## Ecography

#### E7084

Papadatou, E., Pradel, R., Schaub, M., Dolch, D., Geiger, H., Ibañez, C., Kerth, G., Popa-Lisseanu, A., Schorcht, W., Teubner, J. and Gimenez, O. 2011. Comparing survival among species with imperfect detection using multilevel analysis of mark–recapture data: a case study on bats. – Ecography 34: xxx–xxx.

### Supplementary material

Papadatou et al. "Comparing survival among species with imperfect detection using multilevel analysis of mark-recapture data: a case study on bats"

#### Appendix 1. BUGS code for fitting the multilevel formulation to data

#### Multilevel analysis of mark-recapture data: comparing survival among species

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#### BUGS code for fitting the multilevel formulation to data; model 1 (all species have
different survival)
#### E. Papadatou & O. Gimenez – January 2011
############MULTILEVEL MODELLING FOR MARK-RECAPTURE DATA:
# DATA
# "mbech" is Myotis bechsteinii
# "plaur" is Plecotus auritus
# "mdau" is M. daubentonii
# "nlei" is Nyctalus leisleri
# "nlas" is N. lasiopterus
# "MBCol1" is colony 1 of the species M. bechsteinii
# "MBCol2" is colony 2 of the species M. bechsteinii
# "MBCol3" is colony 3 of the species M. bechsteinii
# "MBCol4" is colony 4 of the species M. bechsteinii
# "PACol1" is colony 1 of the species P. auritus
# "PACol2" is colony 2 of the species P. auritus
# "ni" is the number of time intervals and equals the number of rows in the m-array
# "nj" is the number of columns in the m-array
# "m" is the m-array including first recaptures and individuals never seen again
# "R" is the number of releases at each capture occasion"
# PARAMETERS
# "overall.survival" is the overall mean survival μ across all colonies (sites) of a species
# "mu" is the mean survival of a colony (site) across all time intervals
# "var.site" is inter-colony (site) variance
# "var.eps" is temporal variance
# "phi" is survival probability at each time interval
# "p" is encounter probability
Model
{
########################## Mbech
# Define model likelihood for mean survival of a colony (site)
for (s in 1:4)
\# s = site effect
mu.mbech[s] ~ dnorm(overall.survival.mbech,tau.site.mbech)
```

```
# Define prior for overall mean survival
# In model 2 (all species have equal survival) this is replaced by overall.survival.mbech <-
mu.m1, where mu.m1 \sim dnorm(0,1.0E-3)
# In model 3 (species grouped in 2 groups) this is replaced by overall.survival.mbech <-
mu.m1, where mu.m1 \sim dnorm(0,1.0E-3)
overall.survival.mbech \sim dnorm(0,1.0E-3)
# Define prior for inter-colony variance (site random effect)
tau.site.mbech <- 1 / (sd.site.mbech * sd.site.mbech)
sd.site.mbech \sim dunif(0,5)
# Monitor variance
var.site.mbech <- 1/tau.site.mbech
# Define model likelihood for phi
                        # time dependent survival
for (i in 1:ni.MBCol1) {
logit(phi.MBCol1[i]) <- logitphi.MBCol1[i]
logitphi.MBCol1[i] ~ dnorm(mu.mbech[1],tau.eps.MBCol1)
# Define prior for variance of temporal random effect
tau.eps.MBCol1 <- 1 / (sd.eps.MBCol1*sd.eps.MBCol1)
sd.eps.MBCol1 \sim dunif(0,5)
# Monitor variance
var.eps.MBCol1 <- 1 / tau.eps.MBCol1
# Define priors for p
pt.MBCol1 \sim dunif(0,1)
                                 # constant detection
for (j in 1:nj.MBCol1) {
p.MBCol1[j] <- pt.MBCol1
####### Define Model Likelihood
# Define likelihood
for (i in 1:ni.MBCol1) {
m.MBCol1[i,1:(nj.MBCol1+1)] \sim dmulti(q.MBCol1[i,],R.MBCol1[i])
# Calculate the cell probabilities
for (i in 1:ni.MBCol1) {
# Calculate the diagonal
q.MBCol1[i,i]<-p.MBCol1[i]*phi.MBCol1[i]
                                                     # T/T model
# Calculate remaining terms above diagonal
```

