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PROBLEM 3: RUNNING AND ANALYZING A SIMPLE SIMULATION (NO DRUG TREATMENT) : 10.0 POINTS

You should start by understanding the population dynamics before introducing any drug.

Fill in the function `simulationWithoutDrug(numViruses, maxPop, maxBirthProb, clearProb, numTrials)` that instantiates a `Patient`, simulates changes to the virus population for 300 time steps (i.e., 300 calls to `update`), and plots the average size of the virus population as a function of time; that is, the x-axis should correspond to the number of elapsed time steps, and the y-axis should correspond to the average size of the virus population in the patient. The population at time=0 is the population after the first call to `update`.

Run the simulation for `numTrials` trials, where `numTrials` in this case can be up to 100 trials. Use pylab to produce a plot (with a single curve) that displays the average result of running the simulation for many trials. Make sure you run enough trials so that the resulting plot does not change much in terms of shape and time steps taken for the average size of the virus population to become stable. **Don't forget to include axes labels, a key for the curve, and a title on your plot.**

You should call `simulationWithoutDrug` with the following parameters:

- `numViruses` = 100
- `maxPop` (maximum sustainable virus population) = 1000
- `maxBirthProb` (maximum reproduction probability for a virus particle) = 0.1
- `clearProb` (maximum clearance probability for a virus particle) = 0.05

Thus, your simulation should be instantiating one `Patient` with a list of 100 `SimpleVirus` instances. Each `SimpleVirus` instance in the viruses list should be initialized with the proper values for `maxBirthProb` and `clearProb`.

Hint:

Your graph should contain one line that represents the average of many different trials. One way of computing the average involves holding all of your data in one list, with one element for each of 300 time steps, and adding to each data point during each trial. Then, at the end, each element of the list is divided by the total number of trials, thus taking the average of each element of the list. However, if this idea confuses you, feel free to ignore the hint and implement it however makes the most sense to you.

Consult reference documentation on pylab (<http://matplotlib.sourceforge.net/>) as reference. Scroll down on the page to find a list of all the plotting commands in pylab.

Hint:

Compared to the previous problem sets, testing your simulation code is more challenging, because the behavior of the code is stochastic, and the expected output is not exactly known. How do you know whether your plots are correct or not? One way to test this is to run the simulation with extreme input values (i.e. initialization parameters),

and check that the output matches your intuition. For example, if `maxBirthProb` is set to 0.99 instead of 0.1, then you would expect that the virus population rapidly increases over a short period of time. Similarly, if you run your simulation with `clearProb` = 0.99 and `maxBirthProb` = 0.1, then you should see the virus population quickly decreasing within a small number of steps. You can also try to vary the input values, and check whether the output plots change as you expect. For example, if you run multiple simulation runs, each time increasing `maxBirthProb`, the curves in the successive plots should show an "upward" trend, since the virus will reproduce faster with a higher `maxBirthProb`.

For further testing, we have provided the .pyc (compiled Python) files for the completed `Patient` and `SimpleVirus` classes (and for part 5, the `ResistantVirus` and `TreatedPatient` classes) that you can use to confirm that your code is generating the correct results during simulation.

If you comment out your versions of these classes in `ps8b.py`, and add one of the following import statements to the top of your file, you can run the simulation using our pre-compiled implementations of these classes to make sure you are obtaining the correct results. This is a good way to test if you've implemented these classes correctly. Make sure to comment out the import statement and uncomment your implementations before moving to Problem 4.

For Python 2.6:

```
from ps8b_precompiled_26 import *
```

For Python 2.7:

```
from ps8b_precompiled_27 import *
```

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