

# Channel Coordination on Exclusive vs. Non-Exclusive Content under Endogenous Consumer Homing

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# Research Question

**Does a snowballing effect exist in content access platform markets, where high existing incremental value leads to consumer multihoming, which in turn encourages content providers to pursue exclusive distribution?**

**How does this interplay affect the wholesale terms of trade between platforms and content providers?**

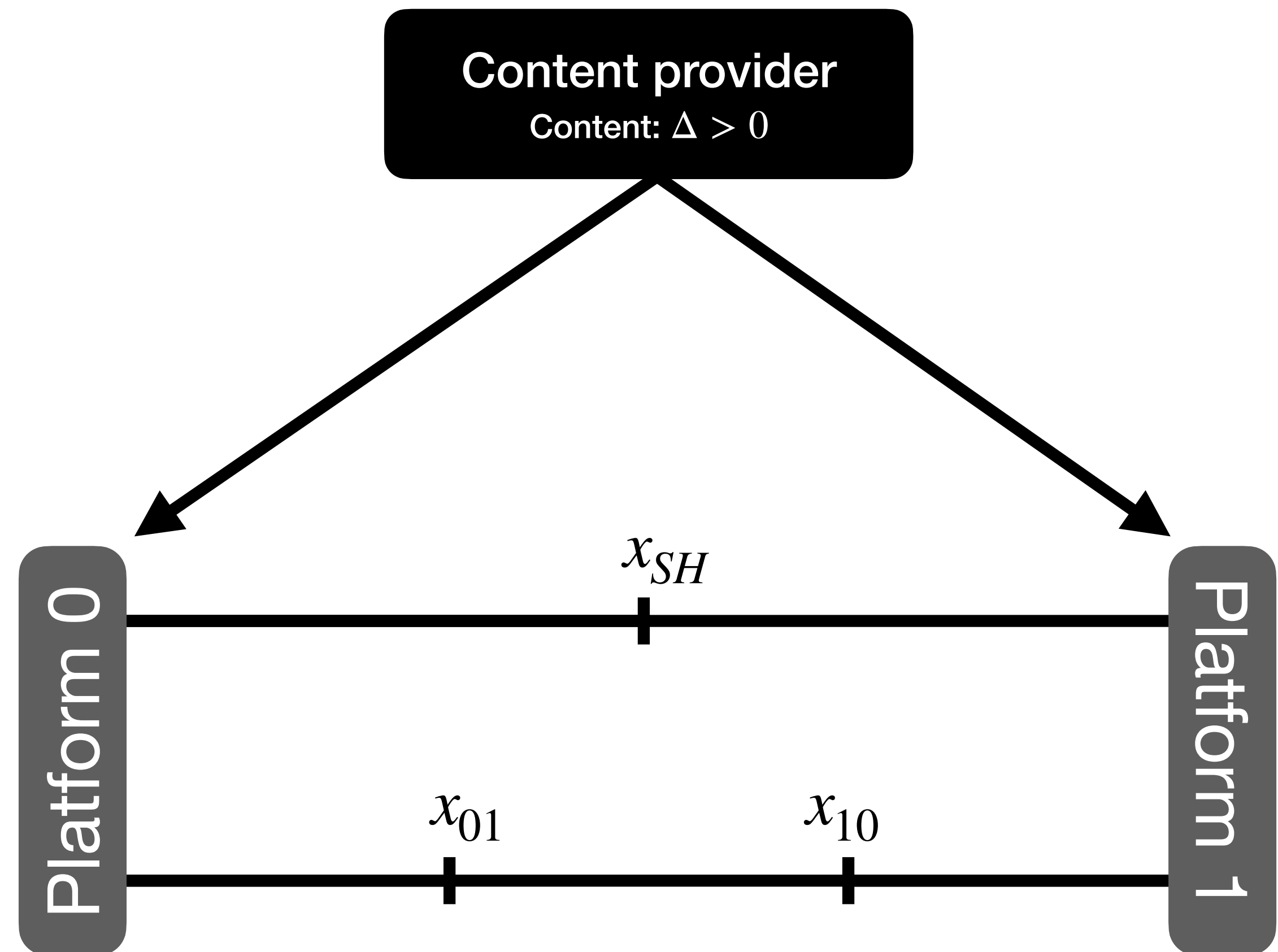
# Model

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## Layout

(Armstrong, 1999; Stennek, 2014; Weeds, 2015; Jiang et al., 2019)

- Downstream, distribution platforms,  
 $i = 0, 1$
- Upstream, independent, monopoly  
content provider
- Subgame Perfect Nash Equilibrium,  
two-stage game:
  1. Access pricing stage
  2. Price competition stage



