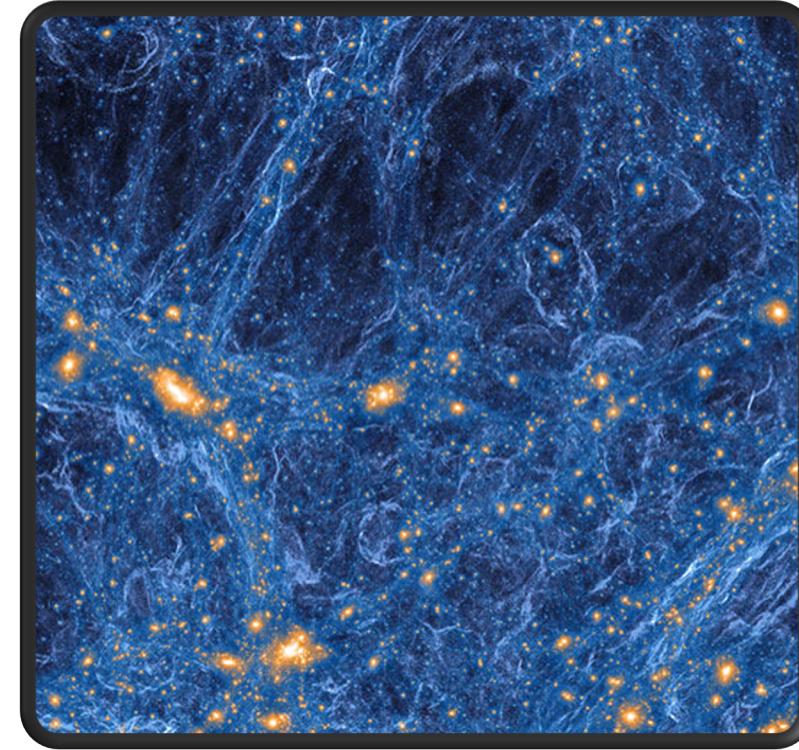


\neq



?

Hints of Cosmological Parity Violation

Oliver Philcox (Columbia / Simons Foundation)

Johns Hopkins, February 2023

November 2020

Parity-Violation from the CMB?



SciTechDaily

BIOLOGY CHEMISTRY EARTH HEALTH PHYSICS SCIENCE SPACE TECHNOLOGY

HOT TOPICS OCTOBER 17, 2022 | VEGETARIANS MORE LIKELY TO BE DEPRESSED THAN MEAT-EATERS – HERE'S THE SCIENCE BEHIND IT

HOME SPACE NEWS

A Hint of New Physics Observed in Polarized Radiation From the Early Universe

June 2022

Parity-Violation from Galaxies?

Quanta magazine

Physics Mathematics Biology

COSMOLOGY
Asymmetry Detected in the Distribution of Galaxies

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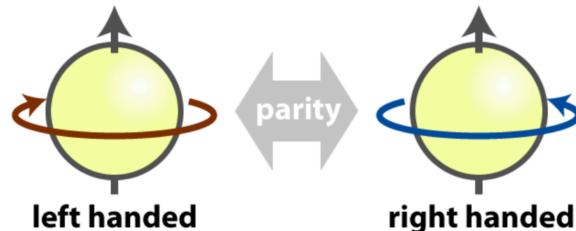
The universe is surprisingly lopsided and we don't know why



Minami+20, Philcox 22, Hou+22

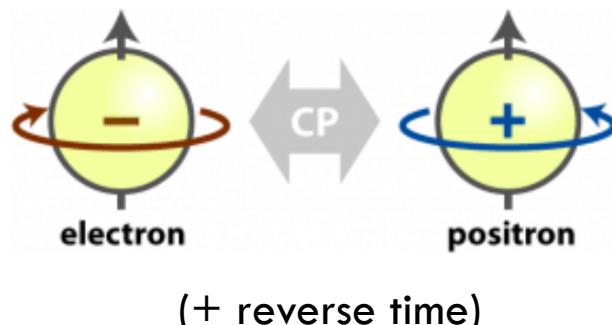
PARITY SYMMETRY IN PHYSICS

- ▶ Parity symmetry = symmetry under **point reflection**



$$\mathbb{P}[f(\mathbf{x}_1, \mathbf{x}_2, \dots)] = f(-\mathbf{x}_1, -\mathbf{x}_2, \dots)$$

- ▶ Physics obeys **Charge-Parity-Time** symmetry:



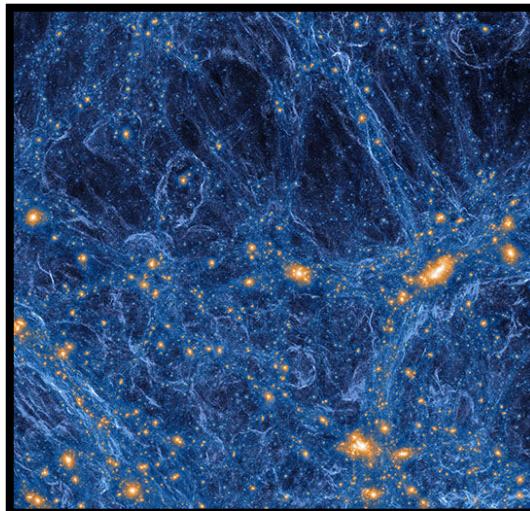
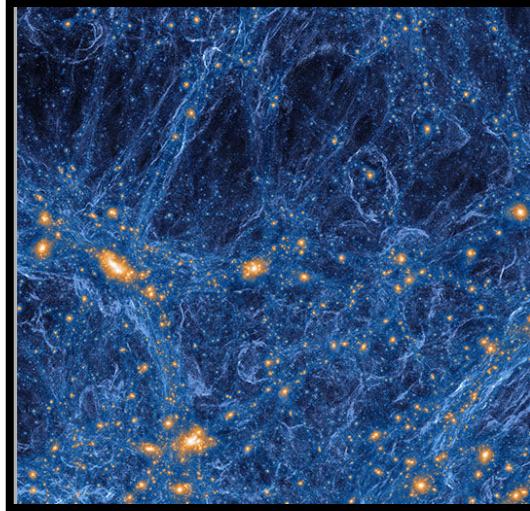
$$f^+(\mathbf{x}, t) = f^-(-\mathbf{x}, -t)$$

PARITY SYMMETRY IN COSMOLOGY

Large-scale cosmology is controlled by **GR**:

- ▷ No dependence on **charge**
 - ▷ **Time** reversible
- ⇒ Cosmology should be **parity-symmetric**

$$\mathbb{P}[f(\mathbf{x}_1, \mathbf{x}_2, \dots)] = f(\mathbf{x}_1, \mathbf{x}_2, \dots)$$



These should be
statistically
indistinguishable!

PARITY-VIOLATION EXISTS IN NATURE

► Human-scale physics is **not** parity-symmetric

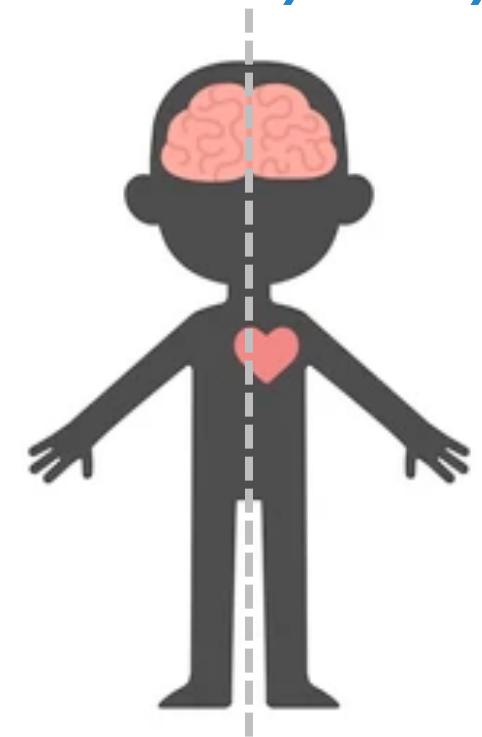
► Chemistry is controlled by the weak force!

► **Baryogenesis** violates charge-parity symmetry

$$n_{\text{Baryon}} \neq n_{\text{Anti-Baryon}}$$

Non-Gravitational physics **can** break parity invariance!

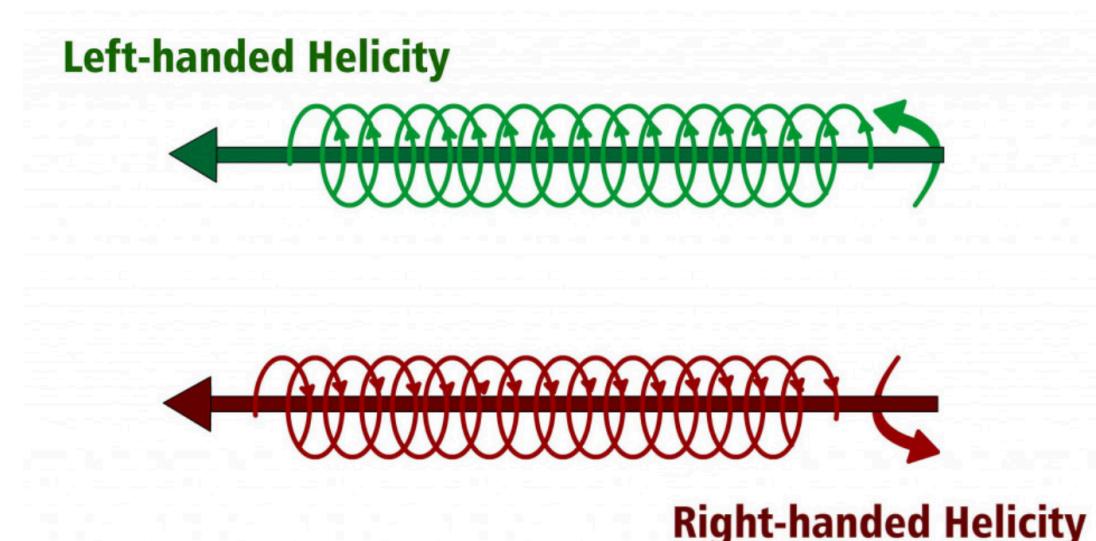
No mirror symmetry!



PARITY-VIOLATION IN COSMOLOGY

Where could parity-violation come from?

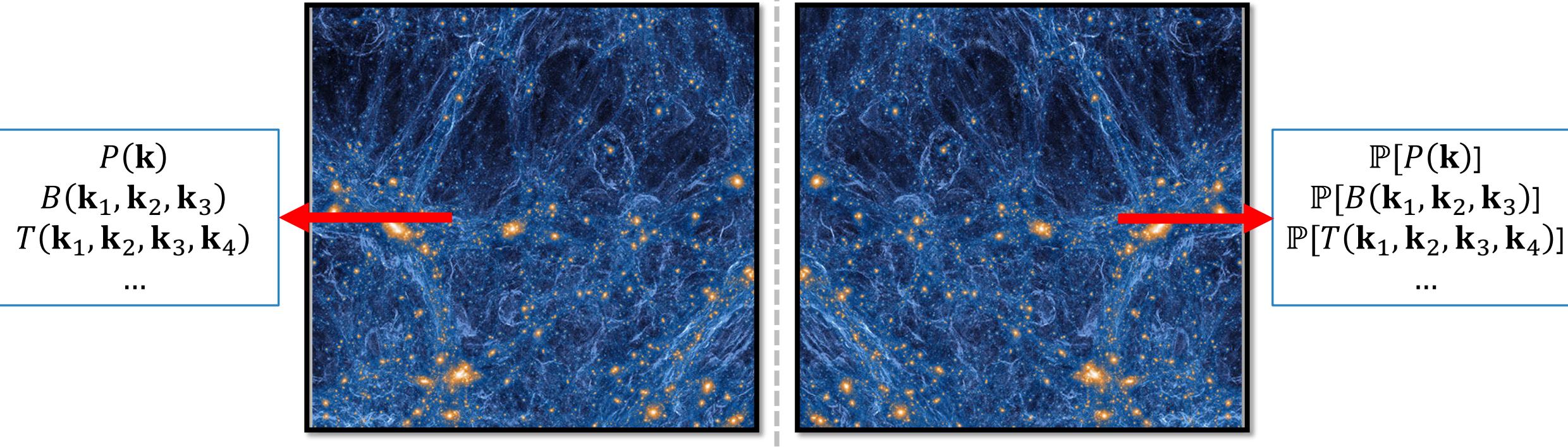
- ▷ Cosmic Inflation
- ▷ Exotic late-time physics



Usually, this requires vectors / tensors!

$$\mathbf{v}(\mathbf{x}) = v_L \mathbf{e}_L(\mathbf{x}) + v_R \mathbf{e}_R(\mathbf{x}) \quad \mathbb{P}[\mathbf{e}_{L/R}] = \mathbf{e}_{R/L}$$

HOW TO SEARCH FOR PARITY VIOLATION



Which statistics are sensitive to parity?

$$X - \mathbb{P}[X] = ?$$

SEARCHING FOR SCALAR PARITY VIOLATION

Let's start with **scalar** observables, e.g.:

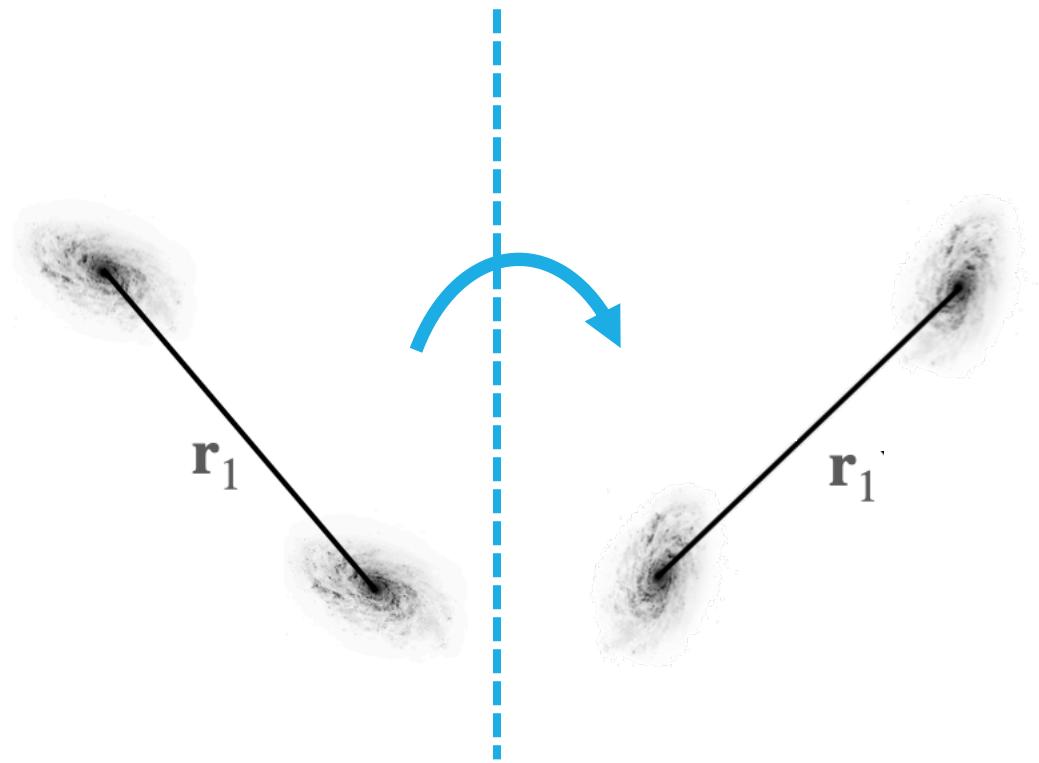
- Galaxy **overdensity** [δ_g]
- CMB **temperature** [T]

Simplest observable

Power Spectrum / 2-Point Function (2PCF)

But parity inversion = rotation

⇒ No signal!