```
for (j \text{ in } (i+1):nj.MBCol1) {
for (k \text{ in } i:(j-1)) {
lq.MBCol1[i,j,k] < -log(phi.MBCol1[k+1]*(1-p.MBCol1[k])) # T/T model
# Probabilities in table
q.MBCol1[i,j]<-p.MBCol1[j]*phi.MBCol1[i]*exp(sum(lq.MBCol1[i,j,i:(j-1)])) # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.MBCol1[i,j] < -0
# Probability of an animal never being seen
q.MBCol1[i,nj.MBCol1+1] <- 1 - sum(q.MBCol1[i,1:nj.MBCol1])
# Define model likelihood for phi
                        # time dependent survival
for (i in 1:ni.MBCol2) {
logit(phi.MBCol2[i]) <- logitphi.MBCol2[i]
logitphi.MBCol2[i] ~ dnorm(mu.mbech[2],tau.eps.MBCol2)
# Define prior for variance of temporal random effect
tau.eps.MBCol2 <- 1 / (sd.eps.MBCol2*sd.eps.MBCol2)
sd.eps.MBCol2 \sim dunif(0,5)
# Monitor variance
var.eps.MBCol2 <- 1 / tau.eps.MBCol2
# Define priors for p
for (j in 1:nj.MBCol2) {
                        # time dependent detection
p.MBCol2[i] \sim dunif(0,1)
####### Define Model Likelihood
# Define likelihood
for (i in 1:ni.MBCol2) {
m.MBCol2[i,1:(nj.MBCol2+1)] \sim dmulti(q.MBCol2[i,],R.MBCol2[i])
# Calculate the cell probabilities
for (i in 1:ni.MBCol2) {
```

```
# Calculate the diagonal
q.MBCol2[i,i]<-p.MBCol2[i]*phi.MBCol2[i]
                                       # T/T model
# Calculate remaining terms above diagonal
for (j in (i+1):nj.MBCol2) {
for (k in i:(j-1)) {
lq.MBCol2[i,j,k] < -log(phi.MBCol2[k+1]*(1-p.MBCol2[k])) # T/T model
# Probabilities in table
q.MBCol2[i,j]<-p.MBCol2[j]*phi.MBCol2[i]*exp(sum(lq.MBCol2[i,j,i:(j-1)]))
                                                                        # T/T
model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.MBCol2[i,j] < -0
# Probability of an animal never being seen
q.MBCol2[i,nj.MBCol2+1] <- 1 - sum(q.MBCol2[i,1:nj.MBCol2])
# Define model likelihood for phi
for (i in 1:ni.MBCol3) {
                       # time dependent survival
logit(phi.MBCol3[i]) <- logitphi.MBCol3[i]
logitphi.MBCol3[i] ~ dnorm(mu.mbech[3],tau.eps.MBCol3)
# Define prior for variance of temporal random effect
tau.eps.MBCol3 <- 1 / (sd.eps.MBCol3*sd.eps.MBCol3)
sd.eps.MBCol3 \sim dunif(0.5)
# Monitor variance
var.eps.MBCol3 <- 1 / tau.eps.MBCol3
# Define priors for p
pt.MBCol3 \sim dunif(0,1)
                            # constant detection
for (j in 1:nj.MBCol3) {
p.MBCol3[j] <- pt.MBCol3
####### Define Model Likelihood
```

```
# Define model likelihood
for (i in 1:ni.MBCol3) {
m.MBCol3[i,1:(nj.MBCol3+1)] \sim dmulti(q.MBCol3[i,],R.MBCol3[i])
# Calculate the cell probabilities
for (i in 1:ni.MBCol3) {
# Calculate the diagonal
q.MBCol3[i,i]<-p.MBCol3[i]*phi.MBCol3[i]
                                                # T/T model
# Calculate remaining terms above diagonal
for (j \text{ in } (i+1):nj.MBCol3)  {
for (k in i:(j-1)) {
lq.MBCol3[i,j,k] < -log(phi.MBCol3[k+1]*(1-p.MBCol3[k])) # T/T model
# Probabilities in table
q.MBCol3[i,j] < -p.MBCol3[j]*phi.MBCol3[i]*exp(sum(lq.MBCol3[i,j,i:(j-1)]))
                                                                          # T/T
model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.MBCol3[i,j] < -0
# Probability of an animal never being seen
q.MBCol3[i,nj.MBCol3+1] <- 1 - sum(q.MBCol3[i,1:nj.MBCol3])
# Define model likelihood for phi
for (i in 1:ni.MBCol4) {
                        # time dependent survival
logit(phi.MBCol4[i]) <- logitphi.MBCol4[i]
logitphi.MBCol4[i] ~ dnorm(mu.mbech[4],tau.eps.MBCol4)
# Define prior for variance of temporal random effect
tau.eps.MBCol4 <- 1 / (sd.eps.MBCol4*sd.eps.MBCol4)
sd.eps.MBCol4 \sim dunif(0,5)
# Monitor variance
var.eps.MBCol4 <- 1 / tau.eps.MBCol4
```