# Model

## Demand

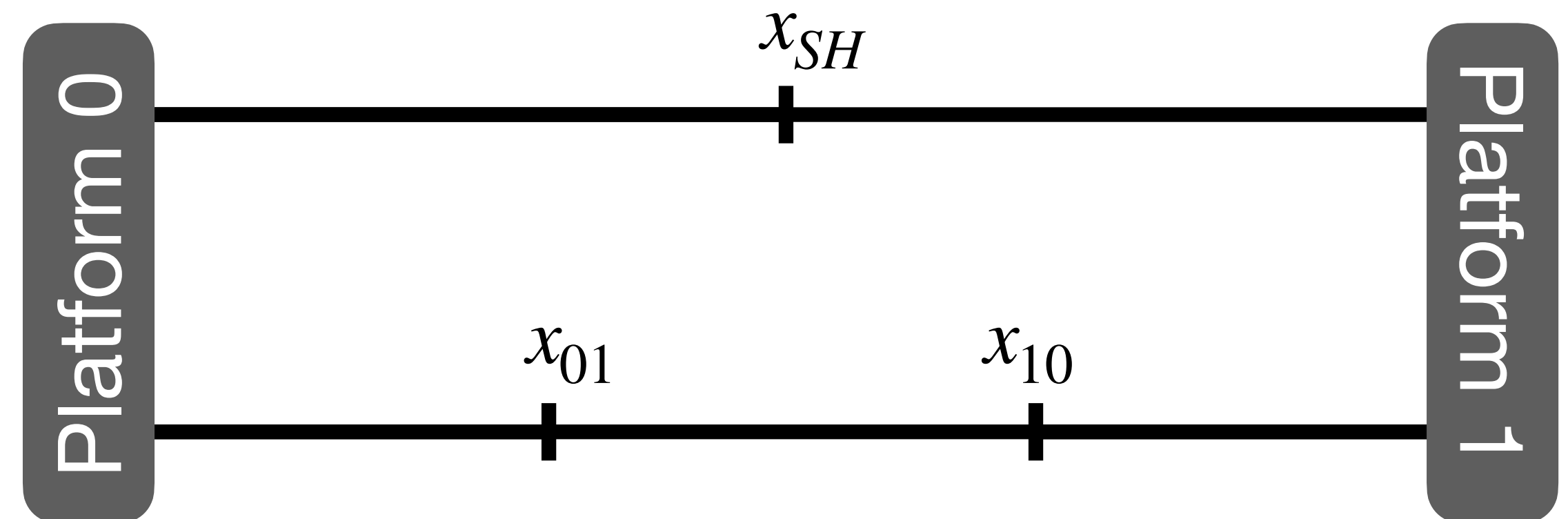
(Hotelling, 1929; Kim and Serfes, 2006; Anderson et al., 2017)

- Consumer singlehoming utility:  
 $u_i(x) = n + \varepsilon_i - p_i - t |X_i - x|$
- Singlehoming demand follows from *indifferent-consumer margin*,  $u_0(x) = u_1(x)$  :

$$D_i^{SH} = \frac{1}{2} + \frac{\varepsilon_i - p_i}{2t} - \frac{\varepsilon_j - p_j}{2t}$$

- Consumer multihoming utility:  
 $u_B = n + \varepsilon_0 + \varepsilon_1 - p_0 - p_1 - t$
- Multihoming demand follows from *singlehomer-multihomer margins*,  $u_i(x) = u_B$  :

$$D_i^{MH} = \frac{\varepsilon_i - p_i}{t}$$

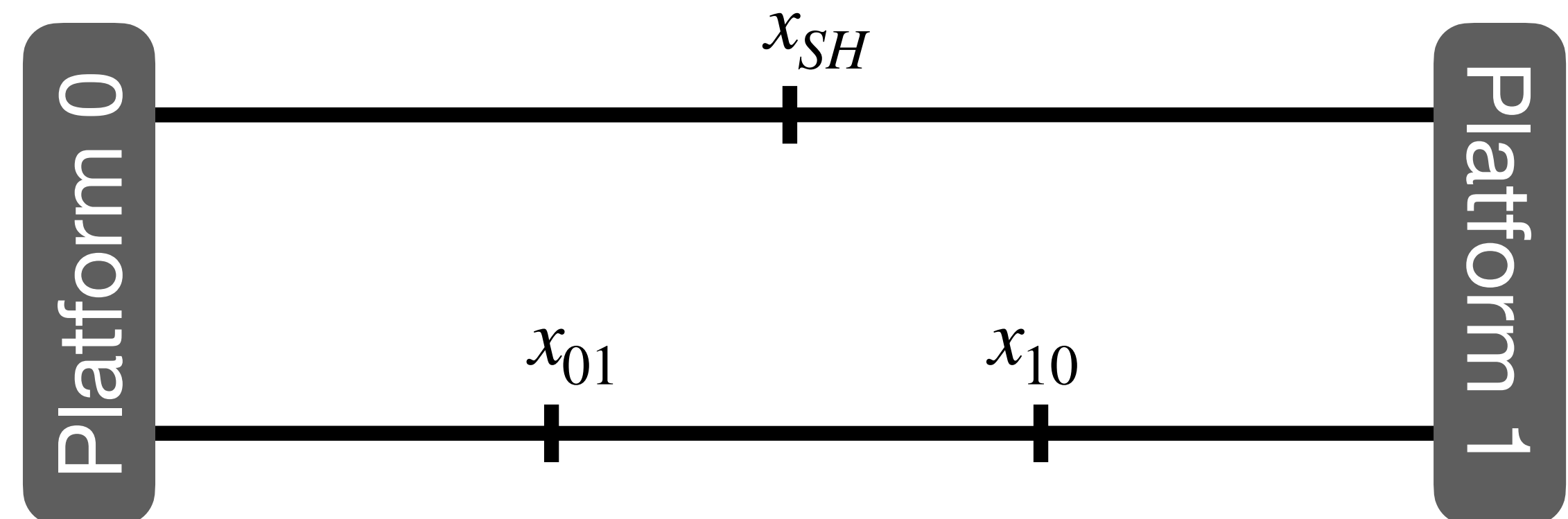
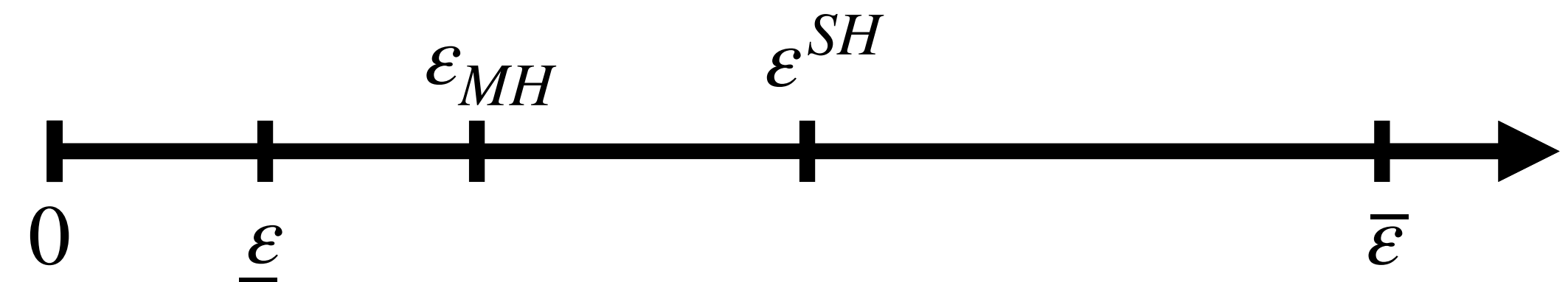