SEARCHING FOR SCALAR PARITY VIOLATION

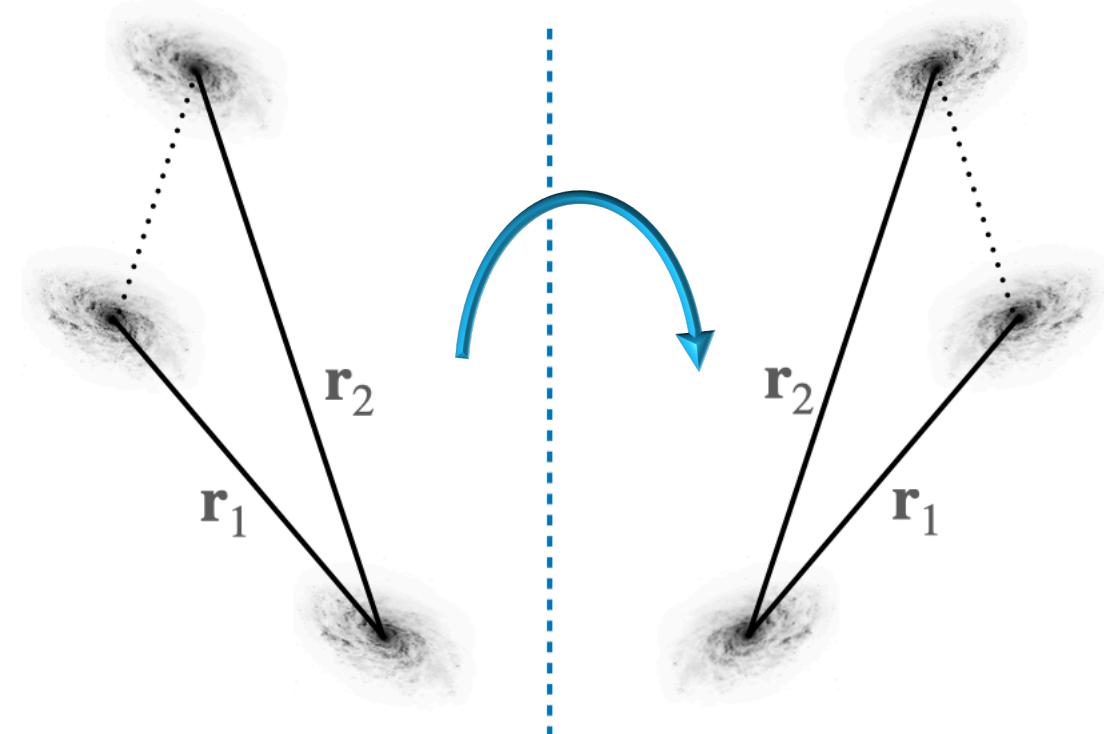
Let's start with **scalar** observables, e.g.:

- Galaxy **overdensity** [δ_g]
- CMB **temperature** [T]

Next observable

Bispectrum / 3-Point Function (3PCF)

*Still parity inversion = rotation
⇒ No signal!*



$$\zeta_3(\mathbf{r}_1, \mathbf{r}_2)$$

$$\mathbb{P} [\zeta_3(\mathbf{r}_1, \mathbf{r}_2)]$$

SEARCHING FOR SCALAR PARITY VIOLATION

Let's start with **scalar** observables, e.g.:

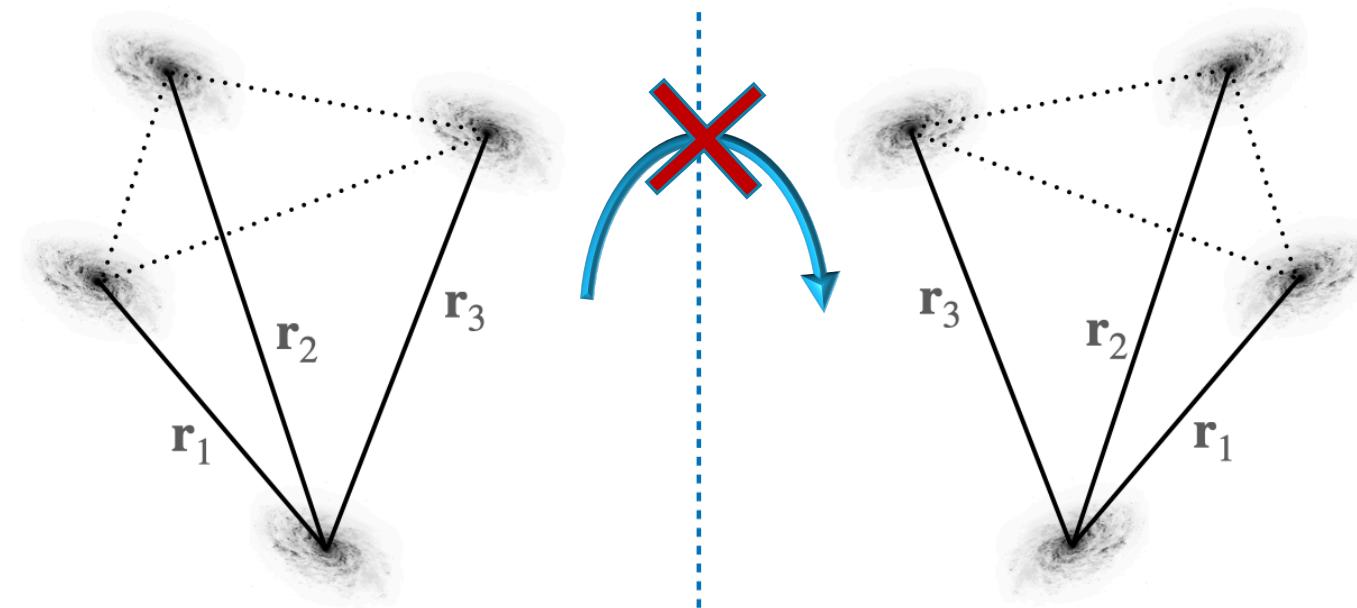
- Galaxy **overdensity** [δ_g]
- CMB **temperature** [T]

Next next observable

Trispectrum / 4-Point Function (4PCF)

Finally parity inversion \neq rotation

⇒ We can get a signal!



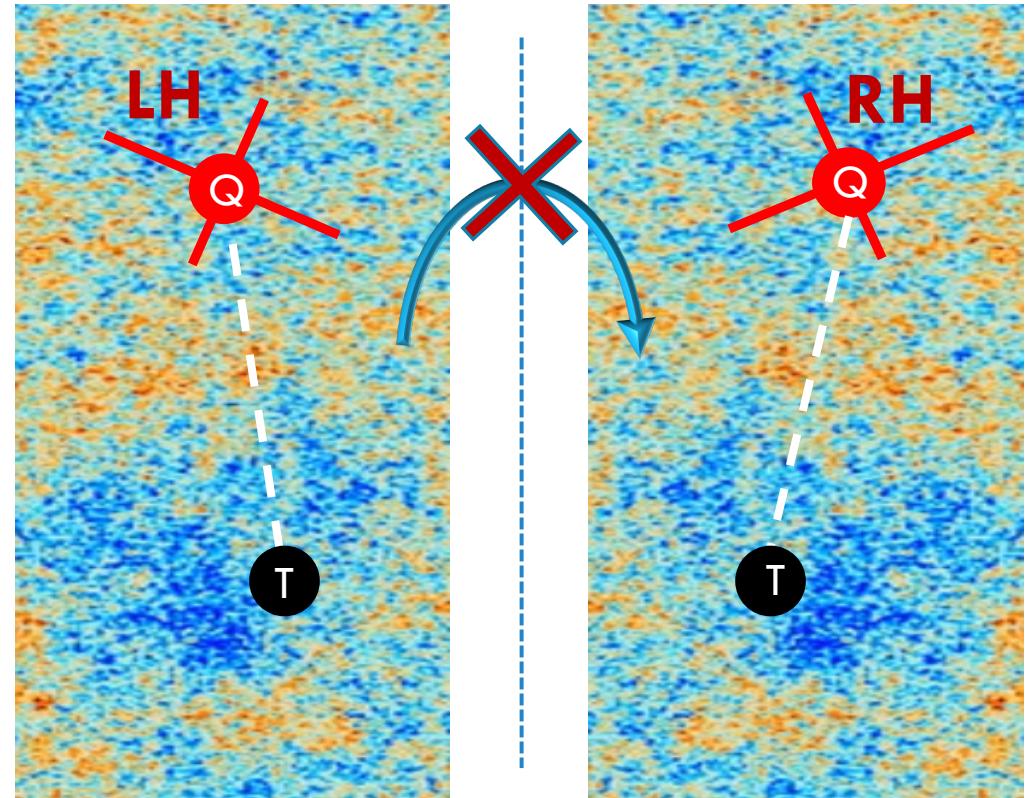
$$\zeta_4(\mathbf{r}_1, \mathbf{r}_2, \mathbf{r}_3)$$

$$\mathbb{P} [\zeta_4(\mathbf{r}_1, \mathbf{r}_2, \mathbf{r}_3)]$$

SEARCHING FOR TENSOR PARITY VIOLATION

For **vector/tensor** observables, e.g.:

- CMB polarization [E, B]
- Galaxy shear [$\gamma^{E,B}$]
- Galaxy spins



Simplest observable

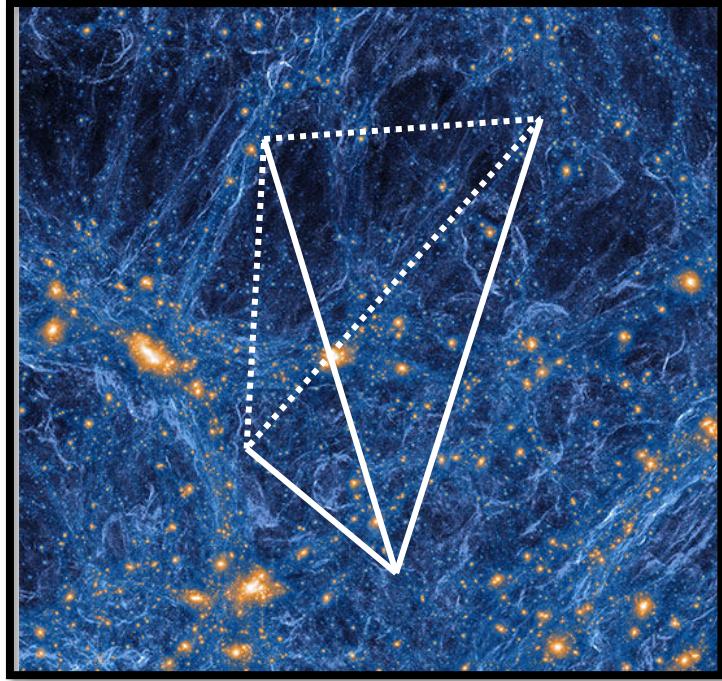
Power Spectrum / 2-Point Function (2PCF)

Parity inversion \neq rotation

⇒ We can get a signal!

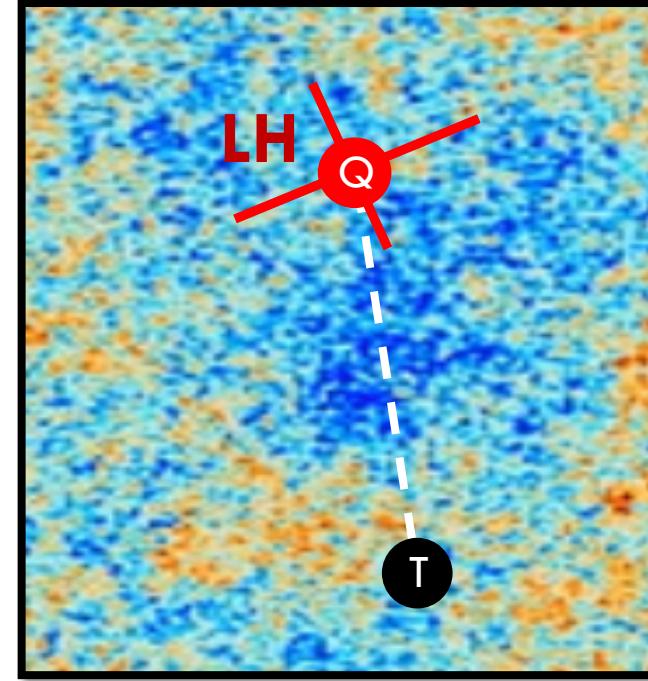
$$C_\ell^{TB} \neq 0$$

PARITY SENSITIVE OBSERVABLES



Scalars: $\zeta_4 - \mathbb{P}[\zeta_4]$

Look in galaxy surveys or the CMB!

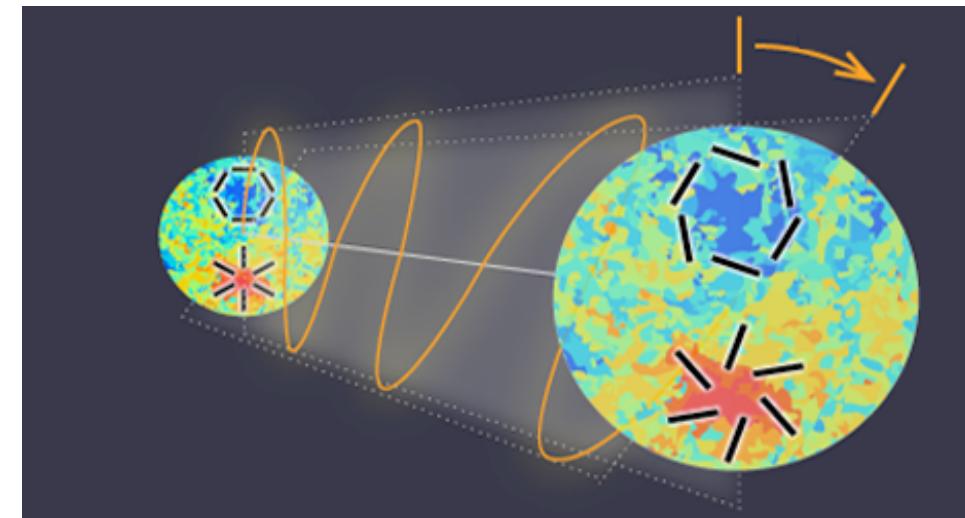


Tensors: $C_\ell^{TB}, C_\ell^{EB}, B_{\ell_1 \ell_2 \ell_3}^{TTB}, \dots$

Look in the CMB and cosmic shear!

