-----

```
X0=[0;0];%initial conditions are zero
```

```
TR=[0 10];%time response RANGE
```

```
%t=0:0.1:50;
```

```
[t,x]=ode45(@func1,TR,X0);
```

```
Displacement=x(:,1)
```

```
Velocity=x(:,2)
```

```
plot(t, Displacement)
```

```
hold on
```

```
plot(t,Velocity)
```

```
acceleration = gradient(Velocity,t);
```

```
hold on
```

```
plot(t,[0;acceleration])
```

```
ylabel('x,v,a')
```

```
xlabel('time')
```

```
legend("displacement","velocity","acceleration");
```

```
%state variables give the following function
```

```
function dx = func1(t,x)
```

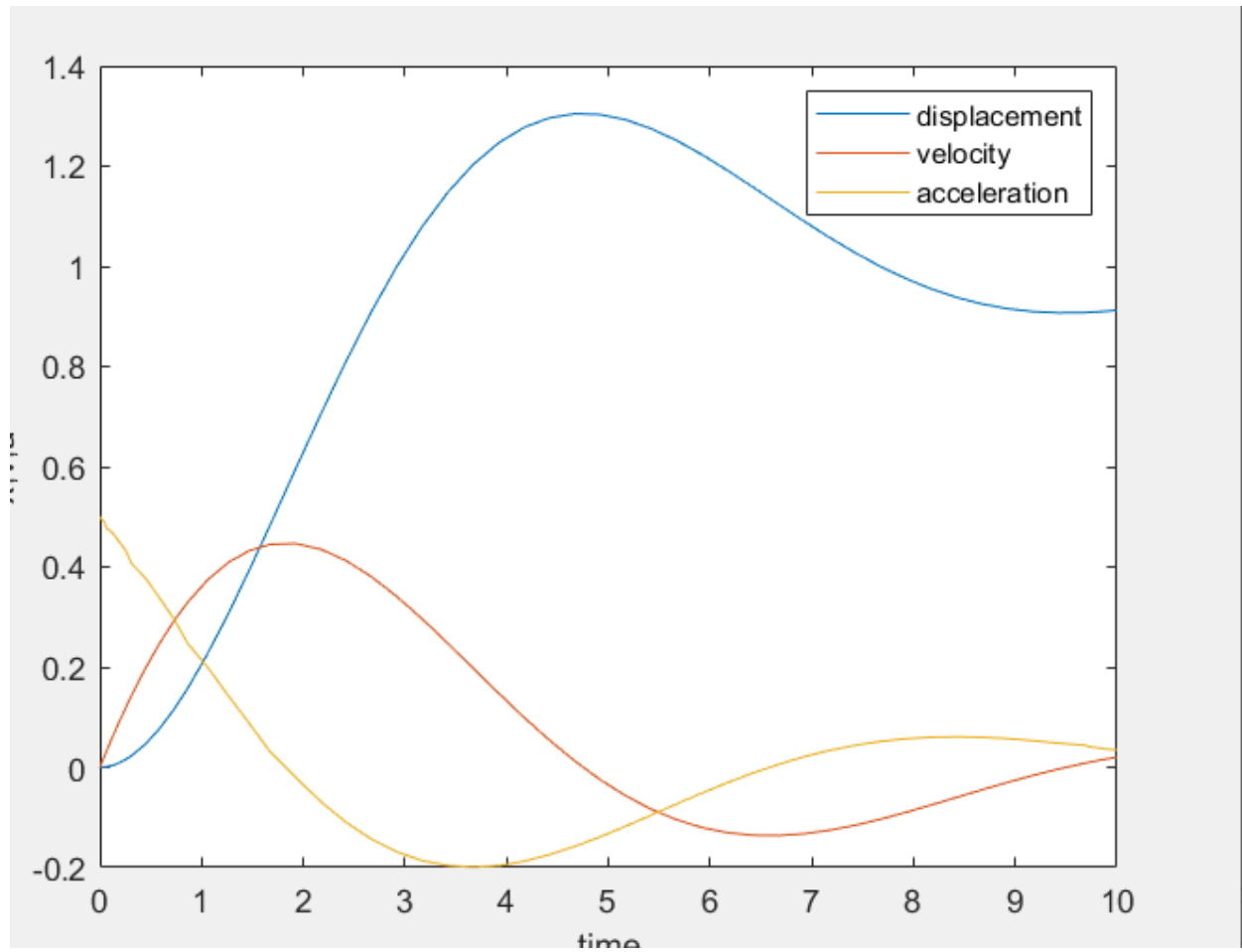
```
M=10;B=5;K=5;F=5;
```

```
dx(1)=x(2)%for x dot
```

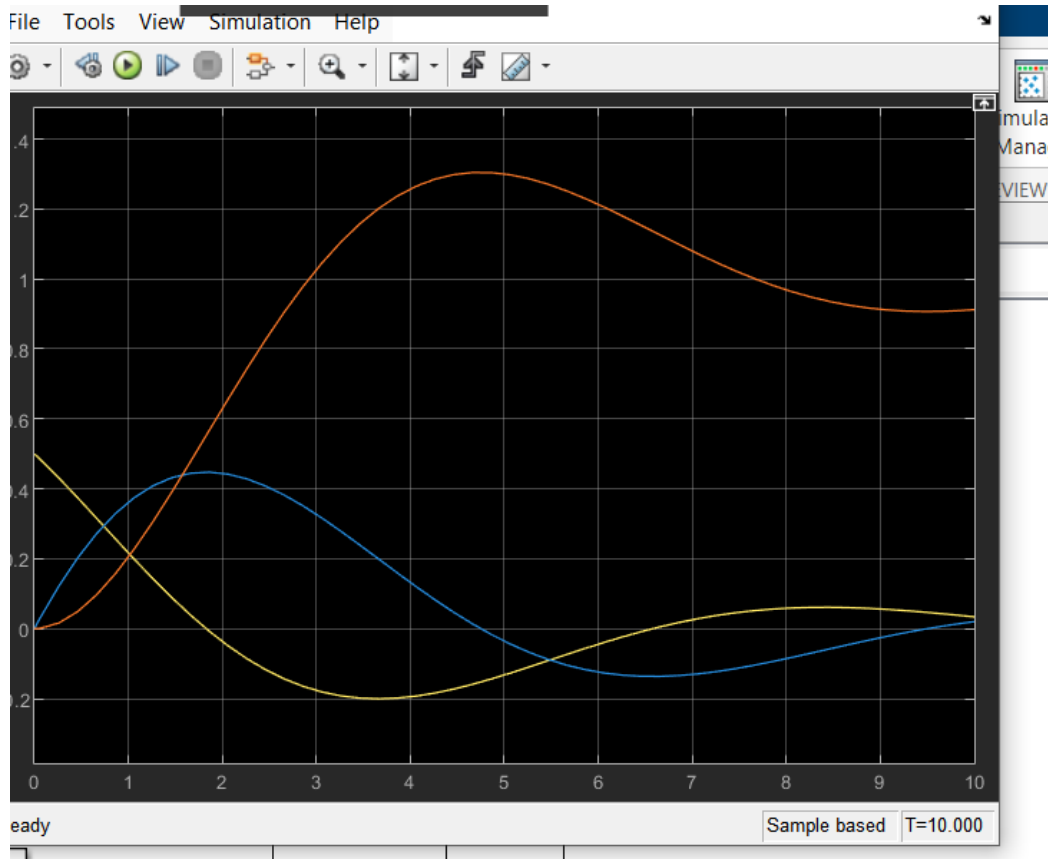
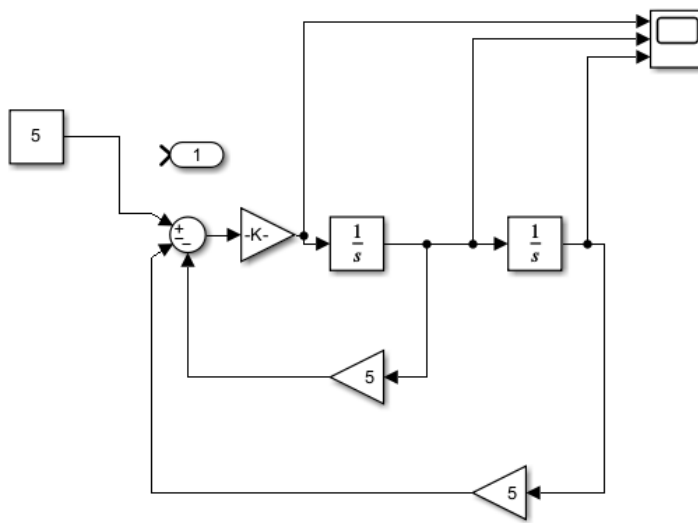
```
dx(2)=(F-B*x(2)-K*x(1))/M %for x dot dot
```

