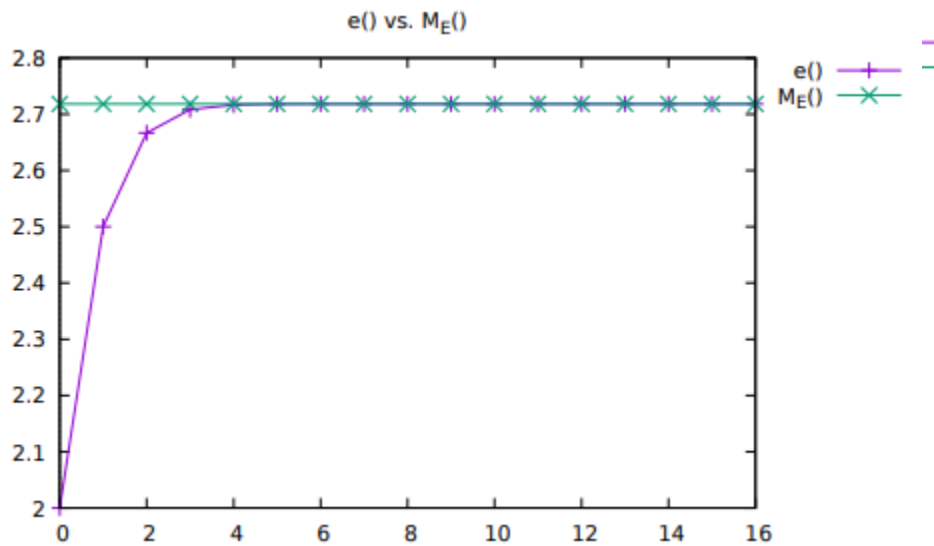
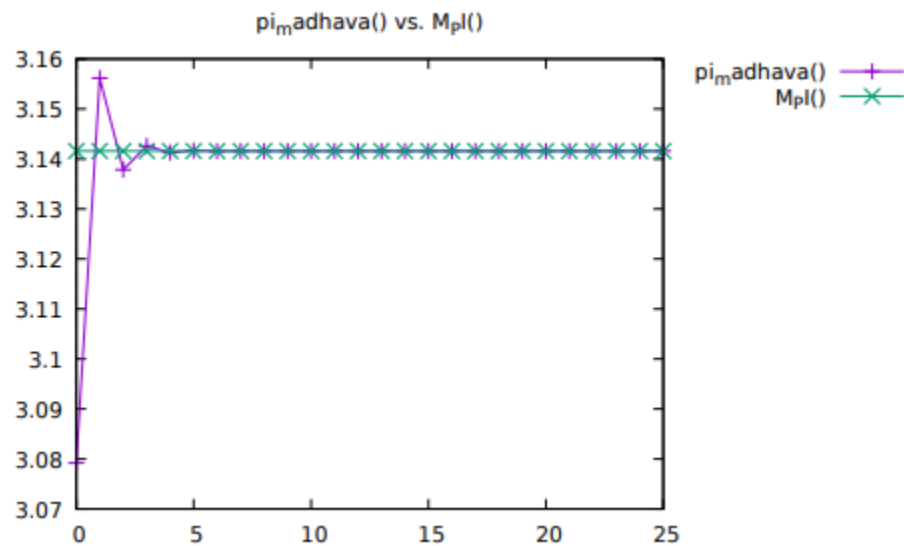


