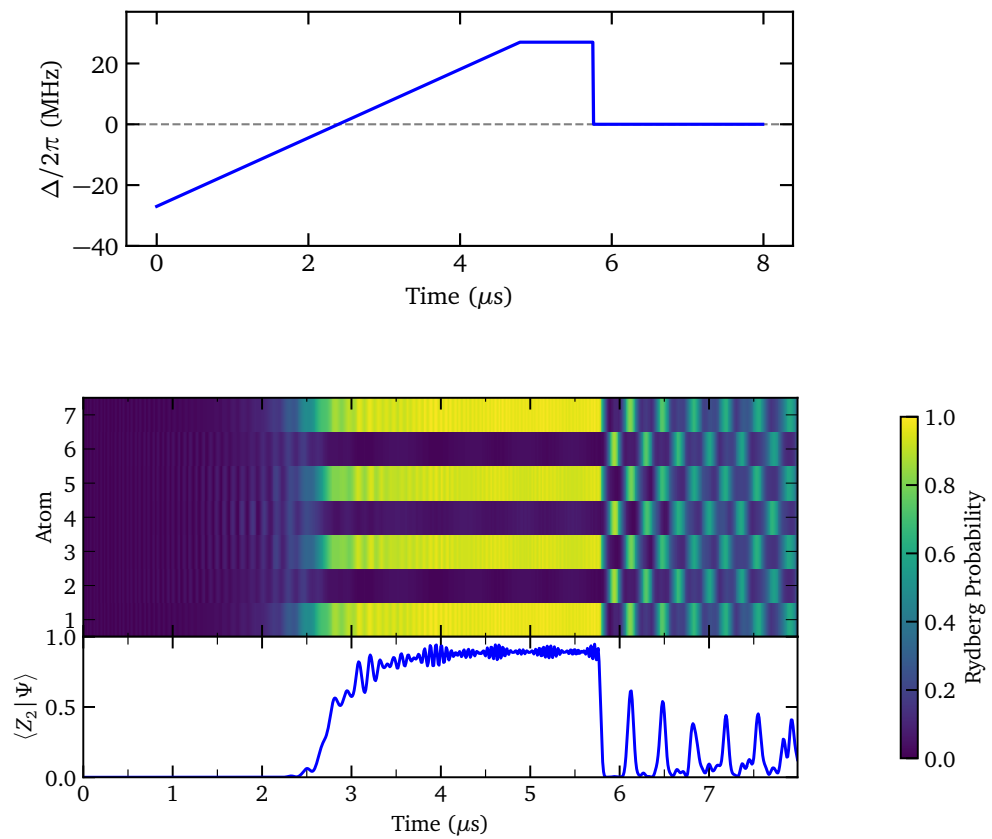
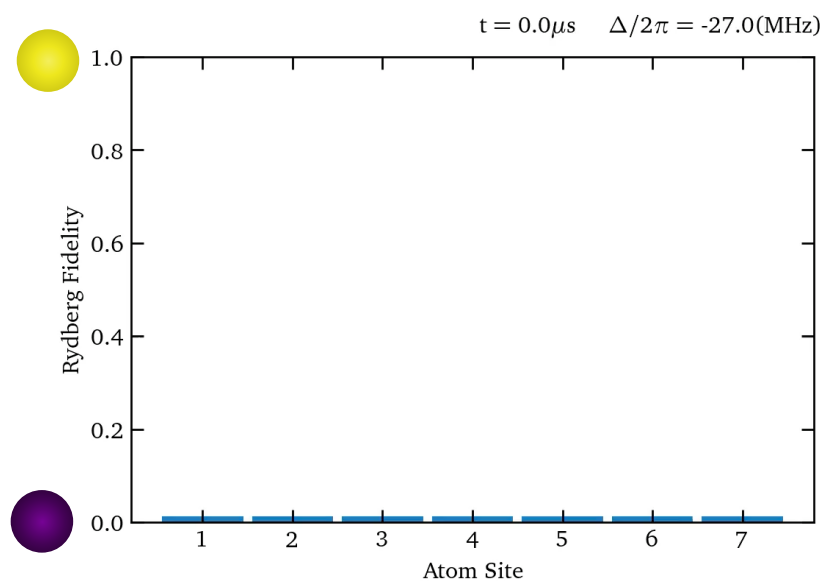
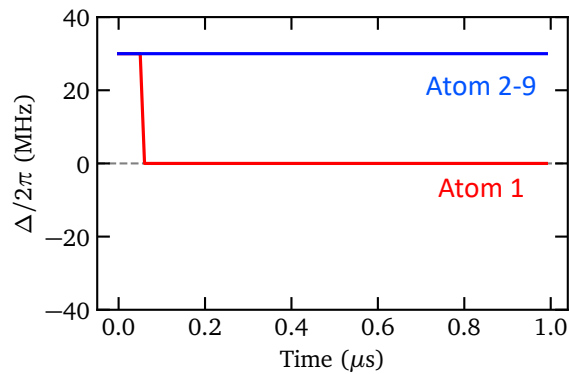