OBSERVATION #1: COSMIC BIREFRINGENCE

The screenshot shows the SciTechDaily website. The header features the "SciTechDaily" logo with a brain icon. Below the logo is a navigation bar with categories: BIOLOGY, CHEMISTRY, EARTH, HEALTH, PHYSICS, SCIENCE, SPACE, and TECHNOLOGY. A "HOT TOPICS" section displays the headline "OCTOBER 17, 2022 | VEGETARIANS MORE LIKELY TO BE DEPRESSED THAN MEAT-EATERS – HERE'S THE SCIENCE BEHIND IT". At the bottom left are links for "HOME" and "SPACE NEWS". The main content area features a large, bold title: "A Hint of New Physics Observed in Polarized Radiation From the Early Universe".

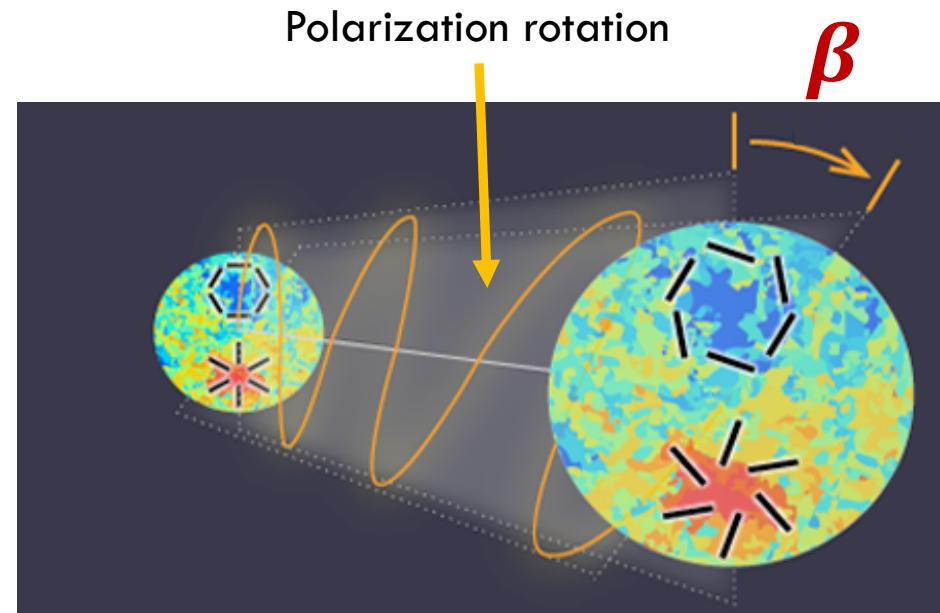


OBSERVATION #1: COSMIC BIREFRINGENCE

Hypothesis:

- ▷ Emitted CMB is parity-symmetric ($C_\ell^{EB} = 0$)
- ▷ Photon polarization plane **rotated** at late times
- ▷ **E-modes** transformed into **B-modes**
- ▷ Observed CMB is **not** parity symmetric ($C_\ell^{EB} \neq 0$)

Rotation angle $\beta = (0.30 \pm 0.11)^\circ [2.7\sigma]$



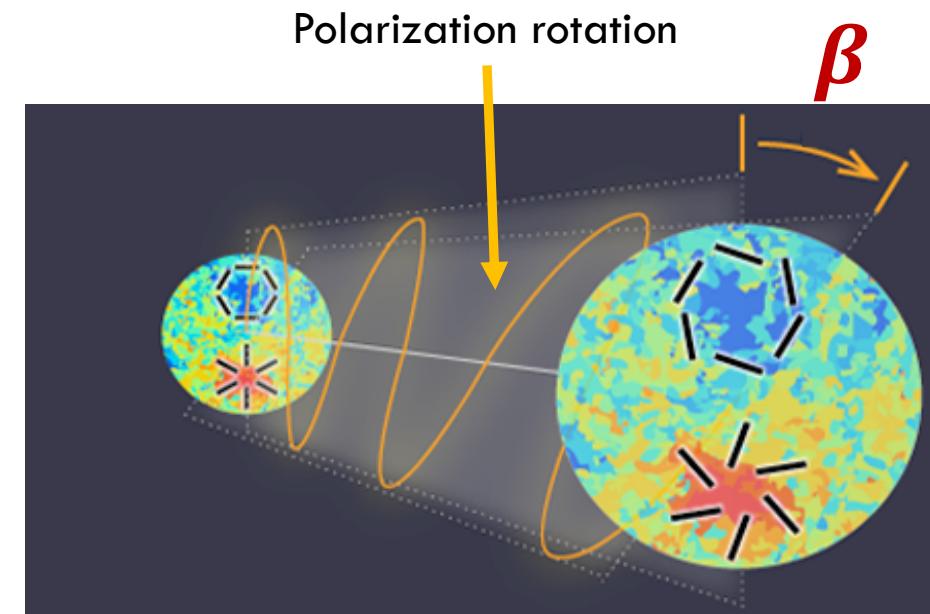
$$C_\ell^{EB} = \frac{1}{2} \sin 4\beta (C_\ell^{EE} - C_\ell^{BB})$$

OBSERVATION #1: COSMIC BIREFRINGENCE

CMB photons could be coupled to **axion-like particles** via a **Chern-Simons** coupling

$$\mathcal{L} \supset \frac{1}{4} g_{\phi\gamma} \phi F_{\mu\nu} \tilde{F}^{\mu\nu},$$

Photon
↓
Axion



Axion interactions rotate the polarization plane!

$$\beta \propto g_{\phi\gamma} \int dt \dot{\phi} \Rightarrow g_{\phi\gamma} \neq 0?$$

$$C_\ell^{EB} = \frac{1}{2} \sin 4\beta (C_\ell^{EE} - C_\ell^{BB})$$

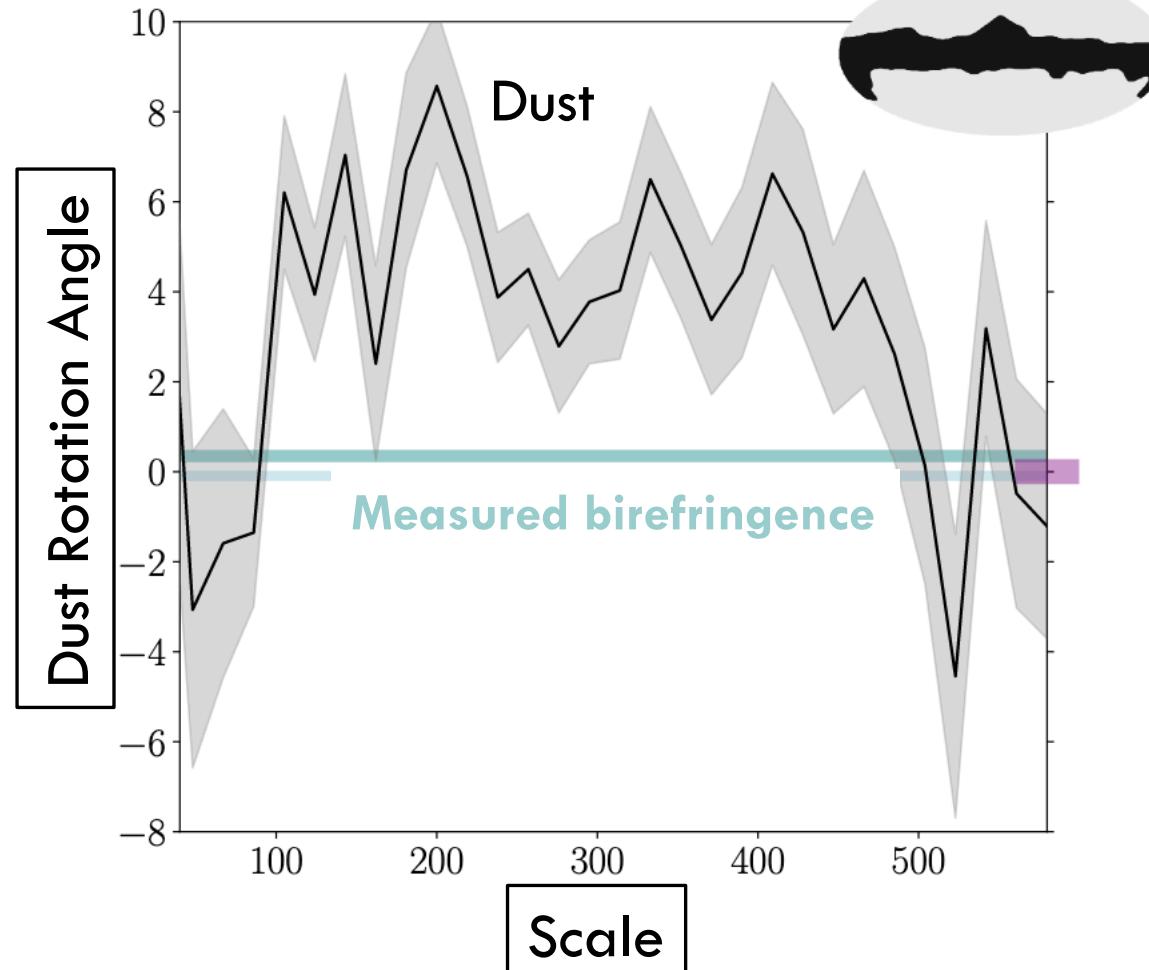
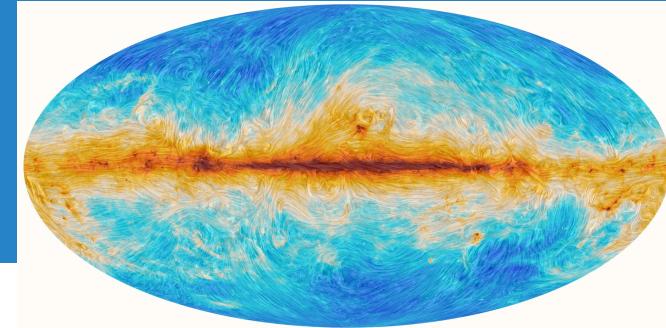
BUT: WHAT ABOUT DUST?

- ▷ Polarized dust emission can **break** parity-symmetry
- ▷ Signal could just be from dust!

Not resolved yet:

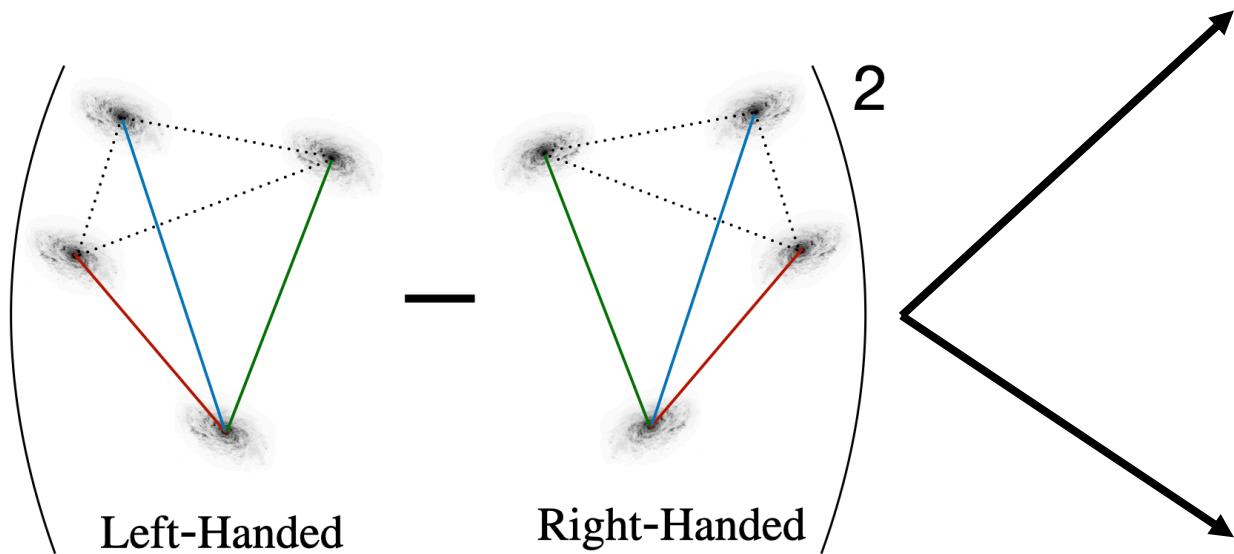
"High-precision CMB data and a characterization of dust beyond the modified blackbody paradigm are needed to obtain a definitive measurement..."

- Diego-Palazuelos+22



Clark+21, Diego-Palazuelos+22

OBSERVATION #2: GALAXY FOUR-POINT FUNCTIONS



$\zeta_4 - \mathbb{P}[\zeta_4] \neq 0$ in BOSS!

Quanta magazine Physics Mathematics Biology

COSMOLOGY

Asymmetry Detected in the Distribution of Galaxies

Two new studies suggest that certain tetrahedral arrangements of galaxies outnumber their mirror images, potentially reflecting details of the universe's birth. But confirmation is needed.

