

## Homework 27-10

### 2U: Finance

1. Complete the grind section of Loan Repayments and Annuities
2. Complete the below HSC questions:

- (a) On the day that Megan was born, her grandfather deposited \$5000 into an account earning 3% per annum compounded annually. On each birthday after this, her grandfather deposited \$1000 into the same account, making his final deposit on Megan's 17th birthday. That is, a total of 18 deposits were made. 2

Let  $A_n$  be the amount in the account on Megan's  $n$ th birthday, after the deposit is made.

Show that  $A_3 = \$8554.54$ .

- (b) On her 17th birthday, just after the final deposit is made, Megan has \$30 025.83 in her account. You are NOT required to show this. 3

Megan then decides to leave all the money in the same account continuing to earn interest at 3% per annum compounded annually. On her 18th birthday, and on each birthday after this, Megan withdraws \$2000 from the account.

How many withdrawals of \$2000 will Megan be able to make?

- (a) A person wins \$1 000 000 in a competition and decides to invest this money in an account that earns interest at 6% per annum compounded quarterly. The person decides to withdraw \$80 000 from this account at the end of every fourth quarter. Let  $A_n$  be the amount remaining in the account after the  $n$ th withdrawal.

- (i) Show that the amount remaining in the account after the withdrawal at the end of the eighth quarter is 2

$$A_2 = 1\,000\,000 \times 1.015^8 - 80\,000(1 + 1.015^4).$$

- (ii) For how many years can the full amount of \$80 000 be withdrawn? 3

- (c) Sam borrows \$100 000 to be repaid at a reducible interest rate of 0.6% per month. Let  $A_n$  be the amount owing at the end of  $n$  months and  $M$  be the monthly repayment.

(i) Show that  $A_2 = 100\,000(1.006)^2 - M(1 + 1.006)$ . **1**

(ii) Show that  $A_n = 100\,000(1.006)^n - M\left(\frac{(1.006)^n - 1}{0.006}\right)$ . **2**

(iii) Sam makes monthly repayments of \$780. **1**

Show that after making 120 monthly repayments the amount owing is \$68 500 to the nearest \$100.

(iv) Immediately after making the 120th repayment, Sam makes a one-off payment, reducing the amount owing to \$48 500. The interest rate and monthly repayment remain unchanged. **3**

After how many more months will the amount owing be completely repaid?

### 3U: Trigonometry

1. Complete the grind section.
2. Complete the homework quiz! Use it as a study resource. Next week, we will be doing a topic test and revision.