```
class Euclid (
      list,
      Euclid_Utils,
      Euclid\_Tests
 ):
 ##!
##! Euclid Class creator.
 ##!
 \mathbf{def} = i \, \text{nit} = (x, y=0, b=10):
      x.sign=1
      if (type(y)==type(x)):
          x . b=y . b
      else:
           x \cdot b=b
       \quad \textbf{if } \quad (\, \textbf{isinstance} \, (\, \textbf{y} \, , \, \textbf{int} \, ) \, ) \, : \\
           if (y>0):
                s = str(y)
                x. Calloc (len(s))
                for i in range(len(s)):
                     x[i]=int(s[i])
                x.reverse()
                \#print("==",x)
      elif (isinstance(y, list) or isinstance(y, Euclid)):
           x. Calloc(len(y))
for i in range(len(y)):
                x[i]=int(y[i])
 ##!
 ##! ....
 ##!
##!
 ##! Floor division of two Euclids: overload // operator.
 ##!
 \mathbf{def} __floordiv__(x,y):
      if (y>x or x.b!=y.b):
           print(
                "Euclid: Division Error", y, ">", x
           exit()
      xx=x.Calc10()
      yy=y. Calc10()
      c=xx//yy
      c=Base10To(c,x.b)
      return c.Trim_Digits()
```

```
##!
    \#\#! Modulo of two Euclids: overload % operator..
    ##!
    \mathbf{def} --mod--(x,y):
         if (y>x or x.b!=y.b):
             print (
                  "Euclid: Division Error", y, ">", x
             )
              exit()
         xx=x.Calc10()
         yy=y. Calc10()
         r=xx\%yy
         r=Base10To(r,x.b)
         return r.Trim_Digits()
    ##! Reverses an Euclid, returning the reversed one.
    ##!
    def Reverse(x):
         y=Euclid(b=x.b)
         for i in range (len(x)-1,-1,-1):
             y.append(x[i])
         return y
    \#\#! Test reverse divisibility on Euclid x.
    ##!
    def Reverse_Test(x):
         \scriptstyle \texttt{res} = \texttt{False}
         y=x.Reverse()
         if (x>y):
             c=x//y
              r=x\%y
              if (r.Calc10()==0 and c.Calc10()>1):
                  \scriptstyle \texttt{res} = \texttt{True}
         return res
##! From the list of Euclids, xs, return the ones that pass Reverse_Test.
def Euclids_Reverse_Test(xs):
    xres = []
    for x in xs:
         if (x.Reverse_Test()):
             xres.append(x)
```

##!

##!

```
\mathbf{print} \, (" \, \backslash \, t" \, , \mathbf{len} \, (\, xs \, ) \, , "\, \mathtt{Euclids\_generated} \, ")
     return xres
##!
##! Generate list of numbers in base b of exactly n digits.
##! If given, append(!) lasts as digits )(augmenting number of digits).
##!
\mathbf{def} \ \mathrm{NDigits\_List} \left( \mathbf{b}, \mathtt{ndigits}, \mathtt{lasts} = [ \, ] \right) \colon
     ciphers = [] numbers = []
      for i in range(b):
           ciphers.append(i)
           #Avoid numbers with leading Os.
           if (i > 0):
                 numbers.append([i])
      for n in range(ndigits):
           rnumbers = []
           for lst in numbers:
                 for cipher in ciphers:
                      cp_lst = list(lst)
                       cp_lst.append(cipher)
                      rnumbers.append(cp_lst)
           numbers=rnumbers
      for i in range(len(numbers)):
           #list concatenation (NOT __add__!!
           numbers [i] = Euclid (numbers [i] + lasts, b)
     return numbers
\#Main\ execution
\#Base and number of digits.
b=12
N=4
All_Reverse_Test (b, ndigits)
```