Adiabatic Sweep + Global Quench



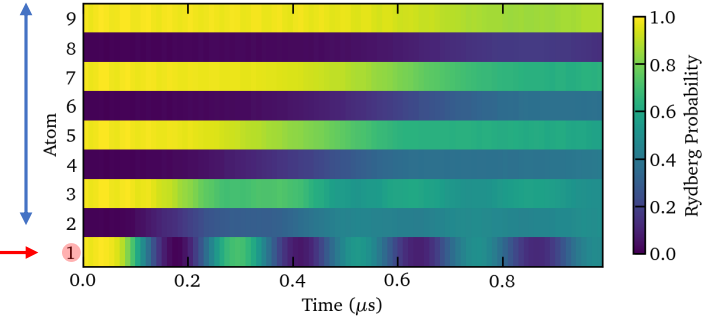
Local Quenching

- Atoms initially set in \mathbb{Z}_2 state
- Quench atom 1 at $t = 0.05 \mu s$
- Rabi frequency is constant:
 $\Omega(t) / 2\pi = 4.00$ (MHz)
- Nearest Neighbor interaction:
 $V_{i,i+1} / 2\pi = 31.8$ (MHz)

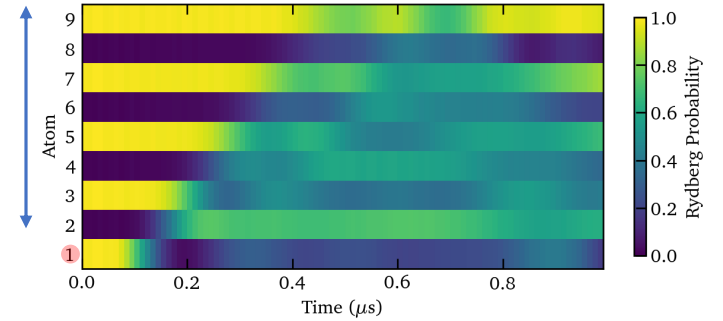


$$\frac{\Delta}{2\pi} = 24.0 \text{ (MHz)}$$

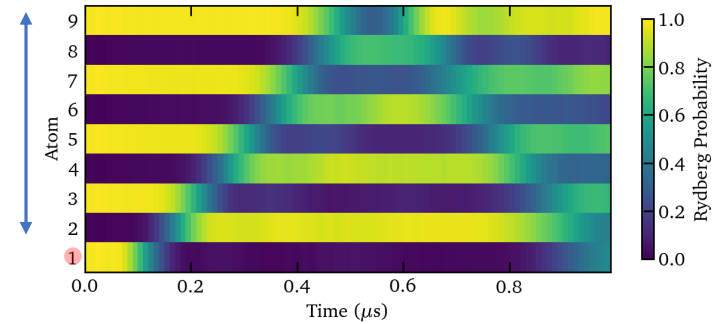
Quench to $\frac{\Delta}{2\pi} = 0$



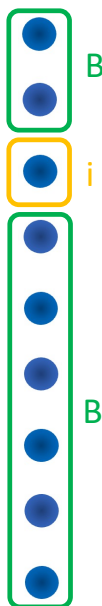
$$\frac{\Delta}{2\pi} = 30.0 \text{ (MHz)}$$



