

% Created by Samira C. Oliva on 05/13/17
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 % RESULTS

1. Euler's Method

With $h = 0.1$ and $0 \leq t \leq 3$, $N = 30$ time steps, and 31 mesh-points. The approximations starting with $w_0 = 1$ and the mesh-points starting with $t_0 = 0$:

w =

1.0000000000000000	1.1000000000000000	1.209482908192435	1.329239214014906	1.460101176060286
1.602938941508217	1.758654602739847	1.928173643248766	2.112433101151471	2.312365628532519
2.528878443123328	2.762825948902089	3.014974536287863	3.285957751271781	3.576219634764213
3.885943565032588	4.214963371005299	4.562652802766848	4.927788624147497	5.308381602535702
5.701468478814916	6.102856564684834	6.506810886365036	6.905671713694631	7.289387810952086
7.644947735078342	7.955687886023664	8.200451659728227	8.352568819186589	8.378617905914201
8.236926950152736				

$y(3) \approx 8.236926950152736$

2. Taylor's Method of Order 2

w =

1.0000000000000000	1.1050000000000000	1.221005344421300	1.349165203005567	1.490747784795551
1.647152457221826	1.819923051680113	2.010762461004830	2.221548641066788	2.454352135324847
2.711455247313264	2.995372991449393	3.308875956814419	3.655015221198889	4.037149453086431
4.458974336578308	4.924554447536658	5.438357697189285	6.005292440522299	6.630747319029716
7.320633868354138	8.081431868015024	8.920237339033049	9.844813001185395	10.863640879142489
11.985976588780051	13.221904632830764	14.582393778028338	16.079351260834198	17.725674159541562
19.535295757154753				

$y(3) \approx 19.535295757154753$

3. The Runge-Kutta Order Four Method

w =

1.0000000000000000	1.105170180599039	1.221401042368539	1.349855811152141	1.491820042319870
1.648714484504750	1.822109295838103	2.013739754840174	2.225523623054298	2.459580333010392
2.718252193331079	3.004127822931870	3.320068048515188	3.669234524136707	4.055121358774640
4.481590067826205	4.952908197586272	5.473792008357323	6.049453642256820	6.685653246424280
7.388756571622606	8.165798620657570	9.024553981135854	9.973614543428868	11.022475377948668
12.181629626679587	13.462673353120582	14.878421393231381	16.443035358576086	18.172165062647622
20.083104773460622				

$y(3) \approx 20.083104773460622$

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% GRAPH
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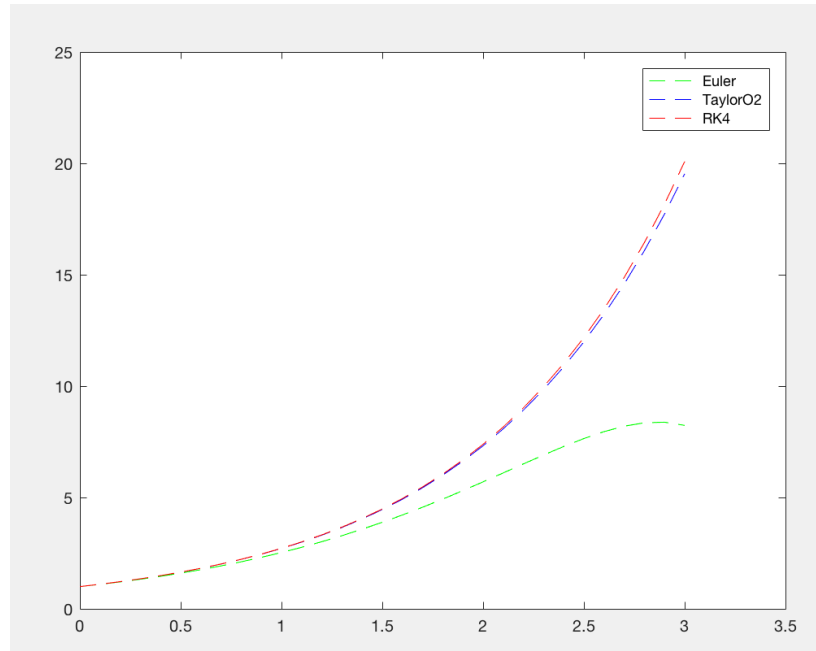


Fig. 1 Graph showing Euler, Taylor Order 2, and RK4 methods