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The universe is surprisingly lopsided and we don't know why

Two analyses of a million galaxies show that their distribution may not be symmetrical, which may mean that our understandings of gravity and the early universe are incorrect

THE GALAXY 4-POINT FUNCTION

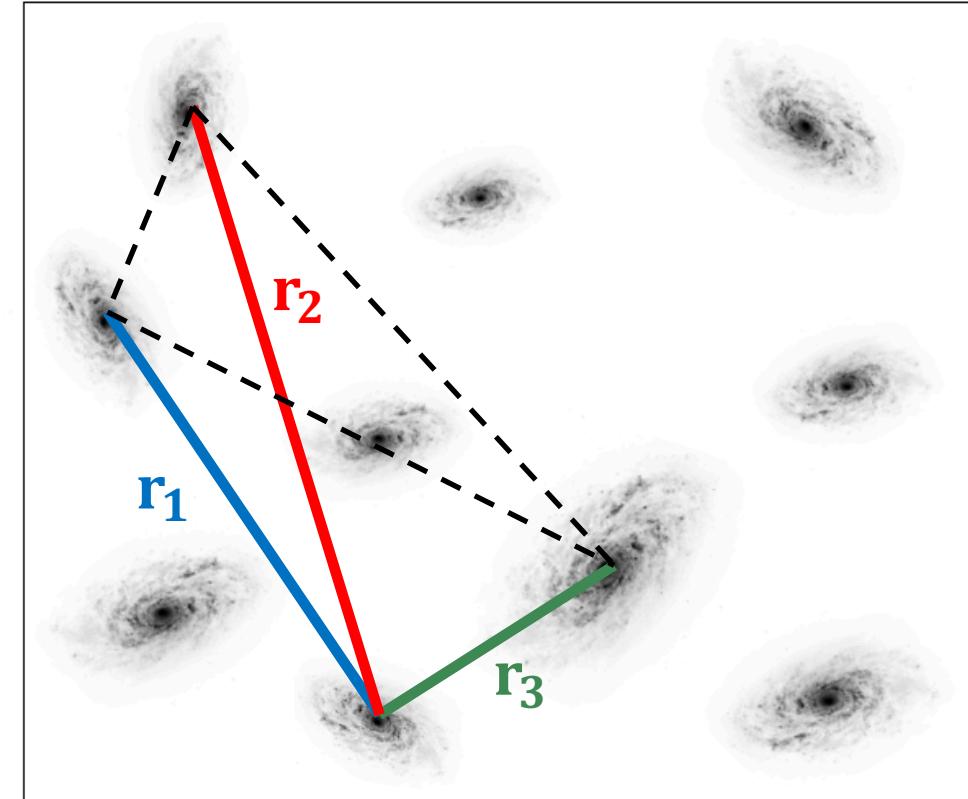
Four-point correlation function (4PCF)

=

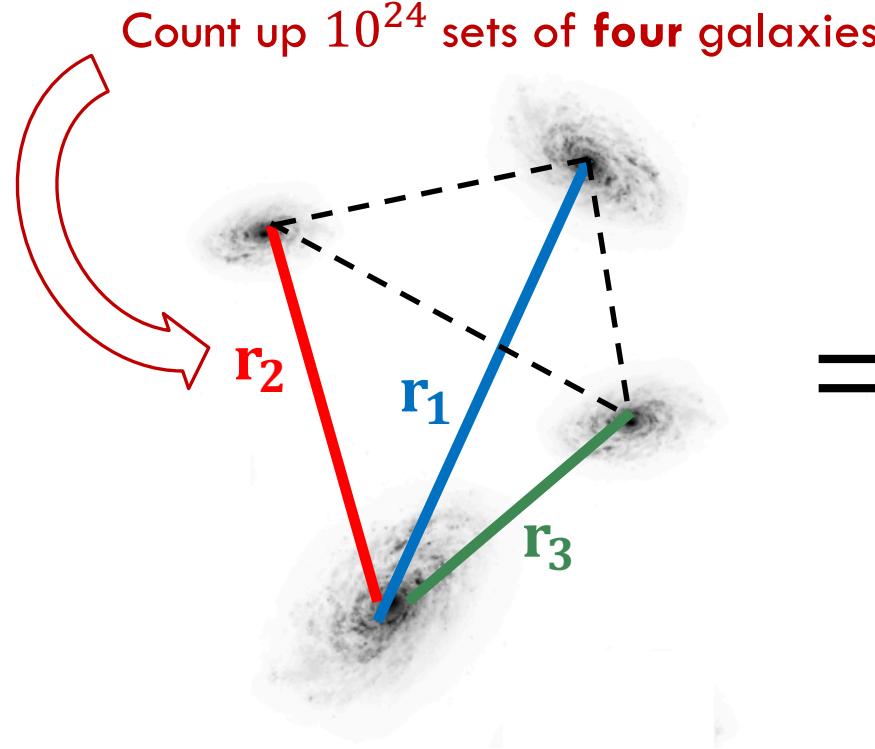
Probability of finding a galaxy **tetrahedron**
of a given shape

$$\zeta_4(\mathbf{r}_1, \mathbf{r}_2, \mathbf{r}_3) = \langle \delta_g(\mathbf{x})\delta_g(\mathbf{x} + \mathbf{r}_1)\delta_g(\mathbf{x} + \mathbf{r}_2)\delta_g(\mathbf{x} + \mathbf{r}_3) \rangle_c$$

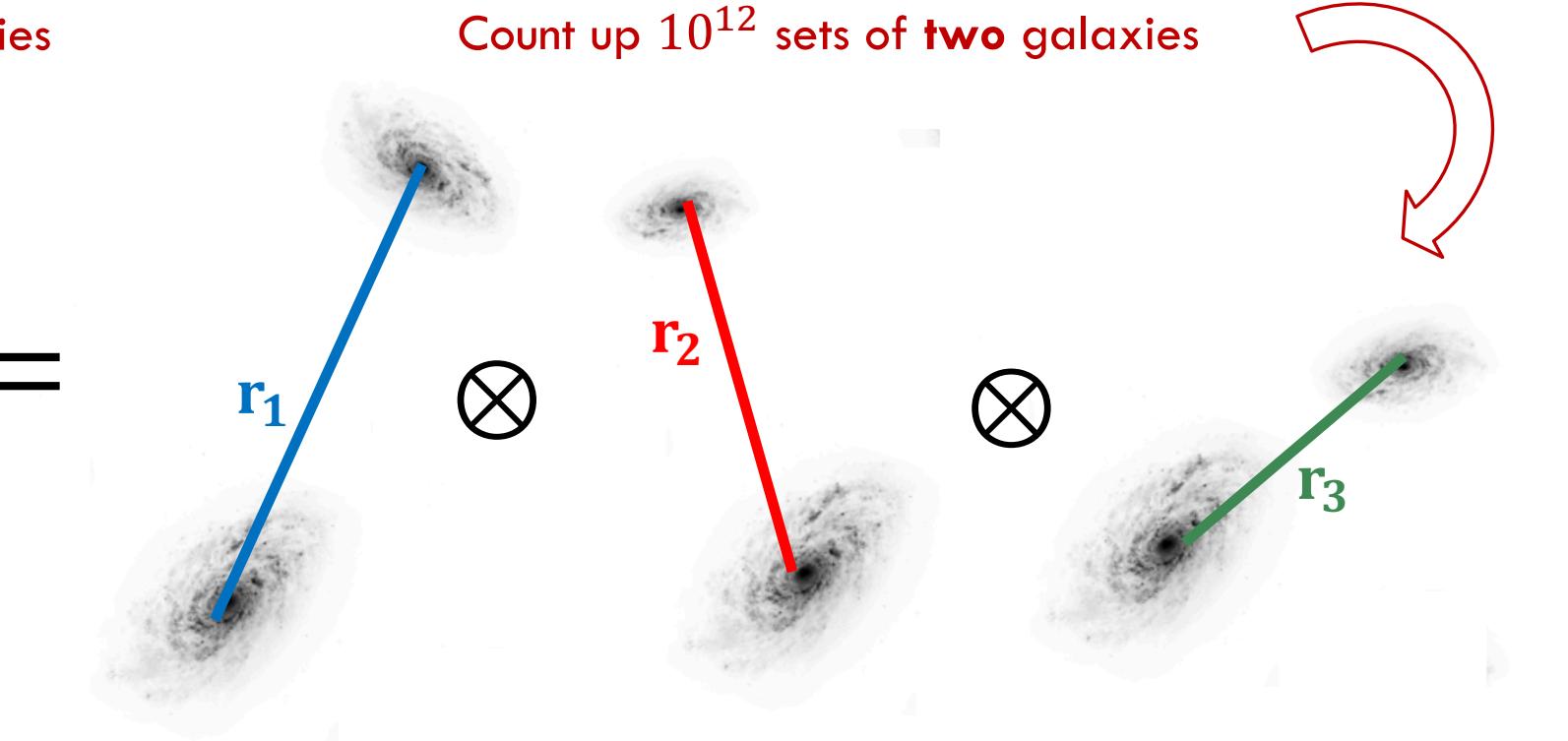
New methods allow this to be computed
efficiently!