$$\frac{\Delta}{2\pi} = \frac{V_{i,i+1}}{2\pi} = 31.8 \text{ (MHz)}$$

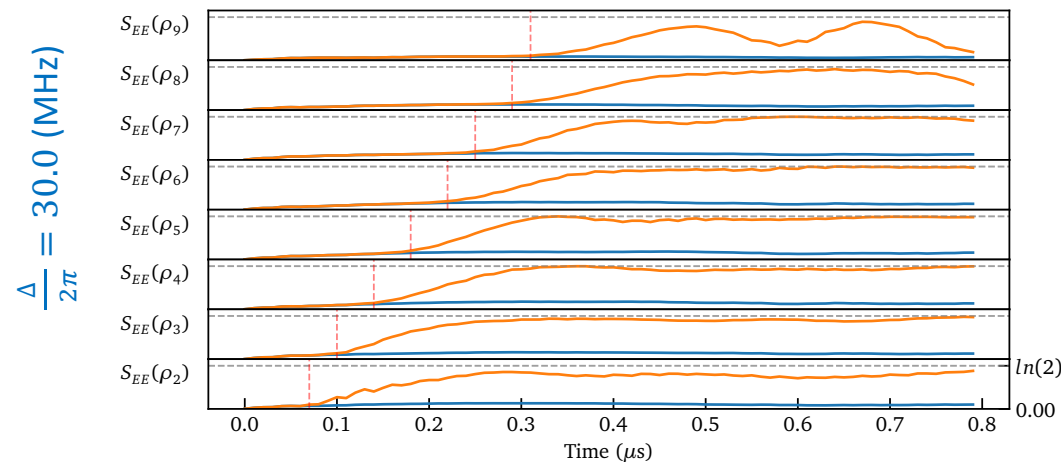
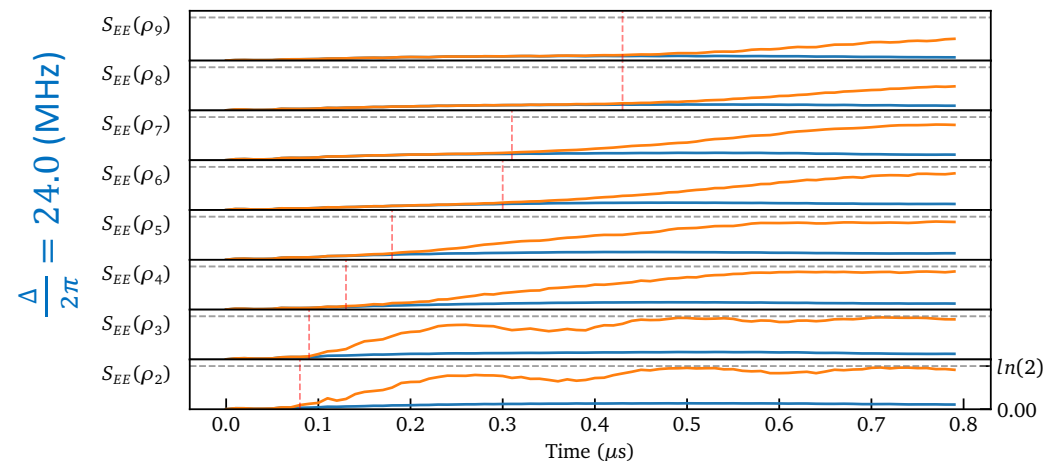


