Correctness of a program

Let
$$P = \{p_b | p_b \text{ is a block of a program}\}$$

Let $TS = \{ts_i | ts_i \text{ is a set of tests for each } p_b\}$

Let $ts_i = \{t_j | t_j \text{ is a test}\}$
 $t_j = (f_k, inputs_{fk}, output_{fk})$

where, $output_{fk} = f_k(inputs_{fk})$

and, $inputs_{fk} = \{v_s | v_s \text{ is a value}\}$

Moreover,

 $p_b = (f_c, inputs_{fc})$

where, $f_c(inputs_{fc}) => output_{fc}$

and, $inputs_{fc} = \{v_s | v_s \text{ is a value}\}$

Let $correctness(P, TS) \Leftrightarrow \forall p_b \in P, \forall ts_i \in TS | correct(ts_i, p_b)$
 $correct(ts_i, p_b) \Leftrightarrow \forall t_j \in ts_i | success(t_j, p_b)$
 $success(t_j, p_b) \Rightarrow \begin{cases} 1 \text{ if } [t_j]_{outputfk} = [p_b]_{outputfc} \\ 0, \text{ otherwise} \end{cases}$

Satisfaction of requirements

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Let R = \{RS | RS \text{ is a set of requirements} \}
RS = \{r_s | r_s \text{ is a requirment} \}
satisfyPR (P,TS,R) \Leftrightarrow \forall ts_i \in TS, \forall p_b \in P, \forall RS \in R | satisfaction(p_b,ts_i,RS)
satisfaction(p_b,ts_i,RS) \Leftrightarrow \forall t_j \in ts_i, \forall r_s \in RS | satisfy(success(t_j,p_b),r_s)
satisfy(success(t_j,p_b),r_s) \models \varphi
\text{Where } \varphi = x^{\wedge} \neg x
Let r_s = (pre-condition \ and \ post-condition)
conditionOutput = success(t_j,p_b) = 1 \ and \ [t_j]_{outputfk} = [p_b]_{outputfc} = r_s(post-condition)
conditionInput = [t_j]_{inputfk} = [p_b]_{inputfc} = r_s(pre-condition)
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 $satisfy(success(t_j,p_b),r_s) \rightarrow \begin{cases} 1, if\ coditionOutput\ and\ conditionInput\\ 0, otherwise \end{cases}$