Day3_Exer-starter

May 21, 2022

1 Notes:

- 1. Run each cell that has a comment Run this cell as is
- 2. Other cells contain code guides and output will help you develop your code
 - you need to work on lines contain this comment # complete the code here
 - or multi-line code when this comment is present: # write your code here
- 3. In case your results are not matching the previous output (left for you) this could be due to randomization and you should not worry about them
- 4. Most of the code is ready, all you need to do is to fill in some parts of the codes to complete

2 Load Libraries

```
[1]: # load required libraries
     # Run this cell as is
     # models
     from sklearn import svm
     from sklearn.linear_model import LogisticRegression
     from sklearn.neighbors import KNeighborsClassifier
     from sklearn.discriminant_analysis import LinearDiscriminantAnalysis
     from sklearn.pipeline import make_pipeline
     from sklearn.dummy import DummyClassifier
     # dataset
     from sklearn.datasets import make_blobs, make_circles, make_moons
     from sklearn.datasets import load_breast_cancer
     # evaluation metrics
     from sklearn.metrics import accuracy_score, confusion_matrix,precision_score,u
      →recall_score, f1_score,\
                                 ConfusionMatrixDisplay, classification_report
     # preprocessing module and model selection
     from sklearn.preprocessing import StandardScaler, MinMaxScaler
     from sklearn.preprocessing import PolynomialFeatures, PowerTransformer
```

3 Datasets part

3.1 Fruits Dataset

https://www.kaggle.com/datasets/mjamilmoughal/fruits-with-colors-dataset

```
[2]: # Run this cell as is
# load the dataset
dataraw = pd.read_csv('Data/fruit_data_with_colors.csv')

# check the data basic stats
dataraw.describe()
```

```
[2]:
           fruit_label
                                                 height color_score
                                        width
                              mass
             59.000000
                         59.000000 59.000000 59.000000
                                                           59.000000
    count
              2.542373 163.118644
                                               7.693220
    mean
                                     7.105085
                                                            0.762881
    std
              1.208048
                       55.018832
                                     0.816938
                                               1.361017
                                                            0.076857
    min
              1.000000
                        76.000000
                                     5.800000
                                               4.000000
                                                            0.550000
    25%
              1.000000 140.000000
                                     6.600000
                                               7.200000
                                                            0.720000
    50%
              3.000000 158.000000
                                     7.200000
                                               7.600000
                                                            0.750000
    75%
              4.000000 177.000000
                                     7.500000
                                               8.200000
                                                            0.810000
              4.000000 362.000000
                                     9.600000 10.500000
                                                            0.930000
    max
```

```
[3]: # the data has other information as fruit name or subtype
# let us drop them and keep them in another var - data

# Run this cell as is
data = dataraw.drop(['fruit_name', 'fruit_subtype'], axis=1)
```

Remember: Testing data must not be used in model development! We need to use it later in the evaluation stage only

3.2 Generated datasets

```
# Run this cell as is

# Blobs: make some training data

Xbtr, ybtr = make_blobs(n_samples=50, n_features=2, centers=[[1,1], [3,3]],

cluster_std=0.5, random_state=20)

# make some validation data

Xbts, ybts = make_blobs(n_samples=20, n_features=2,centers=[[1,1], [3,3]],

cluster_std=0.5, random_state=2)

# Moons: make some training data

Xntr, yntr = make_moons(n_samples=50,random_state=20,noise =0.2)

# make some validation data

Xnts, ynts = make_moons(n_samples=20, random_state=2,noise =0.2)

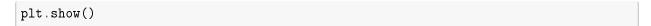
# Circles: make some training data

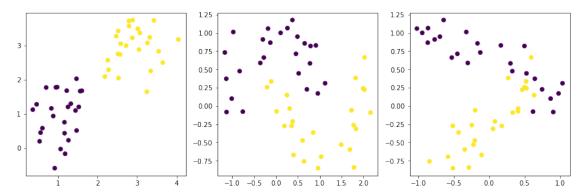
Xctr, yctr = make_circles(n_samples=50,random_state=20,factor=0.6,noise = 0.1)

# make some validation data

Xcts, ycts = make_circles(n_samples=20,random_state=2,factor=0.6,noise = 0.1)
```

```
[6]: # Run this cell as is
# Check out and visualize the datasets
plt.figure(figsize=(12,4))
plt.subplot(1,3,1)
plt.scatter(Xbtr[:,0],Xbtr[:,1], c= ybtr)
plt.subplot(1,3,2)
plt.scatter(Xntr[:,0],Xntr[:,1], c= yntr)
plt.subplot(1,3,3)
plt.scatter(Xctr[:,0],Xntr[:,1], c= yctr)
plt.tight_layout()
```