# Analysis

# Analysis

## Stage 2 Nash equilibrium

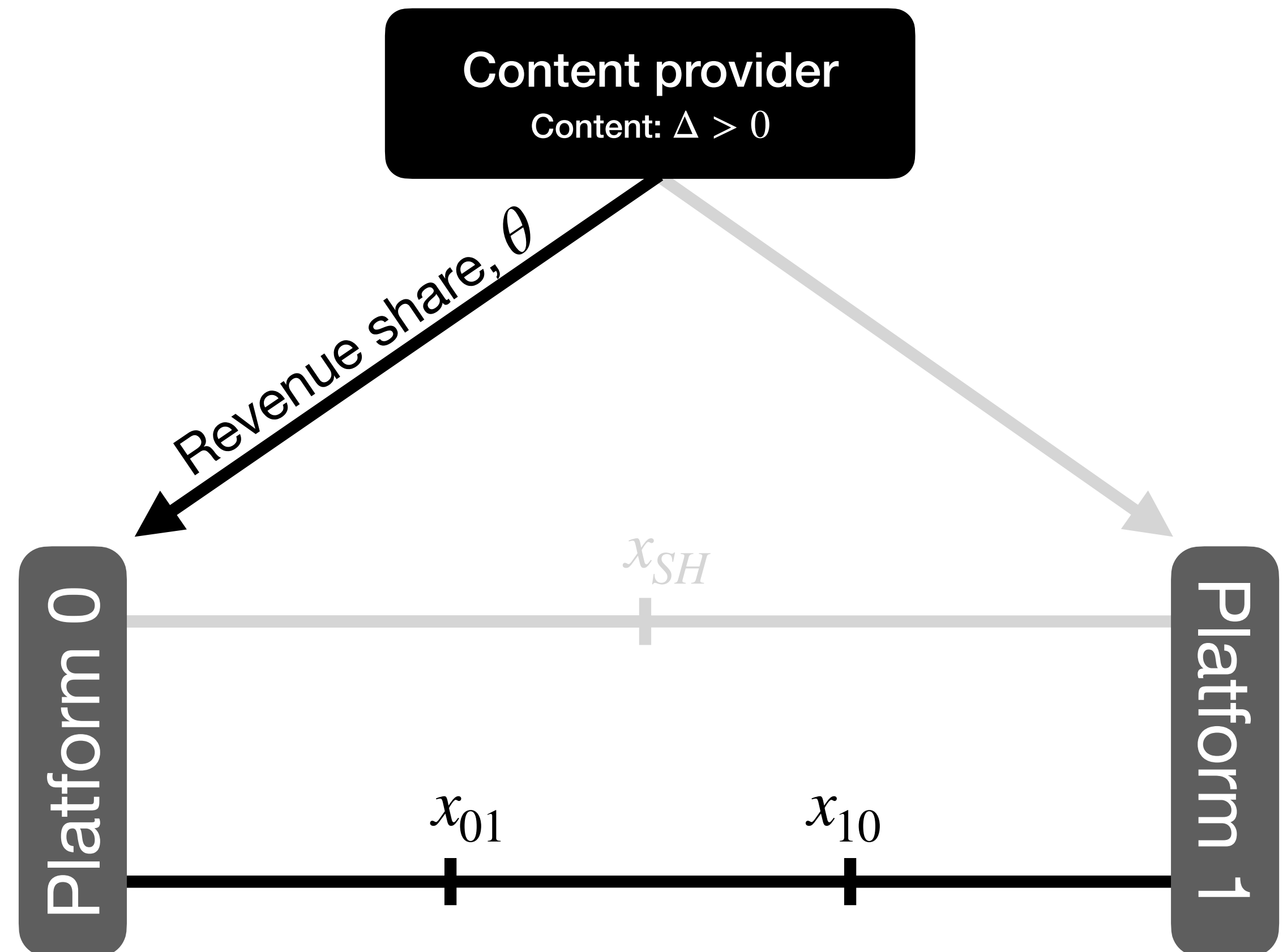
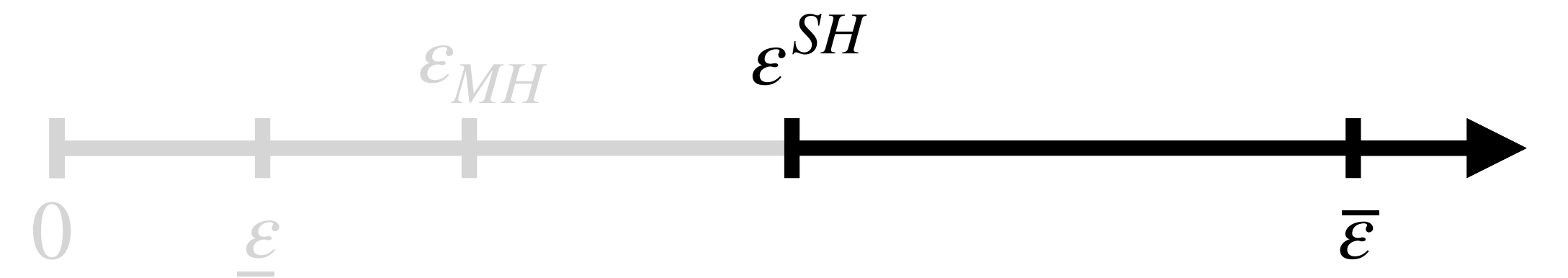
- Equilibrium candidates:
  - Singlehoming:  $(p_i^{SH}, \pi_i^{SH})$
  - Multihoming:  $(p_i^{MH}, \pi_i^{MH})$
- Deviation constraints:
  - $\pi_i^{SH} - \pi_i^{MH} > 0$   
iff  $\varepsilon < \varepsilon^{SH}$
  - $\pi_i^{MH} - \pi_i^{SH}(p_i^{SH}(p_j^{MH}), p_j^{MH}) > 0$   
iff  $\varepsilon > \varepsilon_{MH}$



