1.1.7 (a)
$$1000 = 850 \left[1 + i \left(\frac{60}{365} \right) \right] \rightarrow i = 1.0735(107.35\%)$$

(b)
$$1000 = 900 \left[1 + i \left(\frac{60}{365} \right) \right] \rightarrow i = .6759(67.59\%)$$

(c)
$$900 \left[1 + (.09) \left(\frac{60}{365} \right) \right] = 913.32$$

(d)
$$900 \left[1 + (.09) \left(\frac{d}{365} \right) \right] = 1000 \rightarrow d = 451$$

1.1.8 It is to Smith's advantage to take the loan of 975 on the 7th day if the amount payable on the 30th day is less than the amount due to the supplier:

$$975\left[1 + i\frac{23}{365}\right] \le 1000 \to i \le .4069.$$

1.1.9 (a) Maturity value of 180-day certificate is $100,000 \left(1 + .075 \left(\frac{180}{365}\right)\right) = 103,698.63.$

Interim book value after 120 days is $100,000(1+.075(\frac{120}{365})) = 102,465.75.$

Bank will pay *X* after 120 days so that $X(1+.09(\frac{60}{365})) = 103,698.63 \rightarrow X = 102,186.82.$

The penalty charged is 102,465.75 - 102,186.82 = 278.93.

(b)
$$1.08 = \left(1 + \frac{.075}{2}\right)\left(1 + \frac{i}{2}\right) \rightarrow i = .0819$$

- 1.1.10 (a) $1000(1.12)^t = 3000 \rightarrow t = \frac{\ln(3)}{\ln(1.12)} = 9.694$ (9 years and approximately 253 days).
 - (b) At the end of 9 years the accumulated value is $1000(1.12)^9 = 2773.08$. At time s during the 10^{th} year, the accumulated value based on simple interest within the 10^{th} year is 2773.08(1+.12s). Setting this equal to 3000 and solving for s results in $s = \frac{\left(\frac{3000}{2773.08}\right) 1}{.12} = .6819$ years (approximately 249 days) after the end of 9 years.
 - (c) $1000(1.01)^t = 3000 \rightarrow t = \frac{\ln(3)}{\ln(1.01)} = 110.41$ months (about 9 years and 2 months and 13 days).
 - (d) $1000(1+i)^{10} = 3000 \rightarrow i = 3^{1/10} 1 = .1161$ (11.61% per year).
 - (e) $1000(1+j)^{120} = 3000 \rightarrow i = 3^{1/120} 1 = .009197$ (.9197% per month).
- 1.1.11 (a) $(1.0075)^{67/17} = 1.0299 < 1.03$ $\left(\text{but } (1.0075)^{68/17} = (1.0075)^4 = 1.0303\right)$
 - (b) $(1.015)^{67/17} = 1.0604 > 1.06$
- 1.1.12 (a) Smith buys $\frac{910}{4}$ = 227.5 units after the front-end load is paid. Six months later she receives (227.5)(5)(.985) = 1120.4375. Smith's 6-month rate of return is 12.04% on her initial 1000.
 - (b) If unit value had dropped to 3.50, she receives (227.5)(3.5)(.985) = 784.30625, which is a 6-month effective rate of -21.57%.