Local Quenching: Entanglement entropy

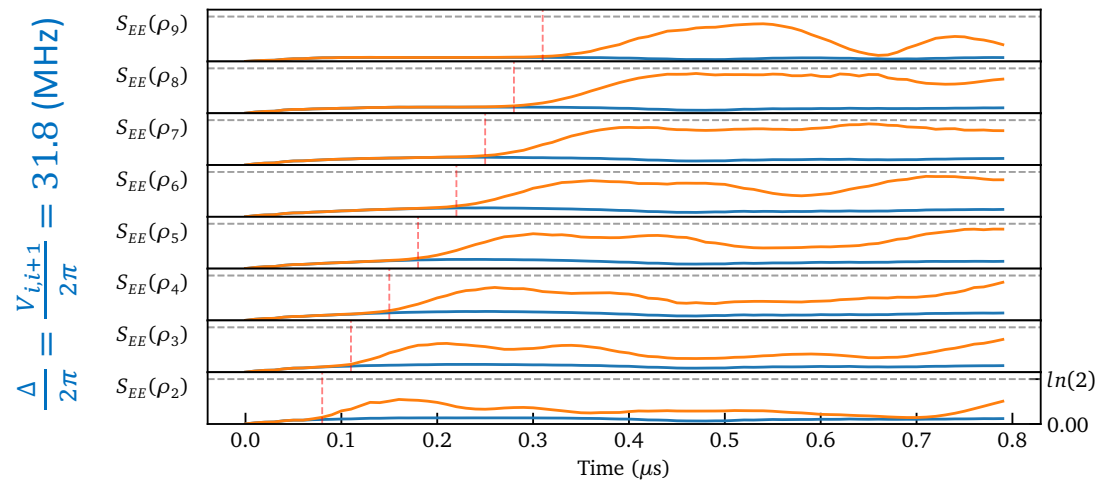
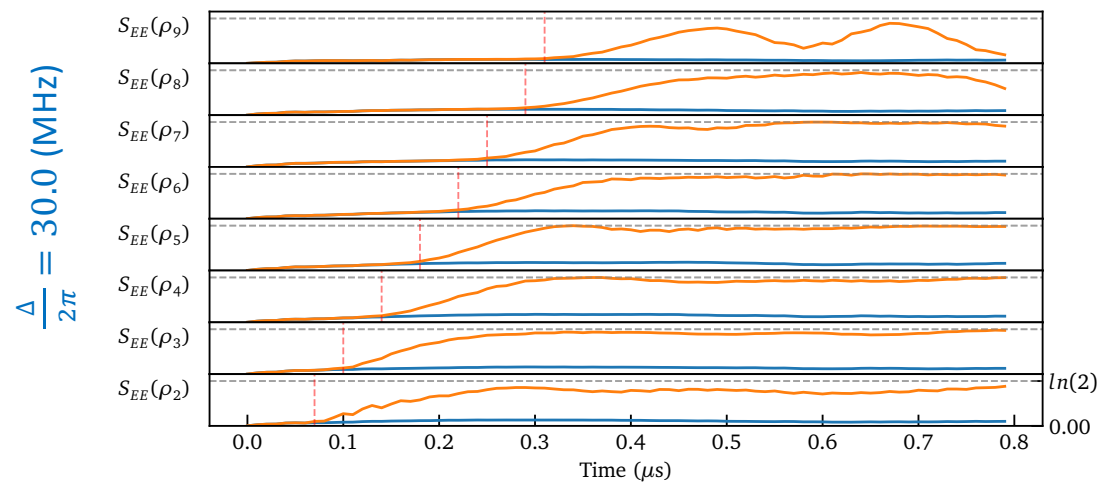
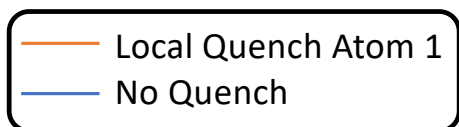


- Reduced density matrix $\rho_i = \text{Tr}_B(\rho)$
- VNE = $S_{EE}(\rho_i) = -\text{Tr}[\rho_i \ln(\rho_i)]$
- Bipartite entanglement between each qubit and rest of the system
- $t_{\text{quench}} = 0.05 \mu\text{s}$