# Analysis

## Stage 1: consumer multihoming

- Non-exclusive distribution  
access price: s.t.  $\pi_1^{MH}(\Delta, \Delta) \geq \pi_1^{MH}(\Delta, 0)$ 
  - $\pi_{CP}^{MH}(\theta, \theta) = \pi_{CP}^{MH}(w, w) = 0$
- Exclusive distribution:  
access price: s.t.  $\pi_0^{MH}(\Delta, 0) \geq \pi_0^{MH}(0, 0)$ 
  - $\pi_{CP}^{MH}(\theta, 0) > 0, \pi_{CP}^{MH}(w, 0) > 0$

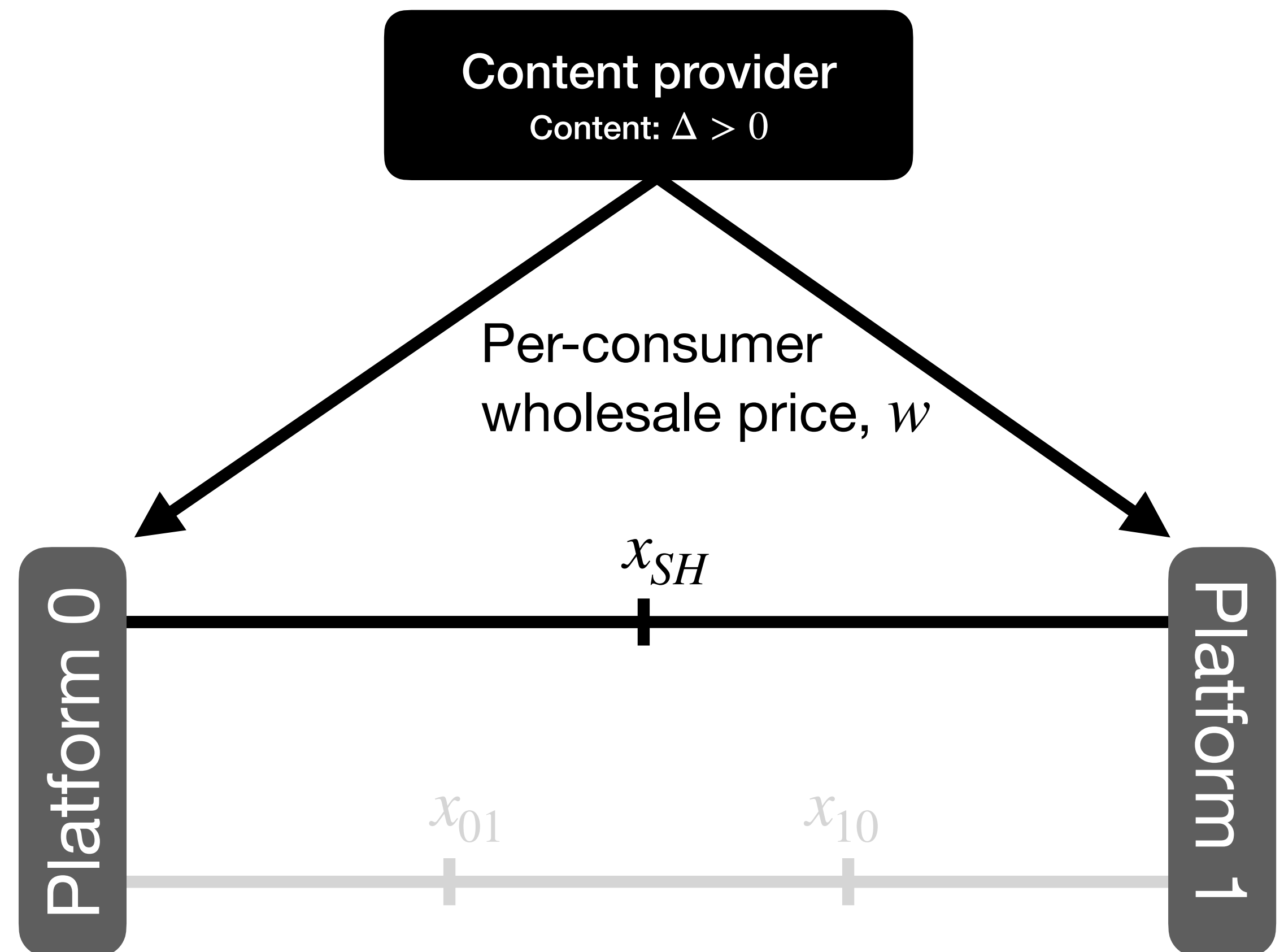
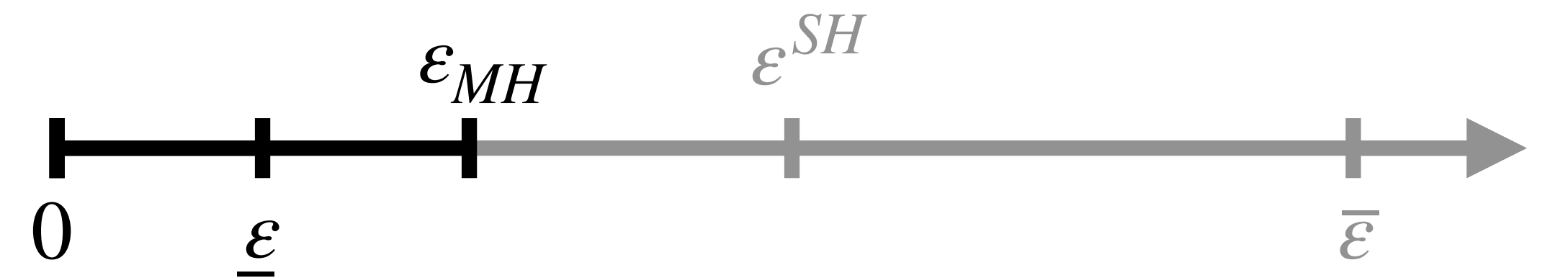