4 Function Definitions

```
[7]: # Run this cell as is
# custom transformation
class GaussianTransformation(TransformerMixin):
    transformed_data = None
    def __init__(self):
        self.transformed_data = []

    def fit(self, X, y=None):
        return self

# let us define our Guassian transformation because it fits circle datasets
    def transform(self, X, y=None):
        X_ = X.copy()
        r = np.exp(-(X_ **2).sum(1))
        X_ = np.hstack((X_, r.reshape(-1,1)))
        self.transformed_data = X_
        return X_
```

```
[8]: # Run this cell as is
# plot 3d data (transformed data)
def plot_3D(X, y,kerX, elev=30, azim=30):
    plt.figure(figsize=[8,5])
    ax = plt.subplot(projection='3d')
    ax.scatter3D(X[:, 0], X[:, 1], kerX, c = y, s=50, cmap = 'flare')
    ax.view_init(elev=elev, azim=azim)
    ax.set_xlabel('x1', fontsize=15)
    ax.set_ylabel('X2', fontsize=15)
    ax.set_zlabel('Z', fontsize=15)
```

```
# Show data with various classes
def ScatterPlot(X, y):
   lbls = set(y)
   marker = ['o', '^', 'p', 'P', 'H', 'h', 'D', 'd']
   for i in lbls:
        plt.scatter(X[y==i,0], X[y==i,1], s=100, marker=marker[i], label = \( \text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\til\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\te
```

4.0.1 Plot Decisison Space Function

```
[9]: # Run this cell as is
     # not working with all models, only models that compute probabilities can be u
      →used!
     def plot_decisison (X,y, model , TestType='Training'):
         plt.figure(figsize=(9.8,5), dpi=100)
         for i, plot_type in enumerate(['Decision Boundary', 'Decision⊔
      →Probabilities']):
             plt.subplot(1,2,i+1)
             mesh_step_size = 0.01 # step size in the mesh
             x_{min}, x_{max} = X[:, 0].min() - .1, X[:, 0].max() + .1
             y_{min}, y_{max} = X[:, 1].min() - .1, X[:, 1].max() + .1
             xx, yy = np.meshgrid(np.arange(x_min, x_max, mesh_step_size), np.
      →arange(y_min, y_max, mesh_step_size))
             if i == 0:
                 Z = model.predict(np.c_[xx.ravel(), yy.ravel()])
             else:
                 try:
                     Z = model.predict_proba(np.c_[xx.ravel(), yy.ravel()])[:,1]
                 except:
                     plt.text(0.4, 0.5, 'Probabilities Unavailable', __
      →horizontalalignment='center',
                          verticalalignment='center', transform = plt.gca().
      →transAxes, fontsize=12)
                     plt.axis('off')
                     break
             Z = Z.reshape(xx.shape)
             lbls = set(y)
             for i in lbls:
                 plt.scatter(X[y==i,0], X[y==i,1], alpha=0.4, s=5,
      \rightarrow cmap='magma')#RdYlBu_r
             \#plt.scatter(X[y==0,0], X[y==0,1], alpha=0.4, s=5)
             #print(Z)
             plt.imshow(Z, interpolation='nearest', cmap='magma', alpha=0.15,__
      →extent=(x_min, x_max, y_min, y_max), origin='lower')
```

```
plt.title(plot_type)
   plt.gca().set_aspect('equal');

plt.tight_layout()
   plt.subplots_adjust(top=0.9, bottom=0.08, wspace=0.02)
```

4.0.2 Plot SVM Decision Line Function

```
[10]: # Run this cell as is
      \#https://scikit-learn.org/stable/auto\_examples/svm/plot\_separating\_hyperplane.
      \#https://scikit-learn.org/0.15/auto\_examples/svm/plot\_separating\_hyperplane.html
      def plot_decisionline(model, X, y, SVM_Model=True):
          # ploting the decision line
          plt.scatter (X[y==0,0],X[y==0,1], marker='^',facecolors='none',,,
       \hookrightarrow color='r', s=100)
          plt.scatter (X[y==1,0], X[y==1,1], marker='o', color='k', facecolors='none',
       →s=100)
          # plot the decision function
          ax = plt.gca()
          xlim = ax.get_xlim()
          ylim = ax.get_ylim()
          # create grid to evaluate model
          xx = np.linspace(xlim[0], xlim[1], len(X[:,0]))
          yy = np.linspace(ylim[0], ylim[1], len(X[:,0]))
          YY, XX = np.meshgrid(yy, xx)
          # Stack the grid points together to control the whole space
          xy = np.vstack([XX.ravel(), YY.ravel()]).T
          # use the trained model to classifier the grid points and reshape them using
       \rightarrow XX \ matrix
          Z = model.decision_function(xy).reshape(XX.shape)
          if SVM_Model == True:
              # plot decision line and margins
              cs1 = ax.contour(XX, YY, Z, colors=None, levels=[-1, 0, 1], alpha=0.5,
       →linestyles=['-', '--', '-'], cmap='magma')
              # plot support vectors
              ax.scatter(model.support_vectors_[:, 0], model.support_vectors_[:, 1],
                          color = 'm', s=200, linewidth=1, facecolors='none')
              plt.title('SVM: decision line and max margin $\gamma$')
```

```
else:

# plot decision line and margins

cs1 = ax.contour(XX, YY, Z, colors=None, levels=[0], alpha=0.5,

⇒linestyles=['--'], cmap='magma')

plt.title('Decision Line on Training Data')

plt.xlabel('feature 1')

plt.ylabel('feature 2')

plt.axis('tight')

# plt.show()
```

5 K-Nearest Neighbor Classifier

5.1 Exercise 1

In this exercise, we want to study the behavior of the **KNN** method on synthesized datasets. Please perform the following tasks **Tasks**

