# **Search Algoritms Used**

# **Uninformed Searches**

#### **Breadth-first Tree Search**

Searches first through all possible solutions of length n, then length n+1, and so on. As a tree search, it does not notice re-entering a previous state and hence expands to loops. If it converges, it is guaranteed (in our problem) to return an optimal solution

#### **Breadth-first Search**

Graph-version of the previous breadth-first search. Does not re-enter state, will be more efficient than BfTS

### **Depth-first Graph Search**

Traces out a single path until it reaches a solution. Hence it expands many Nodes, but only goal tests one. Does most likely not return an optimal solution

# **Depth-limited Search**

Traces one branch of a search tree until the depth limit, then backtraces to the last branch, branches out, and so on

#### **Uniform Cost Search**

In this case (since we don't define a cost) practically the same as breadth-first search

## **Informed Searches**

### **A**\*

As discussed in the lecture

### **Recursive Best-first Search**

To my understanding, a recursive approach that follows the same steps as an A\*, but as a tree search, hence re-entering previous states. Less efficient, but should always result in the optimal solution if it converges

## **Greedy Best-first Graph Search**

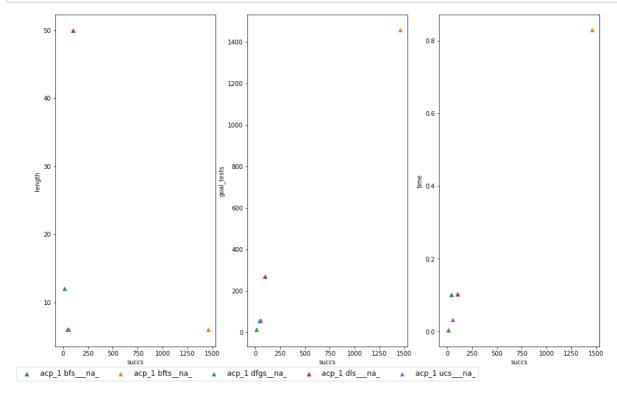
A best-first search which orders not (like a\*) according to the minimum expected total cost, but according to the minimum expected cost of the remaining unexplored path. Should converge faster, but will not guarantee an optimal solution

# **Problem 1**

All informed searches and most of the uniformed search provide a solution of size 6, which is indeed optimal since two cargos need to be loaded, unloaded, and flown between different endpoints. The solution is shown below. All searches find solutions.

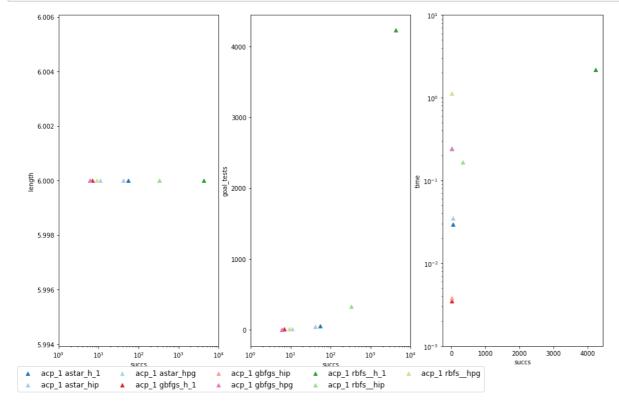
- · Load(C2, P2, JFK)
- Load(C1, P1, SFO)
- Fly(P2, JFK, SFO)
- Unload(C2, P2, SFO)
- Fly(P1, SFO, JFK)
- Unload(C1, P1, JFK)

### In [56]:



All naive searches converge. The three breadth-oriented approaches find the optimal solution. Both depth-first searches find an solution within short time - depth-first graph search's solution is only about twice the length of the optimal solution.

### In [58]:



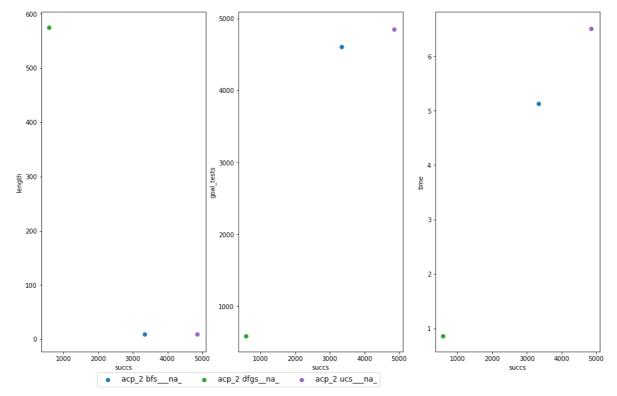
All informed searches (as well as the pseudo-informed h1-searches) return the same (optimal) result. However, the greedy search is of orders of magnitude faster than a\*, which again is orders of magnitude faster than the uninformed RBF search.