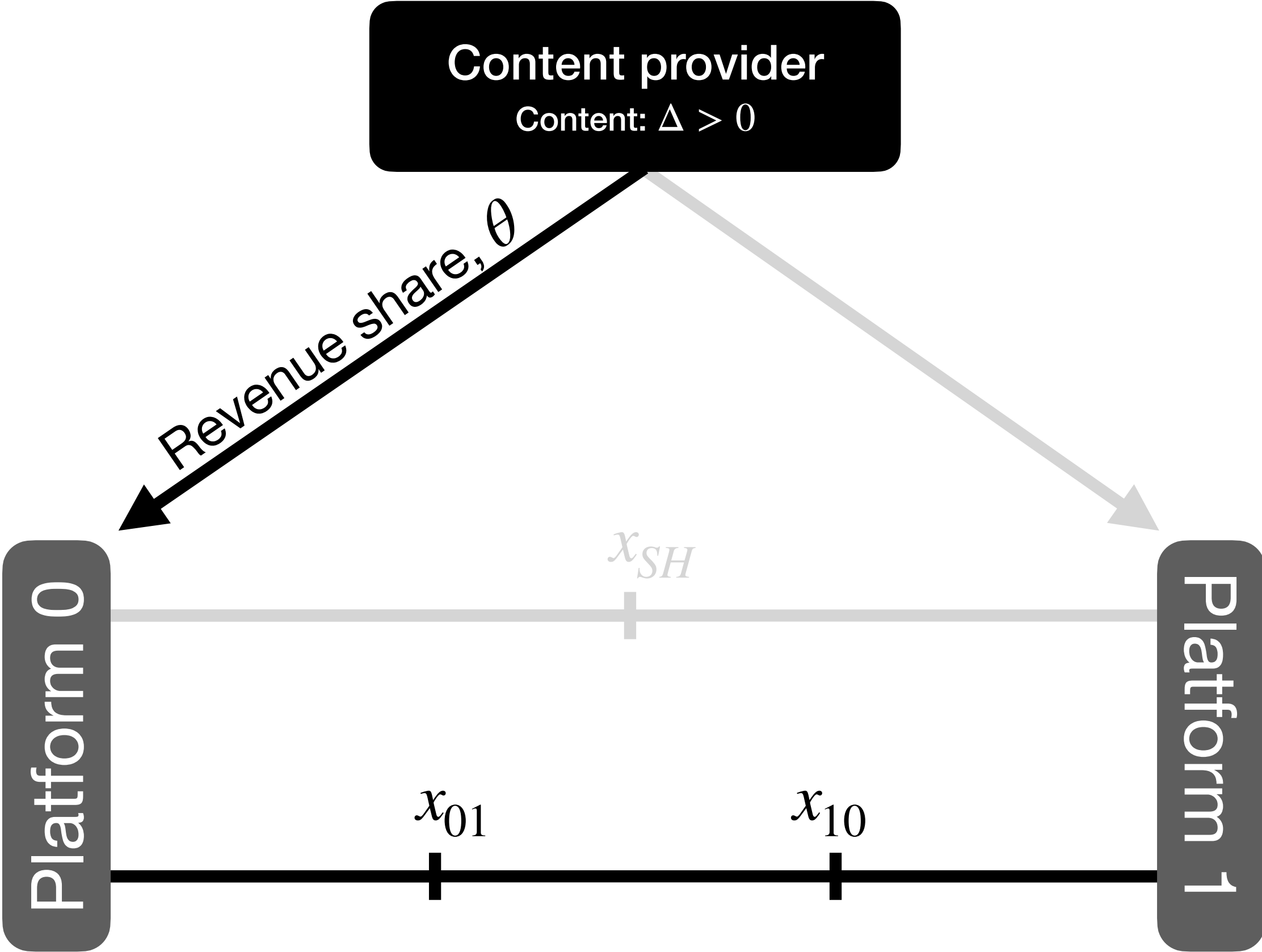
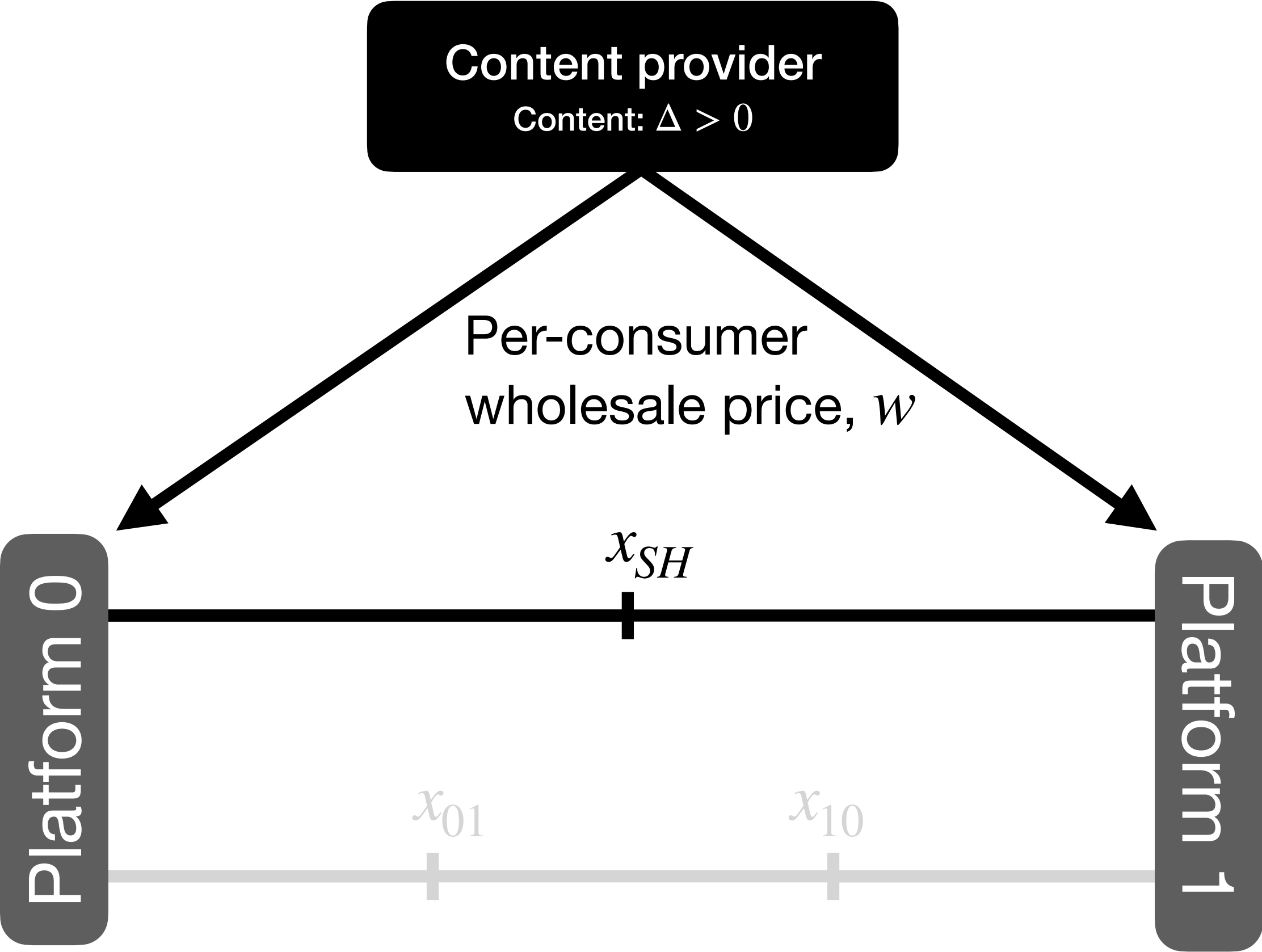
