

# Emergent Stability Framework

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## 1 Emergent Stability Framework (ESF)

### 1.1 Foundational Postulates

We formulate the Emergent Stability Framework (ESF) as a phenomenological approach in which observed physical structures arise as stable or metastable configurations of an underlying medium. The framework is defined by the following postulates.

**ESF-1: Existence of a Medium** There exists a fundamental medium capable of supporting a wide range of local configurational states. Observable physical entities are manifestations of configurations of this medium rather than primitive point-like objects.

**ESF-2: Patterns as Stable Configurations** Particles, fields, and macroscopic structures correspond to stable or metastable patterns (local attractors) of the medium's dynamics. The identity of a pattern is defined by the reproducibility of its configuration, not by the persistence of individual constituents.

**ESF-3: Motion as Relocation of Stability** The motion of an object corresponds to a relocation of the region where a given pattern is dynamically stable, mediated by local reconfiguration of the medium. No assumption of a transported point mass is required at the fundamental level.

**ESF-4: Conservation of Configurational Capacity** While local patterns may form or dissolve, the medium possesses a globally conserved *configurational capacity*, defined as the total measure of degrees of freedom available for pattern formation. Physical dynamics corresponds to redistribution of this capacity across scales and regions.

**ESF-5: Frustration and Irreversibility** If global constraints prevent simultaneous satisfaction of all local stability conditions, the system enters a dynamically frustrated regime. Persistent reconfiguration and dissipation into microscopic degrees of freedom give rise to effective irreversibility and an emergent arrow of time.

**ESF-6: Correlations and Entanglement** Quantum entanglement is interpreted as a consequence of shared global constraints on configurational capacity during joint pattern formation. Decoherence corresponds to redistribution of this shared capacity into environmental degrees of freedom, without requiring a fundamental collapse postulate.

## 1.2 Falsifiability and Possible Signatures

Although ESF is compatible with established quantum and classical theories at the phenomenological level, it allows for potential deviations under specific conditions.

**Non-Markovian Decoherence** If the medium exhibits internal memory, decoherence dynamics may deviate from purely exponential (Markovian) behavior. Residual correlations or anomalous decay profiles could serve as experimental signatures.

**Limits on Scalable Entanglement** Finite configurational capacity may impose upper bounds on the depth or robustness of multipartite entanglement in large systems, potentially observable in scalable quantum devices.

**Effective Horizon Dynamics** If horizons correspond to dynamic phase boundaries of the medium rather than purely geometric entities, small dispersive or dissipative corrections may arise in high-frequency or strong-field regimes.

These effects are proposed as qualitative signatures rather than definitive predictions at the current stage of development.

## 1.3 Minimal Mathematical Scaffold

At an effective level, the state of the medium may be described by one or more continuous fields  $\phi(x, t)$  encoding local configurational regimes.

**Free-Energy / Action Functional** A minimal phase-field functional may be written as:

$$\mathcal{F}[\phi] = \int \left[ \frac{\kappa}{2} |\nabla \phi|^2 + V(\phi) \right] d^3x, \quad (1)$$

where  $V(\phi)$  possesses multiple local minima corresponding to distinct stable configurations, and  $\kappa$  controls the effective tension of interfaces.

**Dynamical Evolution** The evolution of the medium may follow relaxational or inertial dynamics:

$$\partial_t \phi = -\Gamma \frac{\delta \mathcal{F}}{\delta \phi} + \xi(x, t), \quad (2)$$

or, including inertia,

$$\partial_{tt} \phi + \gamma \partial_t \phi = -\frac{\delta \mathcal{F}}{\delta \phi} + \xi(x, t), \quad (3)$$

where  $\xi(x, t)$  represents stochastic fluctuations arising from unresolved degrees of freedom.

**Patterns and Excitations** Localized stable solutions correspond to particle-like patterns, while propagating coherent modes of reconfiguration correspond to wave-like excitations. Motion and interaction arise from deformation and overlap of stability regions.

**Configurational Resource** The conserved configurational capacity may be represented implicitly as a constraint on admissible field configurations or explicitly via an auxiliary conserved density  $\rho(x, t)$  obeying a continuity equation:

$$\partial_t \rho + \nabla \cdot J = 0. \quad (4)$$

This scaffold is intended as a minimal formal structure sufficient for qualitative analysis and numerical experimentation.