- 1. Import the KNN classifiers from SciKit learn library.
- 2. Use the function to generate several KNN models each with different K (3,5, 7 ..)
- 3. Train the generated models using the blobs training data that were generated for you above
- 4. Evalulate each model by computing the accuracy using the model.score() function, which model was the best?
- 5. We can pass to models to a ploting function to check the decision boundary
- 6. repeat steps 3 to 5 using moons and circles datasets

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```
[11]: # Import the KNN classifiers from SciKit learn library.

from sklearn. # complete the code here
```

```
[]: # usage
# 1- instantiate the model
# 2- fit the model with labeled data
# 3- test the model with other data
```

```
[]: # This function returns a list of KNN models with different K each
def kNNModels (numberOfModels, data, labels):
    models = []

# make a list that starts with 3, the it goes odd numbers for numberOfModels_
time
    # so if numberOfModels = 3, your list will have [3, 5, 7]
if numberOfModels == 3:
    mds= list (range(3, 3 * numberOfModels, 2))
else:
```

```
mds.pop()
          for md in mds:
              # create new knn each time with k = md
              knn = KNeighborsClassifier(n_neighbors = md, # This is K
                                        weights = 'uniform', #Distance,
                                        algorithm = 'auto', #Brute, ball_tree ...
                                        p = 2, #for distance,
                                        metric = 'minkowski', #
              # train the model
              knn.fit( , ) # complete the code here
              print(md)
              # append the new created model
              models.append(knn)
          # once loop finished, it means will successfully created the models
          print('%d kNN models have been created and trained..'% numberOfModels)
          # return back the creaed models in the list models
          return models
[12]: # Let us use the blob data and call the method KNNModels to generate 3 models
      knns = kNNModels (3, , ) # complete the code here
     3
     5
     3 kNN models have been created and trained..
[13]: | # Using a loop (FOR) Classify the test dataset using these models,
      # compute the performance accuracy score and keep track of the best model you
      \hookrightarrow qot.
      accuracies = []
      # Evaluate each model in knns
      for mdl in :
                          # complete the code here
          # predict
          ypred = mdl.
                        # complete the code here
          # compute accuracy score
          acc=
                         # complete the code here
```

mds= list (range(3, 3 * numberOfModels, 2))

```
# append modeli accuracy to compare them later
accuracies.append(acc)

# get index of best knns
bestmodel = accuracies.index(max(accuracies))+1

# start index is 1
print ('The best model is (%d)'% (bestmodel))

# performance of the best model is
print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))
```

The best model is (1)
The performance of Model 1 is 1.00:

```
[14]: # let's plot how the decision space look like

# to plot the decision space, we need to call plot_decision method with the

→following input

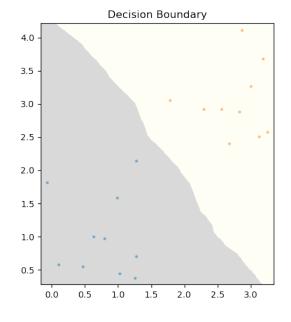
# input: 1- data features (accepts 2 features matrix only)

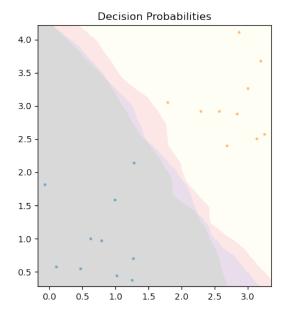
# 2- data labels (1d array)

# 3- a model (such as knn in this case)

# call plot_decision

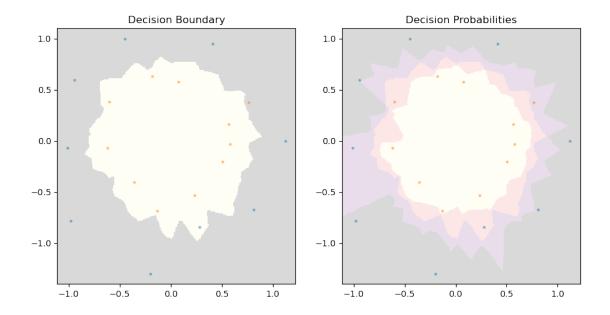
plot_decision ( , , ) # complete the code here
```





```
[15]: # let us repeat the above work using circul dataset Xctr, yctr.
      # Let us use the circule data and call the method KNNModels to generate 3 models
      knns = # complete the code here
      # Evaluate using validation
      accuracies = []
      # loop here for each model
      for # complete the code here
      # get index of best knns
      bestmodel = accuracies.index(max(accuracies))+1
      # start index is 1
      print ('The best model is (%d)'% (bestmodel))
      # performance of the best model is
      print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))
      # let's plot how the decision space look like
      plot_decisison ( , , ) # complete the code here
     3
```

```
3
5
7
3 kNN models have been created and trained..
The best model is (1)
The performance of Model 1 is 0.95:
```



```
[16]: # Study the behavior of the classifier on moons dataset.