ONE TETRAHEDRON = THREE VECTORS



=



3 lengths + 3 angles

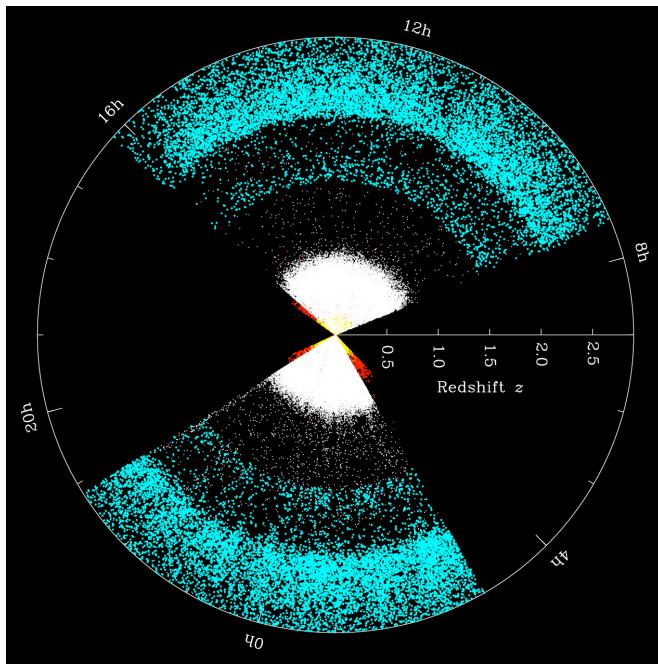
1 length + 1 direction

1 length + 1 direction

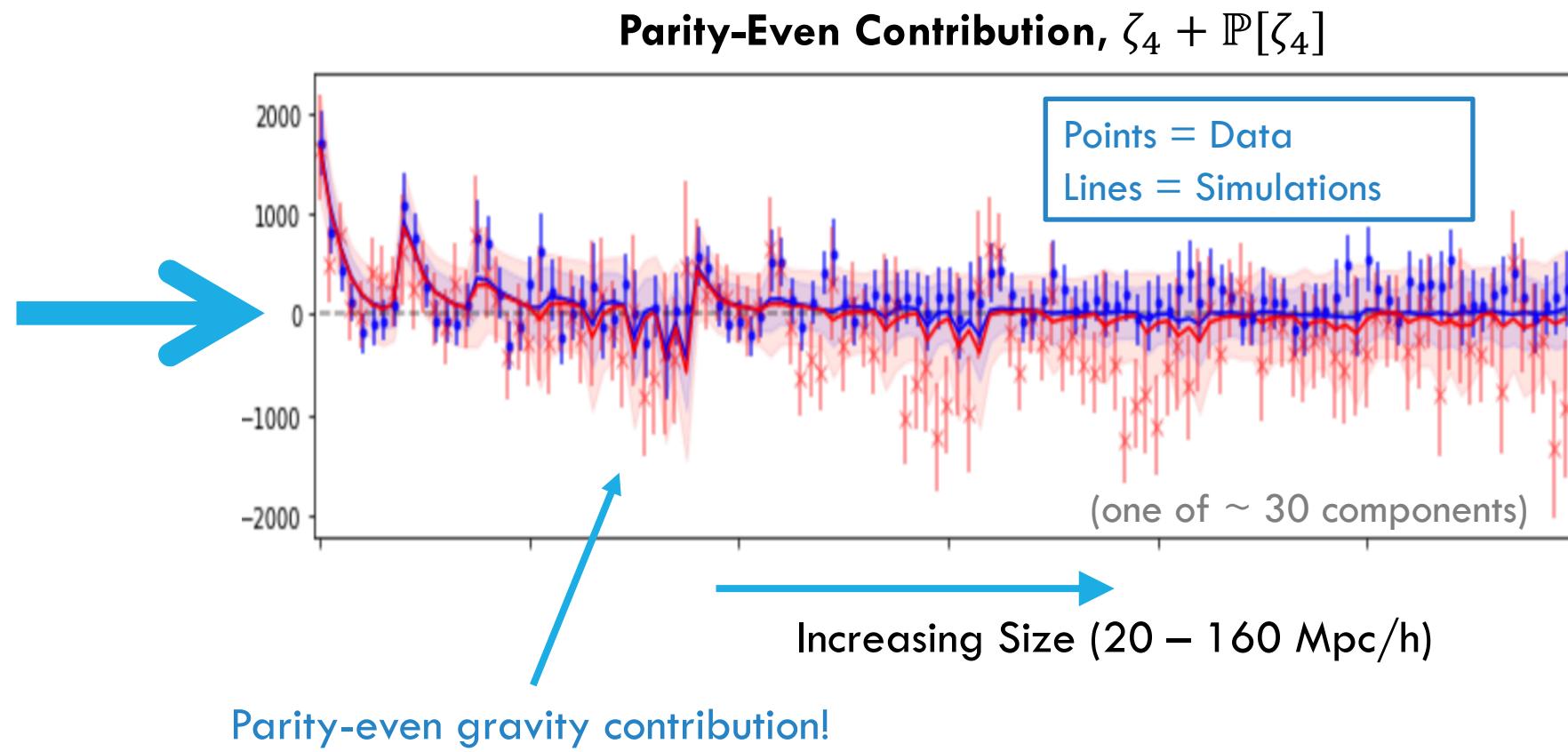
1 length + 1 direction

THE OBSERVED FOUR-POINT FUNCTION

We measure the 4PCF from $\approx 10^6$ BOSS CMASS galaxies

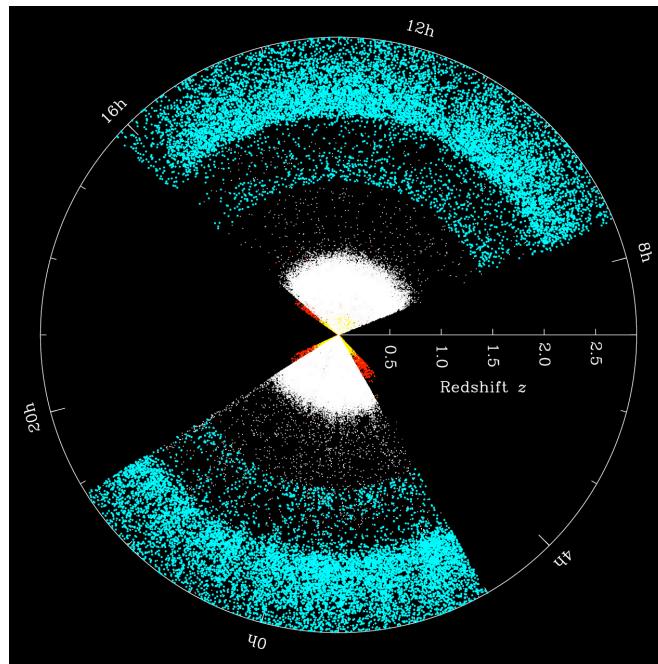


Galaxy Positions

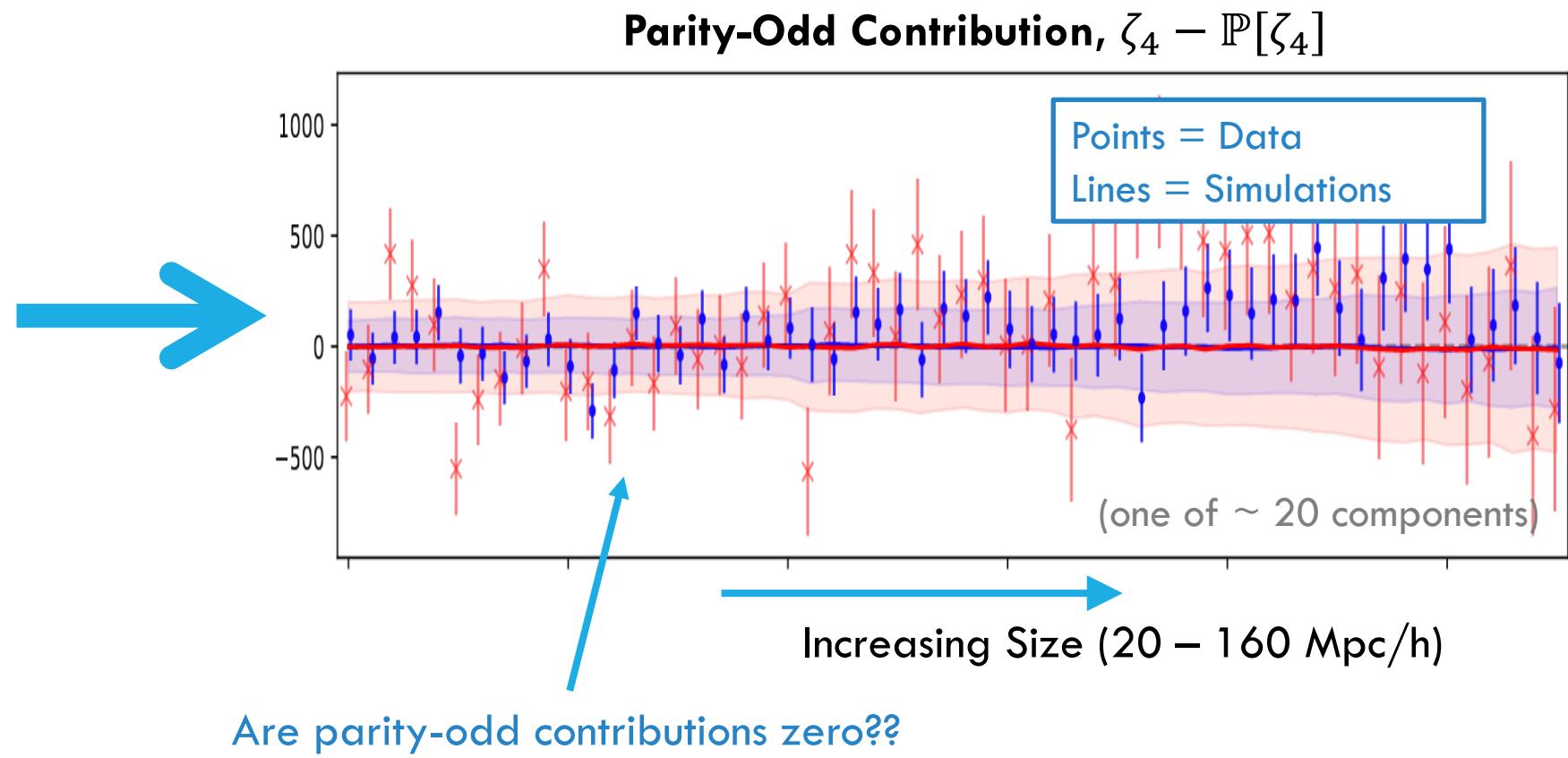


THE OBSERVED FOUR-POINT FUNCTION

We measure the 4PCF from $\approx 10^6$ BOSS CMASS galaxies



Galaxy Positions



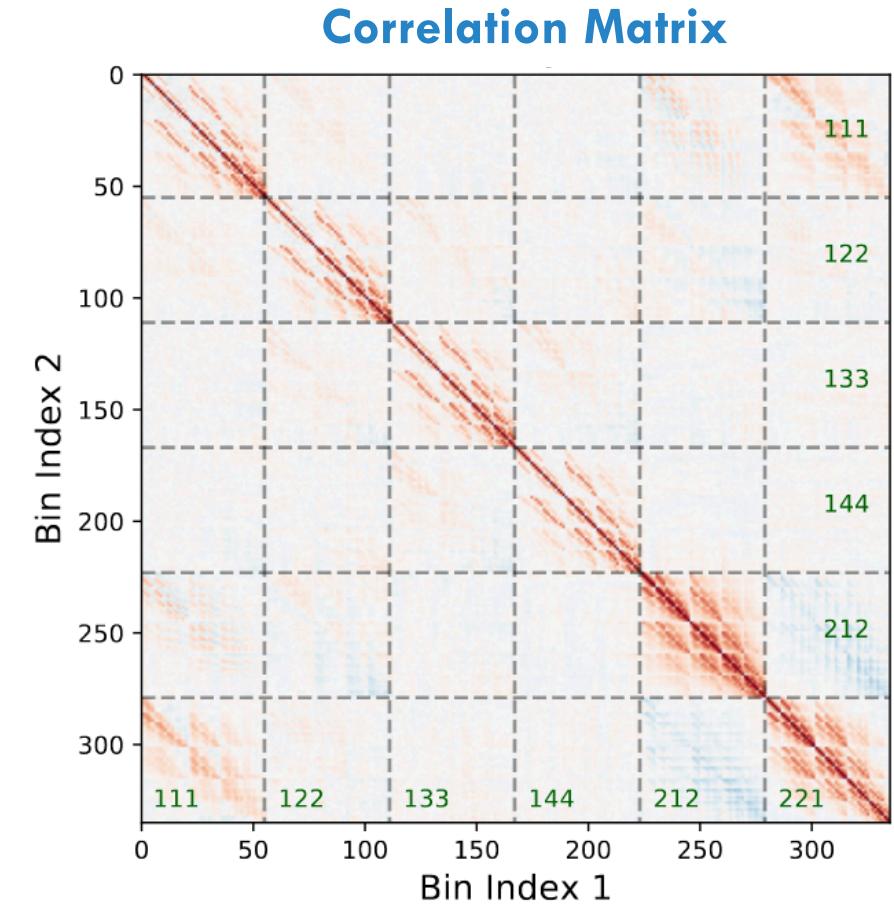
ANALYZING THE 4PCF

$$\zeta^{\text{odd}} = \frac{1}{2} (\zeta_4 - \mathbb{P}[\zeta_4])$$

- The 4PCF is a **high-dimensional** object with $\sim 10^3$ **correlated bins**

Compute the **detection significance** with a χ^2 test

$$\chi^2 \equiv \zeta^{\text{odd}} \text{Cov}_{\zeta}^{-1} \zeta^{\text{odd}}$$



ANALYZING THE 4PCF

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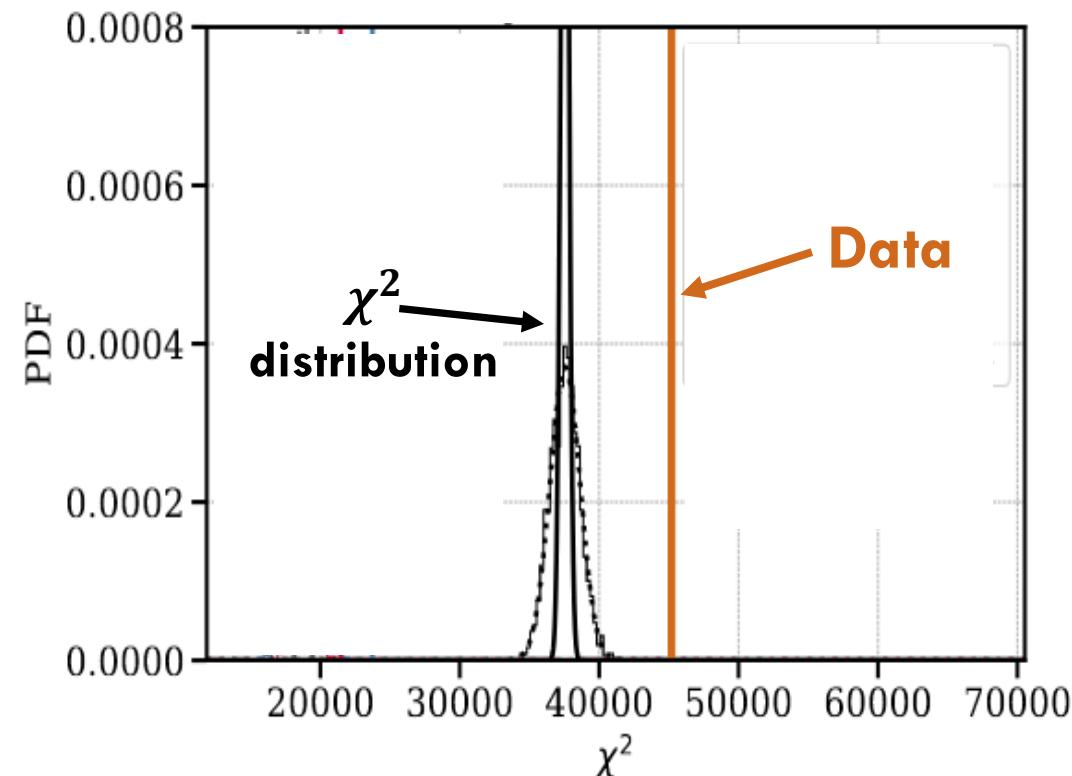
Compute the **detection significance** with a χ^2 test

$$\chi^2 \equiv \zeta^{\text{odd}} \text{Cov}_{\zeta}^{-1} \zeta^{\text{odd}}$$

Assumptions

- **Theoretical** covariance matrix is accurate
- Likelihood is **Gaussian**

7.1 σ detection???



ANALYZING THE 4PCF

$$\zeta^{\text{odd}} = \frac{1}{2} (\zeta_4 - \mathbb{P}[\zeta_4])$$

- ▶ The 4PCF is a **high-dimensional** object with $\sim 10^3$ **correlated bins**

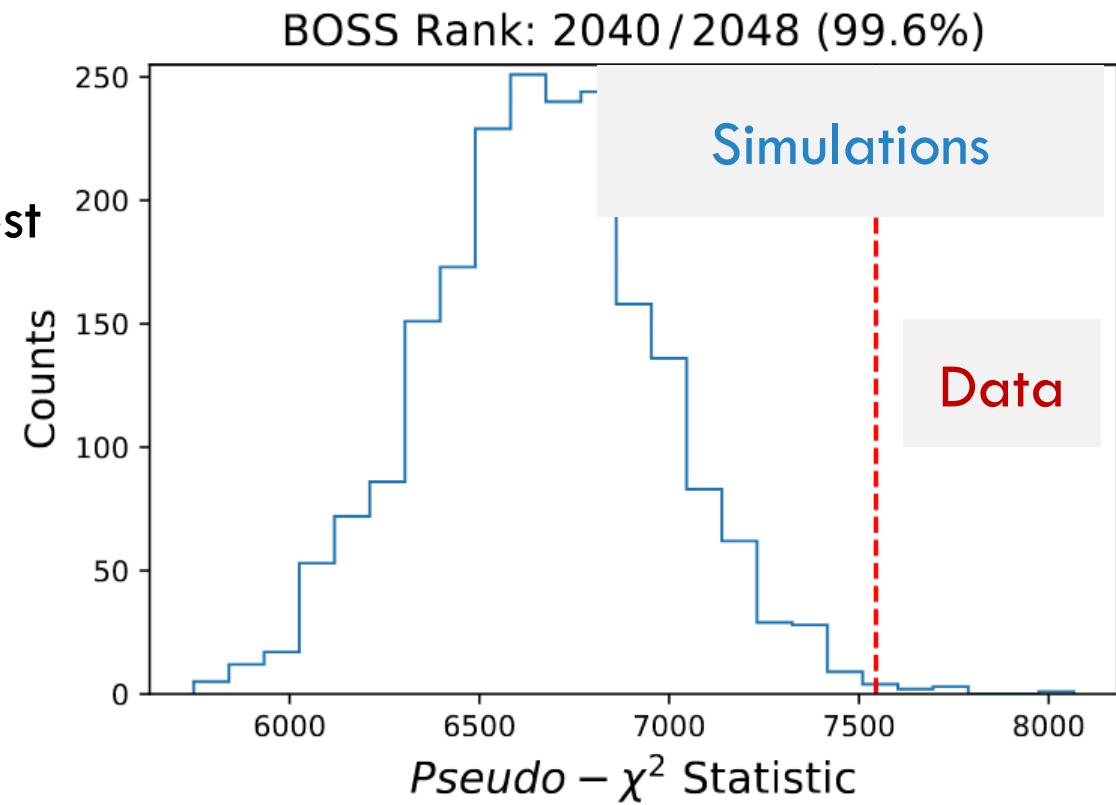
Compute the **detection significance** with a χ^2 test

$$\chi^2 \equiv \zeta^{\text{odd}} \text{Cov}_{\zeta}^{-1} \zeta^{\text{odd}}$$

Assumptions

- ▶ **Simulation covariance matrix** is accurate
- ▶ Likelihood is based on **simulations**

2.9 σ detection???



WHAT CAUSES THE DIFFERENCES?

$$\chi^2 \equiv \zeta^{\text{odd}} \text{Cov}_{\zeta}^{-1} \zeta^{\text{odd}}$$

Two analysis of the **same** data at the **same** time
get **very** different results

▷ **Covariance** modelling may be inadequate?
[linear theory, no RSD, no window, imprecise mocks]

▷ Likelihood might not be **Gaussian**?
[high-dimensional data]

But, both seem to agree there is a signal!



