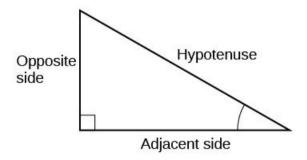
THEORETICAL PART:

Solutions

Definition (Sine, Cosine, and tangent):

Assume θ is one of the acute (less than a right angle) angles in a right triangle, and let adj and opp stand for, respectively, the lengths of the legs adjacent to and opposite θ . Let hyp stand for the length of the hypotenuse of the right triangle. Then the **sine**, **cosine**, and **tangent** of θ , are the ratios

$$\sin \theta = \frac{opp}{hyp}, \quad \cos \theta = \frac{adj}{hyp}, \quad \tan \theta = \frac{opp}{adj}.$$



Definition (Cosecant, Secant, and Cotangent)

Assume θ is one of the acute angles in a right triangle. Then the **cosecant**, **secant**, and **cotangent** of θ , are the reciprocals of $\sin \theta$, $\cos \theta$, and $\tan \theta$. That is,

$$\csc \theta = \frac{1}{\sin \theta} = \frac{hyp}{opp}, \quad \sec \theta = \frac{1}{\cos \theta} = \frac{hyp}{adj}, \quad \cot \theta = \frac{1}{\tan \theta} = \frac{adj}{opp}.$$

Definition (Degree, Minute, and Second Notation):

In the context of angle measure,

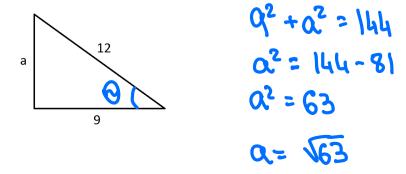
$$1' = one \ minute = \left(\frac{1}{60}\right)(1^{\circ})$$

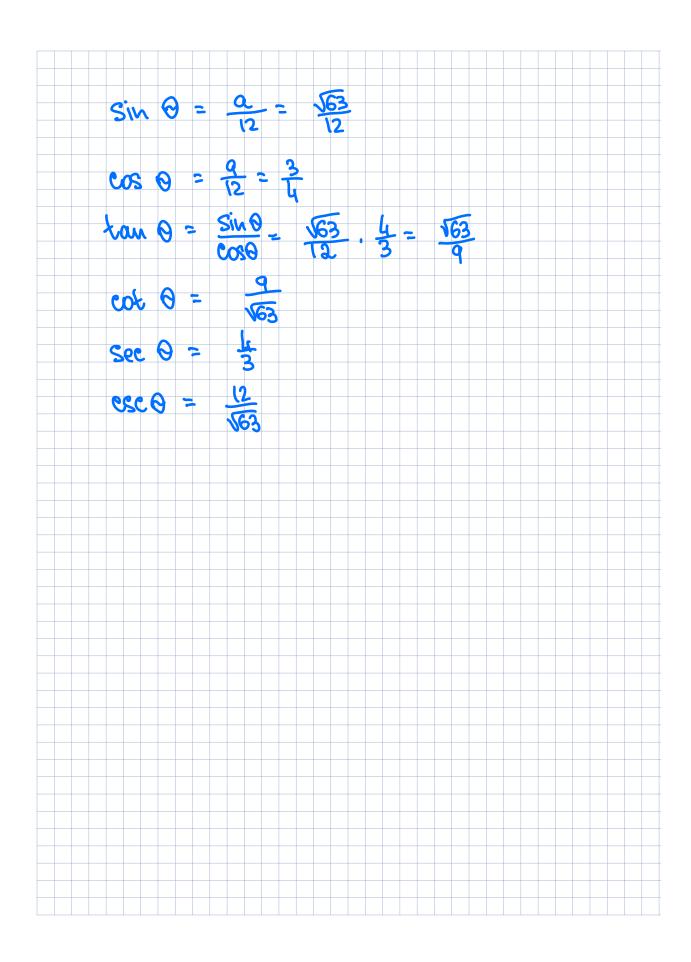
and

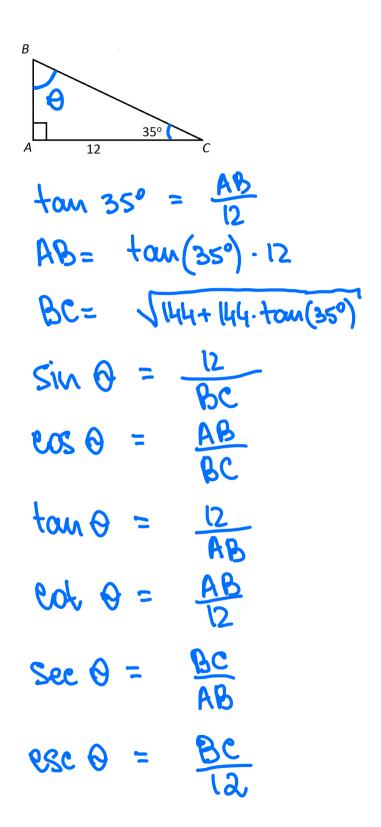
$$1'' = one \ second = \left(\frac{1}{60}\right)(1') = \left(\frac{1}{3600}\right)(1^{\circ}).$$

PRACTICAL PART:

1. Use the information contained in the two figures to determine the values of the six trigonometric functions of θ .



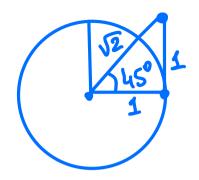




2. Evaluate the tangent and secant of $\theta = \frac{\pi}{4}$.

$$tan \theta = \frac{sin \theta}{cos \theta} = 1$$

$$sec \theta = \frac{1}{eos \theta} = \sqrt{2}$$



- 3. Use a calculator to evaluate the following expressions.
 - a. sin(56.4°)
 - b. $\cot(5\pi/11)$

(a)
$$\sin(56.4^{\circ}) \approx 0.8329$$

(b) $\cot(\frac{5\pi}{11}) \approx 0.1438$

4. The manufacturer of a certain brand of 16-foot ladder recommends that, when in use, the angle between the ground and the ladder should equal 75°. What distance should the foot of the ladder be from the base of the wall it is leaning against?