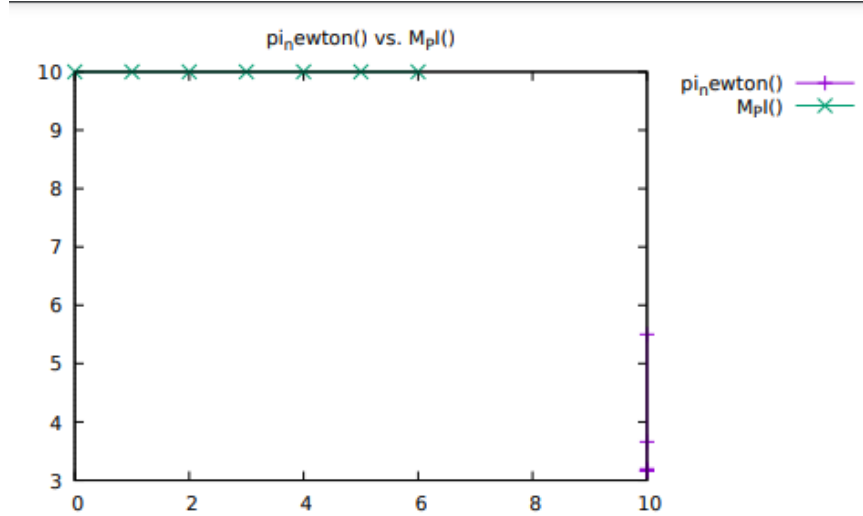
## ASGN2 WRITEUP



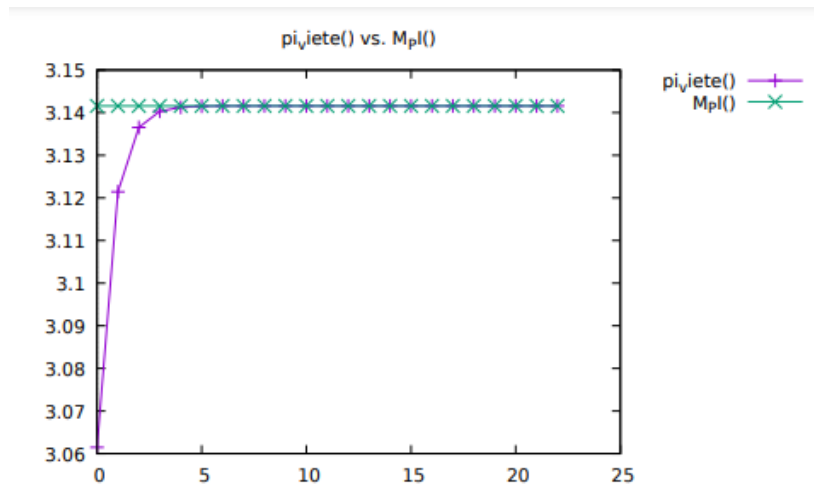
This graph compares the starting terms of  $e$  shown in `e.c` as the purple line and shows how within 4 terms it has started to rapidly converge to  $M\_E$ . We can calculate  $e$  in very few terms with great efficiency.



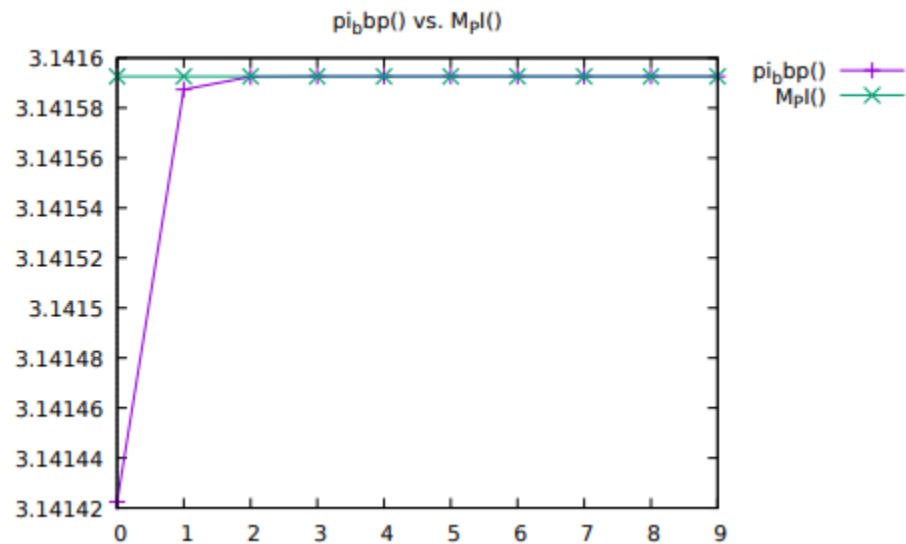
This graph shows `madhava.c` converging to  $\pi$  and reveals how the summation of  $\pi$  oscillates between above and below the  $M\_PI$  line. Within around 25 terms the error has already become less than `EPSILON`



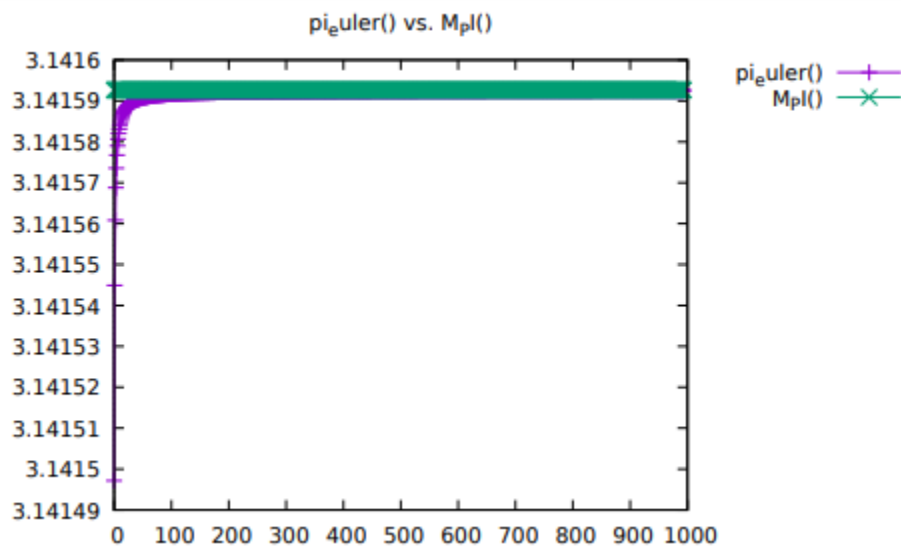
M\_P shows that within 6 terms that  $\pi_{\text{newton}}$  converges to  $\sqrt{10}$



This graph shows the `vieta.c` using the viete method which converges to  $\pi$  relatively fast due to the first term being around 3.12 so that the terms itself add very little to the summation. Overall it converges slowly after 3 terms and the approximation becomes accurate. The terms are actually factors rather than summations so it converges more smoothly.



This graph `bbp.c` using the bbp method converges sharply on its first term, almost a great approximation of pi, then it slowly converges to pi due to it using a large fraction as part of its summation.



This graph is based off Euler's method which has terms to the 100,000 so we took 1/100 of the points and plotted them using mod 1000 and we can see that

euler's method converges extremely slowly and makes the most progress in its first 100 terms.