```
# Define priors for p
pt.MBCol4 \sim dunif(0,1)
                            # constant detection
for (j in 1:nj.MBCol4) {
p.MBCol4[j] <- pt.MBCol4
######## Define Model Likelihood
# Define likelihood
for (i in 1:ni.MBCol4) {
m.MBCol4[i,1:(nj.MBCol4+1)] \sim dmulti(q.MBCol4[i,],R.MBCol4[i])
# Calculate the cell probabilities
for (i in 1:ni.MBCol4) {
# Calculate the diagonal
q.MBCol4[i,i]<-p.MBCol4[i]*phi.MBCol4[i]
                                            # T/T model
# Calculate remaining terms above diagonal
for (j \text{ in } (i+1):nj.MBCol4)  {
for (k \text{ in } i:(j-1)) {
lq.MBCol4[i,j,k] < -log(phi.MBCol4[k+1]*(1-p.MBCol4[k])) # T/T model
# Probabilities in table
q.MBCol4[i,j]<-p.MBCol4[j]*phi.MBCol4[i]*exp(sum(lq.MBCol4[i,j,i:(j-1)])) # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.MBCol4[i,j] < -0
# Probability of an animal never being seen
q.MBCol4[i,nj.MBCol4+1] <- 1 - sum(q.MBCol4[i,1:nj.MBCol4])
############################# Mbech
for (i in 1:2)
\# s = site effect
```

```
mu.plaur[s] ~ dnorm(overall.survival.plaur,tau.site.plaur)
# prior for overall mean survival
# In model 2 (all species have equal survival) this is replaced by overall survival plaur <-
mu.m1, where mu.m1 \sim dnorm(0,1.0E-3)
# In model 3 (species grouped in 2 groups) this is replaced by overall survival plaur <-
mu.m1, where mu.m1 \sim dnorm(0,1.0E-3)
overall.survival.plaur \sim dnorm(0,1.0E-3)
# prior for inter-colony variance (site random effect)
tau.site.plaur <- 1 / (sd.site.plaur * sd.site.plaur)
sd.site.plaur \sim dunif(0,5)
var.site.plaur <- 1/tau.site.plaur
# Define model lieklihood for phi
for (i in 1:ni.PACol1) {
                           # time dependent survival
logit(phi.PACol1[i]) <- logitphi.PACol1[i]
logitphi.PACol1[i] ~ dnorm(mu.plaur[1],tau.eps.PACol1)
# Define prior for variance of temporal random effect
tau.eps.PACol1 <- 1 / (sd.eps.PACol1*sd.eps.PACol1)
sd.eps.PACol1 \sim dunif(0,5)
# Monitor variance
var.eps.PACol1 <- 1 / tau.eps.PACol1
# Define priors for p
for (j in 1:nj.PACol1) {
                           # time dependent detection
p.PACol1[j] \sim dunif(0,1)
####### Define Model Likelihood
# Define likelihood
for (i in 1:ni.PACol1) {
m.PACol1[i,1:(nj.PACol1+1)] \sim dmulti(q.PACol1[i,],R.PACol1[i])
# Calculate the cell probabilities
for (i in 1:ni.PACol1) {
# Calculate the diagonal
q.PACol1[i,i]<-p.PACol1[i]*phi.PACol1[i]
                                           # T/T model
# Calculate remaining terms above diagonal
```

