## **Student Name:**

- The quiz is closed book, closed notes, and calculator free. No form of collaboration or help is allowed.
- The quiz is **45 minutes** long. This time includes downloading, working on, and submitting a quiz **in a PDF format via Gradescope**.
- The quiz have **20 points** in total.
- There is no extension or quiz retake.
- Show your full work to receive a full credit on each problem.
- 1. [10 points] Evaluate the integral

$$\int_{C} e^{x} dx,$$

where C is the arc of the curve  $x = y^3$  from (-1, -1) to (1, 1).

## 3. [5 points] Determine whether or not

is a conservative vector field.

$$\frac{3P}{3V} = \frac{3V}{3V} = \frac{3V}{$$

## 4. [5 points] Evaluate the following integral using Green's Theorem

$$\oint_C y\,dx - x\,dy,$$

where C is the circle with center the origin and radius 4.

$$\int_{C}^{2} y \, dx \cdot x \, dy = \int_{C}^{2} \left( \frac{3Q}{3x} - \frac{3P}{3y} \right) dA = \int_{C}^{2} \left( -1 - 1 \right) dA$$

$$= \int_{C}^{2\pi} \left( -2 \right) \, dA = \int_{C}^{2\pi} \left( -2 \right) \, dA = \int_{C}^{2\pi} \left( -1 - 1 \right) \, dA$$

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