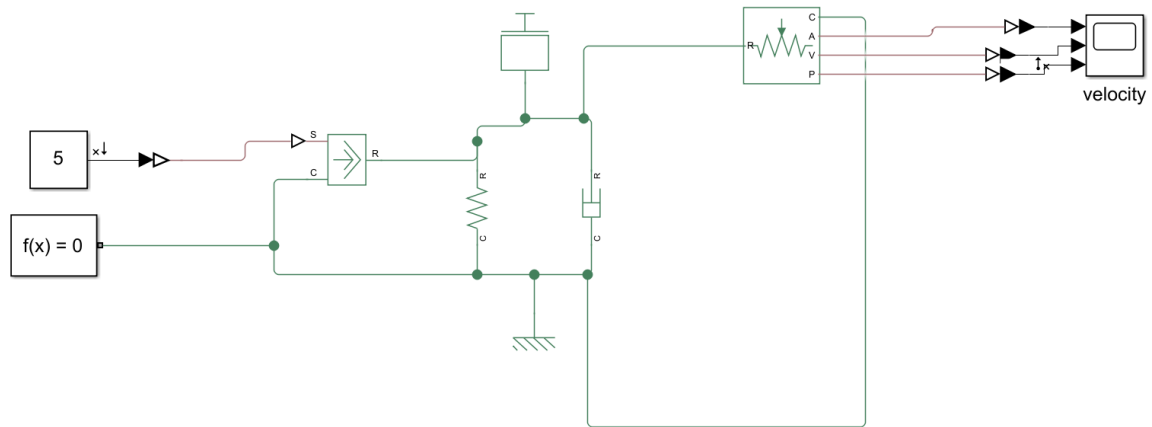
```
dx = dx';
```

end

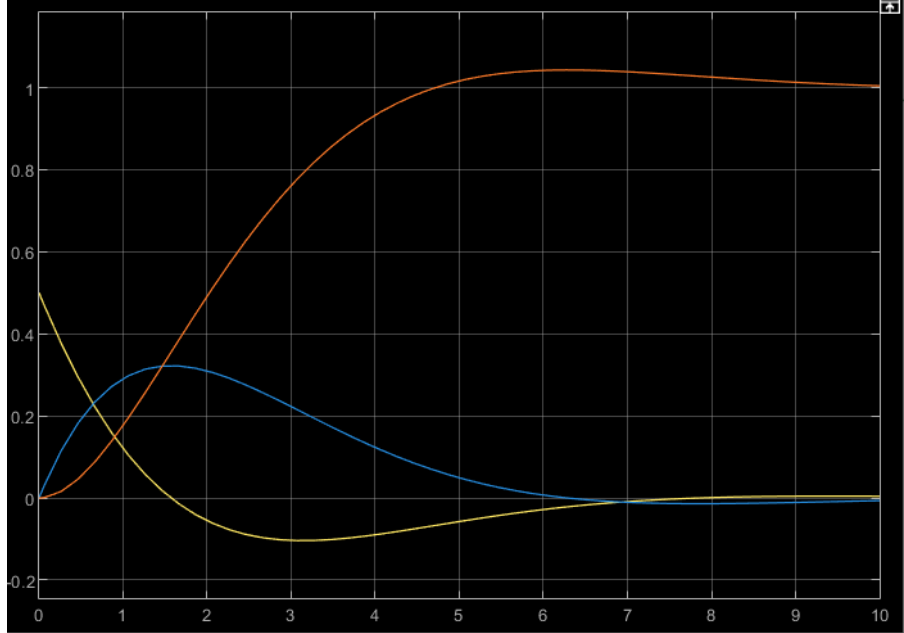


-----<(Simulink)>-----





File Tools View Simulation Help



Ready

Frame based T=10.000

Select linearization result: Display linearization result as: 

From input "u1" to output "y1":

0.1

-----  
 $s^2 + s + 0.5$ 

Name: Linearization at model initial condition

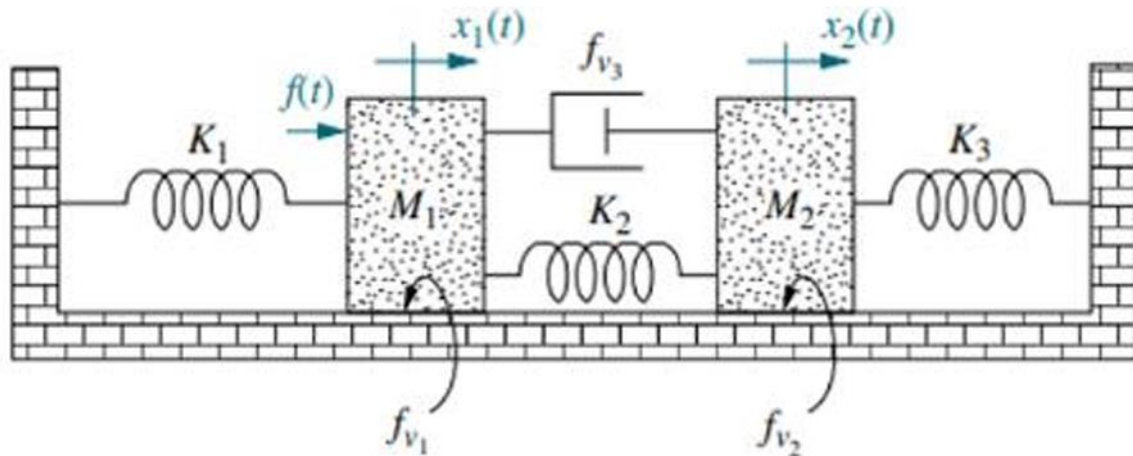
Continuous-time transfer function.

Model Properties

**Input Channel Names:**

# EXAMPLE\_2

## Example#02 ( Dual Mass Spring(s) Damper System)



### Simulink Results:

-----<(M File)>-----

% For constant torque 5Nm

clc

clear

TR = [0 5]; % time RANGE

X0 = [0;0;0;0];%initial conditions

[t,z] = ode45(@func1, TR, X0);%calling the solver to solve by function

%storing given array as vectors

theta1 = z(:, 1);

AngVel1 = z(:, 2);

theta2 = z(:, 3);

AngVel2 = z(:, 4);

%plotting the angular displacements and velocities

acc1 = diff(AngVel1);

acc2= diff(AngVel2);

plot(t,theta1,t,AngVel1,t,[0;acc1],t,theta2,t,AngVel2,t,[0;acc2]);

xlabel('time')