```
for (j \text{ in } (i+1):nj.PACol1)  {
for (k \text{ in } i:(j-1)) {
lq.PACol1[i,j,k] < -log(phi.PACol1[k+1]*(1-p.PACol1[k])) # T/T model
# Probabilities in table
q.PACol1[i,j] < -p.PACol1[j]*phi.PACol1[i]*exp(sum(lq.PACol1[i,j,i:(j-1)]))
                                                                     # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.PAColl[i,j] < -0
# Probability of an animal never being seen
q.PACol1[i,nj.PACol1+1] <-1 - sum(q.PACol1[i,1:nj.PACol1])
# Define model likelihood for phi
for (i in 1:ni.PACol2) {
                         # time dependent survival
logit(phi.PACol2[i]) <- logitphi.PACol2[i]
logitphi.PACol2[i] ~ dnorm(mu.plaur[2],tau.eps.PACol2)
# Define prior for variance of temporal random effect
tau.eps.PACol2 <- 1 / (sd.eps.PACol2*sd.eps.PACol2)
sd.eps.PACol2 \sim dunif(0,5)
# Monitor variance
var.eps.PACol2 <- 1 / tau.eps.PACol2
# Define priors for p
for (j in 1:nj.PACol2) {
                         # time dependent detection
p.PACol2[j] \sim dunif(0,1)
####### Define Model Likelihood
# Define likelihood
for (i in 1:ni.PACol2) {
m.PACol2[i,1:(nj.PACol2+1)] \sim dmulti(q.PACol2[i,],R.PACol2[i])
# Calculate the cell probabilities
```

```
for (i in 1:ni.PACol2) {
# Calculate the diagonal
q.PACol2[i,i]<-p.PACol2[i]*phi.PACol2[i]
                                     # T/T model
# Calculate remaining terms above diagonal
for (i in (i+1):ni.PACol2) {
for (k \text{ in } i:(j-1)) {
lq.PACol2[i,j,k] < -log(phi.PACol2[k+1]*(1-p.PACol2[k]))
                                                # T/T model
# Probabilities in table
q.PACol2[i,j] < -p.PACol2[j]*phi.PACol2[i]*exp(sum(lq.PACol2[i,j,i:(j-1)]))
                                                                 # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.PACol2[i,j] < -0
# Probability of an animal never being seen
q.PACol2[i,nj.PACol2+1] <-1 - sum(q.PACol2[i,1:nj.PACol2])
############# Plaur
# Define model likelihood for phi
for (i in 1:ni.mdau) {
                             # time dependent survival
logit(phi.mdau[i]) <- logitphi.mdau[i]</pre>
logitphi.mdau[i] ~ dnorm(mu.mdau,tau.eps.mdau)
# Define prior for mean survival
# In model 2 (all species have equal survival) this is replaced by mu.mdau <- mu.m1, where
mu.m1 \sim dnorm(0,1.0E-3)
# In model 3 (species grouped in 2 groups) this is replaced by mu.mdau <- mu.m1, where
mu.m1 \sim dnorm(0,1.0E-3)
mu.mdau \sim dnorm(0,0.01)
# Define prior for variance of temporal random effect
tau.eps.mdau <- 1 / (sd.eps.mdau * sd.eps.mdau)
sd.eps.mdau ~dunif(0,5)
```

```
# Monitor variance
var.eps.mdau <- 1 / tau.eps.mdau
# Define priors for p
for (j in 1:nj.mdau) {
                         # time dependent detection
p.mdau[j] \sim dunif(0,1)
########## Define Model Likelihood
# Define likelihood
for (i in 1:ni.mdau) {
m.mdau[i,1:(nj.mdau+1)] \sim dmulti(q.mdau[i,],R.mdau[i])
# Calculate the cell probabilities
for (i in 1:ni.mdau) {
# Calculate the diagonal
q.mdau[i,i]<-p.mdau[i]*phi.mdau[i] # T/T model
# Calculate remaining terms above diagonal
for (j in (i+1):nj.mdau) {
for (k \text{ in } i:(j-1)) {
[q.mdau[i,j,k] < -log(phi.mdau[k+1]*(1-p.mdau[k])) # T/T model
# Probabilities in table
q.mdau[i,j] < -p.mdau[j]*phi.mdau[i]*exp(sum(lq.mdau[i,j,i:(j-1)])) # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.mdau[i,j] < -0
# Probability of an animal never being seen
q.mdau[i,nj.mdau+1] <- 1 - sum(q.mdau[i,1:nj.mdau])
############################### Mdau
########## Nlei
# Define model likelihood for phi
for (i in 1:ni.nlei) {
                                # time dependent survival
logit(phi.nlei[i]) <- logitphi.nlei[i]</pre>
```