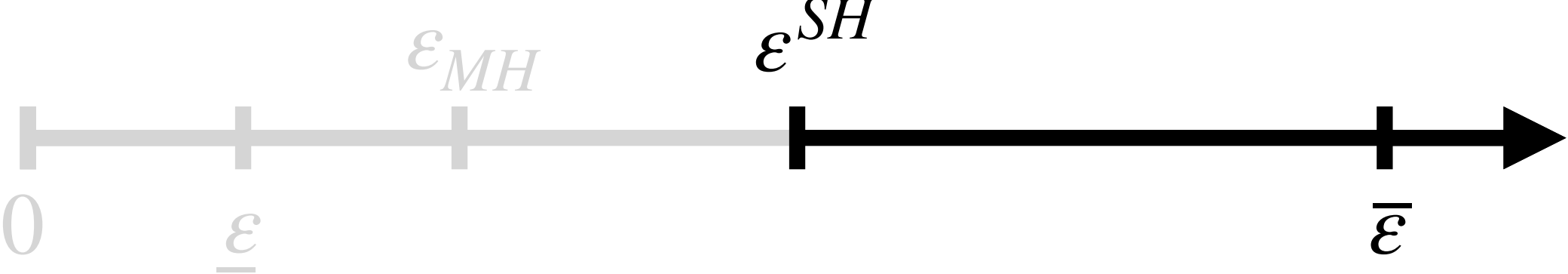
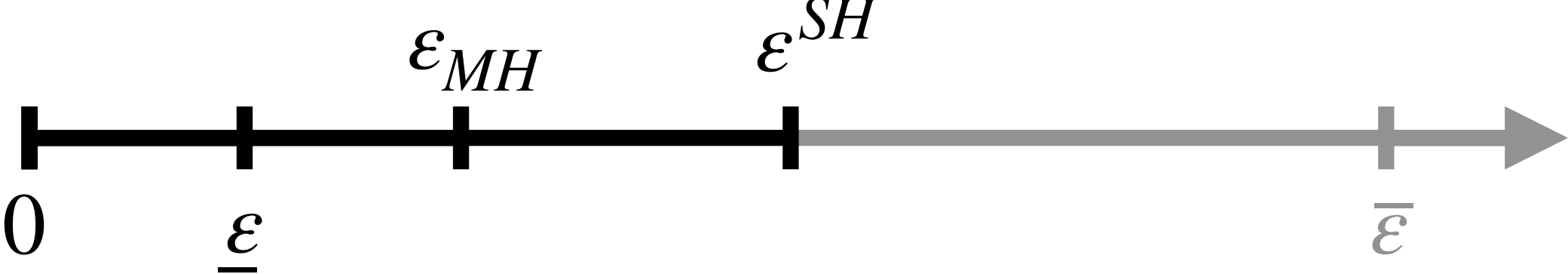
# Analysis