legend('Angular Displacement 1','Angular Velocity 1','Angular acceleration 1','Angular Displacement 2','Angular Velocity 2','Angular acceleration 2')

```

ylabel('position & Velocity')

title("m-file")

%function containing the differentialequations

function dx = func1(~, x)

% Values of Coefficients

J1=1; J2=10; D1=0.9; D2=0.02; k=3;T=5;

% State Equations

dx(1) = x(2);

dx(3) = x(4);

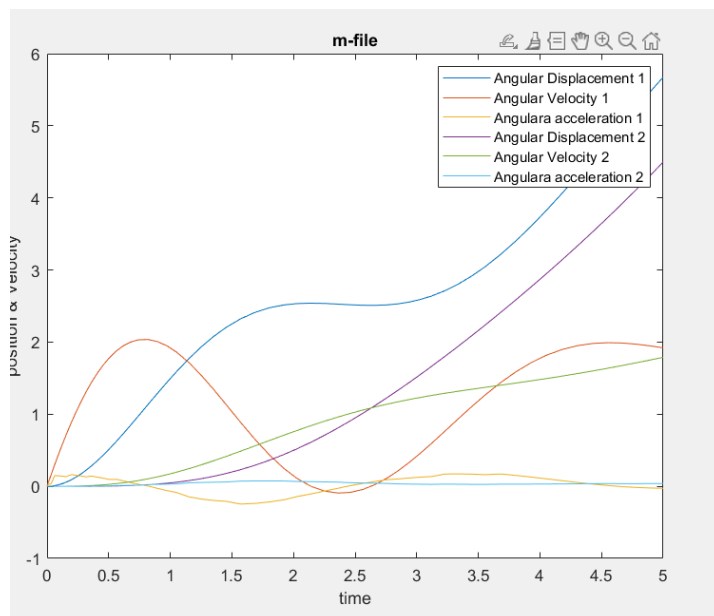
dx(2) = (T-D1*x(2)-k*x(1)+k*x(3))/J1;

dx(4) = (-k*x(3)-D2*x(4)+k*x(1))/J2;

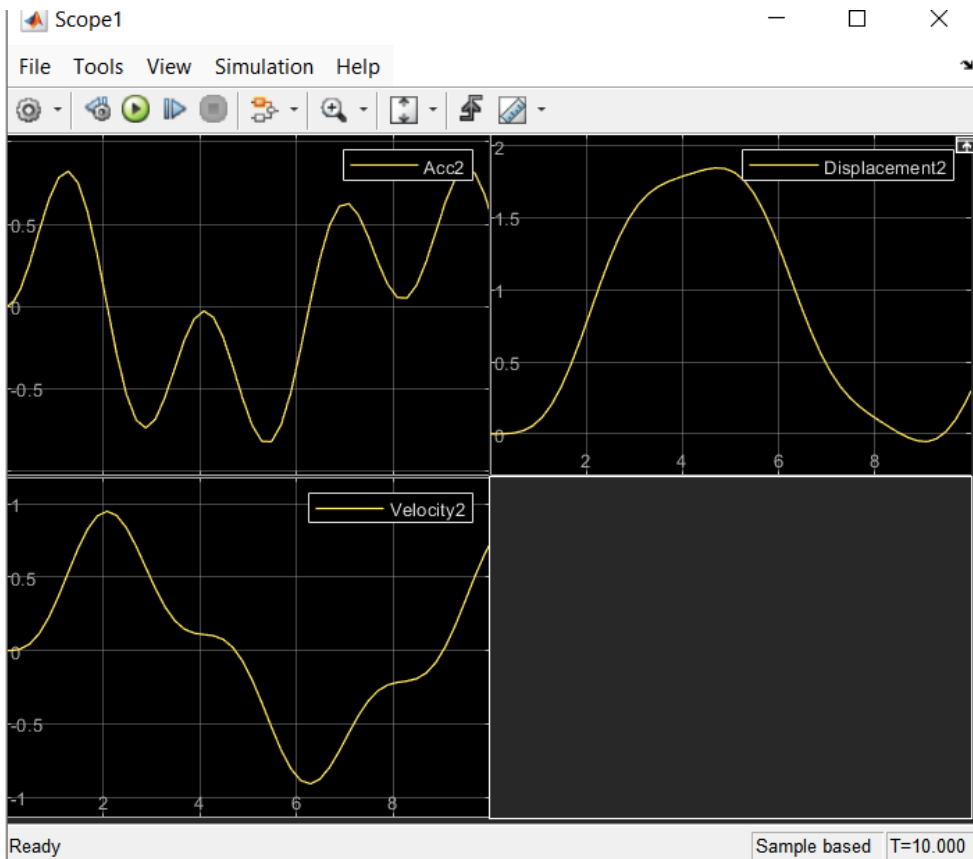
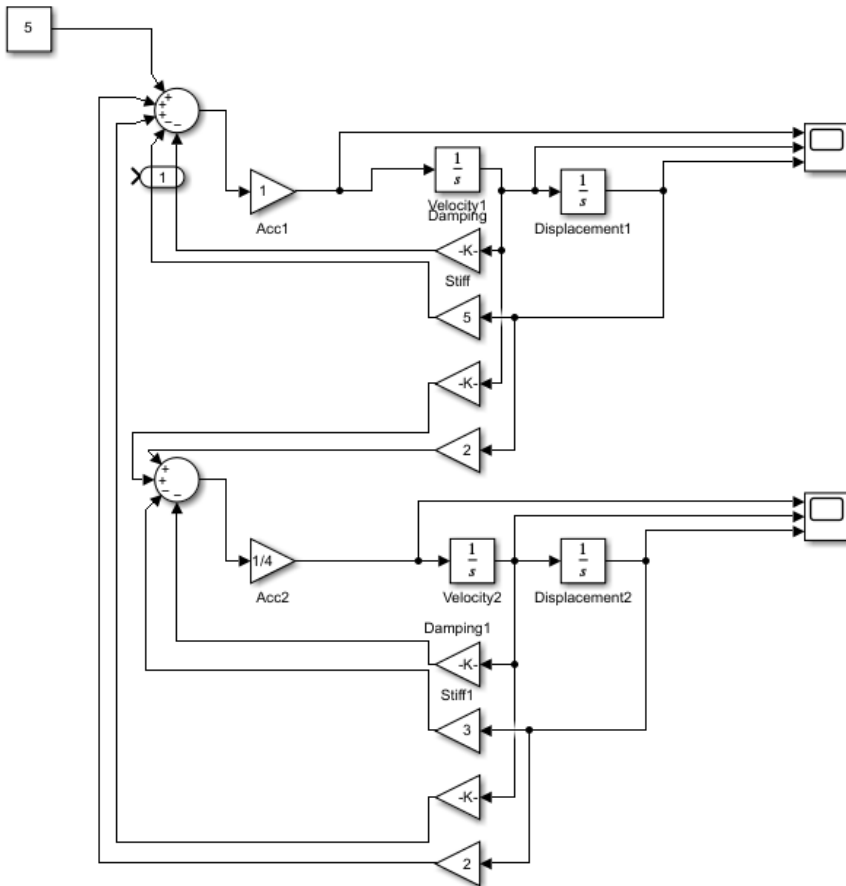
dx = dx';

end

```

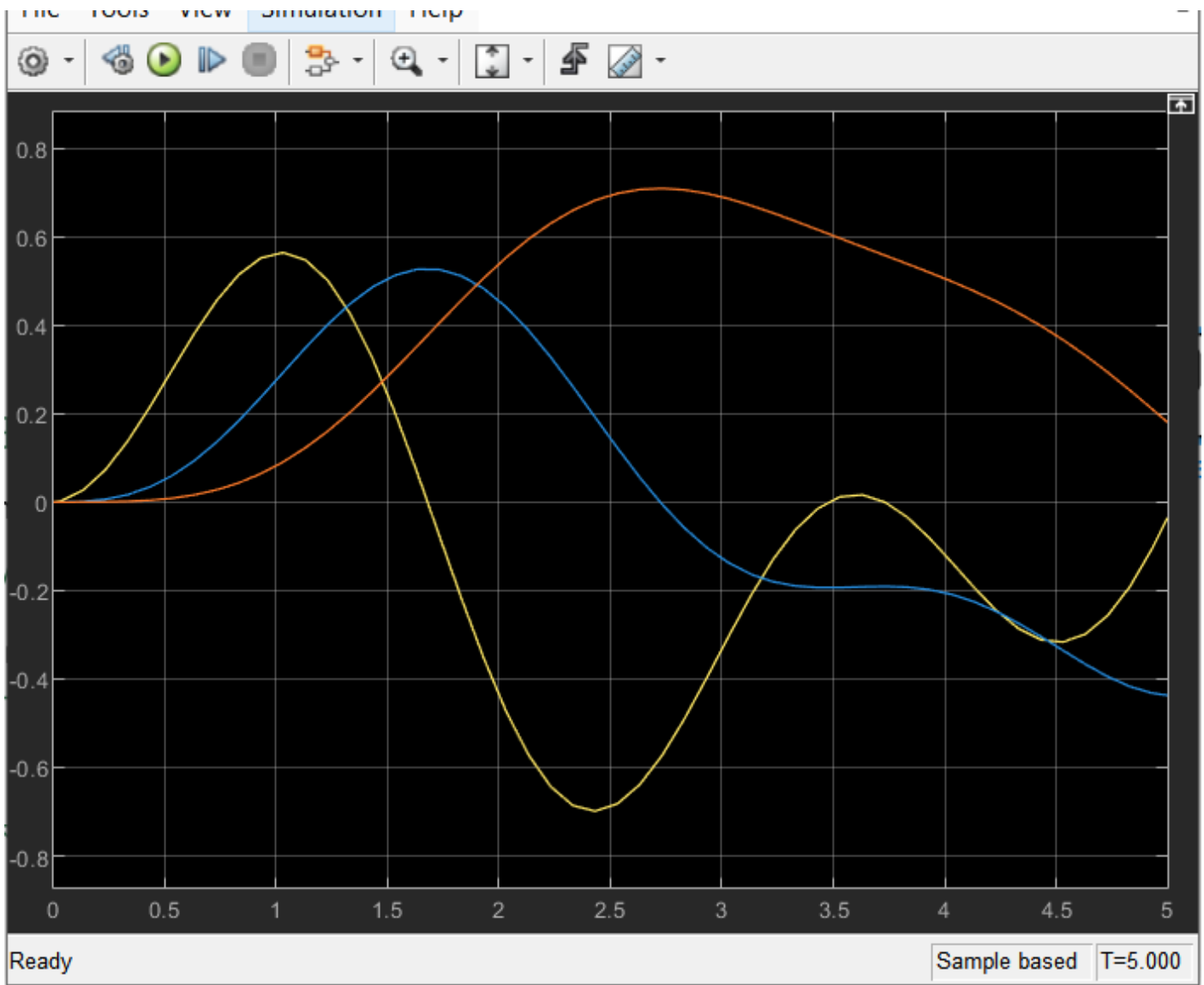
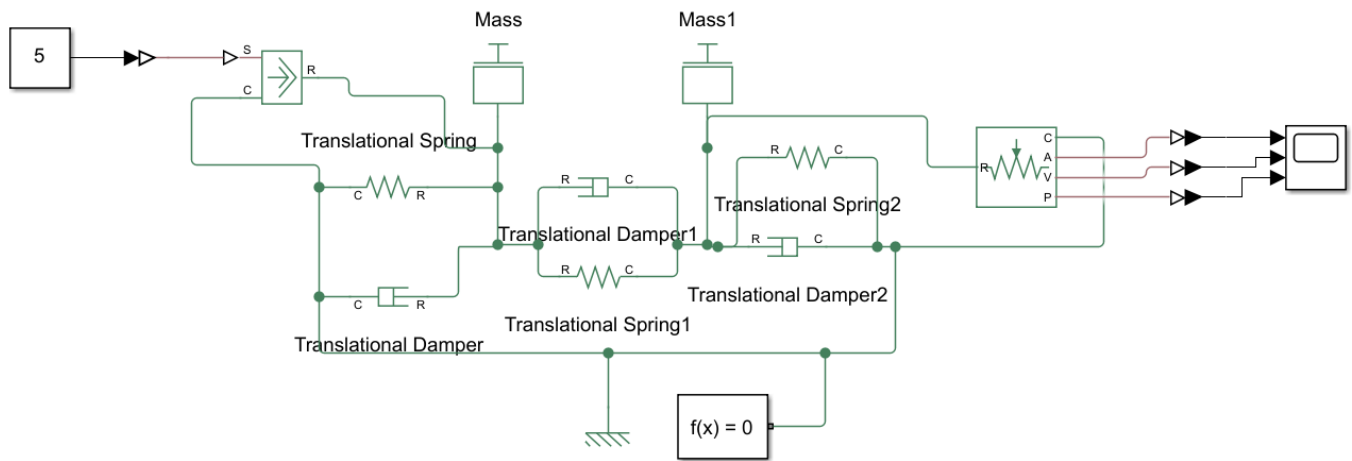


