Day4

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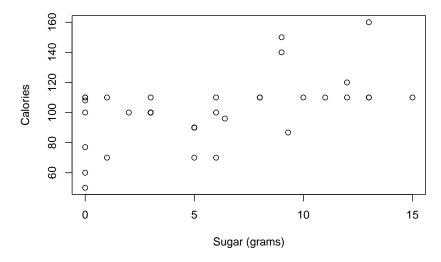
2024-02-15

Problem 1.19

a) The scatterplot of Calories vs. Sugar is pretty random and shows no particular trend.

```
plot(Calories~Sugar, data=Cereal, main="Scatterplot of Calories vs. Sugar", xlab="Sugar (grams)")
```

Scatterplot of Calories vs. Sugar



b) Calories = 87.428 + 2.481 Sugar

```
model <- lm(Calories~Sugar, data=Cereal)
summary(model)</pre>
```

```
##
  lm(formula = Calories ~ Sugar, data = Cereal)
##
##
## Residuals:
##
       Min
                1Q
                    Median
                                 3Q
                                        Max
## -37.428 -9.832
                      0.245
                              8.909
                                     40.322
##
## Coefficients:
```

```
##
               Estimate Std. Error t value Pr(>|t|)
                                    16.935
               87.4277
##
  (Intercept)
                            5.1627
                                              <2e-16 ***
## Sugar
                 2.4808
                            0.7074
                                     3.507
                                              0.0013 **
##
## Signif. codes:
                           0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 19.27 on 34 degrees of freedom
## Multiple R-squared: 0.2656, Adjusted R-squared: 0.244
## F-statistic: 12.3 on 1 and 34 DF, p-value: 0.001296
```

c) On average, an increase of 1 gram of sugar also increases the total calories of a cereal by 2.481 calories.

Problem 1.21

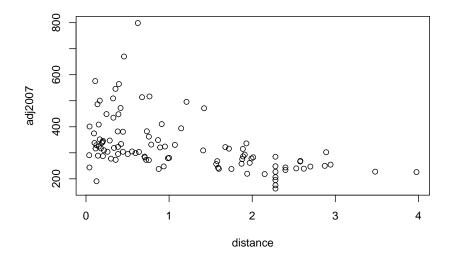
a)
$$Calories = 87.428 + 2.481 * 10 = \boxed{112.238}$$

b)
$$residual = observed - predicted \\ = 110 - (87.428 + 2.481) \\ = \boxed{20.091}$$

c) The linear regression model does not appear to be a good summary because there are large residuals.

Problem 1.25

a) There is an overall weak negative relationship between adj2007 and distance. As distance increases, the average value of a house tends to decrease.



b) $Adj\hat{2}007 = 388.204 - 54.427 Distance$

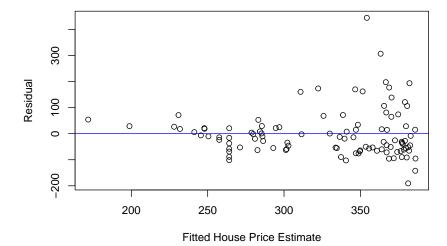
For every mile to the nearest entry point to the rail trail network, we expect the estimated prices of homes in 2007 to decrease by \$54,427.

```
##
## Call:
##
  lm(formula = adj2007 ~ distance, data = RtoT)
##
##
  Residuals:
                                 3Q
##
       Min
                1Q
                    Median
                                        Max
   -190.55
            -58.19
                    -17.48
                              25.22
                                     444.41
##
## Coefficients:
               Estimate Std. Error t value Pr(>|t|)
##
##
   (Intercept)
                388.204
                            14.052
                                     27.626 < 2e-16 ***
                                    -5.635 1.56e-07 ***
                -54.427
                             9.659
##
  distance
##
                     '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
                   0
##
## Residual standard error: 92.13 on 102 degrees of freedom
## Multiple R-squared: 0.2374, Adjusted R-squared: 0.2299
## F-statistic: 31.75 on 1 and 102 DF, p-value: 1.562e-07
```

- c) The regression standard error is 92.13. If the conditions for the model are met We expect on average, a house price differs from the estimate by \$92,130.
 - d) Linear: The residual plot below is not scattered randomly.