# Let us use the moons data and call the method KNNModels to generate 3 models
knns = # complete the code here

# Evaluate using validation
accuracies = []
for # complete the code here

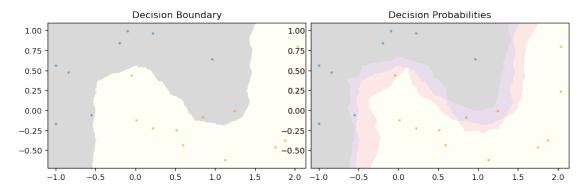
# get index of best knns
bestmodel = accuracies.index(max(accuracies))+1

# start index is 1
print ('The best model is (%d)'% (bestmodel))

# performance of the best model is
print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))

# let's plot how the decision space look like
plot_decisison ( , , ) # complete the code here
```

```
3
5
7
3 kNN models have been created and trained..
The best model is (1)
The performance of Model 1 is 1.00:
```



We can observe that as K is small, the model is able to produce complex decision boundaries! Return to Table of Contents

5.2 Exercise 2 [Multi classes classification]

kNN classifiers can deal with multi-class problems. Use fruits dataset loaded in previous cells above. We want to classify the fruit dataset using kNN classifier.

We can follow the above scenario by dividing the **training data** into train and validation sets to build the models. Then, we report performance using **testing dataset**

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```
[18]: # create the 5 models using our previous function KNNModels
# note: training part of the data has to be used
knns = # complete the code here
```

13

5 kNN models have been created and trained..

```
[19]: # Evaluate using validation
accuracies = []

# Evaluate using validation
accuracies = []
for # complete the code here

# show results
# get index of best knns
bestmodel = accuracies.index(max(accuracies))+1

# start index is 1
print ('The best model is (%d)'% (bestmodel))

# performance of the best model is
print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))

# what is the parameters of the best model
print('Model parameters:',knns[bestmodel].get_params())
```

```
The best model is (1)
The performance of Model 1 is 0.60:
Model parameters: {'algorithm': 'auto', 'leaf_size': 30, 'metric': 'minkowski', 'metric_params': None, 'n_jobs': None, 'n_neighbors': 5, 'p': 2, 'weights': 'uniform'}
```

Note

From the above information, we can select the model parameters and buil another model on the full training data, then make our final evaluation

```
[20]: # The above scenario allows us to select a model, let set the best model's

→ paramters and build a model using the full training

# data

# Configure the model with best paramters you found
knn = KNeighborsClassifier( ) # complete the code here

# train the model
knn. # complete the code here

# let us evaluate and report the results (accuracy) we can use knn.score
```

```
print('Results:',      ) # complete the code here
```

Results: 0.5

Observation

what is your observations? double click this text and edit your answer

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6 Exercise 3: Base performance

6.1 Null accuracy

In this exercise, we will build a dummy ML model with most frequent strategy to compute the null accuracy as a base for better modeling and results. To do that, let us consider the furit dataset and build the model to findout what is our base accuracy for this dataset

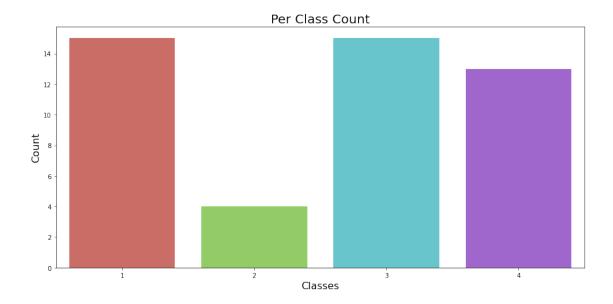
Doc: https://scikit-learn.org/stable/modules/generated/sklearn.dummy.DummyClassifier.html

```
[21]:  # load the dummy classifier from sklearn.dummy import DummyClassifier
```

6.2 Fruit dataset

```
[22]: # let us use the fruit dataset (train)
    #X_train and y_train are both extracted from fruit dataset previously

#let us check how balanced are the data
plt.figure(figsize=(15, 7))
axs= sns.countplot(x='classes', data=pd.DataFrame({'classes': fruit_y_train}),
    →palette='hls')
axs.set_xlabel('Classes',size=16)
axs.set_ylabel('Count',size=16)
axs.set_title('Per Class Count', size = 20)
plt.show()
```



Observation

what is your observations? double click this text and edit your answer

```
[23]: # let us initiate the model and set the strategy parameter to most_frequent
dummy_clf = DummyClassifier(strategy = "most_frequent")

# fit dummy_clf
dummy_clf. # complete the code here

# compuete the score the dummy classifier
scr = dummy_clf. # complete the code here

# plot the null accuracy
print('Baseline score:(%0.2f%%)'%(scr*100))
```

Baseline score: (31.91%)

6.3 Facies dataset

Facies classification dataset. It consists of seven features five wire line log curves include gamma ray (GR), resistivity logging (ILD_log10), photoelectric effect (PE), neutron-density porosity difference and average neutron-density porosity (DeltaPHI and PHIND). Note, some wells do not have PE. Also, it has two geologic constraining variables: nonmarine-marine indicator (NM_M) and relative position (RELPOS). Moreover, it contains facies labels at half foot depth intervals. There are 9 facies labels as described below:

1. Nonmarine sandstone 2. Nonmarine coarse siltstone 3. Nonmarine fine siltstone 4. Marine siltstone and shale 5. Mudstone (limestone) 6. Wackestone (limestone) 7. Dolomite 8. Packstone-grainstone (limestone) 9. Phylloid-algal bafflestone (limestone)

[hint for data preparation: 1) you can remove Well Name, 2) find and fix missing values, 3) put the data into X (data features) and y(Facies Classes).

```
[24]: # read the csv file facies_vectors.csv

faciesdataraw = # complete the code here

# check the stats table
faciesdataraw.describe()
```

```
[24]:
                                                         ILD_log10
                                                                        DeltaPHI
                   Facies
                                 Depth
                                                   GR
                                                       4149.000000
             4149.000000
                           4149.000000
                                         4149.000000
                                                                     4149.000000
      count
                 4.503254
                           2906.867438
                                           64.933985
                                                          0.659566
      mean
                                                                        4.402484
      std
                 2.474324
                            133.300164
                                           30.302530
                                                          0.252703
                                                                        5.274947
      min
                 1.000000
                           2573.500000
                                           10.149000
                                                         -0.025949
                                                                      -21.832000
      25%
                 2.000000
                           2821.500000
                                           44.730000
                                                          0.498000
                                                                        1.600000
      50%
                 4.000000
                           2932.500000
                                           64.990000
                                                          0.639000
                                                                        4.300000
      75%
                 6.000000
                          3007.000000
                                           79.438000
                                                          0.822000
                                                                        7.500000
      max
                 9.000000
                           3138.000000
                                          361.150000
                                                          1.800000
                                                                       19.312000
                    PHIND
                                     PΕ
                                                M_M
                                                            RELPOS
      count
             4149.000000
                           3232,000000
                                         4149.000000
                                                       4149.000000
      mean
                13.201066
                              3.725014
                                            1.518438
                                                          0.521852
      std
                7.132846
                              0.896152
                                            0.499720
                                                          0.286644
      min
                0.550000
                              0.200000
                                            1.000000
                                                          0.000000
      25%
                8.500000
                              3.100000
                                            1.000000
                                                          0.277000
      50%
                12.020000
                              3.551500
                                            2.000000
                                                          0.528000
      75%
                16.050000
                              4.300000
                                            2.000000
                                                          0.769000
                84.400000
                                            2.000000
      max
                              8.094000
                                                          1.000000
```

Observations: 1. PE has less count (less samples) 2. Features are multi-scale as indicated from the table

```
[25]: # we can check quickly if we have categorical data or information that we need → to remove (preprocess)

print('let us look at the data types of each column in the data:
    →\n', faciesdataraw.dtypes)
```

let us look at the data types of each column in the data:

```
int64
Facies
               object
Formation
Well Name
               object
Depth
             float64
GR
             float64
ILD_log10
             float64
DeltaPHI
             float64
PHIND
             float64
PΕ
              float64
```

```
NM_M int64 RELPOS float64
```

dtype: object

There are some non-numerical data in the dataset. The formation, and well name. These two can be removed

```
[26]: # Remove the two object columns Formation and Well Name from the loaded dataset
      faciesdataraw = # complete the code here to drop the two columns
[27]: # Find out which columns has missing data
      try:
          # new versions of sklearn doesn't have isna
          print(faciesdataraw.isna().sum())
          print(faciesdataraw.isnull().sum())
     Facies
                    0
     Depth
                    0
     GR
     ILD_log10
     DeltaPHI
                    0
     PHIND
                    0
     PΕ
                  917
     NM_M
                    0
     RELPOS
                    0
     dtype: int64
[28]: # Let us remove the affected rows only. (Hint axis=0)
      faciesdataraw = faciesdataraw. # complete the code here
      # check the stats table again
      faciesdataraw.describe()
                                                       ILD_log10
[28]:
                  Facies
                                Depth
                                                GR
                                                                     DeltaPHI \
             3232.000000 3232.000000
                                       3232.000000
                                                    3232.000000
                                                                  3232.000000
      count
                4.422030 2875.824567
                                         66.135769
                                                        0.642719
      mean
                                                                     3.559642
      std
                2.504243
                          131.006274
                                         30.854826
                                                       0.241845
                                                                     5.228948
     min
                1.000000 2573.500000
                                         13.250000
                                                       -0.025949
                                                                   -21.832000
      25%
                2.000000 2791.000000
                                         46.918750
                                                       0.492750
                                                                     1.163750
      50%
                4.000000 2893.500000
                                         65.721500
                                                       0.624437
                                                                     3.500000
      75%
                6.000000 2980.000000
                                         79.626250
                                                       0.812735
                                                                     6.432500
                9.000000 3122.500000
                                        361.150000
                                                       1.480000
                                                                    18.600000
      max
```

 M_M

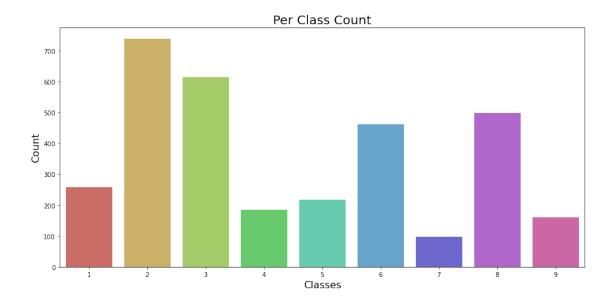
RELPOS

PΕ

PHIND

```
3.725014
              13.483213
                                          1.498453
                                                        0.520287
     mean
      std
                7.698980
                             0.896152
                                          0.500075
                                                        0.286792
     min
                0.550000
                             0.200000
                                          1.000000
                                                       0.010000
      25%
               8.346750
                             3.100000
                                          1.000000
                                                      0.273000
      50%
               12.150000
                             3.551500
                                          1.000000
                                                       0.526000
     75%
               16.453750
                            4.300000
                                          2.000000
                                                       0.767250
                                          2.000000
      max
               84.400000
                             8.094000
                                                       1.000000
[29]: # quick look at null values
      print(faciesdataraw.isnull().sum())
     Facies
                  0
     Depth
                  0
     GR
     ILD_log10
     DeltaPHI
     PHTND
     PF.
                  0
     NM_M
                  0
     RELPOS
     dtype: int64
[30]: # extract labels and Data from the dataframe
      # labels are the column Facies
      Facilabels = # complete the code here
      # data are the all columns except Facies ( you may drop this column from the _{\sqcup}
      \rightarrow dataframe)
      Facidata = # complete the code here
      # Let us keep track feature names for visualization
      featnames = faciesdataraw.columns
[31]: # let us show barchart of the data per feature
      # seabron has countplot to serve this requirment (check the example below)
      plt.figure(figsize=(15,7))
      # countplot
      axs= sns.countplot(x='classes', data=pd.DataFrame({'classes': Facilabels}),__
      →palette='hls')
      # plot labels
      axs.set_xlabel('Classes',size=16)
      axs.set_ylabel('Count',size=16)
      axs.set_title('Per Class Count', size = 20)
      plt.show()
```

count 3232.000000 3232.000000 3232.000000 3232.000000



```
[]: # Null accuracy can be competed using a code as:
acc =[]
# for each label
for i in np.unique(Facilabels):
        # compute the ratio lbl_count/(all lbls count)
        acc.append(float(len(Facidata[Facilabels==i, 0] )/Facidata.shape[0]))

# Now the null accuracy is the max ratio among all computed above
print('Second dataset null-accuracy:{0:0.2f}%'.format(np.max(acc)*100) )
```

Dummy classifier is useful to save time and compute the null accuracy

```
[]: # Build a dummy classifier to compute the base score

# instantiate the dummy clssifier with strategy
dummy_clf = # complete the code here

# fit the model
dummy_clf.fit(Facidata, Facilabels)

# compute the score of the model using the same data
scr = # complete the code here

print('Second dataset null-accuracy:(%0.2f%%)'%scr )
```

Observations:

- 1. Our models should be better than 34% accuracy (Fruit dataset)
- 2. Our model should be better than 23% accuracy (Facies dataset)

7 Exercise 4: Model Evaluation and selection

TOP

7.0.1 Let us find out kNN perfromance

```
[35]: # Let us use our function to create several Knn models
    # build 5 knn models using the training data trb
knns = kNNModels (5, Xf_trb, yf_trb)

# Run the code below
accuracies = []
for mdl in knns:
    ypred = mdl.predict(Xf_tsb)
    acc= accuracy_score(yf_tsb, ypred)
    accuracies.append(acc)

# Show results and best model
bestmodel = accuracies.index(max(accuracies)) + 1
print('The best model is (%d)'% (bestmodel ))
print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))
print('Model parameters:', knns[bestmodel].get_params())
```

3

5

7

```
9
11
13
5 kNN models have been created and trained..
The best model is (1)
The performance of Model 1 is 0.69:
Model parameters: {'algorithm': 'auto', 'leaf_size': 30, 'metric': 'minkowski', 'metric_params': None, 'n_jobs': None, 'n_neighbors': 5, 'p': 2, 'weights': 'uniform'}

[]: # Now as we found the best model configuration above
# we need to rebuild the model with the whole training data tr

# write your code here to build, train, and compute the accuracy of your model

# let us evaluate and report the results
print('Results: %0.2f accuracy'%) # complete this line to shoud the accuracy
```

Observations

This is better than the base line, if you are not satisfy with this accuracy think of imporvment by finetune the model's parameters

TOP

8 Exercise 5: Resampling data

In this exercise, we want to balance the trianing data for the sake of developing better model for facies classification. It can be noticed that classes 1, 4, 5 7 and 9 have few samples compared to classes 2, 3, 6 and 8. Therefore, our target is to increase samples of these classes 20%