Measurement of Parity-Odd Modes in the Large-Scale 4-Point Correlation Function of SDSS BOSS DR12 CMASS and LOWZ Galaxies

Jiamin Hou, Zachary Slepian, Robert N. Cahn



Probing Parity-Violation with the Four-Point Correlation Function of BOSS Galaxies

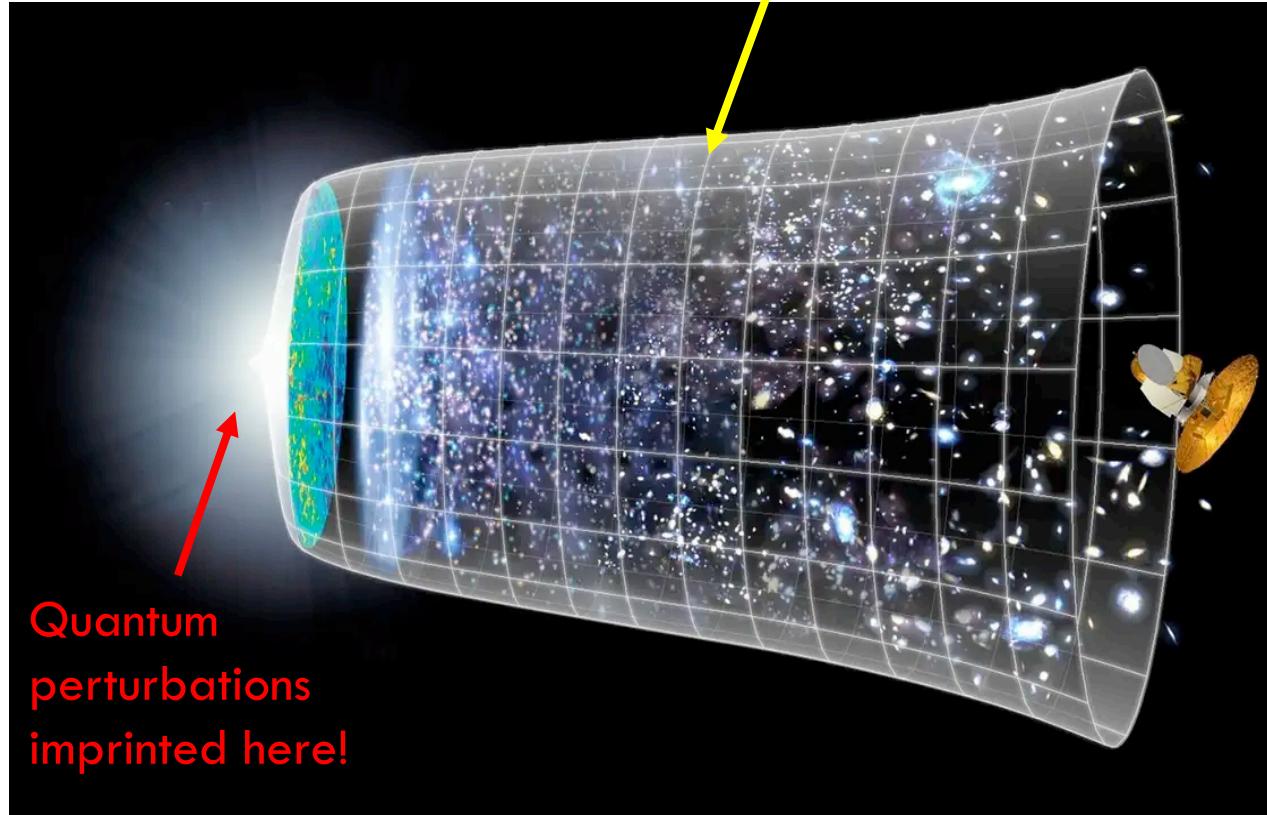
Oliver H. E. Philcox

SOURCES OF PARITY VIOLATION

The 4PCF could be sourced

1. **Early:** non-standard inflation?
2. **Late:** modified gravity?

Galaxies have only moved ~ 20 Mpc/h since inflation, so **early** is a more likely scenario!



PRIMORDIAL PARITY-VIOLATION

Parity conservation if

1. **Scale-invariant** (i.e. exact dS)
and
2. **Scalar** fields (or massless spin fields)
and
3. **Bunch-Davies** vacuum

Parity violation if

- ▷ **Not scale-invariant** (Chern-Simons gravity)
- or
- ▷ **Massive spinning** fields (cosmological collider)
- or
- ▷ **Non-Bunch-Davies** vacuum (ghost condensate)

(and many other scenarios)



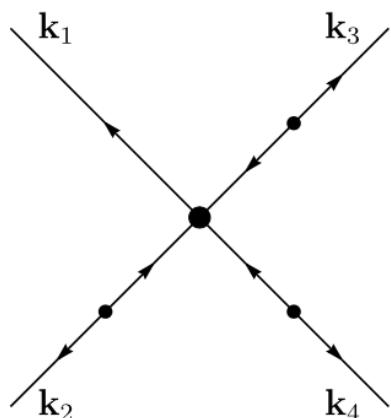
PRIMORDIAL PARITY-VIOLATION: GHOSTS

If the inflaton has a **quadratic** dispersion relation, $\omega \propto k^2$

$$S_{\pi\pi} = \int d^3x d\eta a^4(\eta) \left[\frac{\Lambda^4}{2} \frac{\pi'^2}{a^2(\eta)} - \frac{\tilde{\Lambda}^2}{2} \frac{(\nabla^2 \pi)^2}{a^4(\eta)} \right]$$

Inflaton
+ *interactions*

We generate a parity-odd trispectrum!



$$T_\zeta(k_1, k_2, k_3, k_4) \sim \frac{\Lambda^5 H^{\frac{3}{2}}}{\Lambda_{PO}^2 \tilde{\Lambda}^{\frac{9}{2}}} (\Delta_\zeta^2)^3 (\mathbf{k}_1 \cdot \mathbf{k}_2 \times \mathbf{k}_3) \dots$$



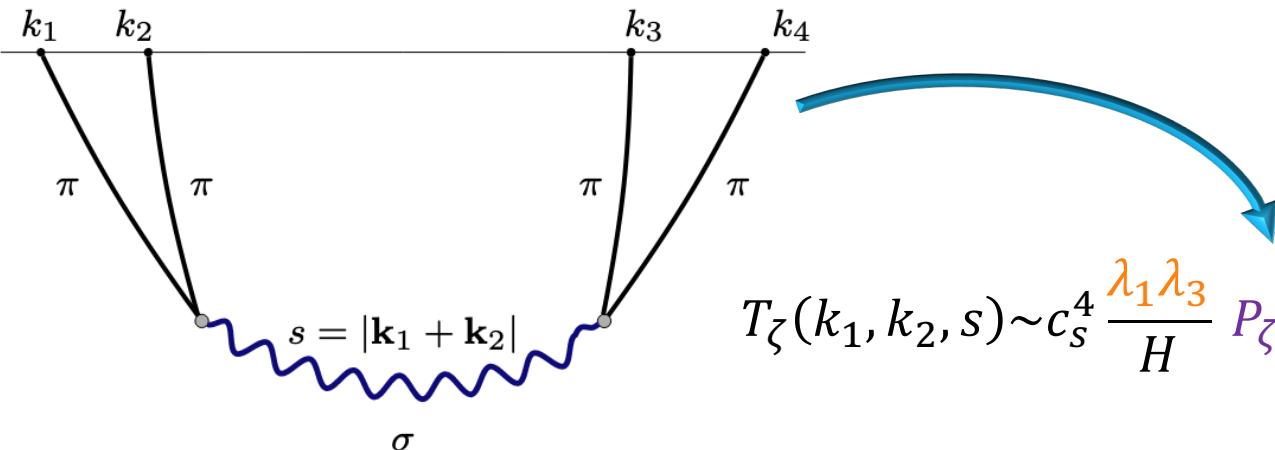
PRIMORDIAL PARITY-VIOLATION: COSMOLOGICAL COLLIDER

If we exchange a **spin-1** particle during inflation

$$S_{\pi\pi\sigma} = \int d^3x d\eta \left[\lambda_1 \partial_i \pi' \partial_i \partial_j \pi | \sigma^j + \dots \right]$$

New Particle
Inflaton

We generate a parity-odd trispectrum!



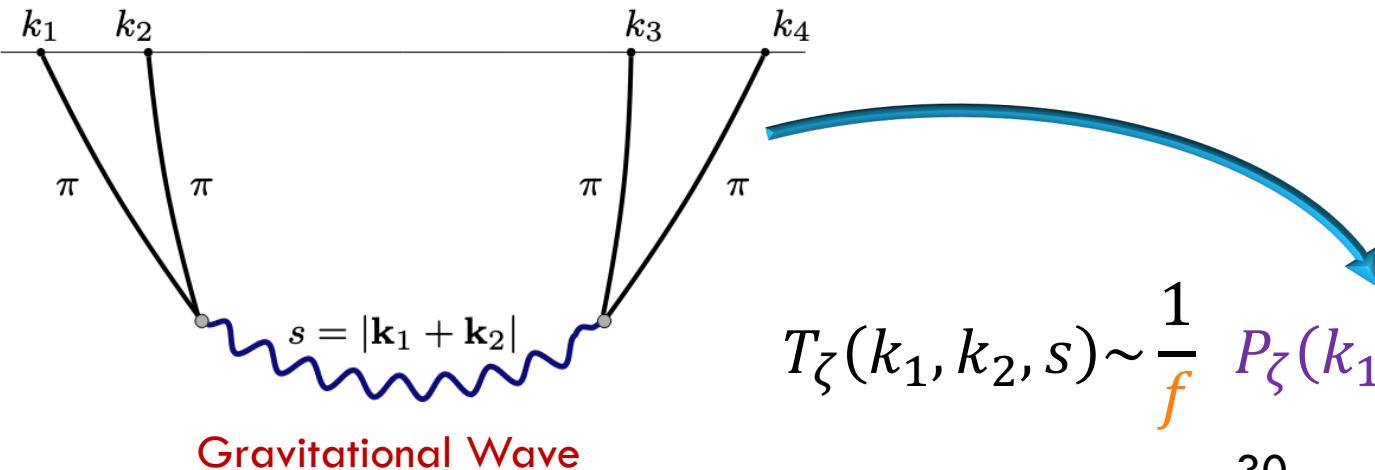
PRIMORDIAL PARITY-VIOLATION: DYNAMICAL CHERN-SIMONS GRAVITY

If we exchange a **gravitational wave** during inflation

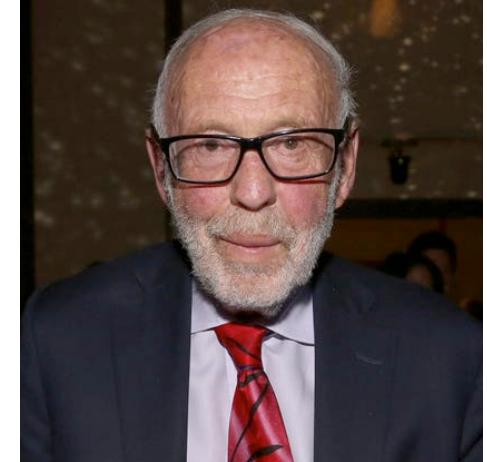
$$S = S_{\text{GR}} + \frac{1}{4f} \int d^4x \sqrt{-g} \begin{array}{c} \text{Gravity} \\ \phi^* RR \\ \hline \text{Inflaton} \end{array}$$

CS Coupling

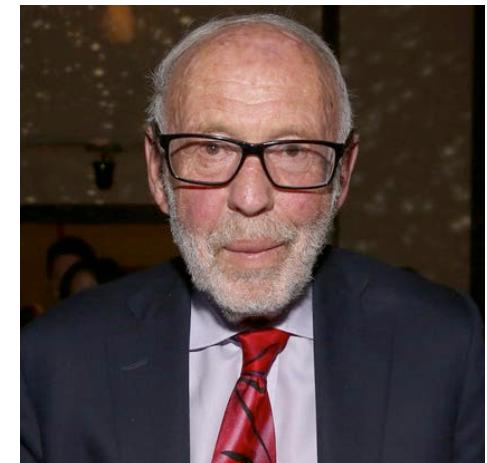
We generate a parity-odd trispectrum!



$$T_\zeta(k_1, k_2, s) \sim \frac{1}{f} P_\zeta(k_1) P_\zeta(k_2) [r P_\zeta(s)] \dots$$



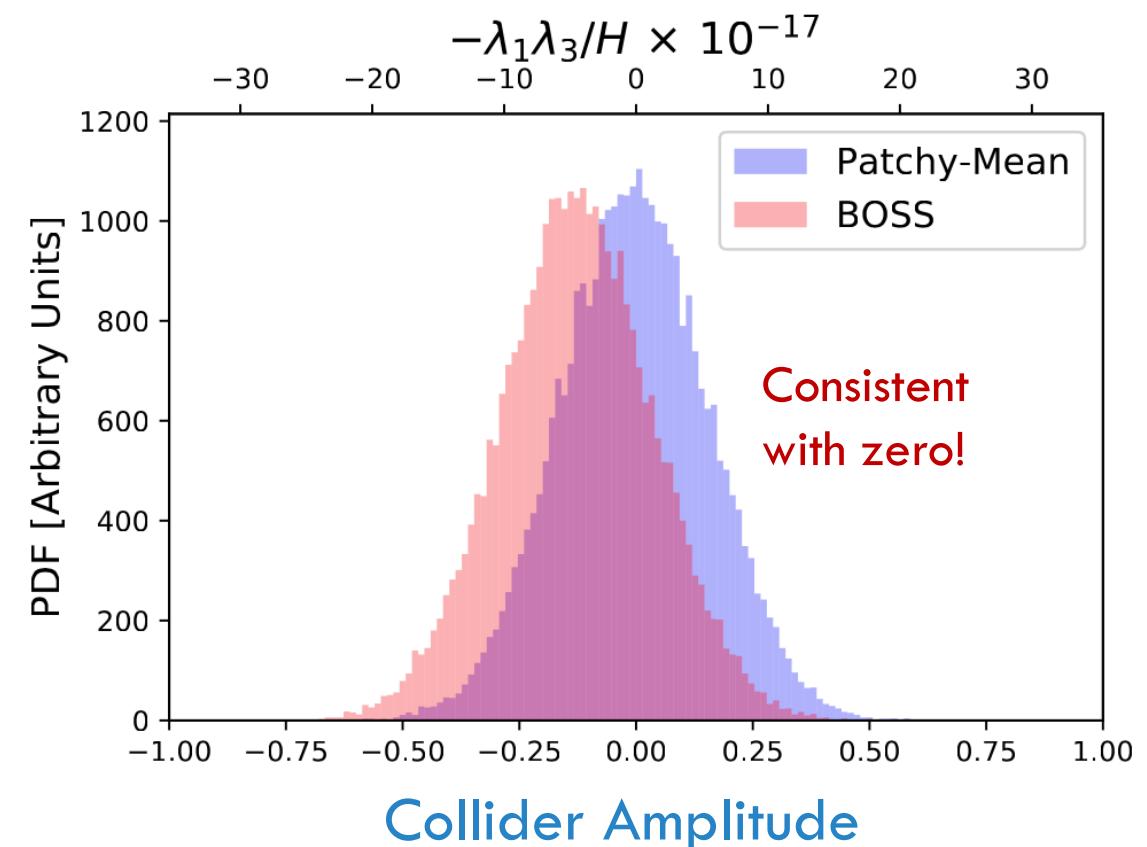
NB:
Jim is remarkably
parity-symmetric



ARE THESE RESPONSIBLE FOR THE PARITY-ODD SIGNAL?