```
logitphi.nlei[i] ~ dnorm(mu.nlei,tau.eps.nlei)
# Define prior for mean survival
# In model 2 (all species have equal survival) this is replaced by mu.nlei <- mu.m1, where
mu.m1 \sim dnorm(0,1.0E-3)
# In model 3 (species grouped in 2 groups) this is replaced by mu.nlei <- mu.m2, where
mu.m2 \sim dnorm(0,1.0E-3)
mu.nlei \sim dnorm(0,0.01)
# Define prior for variance of temporal random effect
tau.eps.nlei <- 1 / (sd.eps.nlei * sd.eps.nlei)
sd.eps.nlei \sim dunif(0,5)
# Monitor variance
var.eps.nlei <- 1 / tau.eps.nlei
# Define priors for p
pt.nlei \sim dunif(0,1)
                                      # constant detection
for (j in 1:nj.nlei) {
p.nlei[j] <- pt.nlei
######## Define Model Likelihood
# Define likelihood
for (i in 1:ni.nlei) {
m.nlei[i,1:(nj.nlei+1)] \sim dmulti(q.nlei[i,],R.nlei[i])
# Calculate the cell probabilities
for (i in 1:ni.nlei) {
# Calculate the diagonal
q.nlei[i,i]<-p.nlei[i]*phi.nlei[i]
                                             # T/T model
# Calculate remaining terms above diagonal
for (j in (i+1):nj.nlei) {
for (k in i:(j-1)) {
[q.nlei[i,j,k] < -log(phi.nlei[k+1]*(1-p.nlei[k]))
                                                 # T/T model
}
# Probabilities in table
q.nlei[i,j]<-p.nlei[j]*phi.nlei[i]*exp(sum(lq.nlei[i,j,i:(j-1)])) # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.nlei[i,j] < -0
```

```
# Probability of an animal never being seen
q.nlei[i,nj.nlei+1] <- 1 - sum(q.nlei[i,1:nj.nlei])
######### Nlei
######### Nlas
# Define model likelihood for phi
logitphiissue1 ~ dnorm(mu.nlas,tau.eps.nlas)
logit(phi.nlas[3]) <- logitphiissue1
logit(phi.nlas[4]) <- logitphiissue1
for (i in 1:2) {
logit(phi.nlas[i]) <- logitphi.nlas[i]
logitphi.nlas[i] ~ dnorm(mu.nlas,tau.eps.nlas)
for (i in 5:ni.nlas) {
                                       # time dependent survival
logit(phi.nlas[i]) <- logitphi.nlas[i]</pre>
logitphi.nlas[i] ~ dnorm(mu.nlas,tau.eps.nlas)
# Define prior for mean survival
# In model 2 (all species have equal survival) this is replaced by mu.nlas <- mu.m1, where
mu.m1 \sim dnorm(0,1.0E-3)
# In model 3 (species grouped in 2 groups) this is replaced by mu.nlas <- mu.m2, where
mu.m2 \sim dnorm(0,1.0E-3)
mu.nlas \sim dnorm(0,0.01)
# Define prior for variance of temporal random effect
tau.eps.nlas <- 1 / (sd.eps.nlas * sd.eps.nlas)
sd.eps.nlas \sim dunif(0.5)
# Monitor variance
var.eps.nlas <- 1 / tau.eps.nlas
# Define priors for p
p.nlas[3] < -0
pt.nlas \sim dunif(0,1)
for (j in 1:2) {
p.nlas[j] <- pt.nlas
                          # constant detection
```