<(Simulink)>



<(SIMSCAPE)>





Linearization result details for linsys1:

Select linearization result:

Display linearization result as:

Transfer Function

**Linearization Result:**

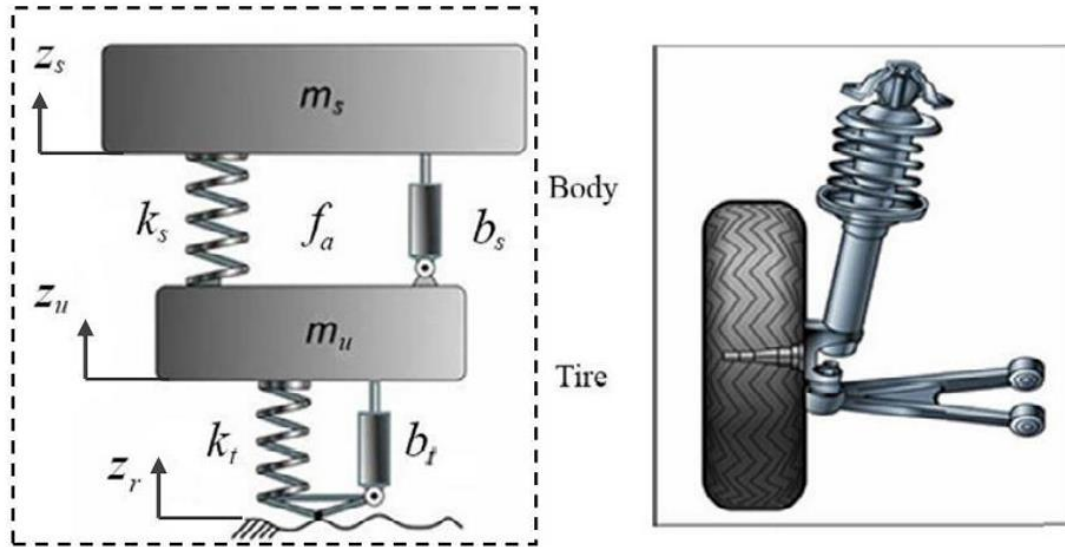
From input "u1" to output "y1":  
 $0.0025 s + 0.5$

-----  
 $s^4 + 0.0475 s^3 + 5 s^2 + 0.0325 s$

Name: Linearization at model initial condition  
Continuous-time transfer function.  
Model Properties

# EXAMPLE\_3

## Example#05 (Quarter Car Model)



### SIMSCAPE MODEL

-----<(M File)>-----

```
syms s zrdot
```

```
A=[(mu*s^2+(bs+bt)*s+ks+kt) , -(ks+bs*s) ; -(ks+bs*s) , (ms*s^2+ks+bs*s)];
```

```
B=[(kt/s+bt)*zrdot;0];
```

```
C=A\B;
```

```
zs=C(1);
```

```
G=zs/zrdot;
```

```
G=collect(G,s);
```

```
[num,den]=numden(G);
```

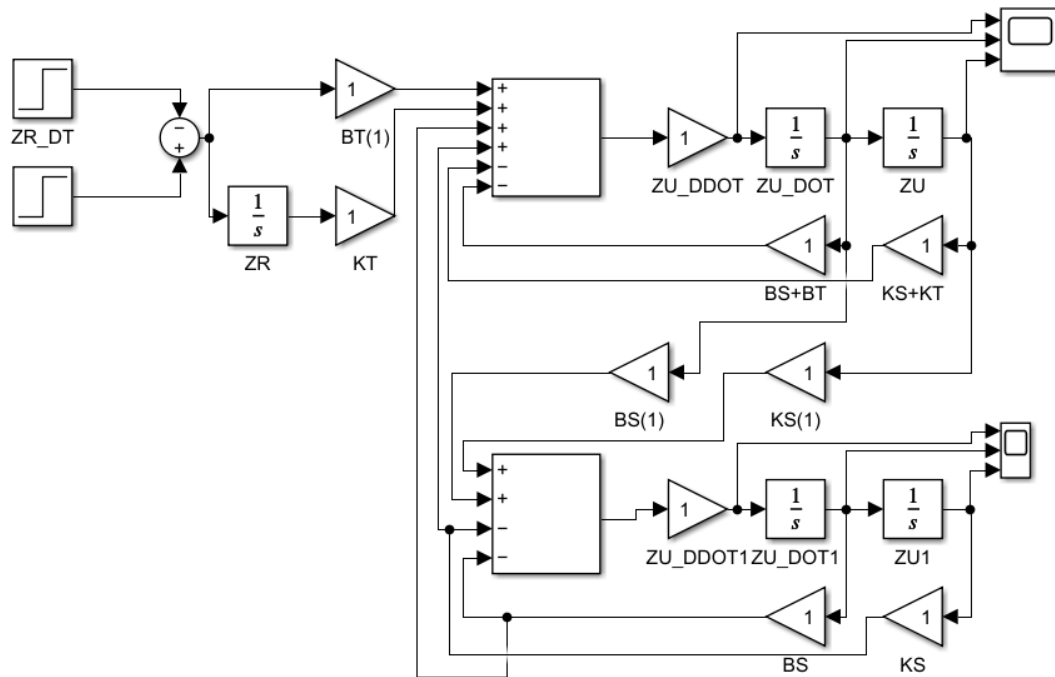
```
num=sym2poly(num);den=sym2poly(den);
```

```
num=num/den(1); %dividing by den(1) means dividing by the leading coefficient of denominator i.e., 20 in this case.
Done to match the outputs.
```

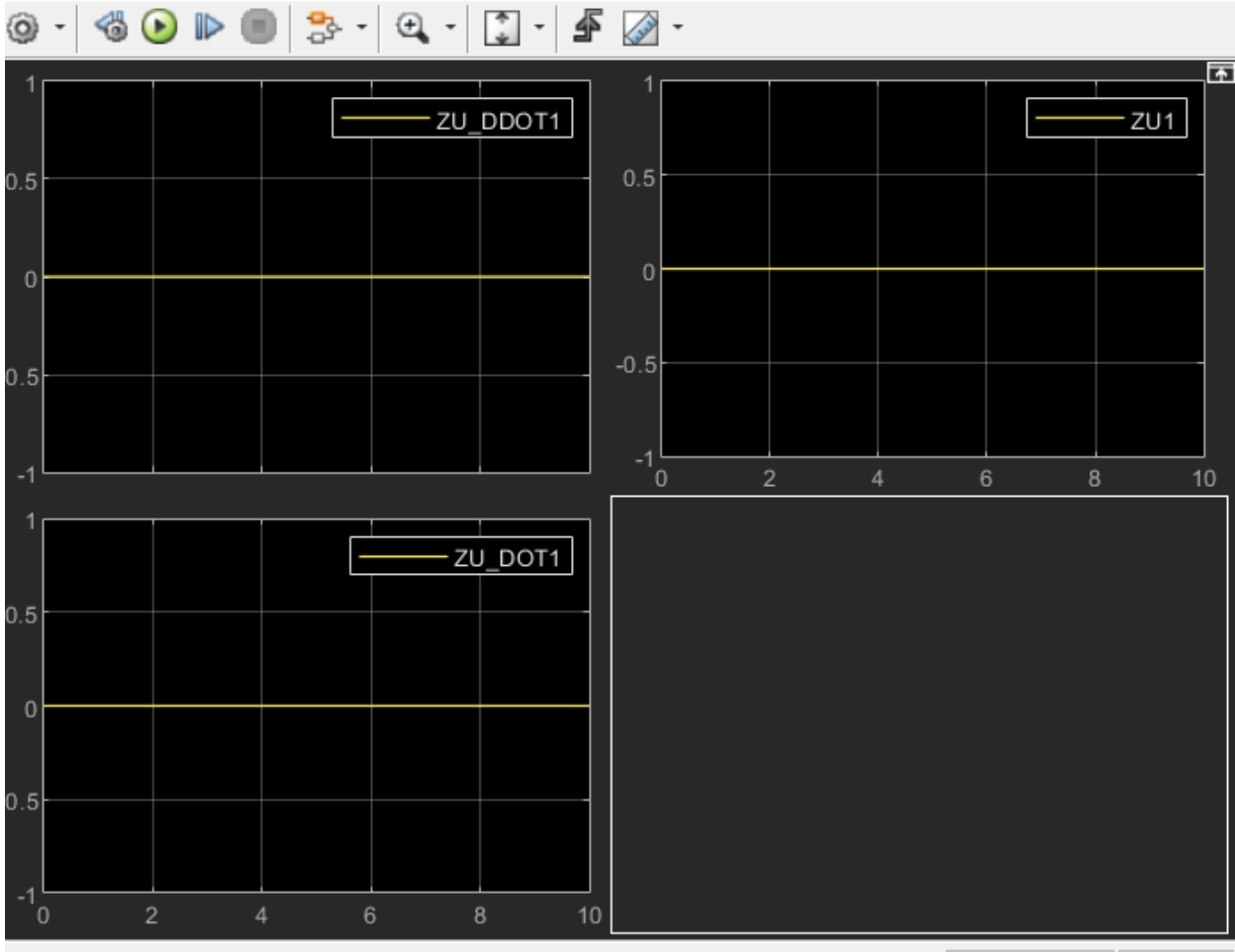
```
den=den/den(1);
```

```
G=tf(num,den)
```