# **Problem 2**

One found optimal solution (length 9) is

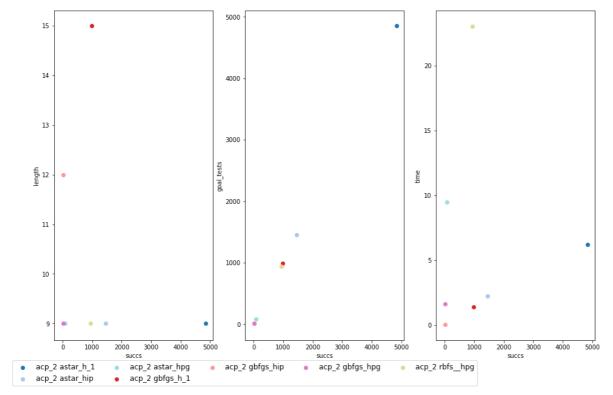
- · Load(C2, P2, JFK)
- Load(C1, P1, SFO)
- Load(C3, P3, ATL)
- Fly(P2, JFK, SFO)
- Unload(C2, P2, SFO)
- Fly(P1, SFO, JFK)
- Unload(C1, P1, JFK)
- Fly(P3, ATL, SFO)
- Unload(C3, P3, SFO) Again, this is certainly optimal, since we have 3 cargos \* (load + unload + fly), as none of origin and destination overlap

## In [59]:



Depth-limited seach and breadth-first tree search do no converge anymore within the limit of 100,000 expansions. Depth-limited search does not converge, and depth-first graph search finds a solution rougly 70 times longer than optimal

### In [60]:



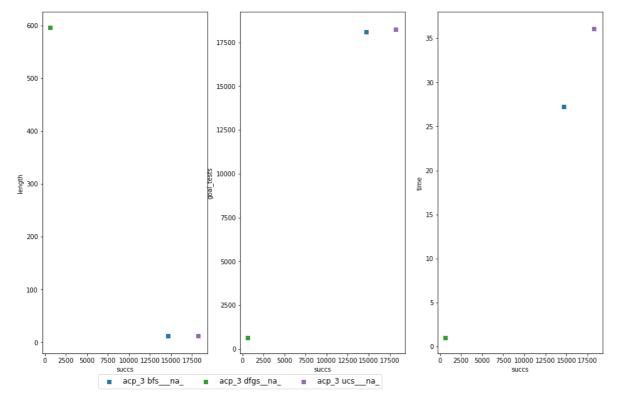
Recursive best-first graph-search only converges for the pg\_levelsum heuristic. For this heuristic, GBFGS still finds the optimal solution.

# **Problem 3**

The optimal solution of length 12 is

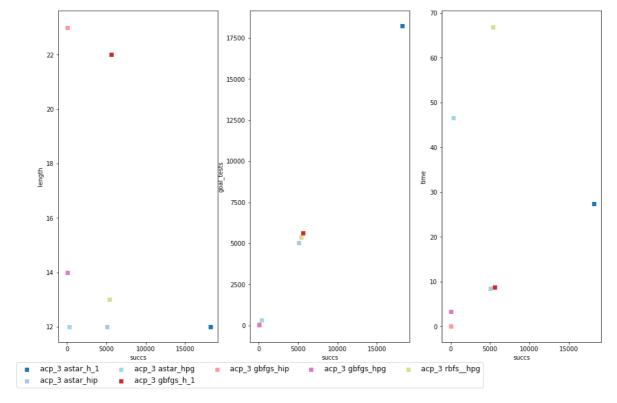
- Load(C2, P2, JFK)
- Load(C1, P1, SFO)
- Fly(P2, JFK, ORD)
- Load(C4, P2, ORD)
- Fly(P1, SFO, ATL)
- Load(C3, P1, ATL)
- Fly(P1, ATL, JFK)
- Unload(C1, P1, JFK)
- Unload(C3, P1, JFK)
- Fly(P2, ORD, SFO)
- Unload(C2, P2, SFO)
- Unload(C4, P2, SFO)

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In [65]:
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As for problem 2, depth-limited search and breadth-first tree search don't converge anymore. By somewhat lucky chance (pop-ing from a set results in a random item), the solution of depth-first search is nigh identical to the one in problem 2, even through the problems complexity has increased

### In [66]:



As before, RBF search only converges for the pg\_levelsum heuristic. Only a\* search finds the optimal solution. a\* with the ignore\_preconditions heuristic is significantly faster than the same search with pg\_levelsum, despite the latter requiring fewer goal tests and expansions. Interestingly, the RBF search that finds a solution does not find the optimal one

# **Problem 4**

Just for fun - a significantly more complex problem. Solution:

- Fly(P2, YYZ, ORD)
- · Load(C2, P2, JFK)
- Fly(P2, JFK, SFO)
- Load(C4, P2, ORD)
- Fly(P1, SFO, HKG)
- Unload(C4, P2, SFO)
- Unload(C2, P2, SFO)
- Load(C1, P2, SFO)
- Fly(P2, SFO, ATL)
- Load(C6, P2, ORD)
- Unload(C6, P2, ATL)
- Load(C3, P2, ATL)
- Fly(P2, ATL, JFK)
- Load(C5, P2, ORD)
- Fly(P2, ORD, SIN)
- Load(C8, P2, SIN)

- Unload(C8, P2, JFK)
- Unload(C3, P2, JFK)
- Unload(C1, P2, JFK)
- Fly(P2, JFK, HKG)
- · Load(C7, P2, HKG)
- Unload(C7, P2, SIN)
- Unload(C5, P2, HKG) The optimal solution is only of length 23, illustrating that the algorithm is capable of finding paths that contain planes carrying multiple cargos

## In [75]:

