# BTVN-B working example

This notebook shows the basic steps for estimating a BTVN-B model on a simulated dataset. Just extract folder btvn example.zip and set it as working directory.

Here are the libraries required for running this example. For instructions on installing package cmdstanr, see https://mc-stan.org/cmdstanr/articles/cmdstanr.html.

```
library(igraph) #version 1.5.0

## Warning: package 'igraph' was built under R version 4.2.3

library(cmdstanr) #version 0.5.3

library(posterior) #version 1.4.0
```

```
## Warning: package 'posterior' was built under R version 4.2.2
```

The functions used for edge selection and performance evaluation can be found in btvn\_functions.R.

```
source("btvn_functions.R")
```

Loading the dataset: a Stan compatible list of simulation data, list of ground-truth adjacency matrices and list of covariance matrices used in the data simulation. The code for data generation can be found in  $data\_generation.R$ .

```
example_data <- readRDS("btvn_sim_data.rds")
example_data_adj <- readRDS("btvn_sim_adj.rds")
example_data_true_sigma <- readRDS("btvn_sim_sigma.rds")</pre>
```

Load and compile Stan model file:

For small datasets, multi-threading is not necessary. With small datasets, just change  $stan\_threads$  to FALSE Multiple model options are included in  $btvn\_master.stan$ . To enable and disable features, remove or add //, respectively. Option 'force=TRUE' makes sure that the model is compiled again after making changes to the Stan file. For this demonstration, the extra shrinkage prior on the diagonal elements  $\sqrt{\Omega_{tii}}$  was used.

The model parameters can then be estimated by running

```
fit_btvn_b <- mod_btvn_b$sample(
   data = example_data,
   seed = 12345,
   chains = 1,
   parallel_chains = 1,
   threads_per_chain = 8,
   iter_warmup = 500,
   iter_sampling = 1500,
   fixed_param = FALSE,
   adapt_delta = 0.99,
   max_treedepth = 10
)</pre>
```

The above estimation took 14256.1 seconds.

Next, we can save the MCMC samples and construct a list of adjacency matrices.

Alternatively, the required parameter estimates (posterior median) are also available in  $btvn\_b\_rho\_l.RDS$ ,  $btvn\_b\_sigma.RDS$ , and the estimated adjacency matrices in  $btvn\_b\_adj.RDS$  This is since the samples take around 540 000kb of storage when compressed into .RDS file

```
rho_l_estimates <- readRDS("btvn_b_rho_1.RDS")
sigma_estimates <- readRDS("btvn_b_sigma.RDS")
adj_btvn_b <- readRDS("btvn_b_adj.RDS")</pre>
```

Calculating the performance scores

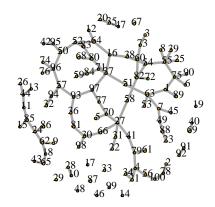
```
ts_scores(example_data_adj, adj_btvn_b, 10)
```

```
##
               ACC
                     ACC bal
                                   MCC
                                              F1
                                                       TPR
                                                                 TNR
                                                                           PPV
   [1,] 0.9971717 0.9495876 0.9268553 0.9278351 0.9000000 0.9991753 0.9574468
##
   [2,] 0.9971717 0.9495876 0.9268553 0.9278351 0.9000000 0.9991753 0.9574468
##
##
   [3,] 0.9971717 0.9495876 0.9268553 0.9278351 0.9000000 0.9991753 0.9574468
##
   [4,] 0.9971717 0.9495876 0.9268553 0.9278351 0.9000000 0.9991753 0.9574468
   [5,] 0.9971717 0.9495876 0.9268553 0.9278351 0.9000000 0.9991753 0.9574468
##
   [6,] 0.9973737 0.9427539 0.9348258 0.9346734 0.8857143 0.9997936 0.9893617
##
   [7,] 0.9973737 0.9427539 0.9348258 0.9346734 0.8857143 0.9997936 0.9893617
##
   [8,] 0.9973737 0.9427539 0.9348258 0.9346734 0.8857143 0.9997936 0.9893617
  [9,] 0.9973737 0.9427539 0.9348258 0.9346734 0.8857143 0.9997936 0.9893617
## [10,] 0.9967677 0.9444845 0.9163350 0.9175258 0.8900000 0.9989691 0.9468085
               NPV
                                      FPR
##
                         FNR
                                                  FOR
                                                           LRp
##
  [1,] 0.9979407 0.1000000 0.0008247423 0.002059308 1091.250 0.1000825
  [2,] 0.9979407 0.1000000 0.0008247423 0.002059308 1091.250 0.1000825
   [3,] 0.9979407 0.1000000 0.0008247423 0.002059308 1091.250 0.1000825
##
   [4,] 0.9979407 0.1000000 0.0008247423 0.002059308 1091.250 0.1000825
##
## [5,] 0.9979407 0.1000000 0.0008247423 0.002059308 1091.250 0.1000825
## [6,] 0.9975288 0.1142857 0.0002063983 0.002471170 4291.286 0.1143093
   [7,] 0.9975288 0.1142857 0.0002063983 0.002471170 4291.286 0.1143093
##
   [8,] 0.9975288 0.1142857 0.0002063983 0.002471170 4291.286 0.1143093
  [9,] 0.9975288 0.1142857 0.0002063983 0.002471170 4291.286 0.1143093
## [10,] 0.9977348 0.1100000 0.0010309278 0.002265239 863.300 0.1101135
```

Visual inspection of the first network

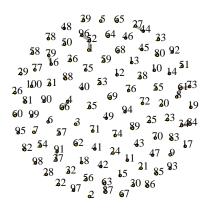
```
similarity_plots(example_data_adj[[1]], adj_btvn_b[[1]])
```

## **TRUE POSITIVES**

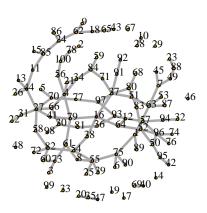


## **FALSE POSITIVES**

## **FALSE NEGATIVES**



## **TRUE PLOT**



Stein's loss of the estimated precision matrices

## [1] 1.715430 1.820743 1.970933 2.033541 1.757574 1.642654 1.487993 2.050994

**##** [9] 1.906196 2.387592