- ▷ We can **predict** the galaxy 4PCF from the **primordial trispectrum***
- ▷ Does this match the BOSS signal?

No evidence for an inflationary source from the 18 models we tried...



*with lots of effort. Note we ignore non-linear effects + bias...

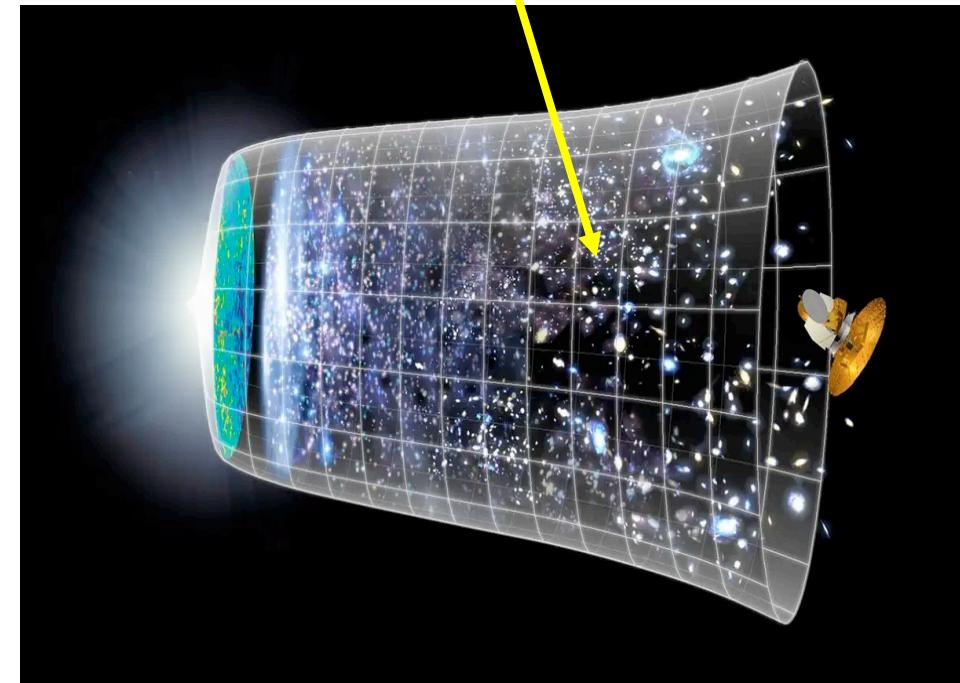
LATE-TIME PARITY VIOLATION

Could the **same** physics be responsible for
birefringence and **4PCFs**?

- ▷ **Unlikely!**
- ▷ Chern-Simons couplings affect photon **polarization**
- ▷ We observe galaxy **intensity**, which **isn't** affected

In general, **late-time** sources would mainly affect
small scales – but our signal is at $r > 20 \text{ Mpc}/\text{h}$

Non-linear gravitational
evolution here!



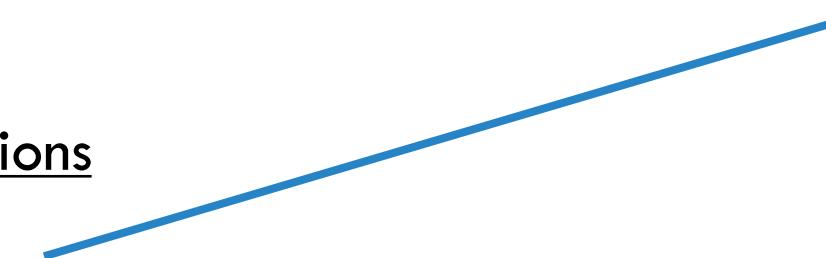
WHAT'S RESPONSIBLE FOR THE SIGNAL?

Cosmological options

- ▷ Some other model of inflation
- ▷ Late-time physics with **large** characteristic scale

Non-cosmological options

- ▷ Systematics in **data**
- ▷ Systematics in **analysis**



Errors in the mask?

[mocks are unbiased]

Errors in the fiber collisions?

[mocks are unbiased]

Errors in the selection function?

[shouldn't violate parity]

Other systematics?

[very possible]

WHAT'S RESPONSIBLE FOR THE SIGNAL?

Cosmological options

- ▷ Some other model of inflation
- ▷ Late-time physics with **large** characteristic scale

Non-cosmological options

- ▷ Systematics in **data**
- ▷ Systematics in **analysis**

Errors in the covariance?

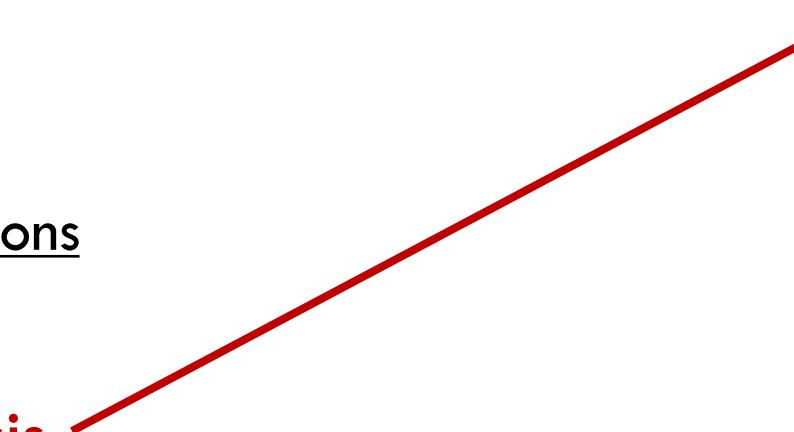
[analytic modeling insufficient?]

Errors in the likelihood?

[non-Gaussianity is likely!]

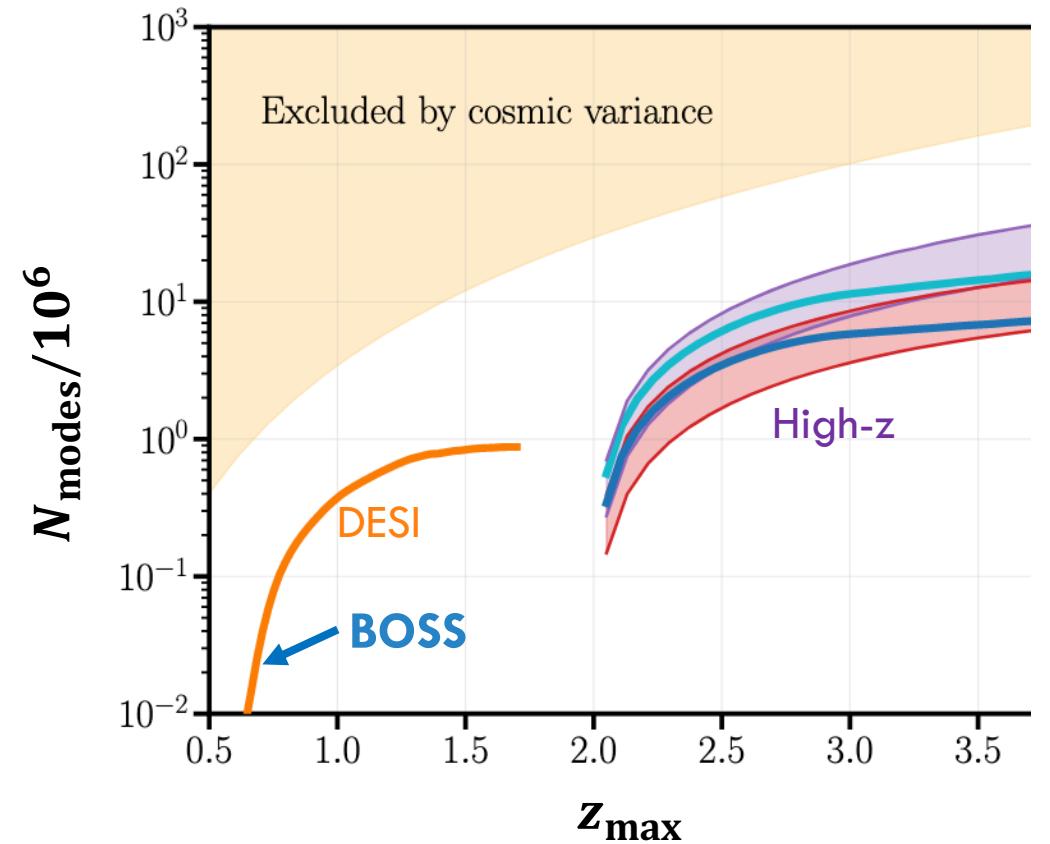
Errors in the simulations?

[do our mocks reproduce the noise properties of the data?]



WHAT'S NEXT? (LSS)

- ▷ New data from DESI, SPHEREx, Euclid, etc. will **significantly** reduce error-bars
- ▷ But systematics might not go away!

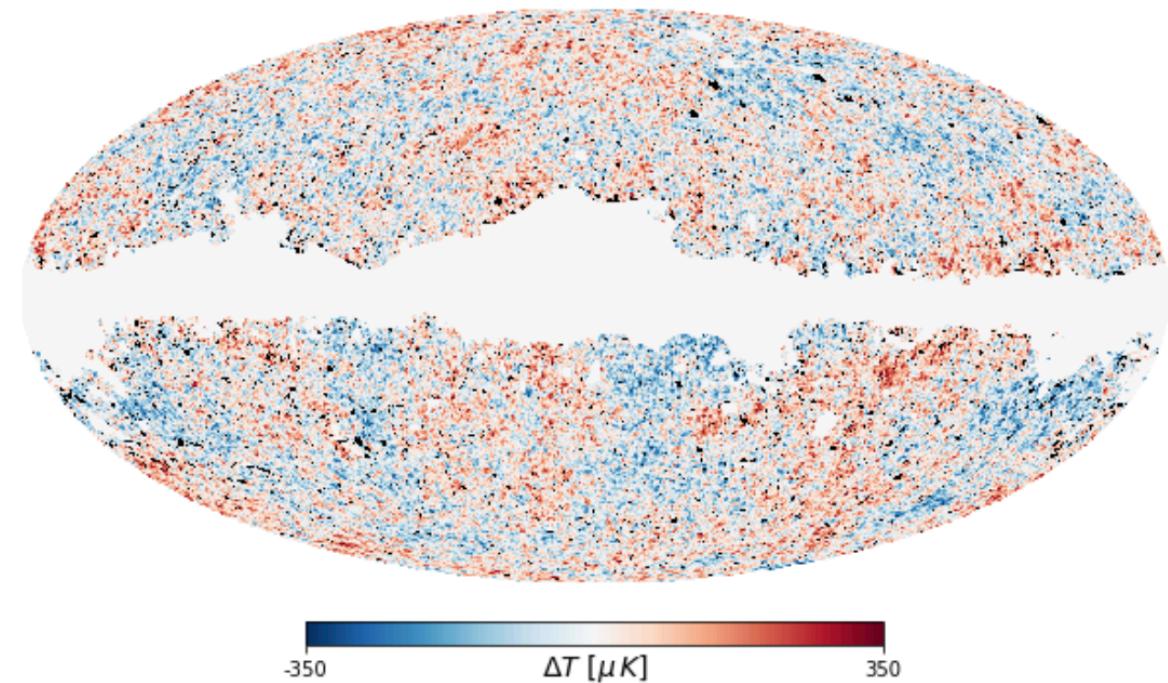


WHAT'S NEXT? (CMB)

The CMB can also probe scalar parity-violation

- ▷ Constrain with the large-scale ($\ell < 500$) **temperature trispectrum**

$$t_{\ell_1 \ell_2 \ell_3 \ell_4}^{\ell_1 \ell_2}(L) \sim \left\langle \prod_{i=1}^4 a_{\ell_i} m_i \right\rangle^{\text{odd}}$$



- ▷ Measure this from **Planck!**

WHAT'S NEXT? (CMB)

The CMB can also probe scalar parity-violation

- ▷ Constrain with the large-scale ($\ell < 500$)
temperature trispectrum

$$t_{\ell_1 \ell_2 \ell_3 \ell_4}^{\ell_1 \ell_2}(L) \sim \left\langle \prod_{i=1}^4 a_{\ell_i m_i} \right\rangle^{\text{odd}}$$

- ▷ Measure this from **Planck!**

Advantages of the CMB

- Gaussian statistics
- More modes [for now]
- More linear
- No galaxy bias
- Better simulations

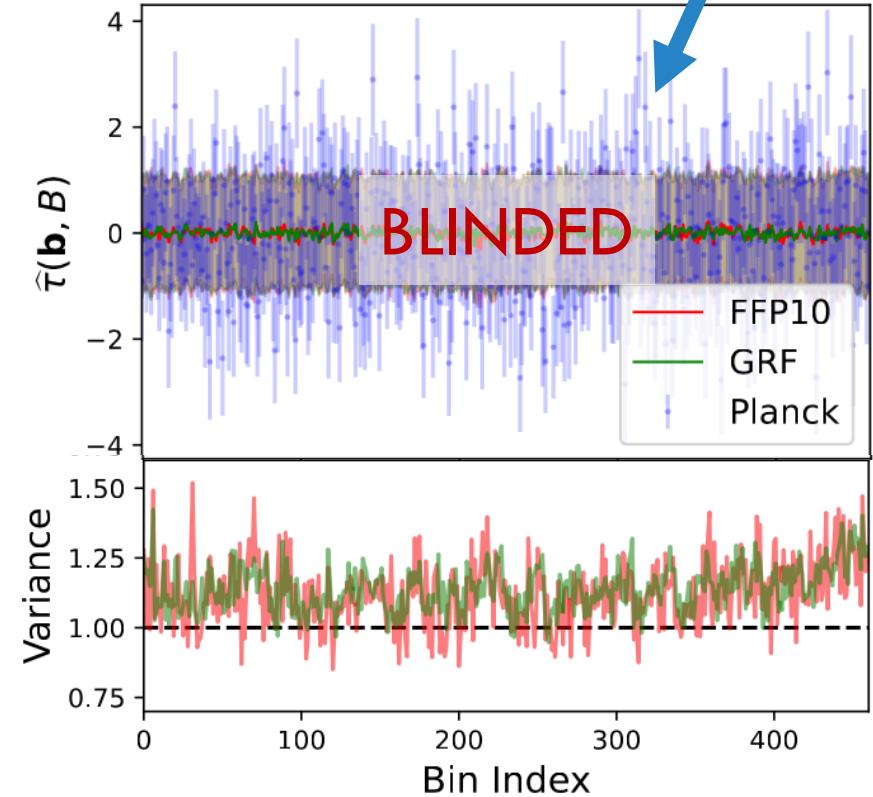
CMB PARITY VIOLATION



- ▶ The CMB measures the *reduced trispectrum*

$$\left\langle \prod_{i=1}^4 a_{\ell_i m_i} \right\rangle_c \equiv \sum_{LM} (-1)^M w_{\ell_1 \ell_2 m_1 m_2}^{L(-M)} w_{\ell_3 \ell_4 m_3 m_4}^{LM} t_{\ell_3 \ell_4}^{\ell_1 \ell_2}(L) + 23 \text{ perms.} \quad (1)$$

- ▶ Extract this with new **optimal** estimators with **Fisher matrix weighting**



Very close to optimal!

