

ASSIGNMENT.

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Q: A Data Analyst Company where there are 100k employees - in a ~~Company~~ company. The HR wants to order some amount of t-shirt for employees. If 500 people from the entire company are used for this Analysis, how many ~~people~~ ~~with~~ XL-tshirts and L-tshirts does the data Analyst needs to order. Assumption is if C.I = 95%

Solution

If 200 XL-tshirt and 300 L tshirt are to be ordered.

① $H_0: P_1 = P_2$ number of XL t-shirt and L-tshirt are same.

$H_1: P_1 \neq P_2$.

$$\text{Let } P_1 = 200$$

$$P_2 = 300$$

$$n = 500$$

② $\alpha = 0.05$ C.I = 95%.

③ Ztest will be used since $n \gg 30$

$$Z_{0.025} = 1.96.$$

$$P_1 = \frac{200}{500}$$

$$P_2 = \frac{300}{500}$$

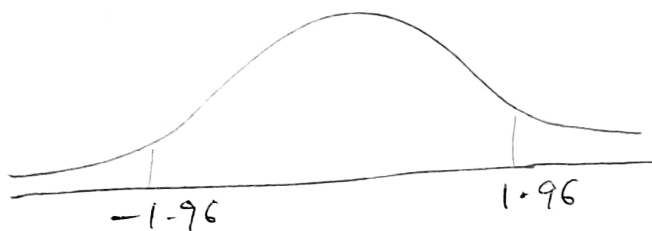
$$n_1 = 500$$

$$n_2 = 500$$

$$P_1 = 0.4$$

$$P_2 = 0.6.$$

④ Decision rule.



⑤ Calculate test statistics

$$Z = \left(\hat{p}_1 - \hat{p}_2 \right)$$

$$\sqrt{\hat{p}(1-\hat{p}) \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}$$

where $\hat{p} = \frac{x_1 + x_2}{n_1 + n_2}$

$$= \frac{200 + 300}{500 + 500} = \frac{500}{1000} = 0.5$$

$$\hat{p} = 0.5$$

thus, $Z = \frac{0.4 - 0.6}{\sqrt{0.5(0.5) \left(\frac{1}{500} + \frac{1}{500} \right)}}$

$$Z = \frac{-0.2}{0.5 \times 0.063} = \frac{-0.2}{0.0316} = -6.33$$

Comparing Z statistics with Z table.

$-6.33 < 1.96$ — Reject null hypothesis

∴ The number of XL T-shirt and L t-shirt to be ordered will not be the same.