## Lecture 10

class Monad m where

return :: a -> ma

(>>=) :: ma -> (a -> mb) -> mb

pronounced "bind"

data Id a = Id a

Id 5 :: Id Int

ld "hello" :: ld String

Every moned is a functor.

instance Monad ld where
return :: a → ld a
return $x = \frac{1dx}{1da}$
(>=):: Ida > (a>ldbl → ldb
Id x = f = x(f x)
a the day
Ida
Examples
succ :: Int → Int square :: Int> Int
SUCC n = n+1 Square x = x * X
ld . succ :: Int > ld Int
Idlat < Int < Int
Id. square: mt -> ld Int
700 29000
( turn 2) ( ) == 11.00,000
(return 3) >= (Id. succ) >= 1d. square
= 1d3 >= 1d. succ >= 1d. square
= (ld·succ) 3 >= ld·square
= Id (succ 3) >= Id. square
= 1d 4 >= 1d. square
= (1d · square) 4 = 1d (square 4) = 1d 16

square (succ 3) = 16 Exception handling. 5'div'0 = error"!" Succ (square (5 div x)) data Mayle a = Nothing / Just or instance Monad Maybe where. - return :: a -> May & a return x = Just x-- (>=): Mayle a -> (a-) Mayle b) - Mayleb Nothing >= f = Nothing Mayre a a -> Mayle L Just  $x \gg f = f x$   $a \quad a \rightarrow Meyle \quad b$ Mayle b

mdiv : Int → 1	int -> Maybe Int
m mdiv X 0 =	Nothing
maiv x y =	Just (div x y)
	9
Justice 22	£1
= return (-1) >= Ju	st·succ >= mdiv577= Just·square
£	:: May le Int
Justap=···	· · · · · · · · · · · · · · · · · · ·
Just (SULC (-1)) >	»= ···
Just 0 >= mair !	5 >>= Just. square.
mdiv 50 >= Jus	t. squave
: Nothing >= Just	
14 75 COM 140 C	mdiv so = 5 mdiv o
f : Mayle lut	optional
f = do { x = + 1	return (-1) (3)
(X, 4)(	return (-1) (3)  Just·succ) X. 3
optimit X2 < m	div 5 X2 ;
X3 < 6	ust · square) X 2 ;
3	
Coptione	
9/10/00	

 $x_0 \in \text{veturn } 3$  int  $x_0 = 3$ ;  $x_1 \in \text{Ud} \cdot \text{succ} \times x_0$  int  $x_1 = \text{succ } (3)$ ; do xo € return 3 X2 < (1). Square) X1 int X2 = square (X1); (chin) main :: 10 () main = do args < getArgs

putstrln (hegdargs) geturgs :: 10 [String] putstr Ln : String -> (0 ()