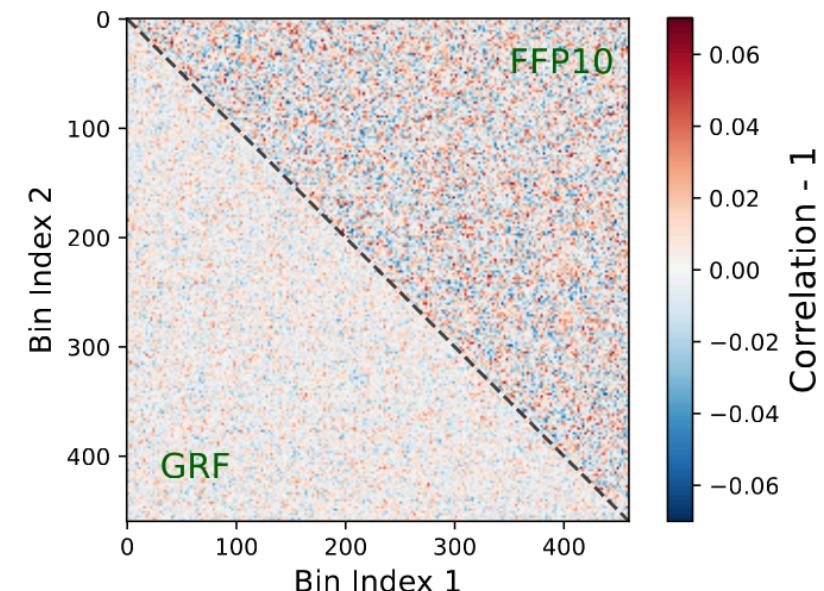
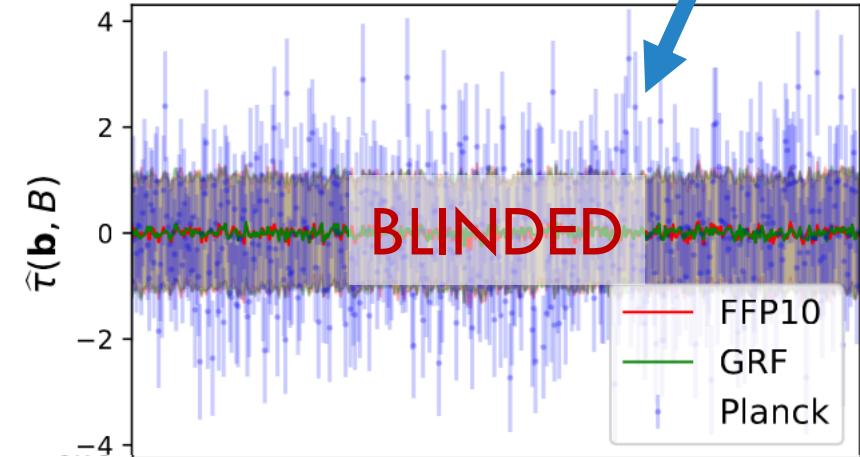
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- ▶ Extract this with new **optimal** estimators with **Fisher matrix weighting**
- ▶ Rescaled covariance is almost perfectly diagonal!



CMB PARITY VIOLATION

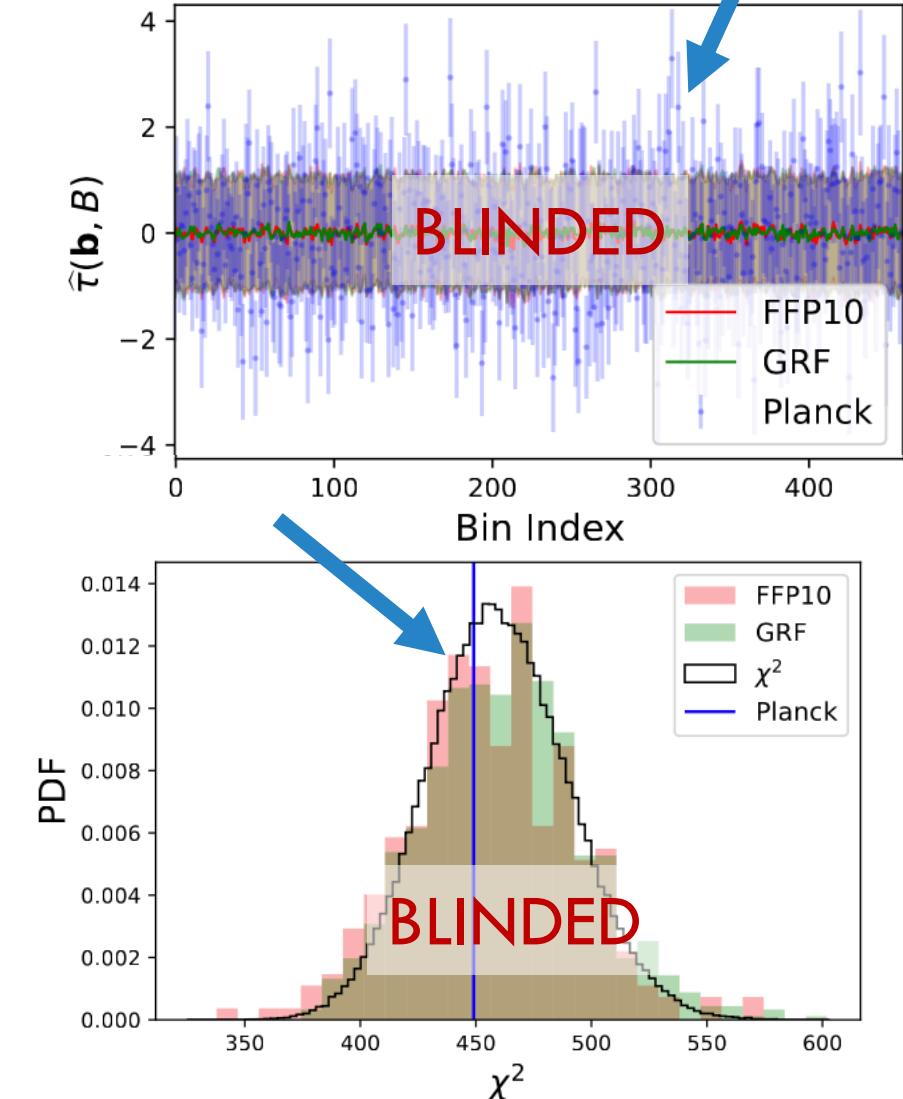


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- ▶ Extract this with new **optimal** estimators with **Fisher matrix weighting**
- ▶ Rescaled covariance is almost perfectly diagonal!
- ▶ Do we detect parity violation?

Wait and see...

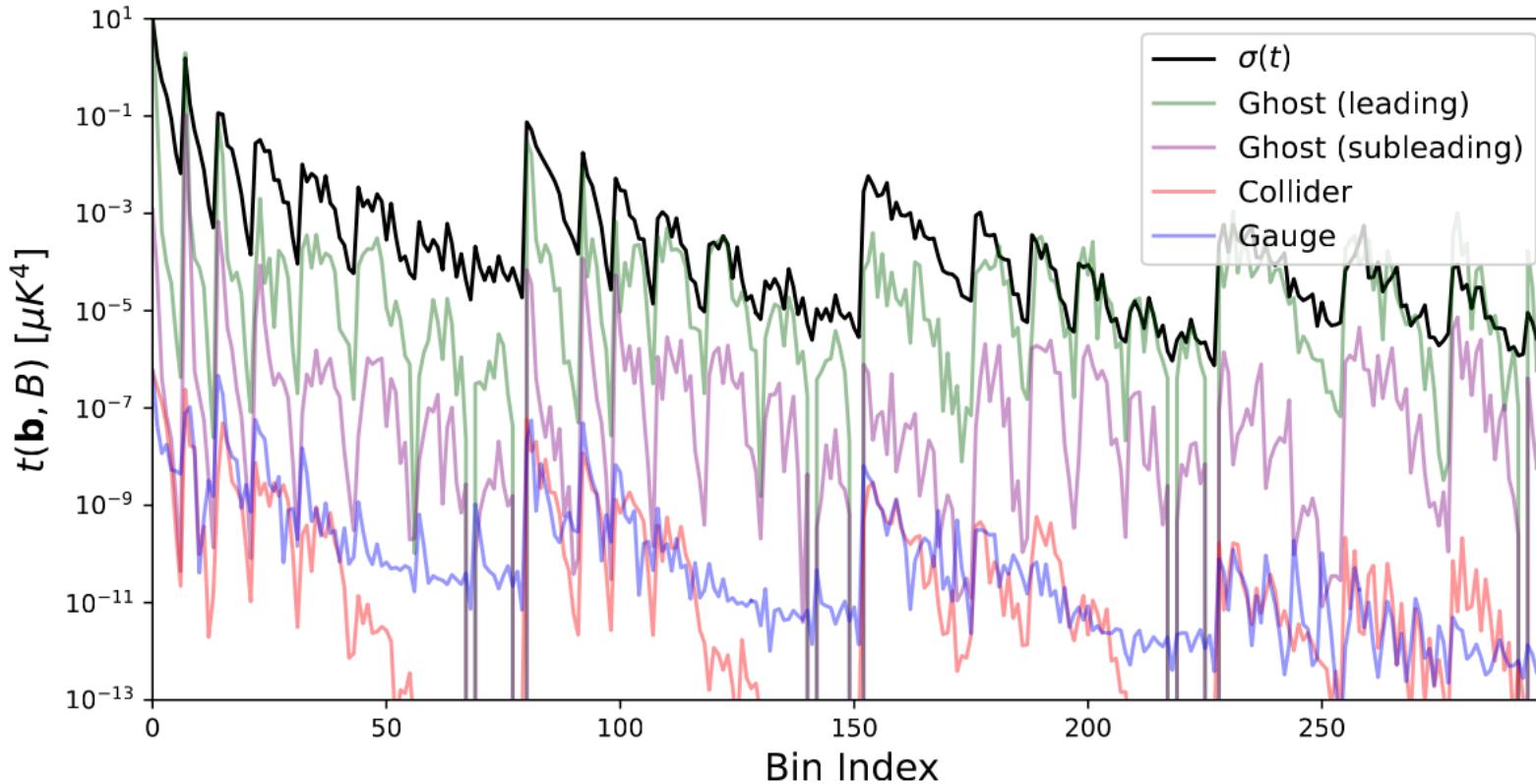


MODEL CONSTRAINTS

Theoretical models can be constrained as for LSS:

Observation

$$\left\langle \prod_{i=1}^4 a_{\ell_i m_i} \right\rangle_c = (4\pi)^4 \left[\prod_{i=1}^4 i^{\ell_i} \int_{\mathbf{k}_i} \mathcal{T}_{\ell_i}(k_i) Y_{\ell_i m_i}^*(\hat{\mathbf{k}}_i) \right] (4) \\ \times T_{\zeta}(\mathbf{k}_1, \mathbf{k}_2, \mathbf{k}_3, \mathbf{k}_4) (2\pi)^3 \delta_D(\mathbf{k}_{1234}),$$



Theory

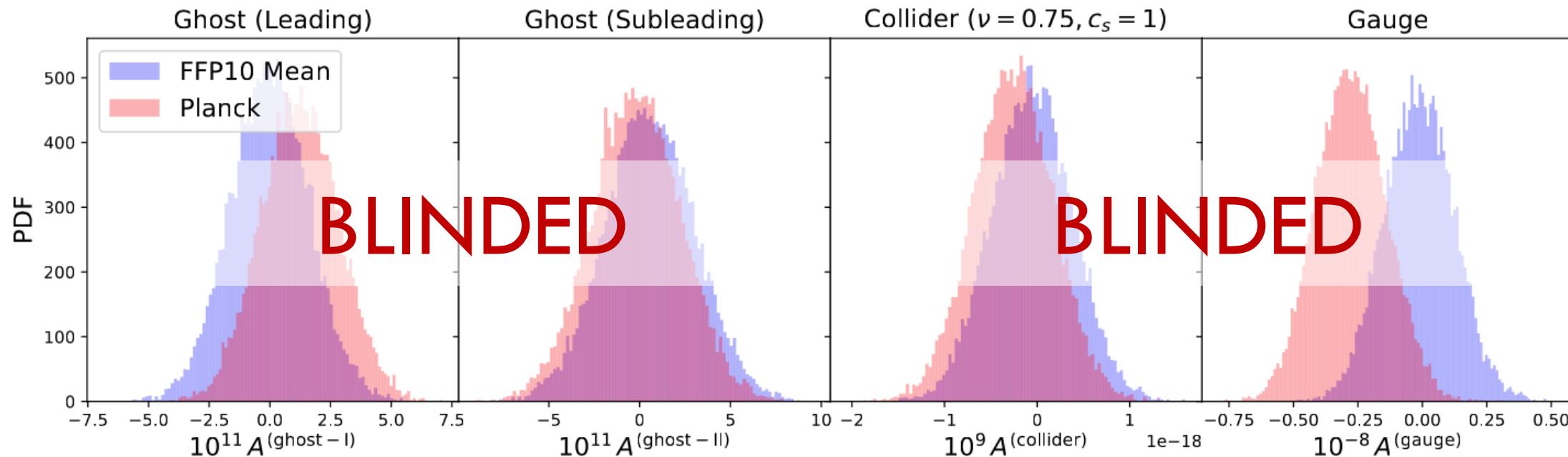
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Theory



arXiv

[2011.11254](#)

[2210.07655](#)

[2206.04227](#)

[2206.03625](#)

[2210.02907](#)

Coming soon (x3)

CONCLUSIONS

- New observations may hint at **parity-violation** in the Universe
- If true, this would imply **new physics** in **inflation** and/or the **late Universe**
- But, could also be explained by **dust** and **imperfect analyses**.

New CMB results coming soon!

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