— Local Quench Atom 1
— No Quench



Local Quenching: Entanglement entropy

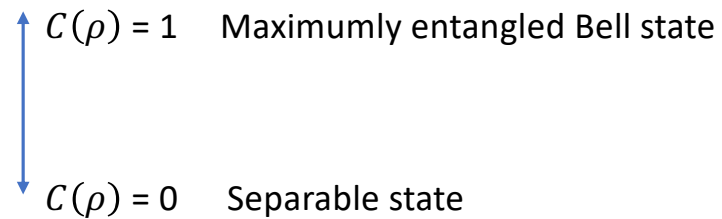


Local Quenching: Concurrence

Entanglement monotone for quantifying entanglement for both pure and mixed state of two qubits

$$C(\rho) = \max(0, \lambda_1 - \lambda_2 - \lambda_3 - \lambda_4) \quad \rho = \rho_{i,j} \text{ 4x4 reduced density matrix of pairs of qubits}$$

With λ_i eigenvalues of matrix: $R = \sqrt{\sqrt{\rho} \rho^* \sqrt{\rho}}$

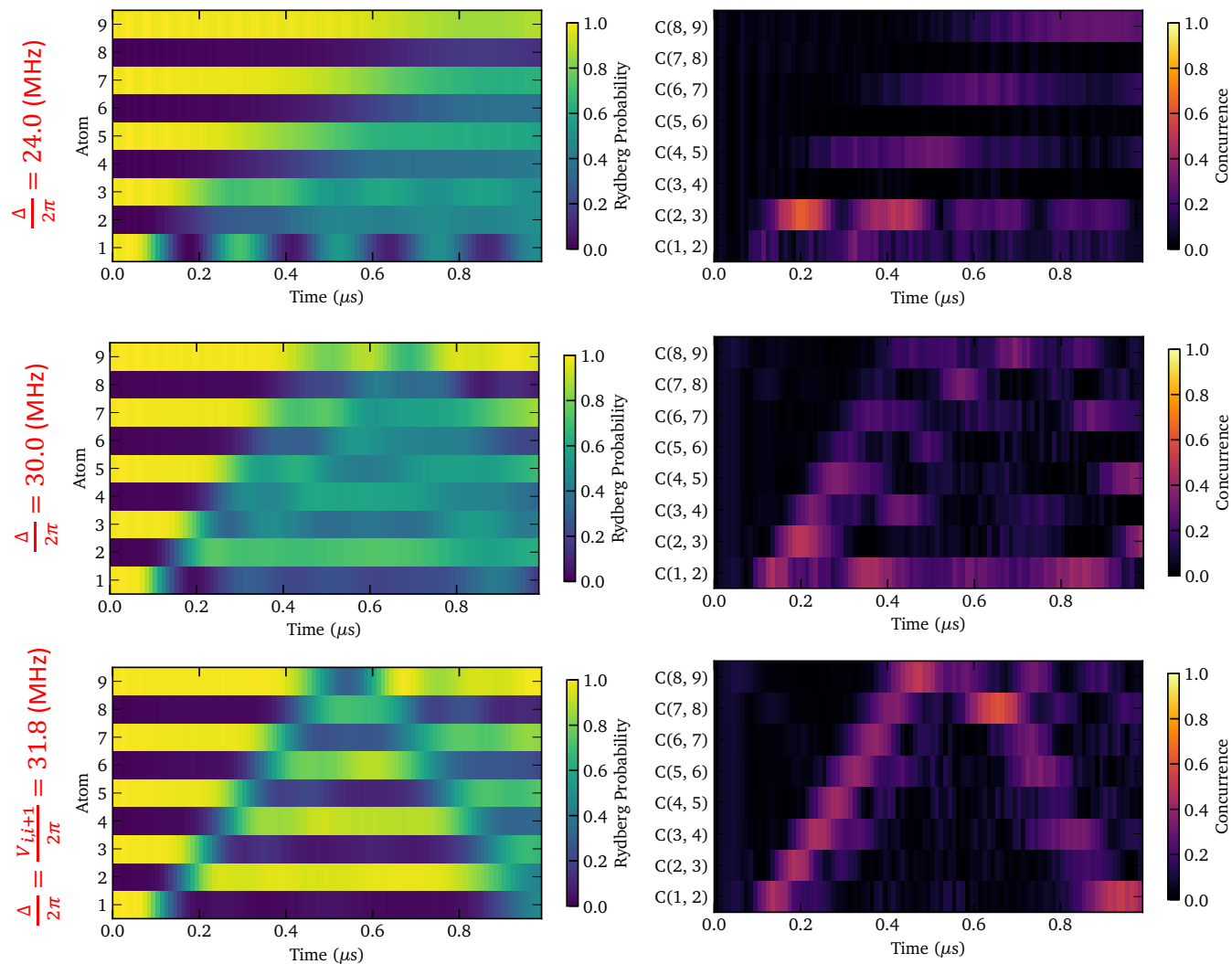


Key Idea: Pairwise entanglement between two qubits

Local Quenching: Concurrence

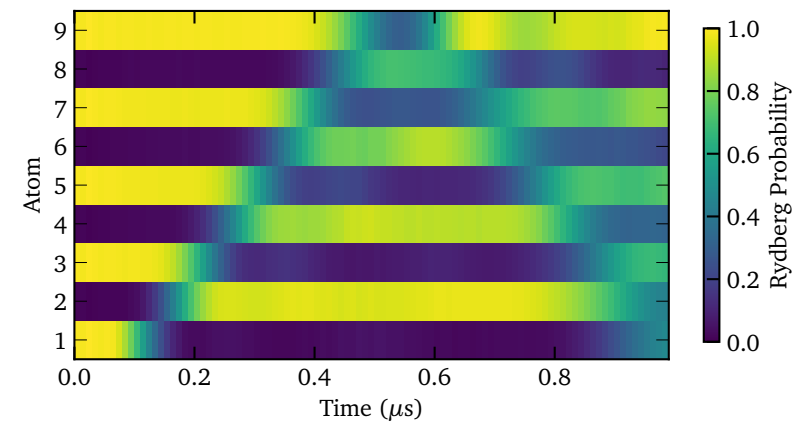
Entanglement monotone for
quantifying entanglement for a
mixed state of two qubits