Example, in case having a binary dataset with class distribution 357 in class1 and 212 in class2, we can balance class2 to 50% instead of the current representation 37.3% by adding this amount of samples

```
sapmles = (0.5(total samples) - class i samples) / (1-0.5)
```

```
[38]: # let us rebuild DataFrame with format (labels - data )

# Combine the numpy arrays yf_tr and Xf_trb in Xf (use append)

Xf = # complete the code here

# Convert Xf into DataFrame, use feature names save before in featnames

trainFacies = pd.DataFrame( ) # complete the code here
```

```
[39]: trainFacies.head()
```

```
PE NM_M RELPOS
[39]:
        Facies
                Depth
                            GR ILD_log10 DeltaPHI
                                                     PHIND
           3.0 2722.0 40.070
                                     0.595
                                               0.300 8.950 4.900 1.0
                                                                            1.000
     1
           8.0 2971.5 13.617
                                    0.596
                                               1.367 11.133 4.441
                                                                      2.0
                                                                            0.500
      2
           2.0 2861.5 67.140
                                    0.727
                                             3.800 8.490 3.300
                                                                      1.0
                                                                            0.765
      3
           3.0 2931.5 67.670
                                   0.430 -9.900 31.450 2.700
                                                                      1.0
                                                                            0.300
            2.0 2732.5 73.930
                                    0.334
                                             5.900 14.050 3.000
                                                                      1.0
                                                                            0.400
[]: # For each class,
      # 1- we want to get how many samples
      # 2- compute the number of the new samples that we need to add
      # 3- resample this number and added it to the class-samples
      # Let us loop for each class that we traget
      # let us make simple, what are the ables of target classes to be resampled
      tgclasses = [ ] # complete this line by adding the labels of the target classes
      # just compute the total number of samples
      totalsamples = len(yf_trb)
      # let us make a copy of the Pandas original dataframe
      trainFacies_upsampled = trainFacies.copy()
      # This point starts the three point algorithm mentioned above
      for i in tgclasses:
          # get how many samples in class i
          currsamples = # qet number of samples currently per class i
          # Compute how many samples need to be resampled for class i ( our target is_{\sqcup}
      \rightarrow 15\% increase)
          num_sapmles = # complete the code here using the equation (Exercise 511
       \rightarrow description)
          # show how many samples we need to increase the samples in class i by 15%
          print('%d smaples neede for class(%d)'%(num_sapmles, i) )
          # step 3: resample:
          #1. Extract class i samples and save it in to_resample variable (hint pd.
      \rightarrow loc to slice pandas)
          to_resample = # complete the code here
          #2. sample with replacement from to_resample variable (pandas provides a_{\sqcup}
       \rightarrowmethod called pd.sample(..)
          new_samples = to_resample.sample( , ) # complete the code here ( 2 params )
```

```
#3. Concatonate back the new sampled data to the dataset (hint pd.concat(..)

# base data: trainFacies_upsampled

# new data: new_samples

trainFacies_upsampled = # complete the code here
```

```
[]: #let us perform the modeling again
     # Let us use our function to create several Knn models
     yf_trs = trainFacies_upsampled['Facies'].values
     Xf_trs =trainFacies_upsampled.drop(['Facies'], axis=1).values
     knns = kNNModels (5, Xf_trb, yf_trb)
     # Evaluate using validation
     accuracies = \Pi
     for mdl in knns:
         ypred = mdl.predict(Xf_ts)
         acc= accuracy_score(yf_ts, ypred)
         accuracies.append(acc)
     # show results
     bestmodel = accuracies.index(max(accuracies))+1
     print ('The best model is (%d)'% (bestmodel ))
     print('The performance of Model %d is %.2f:'% (bestmodel, max(accuracies)))
     print('Model parameters:',knns[bestmodel].get_params() )
```

```
[]: # Train a KNN model on full trianing set and evaluate using testing dataset
knn = KNeighborsClassifier(n_neighbors=5) # rest are defaults
knn.fit(Xf_trs, yf_trs)
ypred = knn.predict(Xf_ts)

# let us evaluate and report the results
print('Results: %0.2f'% knn.score(Xf_ts, yf_ts))
```

Observatinos

As the model is KNN which memory based model, the resampling doesn't affect its performance. However, it may help other machine learning algorithms to boost their performance.

9 Exercise 6: Confusion Matrix

To understand the ML model mistakes, we need to compute the confusion matrix of the model performance. In this, exercise, refer to your models results in **Exercise 5** and use the predicted results to plot the confusion matrix. Study the confusion matrix and figure out what were the performance issues.

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```
[]: # load the confusion_matrix module form metrics
from # complete the code here

# compute the confusion matrix
# input: true labels, and predicted labels

mtConf = # complete the code here

# print the confusion matrix
print(mtConf)
```

9.0.1 In multi-class, it is better to plot the confusion matrix rather than showing the matrix:

```
[]: # sklearn provides a confusion matrix display module as bleow from sklearn.metrics import ConfusionMatrixDisplay

# make sure you have computed the confusion matrix as we did in the previous cell # then pass the confusion matrix to the display to visualize

# 1- make the display disp = ConfusionMatrixDisplay( , ) # complete the code here ( 2 params)

# 2- call the plot of the disp with any color map you prefer disp.plot(cmap='plasma') # check matplot color maps online

# To control the size of the plot plt.tight_layout(rect=(0,0,2,2)) # show plt.show()
```

Errors: * 9 samples of class-1 could be similar to class-2 samples * 15 samples of class-2 could be similar to class-1, and 10 samples of class-2 are similar to class-3 * and so on

suggested scenarios:

- 1. First, we may need to revisit data if we don't know a reason behind this overlapping
- 2. The sample overlapping may be due to human error while labeling samples
- 3. Could be no error and these classes have high inter-similarity and we need to keep the situation as is, or
- 4. One solution from an expert could be to merge the overlapping classes to have simpler problem as stage 1, and then explore solutions for those merged classes separately.

From the confusion matrix, we can still compute: * accuracy