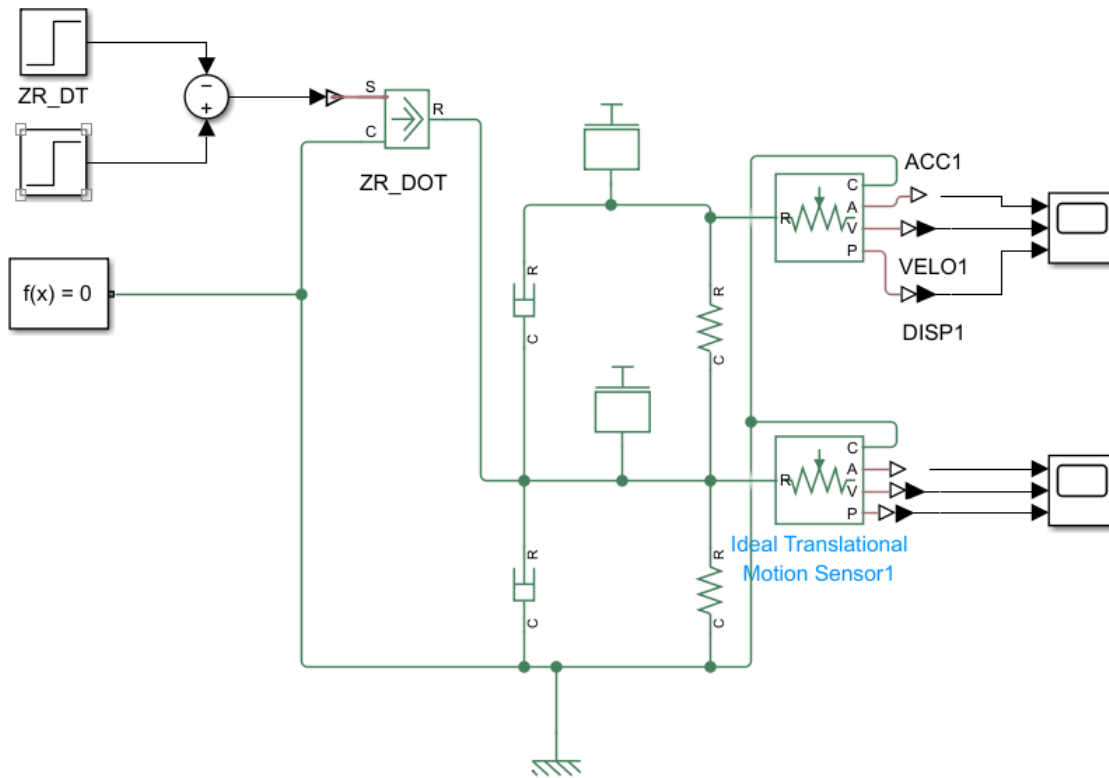
-----<(Simulink)>-----



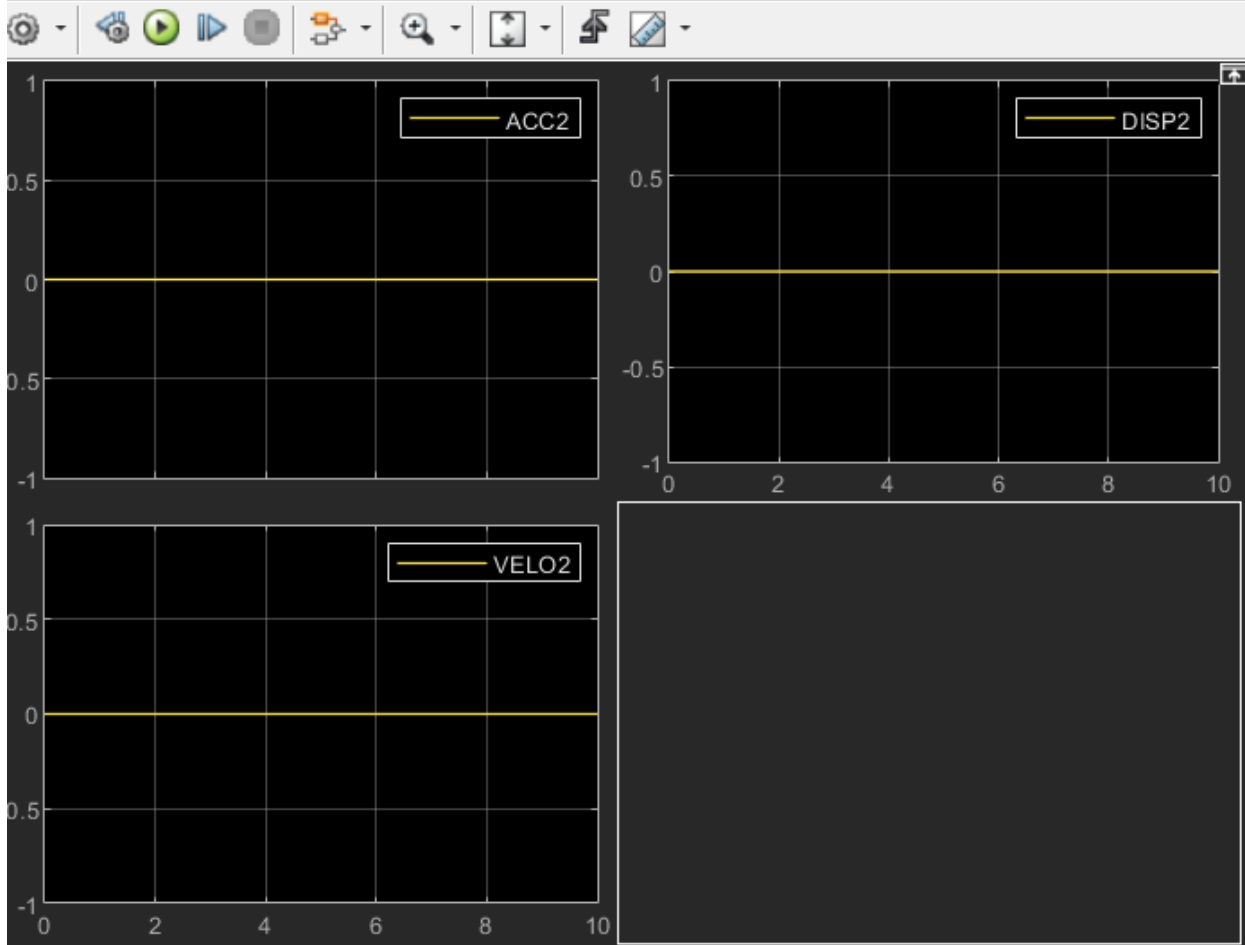
File Tools View Simulation Help



<(SIMSCAPE)>



File Tools View Simulation Help

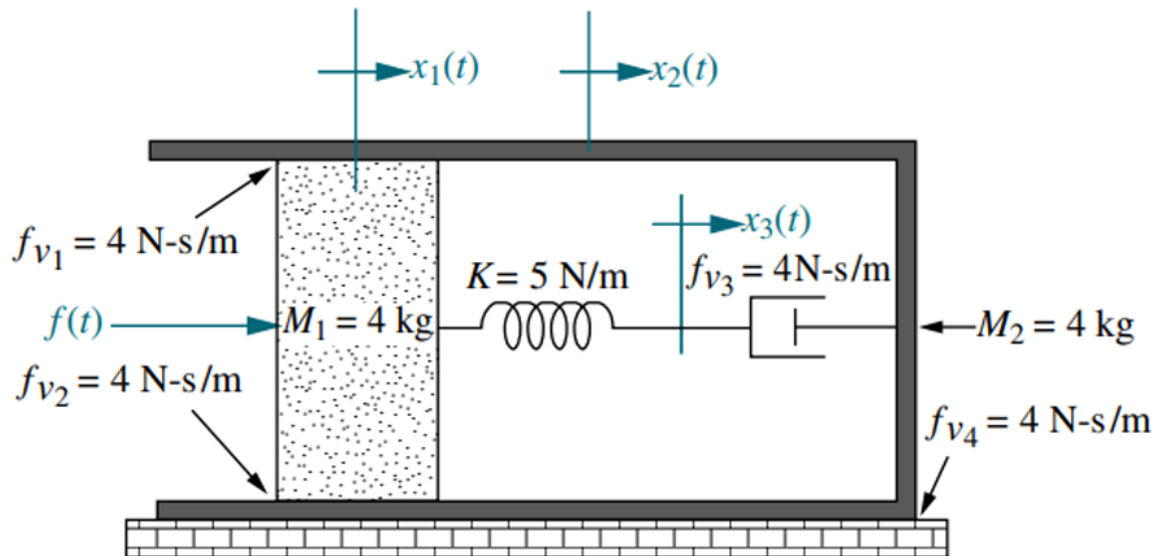


Ready

Sample based T=10.000

# EXAMPLE\_4

## Example#06 (Framed System: Translational Piston Spring System)



### Simulink Model

-----<(M File)>-----

```

clc;
TR=0:0.01:10;
x0=[0;0;0;0;0];
[t,x]=ode45(@Task2Fun,TR,x0);
x1=x(:,1);
x1_dot=x(:,2);
x1_ddot=gradient(x1_dot)./gradient(t);
x2=x(:,3);
x2_dot=x(:,4);
x2_ddot=gradient(x2_dot)./gradient(t);
subplot(2,3,1);
plot(t,x1);xlabel('time');ylabel('x1');
subplot(2,3,2);
plot(t,x1_dot);xlabel('time');ylabel('x1 dot');
subplot(2,3,3);
plot(t,x1_ddot);xlabel('time');ylabel('x1 double dot');
subplot(2,3,4);
plot(t,x2);xlabel('time');ylabel('x2');