$$\mathcal{C}(\rho_{i,i+1})$$



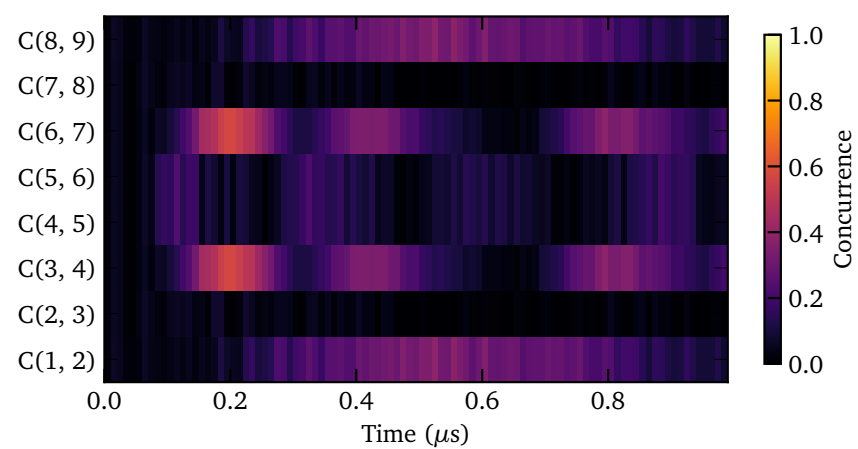
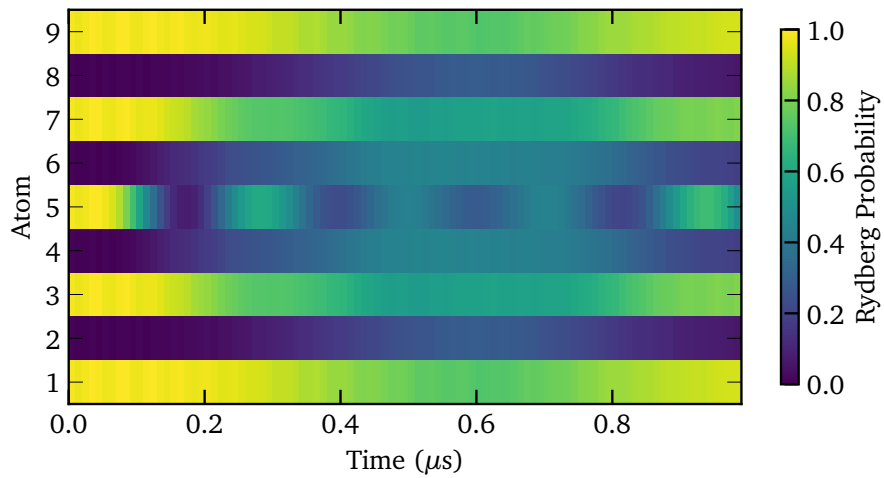
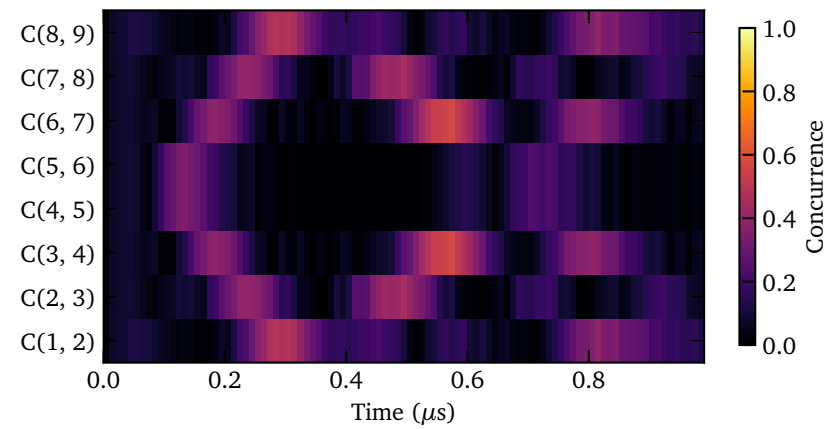
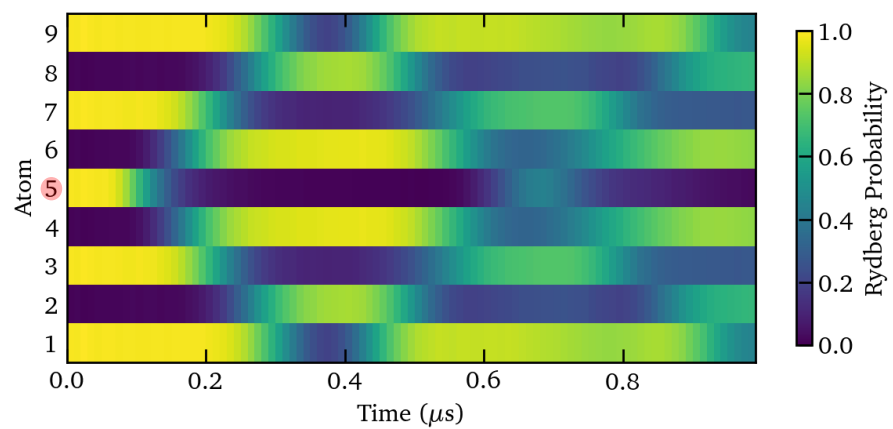
Acknowledgements

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- PHD Student: Toonyawat Angkhanawin



Other Local Quenches

Quench



Eigenenergy spectrum