## Stage 1: consumer singlehoming

- Non-exclusive distribution:  
access price: s.t.  $\pi_1^{SH}(\Delta, \Delta) \geq \pi_1^{SH}(\Delta, 0)$ 
  - $\pi_{CP}^{SH}(\theta, \theta) > 0, \pi_{CP}^{SH}(w, w) > 0$
- Exclusive distribution:  
access price: s.t.  $\pi_0^{SH}(\Delta, 0) \geq \pi_0^{SH}(0, 0)$ 
  - $\pi_{CP}^{SH}(\theta, 0) > 0, \pi_{CP}^{SH}(w, 0) > 0$



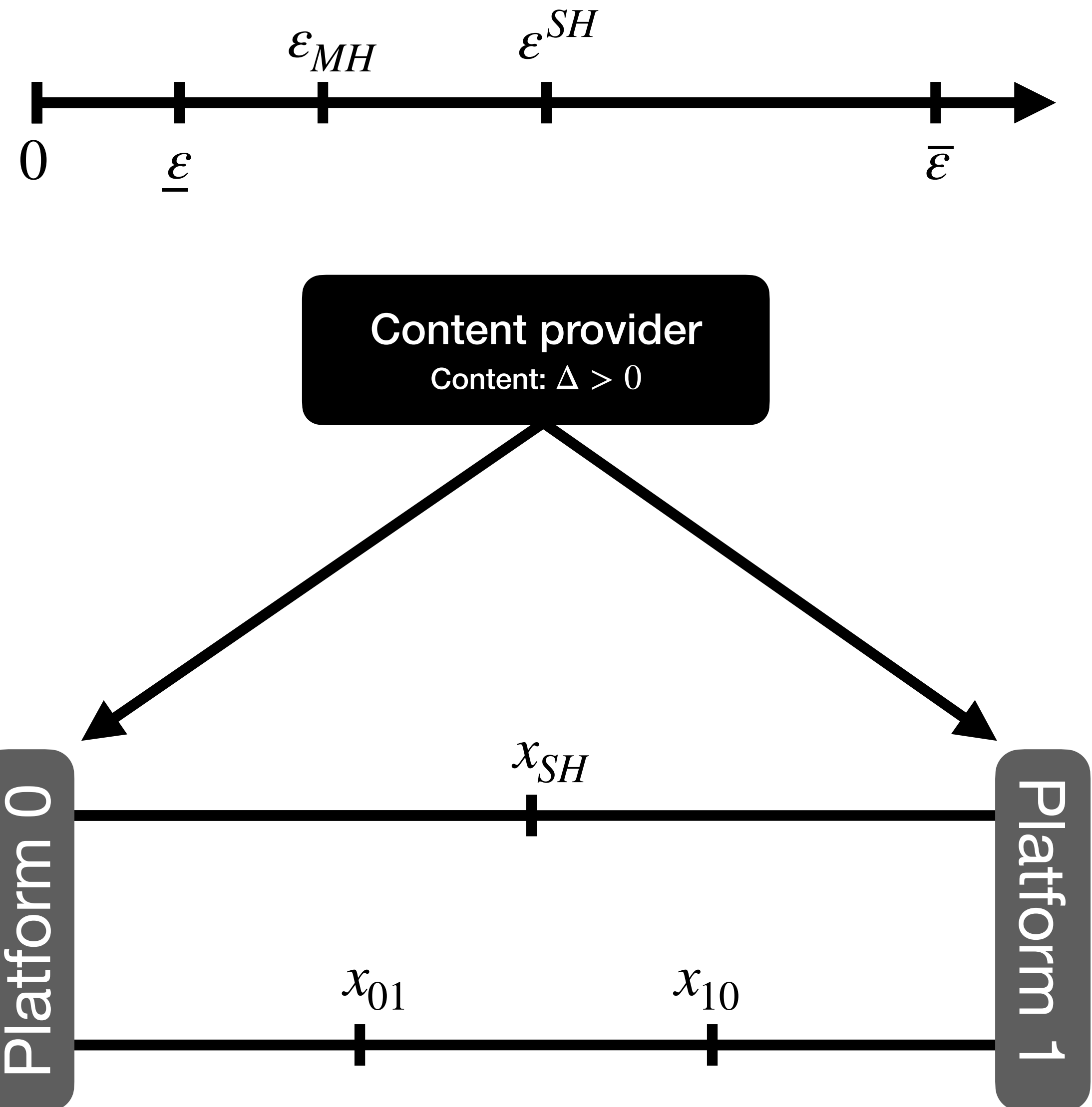
# Results - SPE



# Results

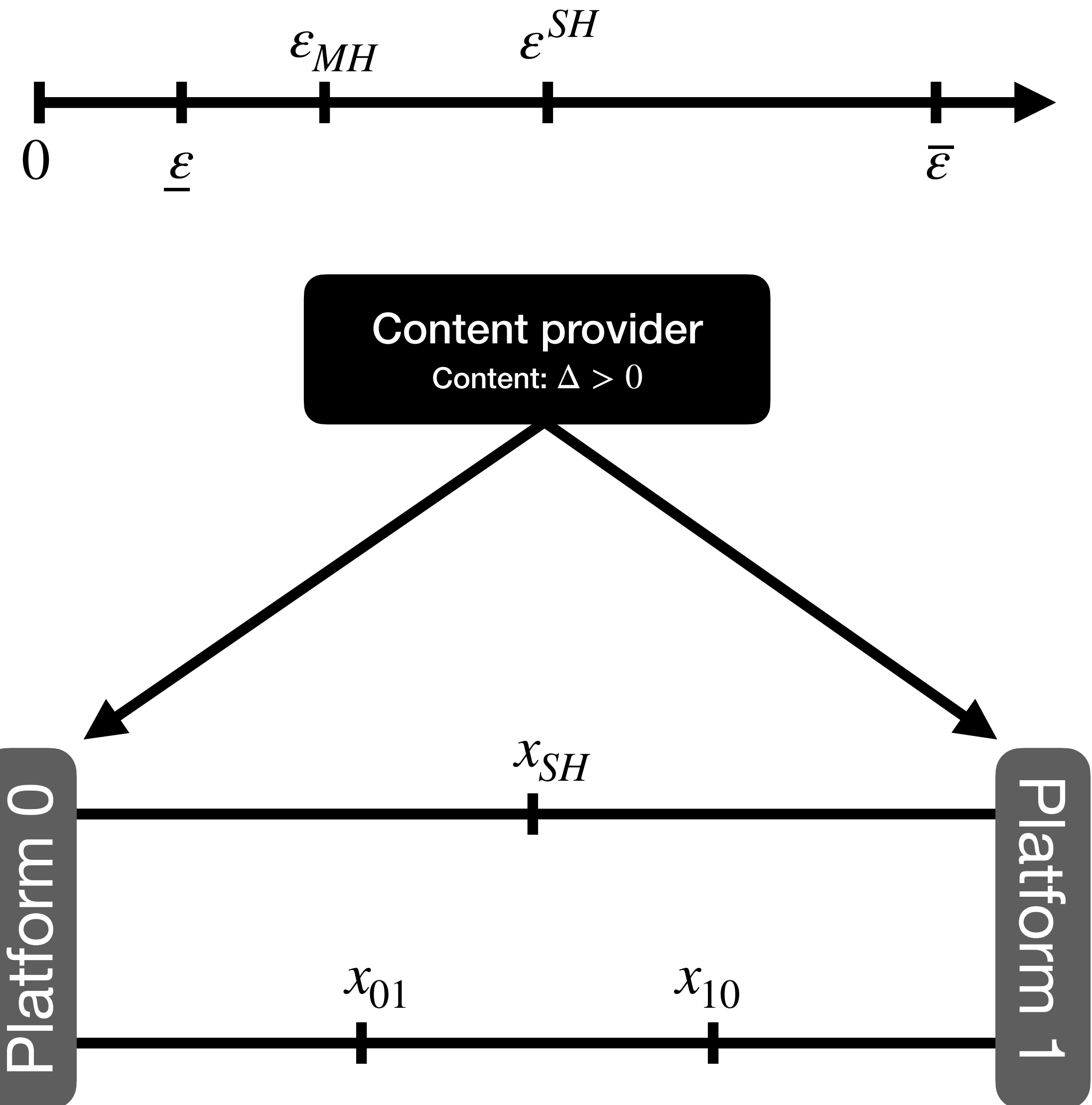
## Extensions / Robustness

- **Exclusive distribution right:**
  - ➡ Allowing for exclusive distribution rights has no impact on our results
- **Vertical Foreclosure**
  - ➡ When platforms are allowed to unilaterally deviate from singlehoming and induce consumer multihoming, platform 1 will not be vertically foreclosed from the market



# Concluding Remarks

- Bottleneck consumers and content distribution
- Snowballing effect
- Netflix AND Disney+ AND ... AND HBO MAX
- Spotify OR Apple Music OR Tidal



# References

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# Appendix

# Stage 2 Nash equilibrium

## Consumer Singlehoming

- $p_i^{SH}(p_j) = \frac{t + (\varepsilon_i - \varepsilon_j) + p_j + c_i}{2}$
- $p_i^{SH} = t + \frac{(\varepsilon_i - \varepsilon_j) + 2c_i + c_j}{3}$
- $\pi_i^{SH} = \frac{(3t + (\varepsilon_i - \varepsilon_j) - (c_i - c_j))^2}{18t}$
- $\varepsilon < \varepsilon^{SH} = \sqrt{2}t - \left(\frac{3 - \sqrt{2}}{3}\right)\Delta \approx \sqrt{2}t$

## Consumer Multihoming

- $p_i^{MH}(p_j) = p_i^{MH} = \frac{\varepsilon_i + c_i}{2}$
- $\pi_i^{MH} = \frac{(\varepsilon_i - c_i)^2}{4t}$
- $\varepsilon > \varepsilon_{MH} = \frac{2}{\sqrt{2} + 3}((\sqrt{2} + 1)t - \Delta) \approx 1.09t$