```
for (j in 4:nj.nlas) {
p.nlas[j] <- pt.nlas
                    # constant detection
####### Define Model Likelihood
# Define likelihood
for (i in 1:ni.nlas) {
m.nlas[i,1:(nj.nlas+1)] \sim dmulti(q.nlas[i,],R.nlas[i])
# Calculate the cell probabilities
for (i in 1:ni.nlas) {
# Calculate the diagonal
q.nlas[i,i]<-p.nlas[i]*phi.nlas[i]
                                        # T/T model
# Calculate remaining terms above diagonal
for (j in (i+1):nj.nlas) {
for (k in i:(j-1)) {
                                               # T/T model
lq.nlas[i,j,k] < -log(phi.nlas[k+1]*(1-p.nlas[k]))
# Probabilities in table
q.nlas[i,j] < -p.nlas[j]*phi.nlas[i]*exp(sum(lq.nlas[i,j,i:(j-1)]))
                                                           # T/T model
for (j in 1:(i-1)) {
# Zero probabilities in lower triangle of table
q.nlas[i,j] < -0
# Probability of an animal never being seen
q.nlas[i,nj.nlas+1] <-1 - sum(q.nlas[i,1:nj.nlas])
######### Nlas
```

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#### Appendix 2. Survival and recapture estimates

Here we present survival ( $\varphi$ ) probability estimates from model 3 (Eq. 4 in main text; estimates are posterior means with standard deviations) which was best supported by the data (Table 2 in main text), and from separate frequentist analyses (estimates are provided with standard errors) for each species x site (colony) using program E-SURGE (Choquet et al. 2009). Recapture probabilities (p) are also showed. The "\*" symbol stands for a redundant parameter and the "-" symbol stands for the SE of a boundary estimate that cannot be produced.

Myotis bechsteinii

Colony 1 (BS1):		
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\varphi_1$	0.79(0.06)	0.67 (0.10)
$\phi_2$	0.85 (0.05)	1.00 (-)
$\phi_3$	0.83 (0.05)	0.83 (0.08)
$\phi_4$	0.85 (0.04)	0.94 (0.05)
$\varphi_5$	0.82 (0.05)	0.81 (0.09)
$\varphi_6$	0.82 (0.05)	0.78(0.07)
$\phi_7$	0.82 (0.05)	0.78 (0.10)
$\phi_8$	0.82 (0.05)	0.78 (0.11)
$\phi_9$	0.83 (0.05)	0.83 (0.11)
$\phi_{10}$	0.83 (0.05)	0.83 (0.11)
$\varphi_{11}$	0.84 (0.05)	0.93 (0.07)
$\phi_{12}$	0.84 (0.05)	0.88(0.08)
φ <sub>13</sub>	0.84 (0.05)	0.88 (0.07)
p	0.97 (0.01)	0.98 (0.01)

		_		
$C_{\alpha}$	lonv	$\gamma$	(CB)	١.

	Colony 2 (GE	3):
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\phi_1$	0.88 (0.05)	0.89 (0.02)
$\phi_2$	0.89 (0.05)	0.94 (0.02)
$\phi_3$	0.88 (0.05)	0.89 (0.03)
$\phi_4$	0.88 (0.06)	0.89 (0.02)
$\phi_5$	0.90 (0.05)	0.94 (0.02)
$\varphi_6$	0.71 (0.07)	0.67 (0.01)
$\phi_7$	0.84 (0.06)	0.83 (0.03)
$\phi_8$	0.87 (0.05)	0.88 (0.02)
φ9	0.89 (0.05)	0.89 (0.02)
$\phi_{10}$	0.65 (0.08)	0.60(0.04)
$\varphi_{11}$	0.91 (0.04)	0.94 (0.02)