```

```

subplot(2,3,5);

plot(t,x2_dot);xlabel('time');ylabel('x2 dot');

subplot(2,3,6);

plot(t,x2_ddot);xlabel('time');ylabel('x2 double dot')

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%

function dy=Task2Fun(t,y)

    f=1;

    dy(1)=y(2);

    dy(2)=1/4*(f - 8*y(2) - 5*y(1) + 8*y(4) + 5*y(5));

    dy(3)=y(4);

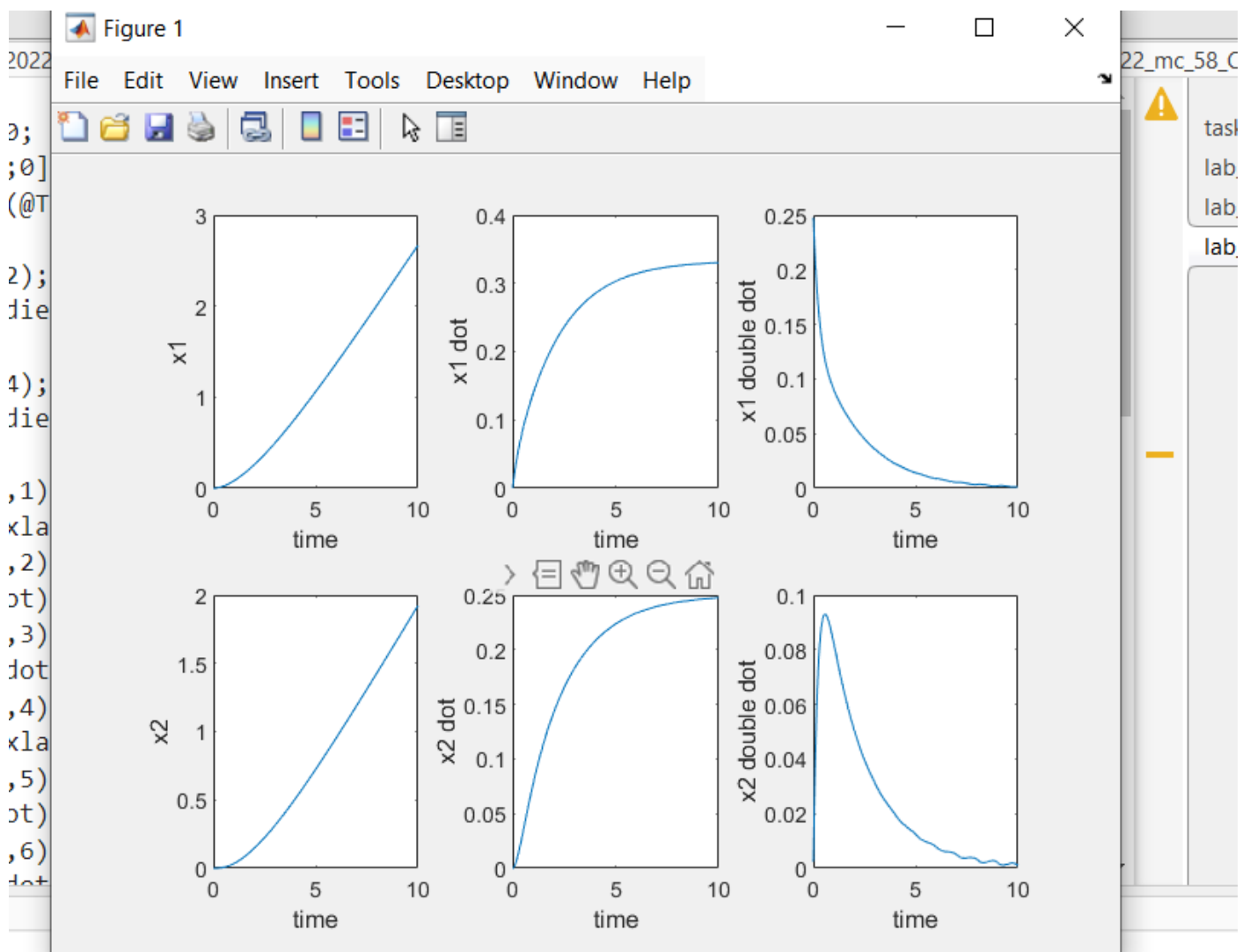
    dy(5)=1/4*(5*y(1) + 4*y(4) - 5*y(5));

    dy(4)=1/4*(8*y(2) + 4*dy(5) - 16*y(4));

    dy=dy';

end

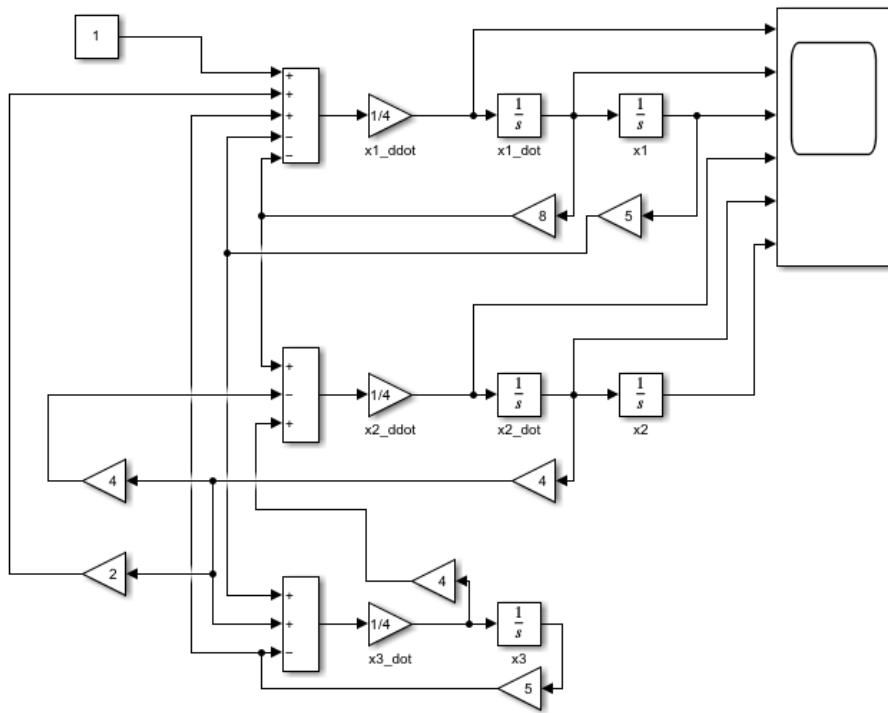
```