# Stage 1 Consumer multihoming

## Revenue Sharing

- $\theta \frac{\varepsilon^2}{4t} \geq \frac{\varepsilon^2}{4t} \implies \theta^{MH-0} = 1$
- $\pi_{CP} = 2(1 - \theta^{MH-0})\pi_1^{MH-0} = 0$
- $\theta \frac{(\varepsilon + \Delta)^2}{4t} \geq \frac{\varepsilon^2}{4t} \implies \theta^{MH-\Delta} = \frac{\varepsilon^2}{(\varepsilon + \Delta)^2}$
- $\pi_{CP} = (1 - \theta^{MH-\Delta})\pi_1^{MH-\Delta} = \Delta \frac{2\varepsilon + \Delta}{4t}$

## Per-consumer wholesale price

- $\frac{(\varepsilon - w)^2}{4t} \geq \frac{\varepsilon^2}{4t} \implies w^{MH-0} = 0$
- $\pi_{CP} = w(2 * D_1(\Delta, \Delta, w)) = 0$
- $\frac{(\varepsilon + \Delta - w)^2}{4t} \geq \frac{\varepsilon^2}{4t} \implies w^{MH-\Delta} = \Delta$
- $\pi_{CP} = wD_0(\Delta, 0, w) = \frac{\varepsilon\Delta}{4t}$

# Stage 1 Consumer singlehoming

## Revenue Sharing

$$\bullet \theta \frac{t}{2} \geq \frac{(3t - \Delta)^2}{18t} \implies \theta^{SH-0} = \frac{(3t - \Delta)^2}{9t^2}$$

$$\bullet \pi_{CP} = 2(1 - \theta^{SH-0})\pi_1^{SH-0} = \Delta \frac{6t - \Delta}{9t}$$

$$\bullet \theta \frac{(3t + \Delta)^2}{18t} \geq \frac{t}{2} \implies \theta^{SH-\Delta} = \frac{9t^2}{(3t + \Delta)^2}$$

$$\bullet \pi_{CP} = (1 - \theta^{SH-\Delta})\pi_1^{SH-\Delta} = \Delta \frac{6t + \Delta}{18t}$$

## Per-consumer wholesale price

$$\bullet \frac{t}{2} \geq \frac{(3t - \Delta + w)^2}{18t} \implies w^{SH-0} = \Delta$$

$$\bullet \pi_{CP} = wD_1(\Delta, \Delta, w) = \Delta$$

$$\bullet \frac{(\varepsilon + \Delta - w)^2}{4t} \geq \frac{\varepsilon^2}{4t} \implies w^{MH-\Delta} = \Delta$$

$$\bullet \pi_{CP} = wD_0(\Delta, 0, w) = \frac{\Delta}{2}$$