$\phi_{12}$	0.84 (0.05)	0.83 (0.04)
$\phi_{13}$	0.90 (0.05)	*
$p_1$	0.96 (0.04)	1.00 (-)
$p_2$	0.73 (0.09)	0.75 (0.08)
$p_3$	0.90 (0.06)	0.95 (0.04)
$p_4$	0.82 (0.08)	0.86(0.06)
$p_5$	0.89 (0.06)	0.91 (0.04)
$p_6$	0.96 (0.04)	1.00 (-)
$p_7$	0.89 (0.06)	0.92 (0.03)
$p_8$	0.97 (0.03)	1.00 (-)

$p_9$	0.96 (0.04)	1.00 (-)
$p_{10}$	0.96 (0.04)	1.00 (-)
$p_{11}$	0.97 (0.03)	1.00 (-)
$p_{12}$	0.97 (0.03)	1.00 (-)
$p_{13}$	0.92 (0.06)	*

Colony 3 (HB):

	Colony 5 (III	· ) ·
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\phi_1$	0.67 (0.08)	0.57 (0.08)
$\phi_2$	0.78 (0.07)	0.76 (0.10)
$\phi_3$	0.79 (0.07)	0.78 (0.11)
$\phi_4$	0.81 (0.07)	0.84 (0.10)
$\phi_5$	0.85 (0.06)	0.95 (0.06)
$\varphi_6$	0.76 (0.07)	0.72 (0.11)
$\phi_7$	0.80 (0.07)	0.82 (0.07)
$\phi_8$	0.84 (0.07)	0.93 (0.05)
$\varphi_9$	0.83 (0.06)	0.89(0.08)
$\phi_{10}$	0.79 (0.06)	0.80(0.08)
$\phi_{11}$	0.72 (0.07)	0.67(0.09)
$\phi_{12}$	0.70 (0.07)	0.63 (0.09)
$\phi_{13}$	0.84 (0.06)	0.91 (0.07)
<i>p</i>	0.97 (0.01)	0.98 (0.01)

Colony 4 (UH):

	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\phi_1$	0.71 (0.09)	0.60 (0.05)
$\phi_2$	0.78 (0.08)	0.74 (0.02)
$\phi_3$	0.86 (0.06)	1.00 (-)
$\phi_4$	0.82 (0.07)	0.83 (0.05)
φ5	0.86 (0.06)	0.94 (0.02)
$\varphi_6$	0.81 (0.06)	0.81 (0.07)
φ <sub>7</sub>	0.79 (0.07)	0.77 (0.03)
$\phi_8$	0.77 (0.08)	0.71 (0.04)
φ <sub>9</sub>	0.83 (0.06)	0.87 (0.05)
$\phi_{10}$	0.87 (0.06)	0.95 (0.02)
$\varphi_{11}$	0.80 (0.06)	0.78 (0.05)
$\phi_{12}$	0.72 (0.09)	0.62 (0.05)
φ <sub>13</sub>	0.83 (0.07)	0.87 (0.06)
<i>p</i>	0.96 (0.02)	0.97 (0.01)

# Plecotus auritus Colony 1 (BS2):

Colony 1 (B52).		
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\phi_1$	0.83 (0.13)	1.00 (-)
$\phi_2$	0.70 (0.14)	0.55 (0.06)
$\phi_3$	0.89 (0.06)	0.91 (0.05)
$\phi_4$	0.97 (0.03)	1.00 (-)
$\varphi_5$	0.70 (0.08)	0.67 (0.05)
$\varphi_6$	0.75 (0.09)	0.71 (0.06)
$\phi_7$	0.91 (0.07)	*
$p_1$	0.03 (0.03)	0.00(0.00)
$p_2$	0.79 (0.09)	0.84 (0.10)
$p_3$	0.96 (0.04)	1.00 (0.00)

$p_4$	0.92 (0.05)	0.94 (0.03)
$p_5$	0.82 (0.08)	0.86 (0.06)
$p_6$	0.52 (0.09)	0.55 (0.05)
$p_7$	0.87 (0.09)	*

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	Colony 2 (KF	R):
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\varphi_1$	0.92 (0.06)	1.00 (-)
$\phi_2$	0.93 (0.05)	1.00 (-)
$\phi_3$	0.85 (0.07)	0.86 (0.07)
$\phi_4$	0.88 (0.06)	0.91 (0.05)
$\phi_5$	0.93 (0.04)	0.97 (0.03)
$\varphi_6$	0.91 (0.04)	0.92 (0.04)
$\phi_7$	0.83 (0.05)	0.84 (0.04)
$\phi_8$	0.80 (0.05)	0.80 (0.05)
$\varphi_9$	0.68 (0.06)	0.67 (0.05)
$\phi_{10}$	0.76 (0.06)	0.75 (0.06)
$\phi_{11}$	0.76 (0.06)	0.76 (0.06)
$\phi_{12}$	0.63 (0.07)	0.61 (0.06)
φ13	0.73 (0.10)	0.62 (0.07)
$\phi_{14}$	0.61 (0.20)	1.00 (-)