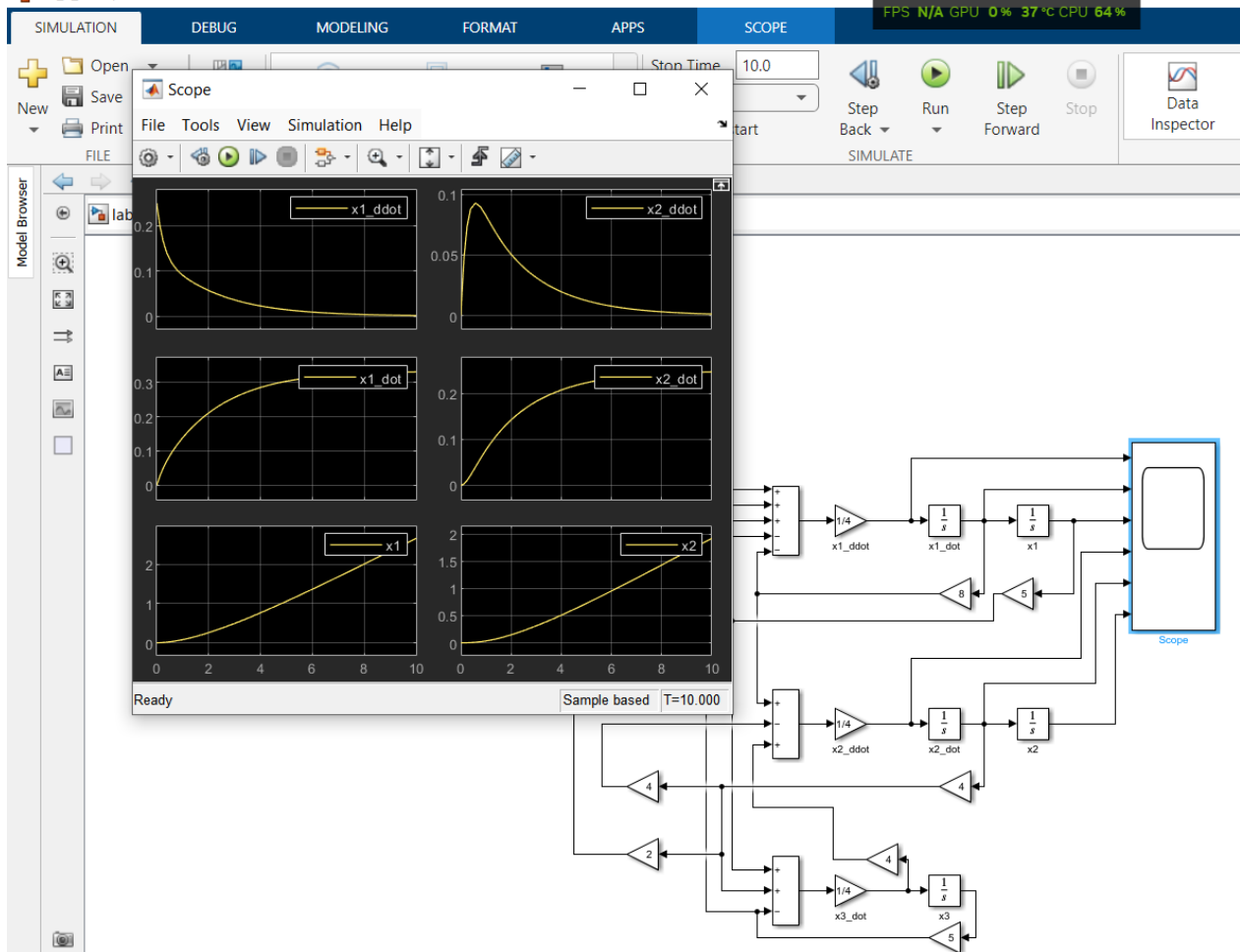


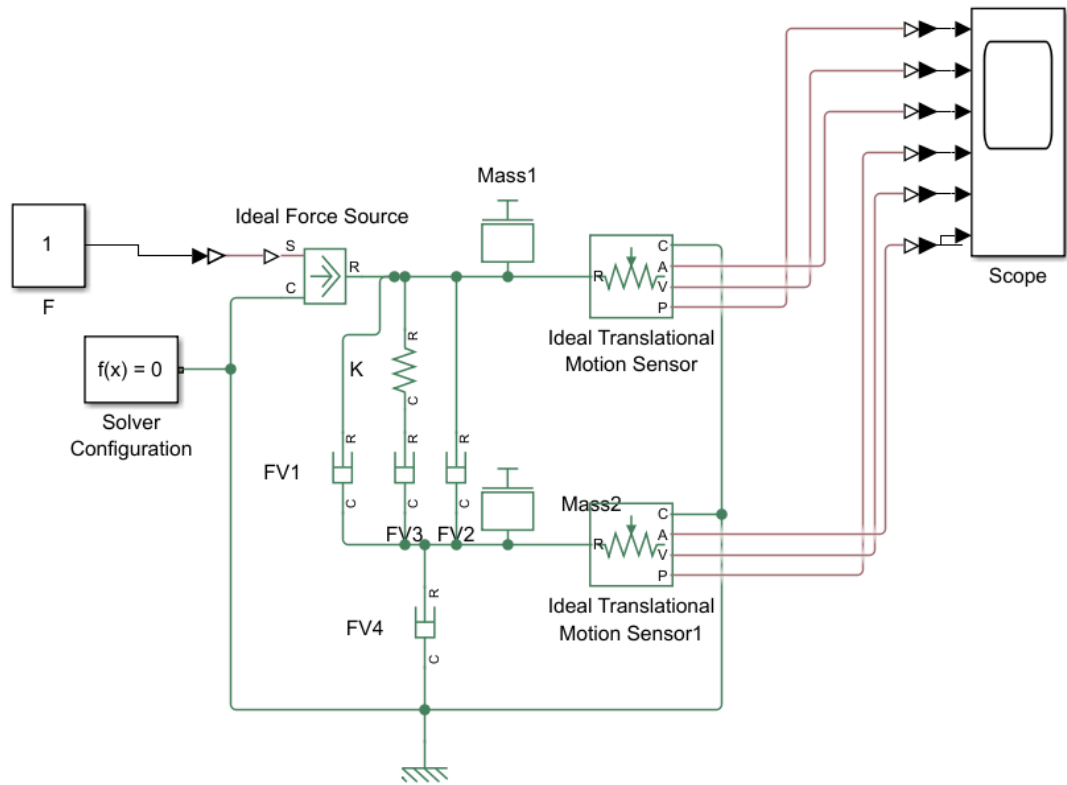


<(Simulink)>

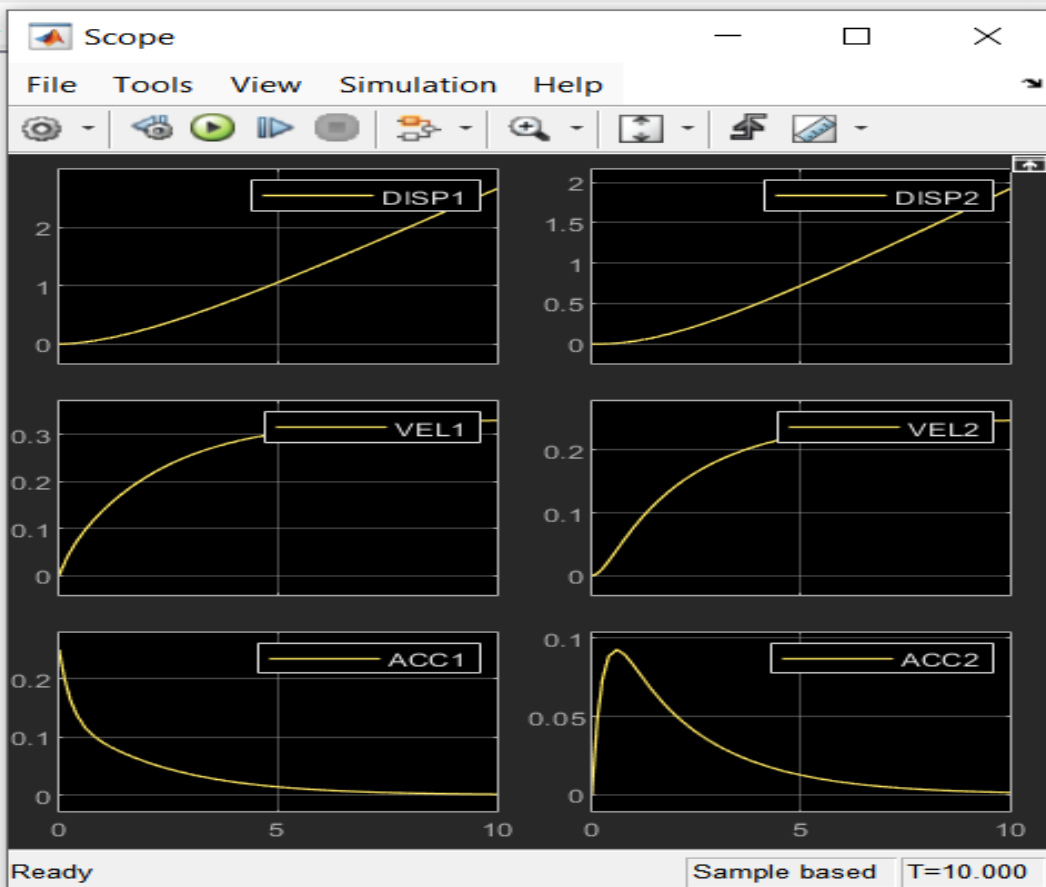


lab\_1\_task4/SIMULINK \* - Simulink





SCAPE



Select linearization result:

Display linearization result as:

Transfer Function

### Linearization Result:

From input "u1" to output "y1":

$$0.5 s^2 + 0.9375 s - 5.847e-16$$

$$\frac{0.5 s^2 + 0.9375 s - 5.847e-16}{s^3 + 6.25 s^2 + 10.75 s + 3.75}$$

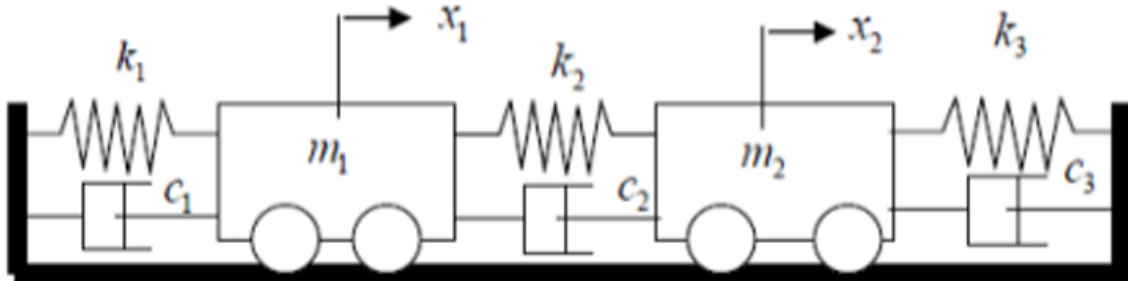
Name: Linearization at model initial condition

Continuous-time transfer function.