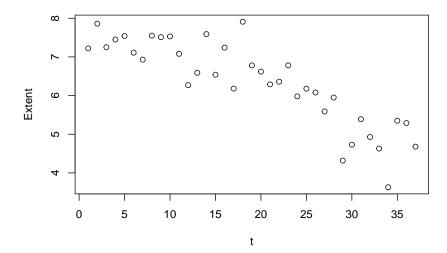
Constant Variance: Residuals increase as the predicted response increases; there is not a uniform spread.

Residual Plot for RailsTrails Regression



Problem 1.28

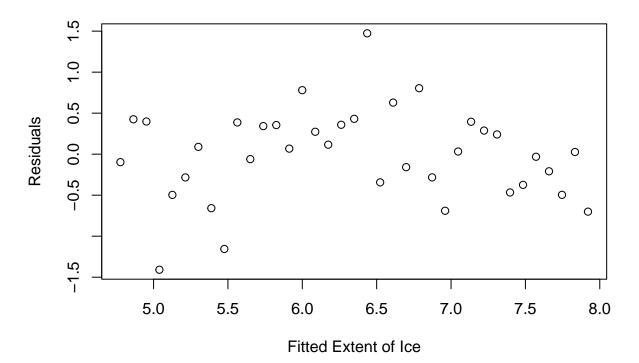
a) There is a moderately strong negative relationship between year and extent. As the year increases, the extent of sea ice decreases. There is a slight curve towards the end



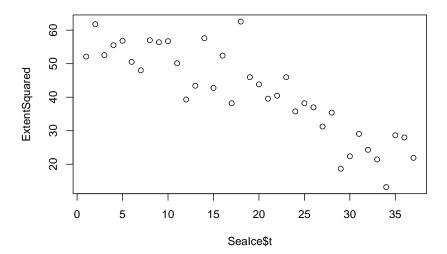
Warning: In lm.fit(x, y, offset = offset, singular.ok = singular.ok, ...) :
extra argument 'main' will be disregarded

b) The residuals spread pretty randomly, so a linear model would be the best fit for this data. There is still some curve

Residuals vs Fit



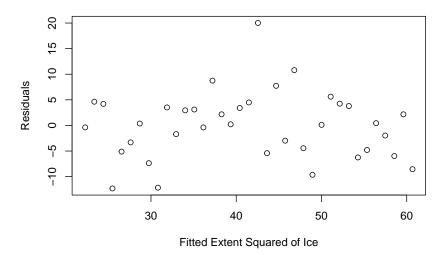
c) There is a strong negative relationship, so when the year increases, the extent of the sea ice decreases. There is less curvature than in part a)



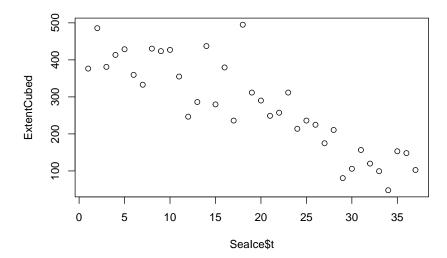
Warning: In lm.fit(x, y, offset = offset, singular.ok = singular.ok, ...) :
extra argument 'main' will be disregarded

d) The residuals are more random and evenly scattered. This shows improvement from part b)





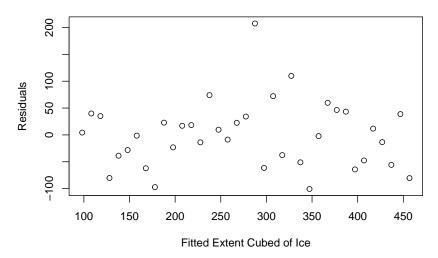
e) There appears to be a strong linear negative relationship between Extent Cubed and the year.



Warning: In lm.fit(x, y, offset = offset, singular.ok = singular.ok, ...) :
extra argument 'main' will be disregarded

The residuals are still evenly and randomly scattered.

Residuals vs Fit



f) The model I would be most comfortable with using a linear model is the cubed one because its scatterplot is most linear.