$\phi_{15}$	0.63 (0.19)	0.56 (0.14)
$\phi_{16}$	0.55 (0.17)	0.34 (0.17)
$\phi_{17}$	0.82 (0.10)	0.83 (0.10)
$\phi_{18}$	0.85 (0.08)	0.88 (0.10)
$\phi_{19}$	0.77 (0.10)	0.73 (0.11)
$\phi_{20}$	0.86 (0.09)	1.00 (-)
$\varphi_{21}$	0.75 (0.17)	*
$p_1$	0.93 (0.06)	1.00 (-)
$p_2$	0.90 (0.07)	0.95 (0.05)
$p_3$	0.95 (0.05)	1.00 (-)
$p_4$	0.95 (0.04)	1.00 (-)
$p_5$	0.97 (0.03)	1.00 (-)
$p_6$	0.97 (0.03)	1.00 (-)
$p_7$	0.97 (0.03)	1.00 (-)
$p_8$	0.94 (0.04)	0.97 (0.03)
$p_9$	0.97 (0.03)	1.00 (-)
$p_{10}$	0.94 (0.04)	0.97 (0.03)
$p_{11}$	0.96 (0.04)	1.00 (-)
$p_{12}$	0.96 (0.04)	1.00 (-)
$p_{13}$	0.85 (0.11)	1.00 (-)
$p_{14}$	0.04 (0.05)	0.00 (-)
$p_{15}$	0.10 (0.08)	0.04 (0.04)
$p_{16}$	0.78 (0.13)	0.87 (0.13)
$p_{17}$	0.91 (0.08)	1.00 (-)
$p_{18}$	0.83 (0.10)	0.89 (0.11)
$p_{19}$	0.90 (0.09)	1.00 (-)
$p_{20}$	0.66 (0.12)	0.62 (0.01)
$p_{21}$	0.49 (0.17)	*

Myotis daubentonii (NH):

		( . ).
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\varphi_1$	0.79 (0.05)	0.79 (0.02)
$\phi_2$	0.66 (0.04)	0.65 (0.01)
$\phi_3$	0.74 (0.04)	0.75 (0.02)
$\phi_4$	0.62 (0.05)	0.61 (0.01)
$\phi_5$	0.54 (0.06)	0.53 (0.02)
$\varphi_6$	0.67 (0.08)	0.65 (0.02)
$\phi_7$	0.73 (0.12)	0.70 (0.02)
$\phi_8$	0.67 (0.20)	*
$p_1$	0.30 (0.03)	0.30 (0.03)
$p_2$	0.50 (0.03)	0.50 (0.03)
$p_3$	0.61 (0.04)	0.61 (0.03)
$p_4$	0.35 (0.04)	0.35 (0.02)
$p_5$	0.30 (0.04)	0.31 (0.02)
$p_6$	0.44 (0.05)	0.45 (0.03)
$p_7$	0.31 (0.06)	0.32 (0.02)
$p_8$	0.19 (0.14)	*

Nyctalus leisleri (WS):

	Nyciaius ieisieri	(WS).
	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\varphi_1$	0.72 (0.11)	0.68 (0.11)
$\phi_2$	0.72 (0.10)	0.71 (0.16)
$\phi_3$	0.77 (0.09)	0.84 (0.12)
$\phi_4$	0.76 (0.08)	0.78 (0.11)
$\phi_5$	0.74 (0.08)	0.72 (0.04)
$\varphi_6$	0.77 (0.08)	0.84 (0.11)
$\phi_7$	0.54 (0.09)	0.44 (0.06)
$\phi_8$	0.73 (0.08)	0.74 (0.09)
$\phi_9$	0.78 (0.08)	0.84 (0.09)
$\varphi_{10}$	0.76 (0.08)	0.79 (0.10)
$\phi_{11}$	0.70 (0.09)	0.67 (0.10)
$\phi_{12}$	0.68 (0.08)	0.65 (0.09)
$\phi_{13}$	0.74 (0.07)	0.74 (0.08)
$\phi_{14}$	0.84 (0.06)	0.91 (0.06)
$\phi_{15}$	0.86 (0.06)	0.97 (-)
$\phi_{16}$	0.70 (0.07)	0.66 (-)
$\phi_{17}$	0.59 (0.08)	0.54 (0.07)
$\phi_{18}$	0.66 (0.09)	0.60(0.05)
p	0.75 (0.03)	0.75 (0.03)

*N. lasiopterus* (PML):

	Model 3	Separate analysis
Parameter	Estimate (SD)	Estimate (SE)
$\varphi_1$	0.28 (0.22)	0,11 (0,11)
$\phi_2$	0.42 (0.23)	0.25 (0,17)
$\phi_3$	0.89 (0.10)	1.00 (-)
$\phi_4$	0.89 (0.10)	1.00 (-)
$\phi_5$	0.57 (0.17)	0.45 (0,14)
$\varphi_6$	0.54 (0.16)	0.44 (0,12)
φ <sub>7</sub>	0.83 (0.14)	0.86 (0,24)
$\phi_8$	0.61 (0.19)	0.44 (0,15)
p	0.22 (0.06)	0.28 (0,07)

#### REFERENCE

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