

# Common order-of-growth classifications

Good news. the small set of functions

$1$ ,  $\log N$ ,  $N$ ,  $N \log N$ ,  $N^2$ ,  $N^3$ , and  $2^N$

suffices to describe order-of-growth of typical algorithms.

order of growth discards  
leading coefficient