Model Properties

## Example\_5

**Task#03:** A dual mass cart is moving on a frictionless surface which in turn ignores the influence of the external disturbance as shown in Figure. It is assumed that cart is beheld between a single frame which in turn corresponds the stiffness as well as damping characteristics of the cart. You are required to analyze the displacements and velocities of both masses. **Assume the force is being applied to mass 1. The value of this force will be given by the user. It can either be a single force value (5N) or a range of forces.**



-----<(M File)>-----

```
function dy=Task4Fun(t,y,f)
```

```
    m1=1;
```

```
    m2=4;
```

```
    k1=3;
```

```
    k2=2;
```

```
    k3=1;
```

```
    c1=0.03;
```

```
    c2=0.02;
```

```
    c3=0.01;
```

```
    dy(1)=y(2);
```

```
    dy(3)=y(4);
```

```
    dy(2)=1/m1*(f-(k1+k2)*y(1)-(c1+c2)*y(2)+c2*y(4)+k2*y(3));
```

```
    dy(4)=1/m2*(-(c2+c3)*y(4)-(k2+k3)*y(3)+k2*y(1)+c2*y(2));
```

```
    dy=dy';
```

```
end
```

```
clc;
```

```
query=input('Do you want to analyze the system at single Force (5N) or on a range of forces? (Single/Range) >> ','s');
```

```
TR = [0 10];
```

```

X0 = [0;0;0;0];

if query=="Single" || query=="single"
    range=[5,5];
    inc=1;
elseif query=="Range" || query=="range"
    range=input('Please enter a start and an end value for the force in the format [start,end] >> ');
    inc=input('Please enter an increment value >> ');
end

for F=range(1):inc:range(2)
    [t,y]=ode45(@(t,y) Task4Fun(t,y,F),TR,X0);
    x1=y(:,1);
    v1=y(:,2);
    x2=y(:,3);
    v2=y(:,4);
    subplot(1,4,1);
    plot(t,x1);
    hold on;
    xlabel('time');
    ylabel('Displacement-1');
    subplot(1,4,2);
    plot(t,v1);
    hold on;
    xlabel('time');
    ylabel('Velocity-1');
    subplot(1,4,3);
    plot(t,x2);
    hold on;
    xlabel('time');
    ylabel('Displacement-2');
    subplot(1,4,4);
    plot(t,v2);
    hold on;
    xlabel('time');

```

```

ylabel('Velocity-2');

end

text="";

for i=range(1):inc:range(2)

    text(end+1)=sprintf("%dN force",i);

end

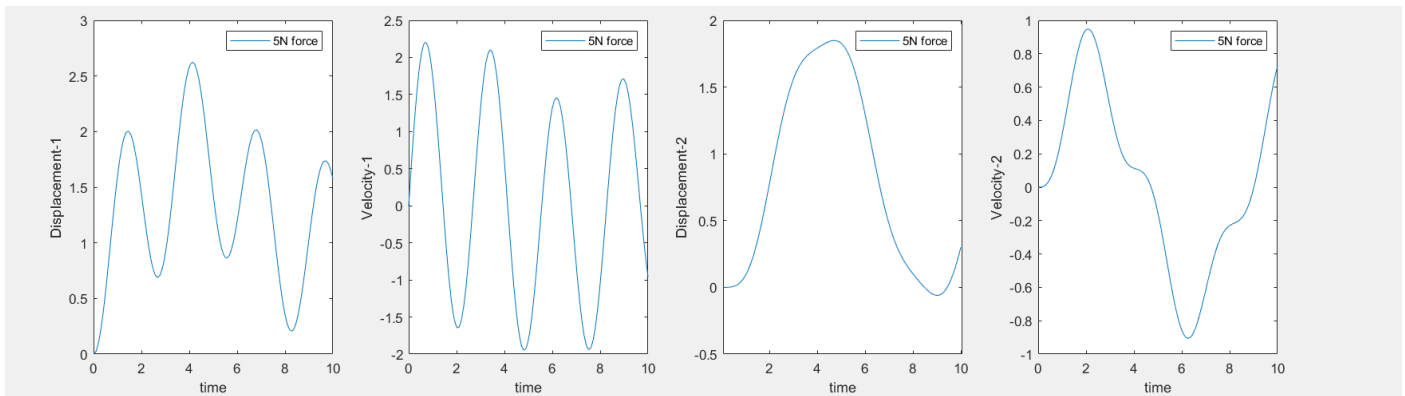
text=text(2:end);

for i=1:4

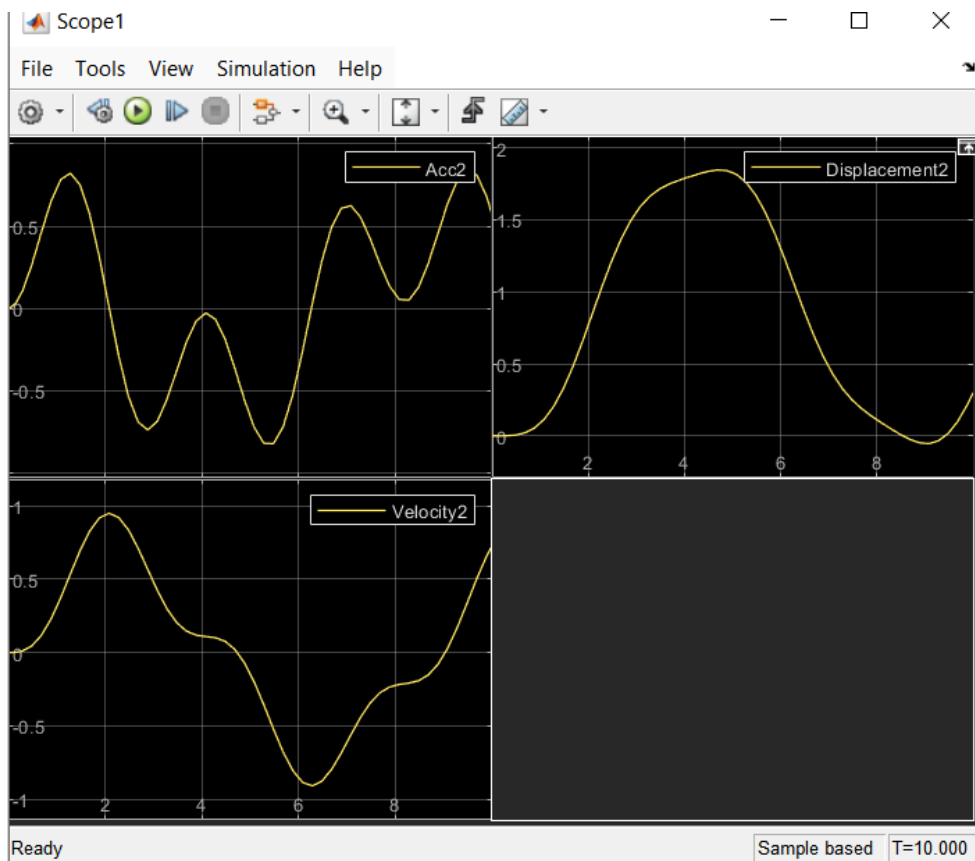
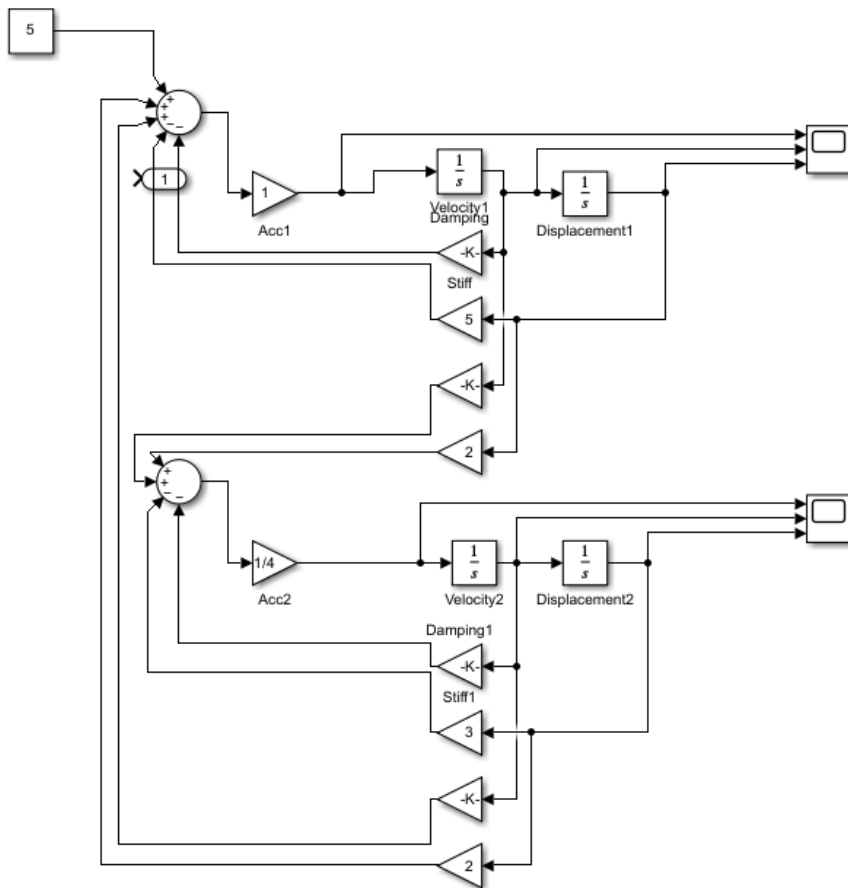
    subplot(1,4,i);legend(text);

end

```



-----<(Simulink)>-----



-----<(SIMSCAPE)>-----