```
[48]: # Use the pervious computed confusion matrix mtConf

# Sum over the diagonal of the matrix over the sum of all cells acc = # complete the code here

print('Accuracy:%0.2f%%' '% (acc*100))
```

Accuracy: 64.30%

10 Exercise 7 (Understand the model performance)

Now it is time to study the model performance. Suppose we build a ML model using some dataset, we want to know how precise this model is (in identifying positive class samples), and how about correctly identify positive samples from not reject them as negative class samples (recalling).

Note: The above scenario is for binary classification, we usually compute the average of the precision and recall for multi-class classification problems

Finally, as there is a tradeoff between recall and precision in most cases, we could endup trying to summarize these two metrics into single value indicator similar to accuracy called F1-score (or fmeasure)

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```
[49]: # Task 1:Precision of the testing results
# Compute precision (use macro average )
precision = # complete the code here
print('Experiment Precision = %0.2f '%precision)
```

Experiment Precision = 0.64

```
[50]: # Task 2:Recall of the testing results
# Compute Recall (use macro average )
recall = # complete the code here
print('Experiment Recall =%0.2f '% recall)
```

Experiment Recall =0.67

Note: * As the gap between precision and recall is not large and yet both are good values, it is a good sign of a robust model. * Although the results above show the model doesn't incline towards

one class against the other heavily, with the results above we may need to improve,

```
[51]: # Task 3: fmeasure of the testing results
      # Compute F1-score (use macro average )
      f1score = # complete the code here
      print('Experiment F1score = =%0.2f '% f1score)
```

Experiment F1score = = 0.64

Note:

There are different averaging we can compute, micro, macro and weighted. In case of a imbalanced data weighted can be used to report the results!

```
[]: | # We can easily display all possible performance metrics printting the
      \hookrightarrow classification report
     print( ) # complete the code (hint classification_report(..) )
```

Note: Classification report can accept labels parameter. The labels parameter can be a list of numbers or text names, you can try it below

```
[53]: # Show a subset evaluation of all classes, just drop class label 4 from the list
      labels = [1,2,3,5,6,7,8,9]
      print( ) # complete the code (hint classification_report(..) )
```

	precision	recall	f1-score	support	
1	0.66	0.78	0.71	64	
2	0.71	0.70	0.70	148	
3	0.84	0.65	0.73	109	
5	0.43	0.62	0.51	47	
6	0.65	0.54	0.59	100	
7	0.61	0.74	0.67	19	
8	0.70	0.46	0.56	87	
9	0.77	0.87	0.82	31	
micro avg	0.68	0.64	0.66	605	
macro avg	0.67	0.67	0.66	605	
weighted avg	0.69	0.64	0.66	605	

Exercise 8 (Cross validation) 11

As the data is imbalanced, we may be lucky and get the best possible testing data chunk out of the random splitting. To investigate this issue in our results, a K-Fold can be used to split the data into different chunks. Every chunk is divided into train and test data. Then, for each chunk, a model can be trained and tested. The score of each run is kept for final calculation of the performance. Reuse the data in Question 1.5 for 5-fold cross validation and compute the accuracy metrics.

Use trainFacies dataframe created in a previous exercise

Set the k = 3 for knn and build the model

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```
[54]: # Let us show you the data structure again with head(5) trainFacies. # complete the code here
```

```
[54]:
        Facies
                Depth
                          GR ILD_log10 DeltaPHI
                                                  PHIND
                                                           PE NM_M RELPOS
          3.0 2722.0 40.070
                                 0.595
                                           0.300
                                                  8.950 4.900
                                                                1.0
                                                                     1.000
     1
          8.0 2971.5 13.617
                                 0.596
                                           1.367 11.133 4.441
                                                                2.0
                                                                     0.500
     2
          2.0 2861.5 67.140
                                 0.727
                                           3.800
                                                 8.490 3.300
                                                                1.0
                                                                     0.765
     3
          3.0 2931.5 67.670
                                 0.430
                                          -9.900 31.450 2.700
                                                                1.0
                                                                     0.300
           2.0 2732.5 73.930
                                           5.900 14.050 3.000
                                 0.334
                                                                1.0
                                                                     0.400
```

 Facies: is the target variable /t

 \square Other: are features

```
[]: # prepare scores list
     score =[]
     # We need to configure KFold
     # let us make 5 splits with no data shuffling
     kfold = KFold(n_splits =5, shuffle = False)
     # Now kfold can split the data into train and test, we need to set a loop for ...
      \hookrightarrow that
     # so that each time new train and test sets are generated for 5 times as we_
     \rightarrow configure
     # before
     for train, test in kfold.split(trainFacies):
         # configure the knn classifier with k = 3
         knn = KNeighborsClassifier(n_neighbors=3)
         # let us feed the training stage with training data (slicing the original)
         # Now we need to use the train indices to do that
         # remember first column in the dataset is the label
         knn.fit(trainFacies.iloc[train, 1:], trainFacies.iloc[train, 0] )
         # Similarily, we need to slice the dataset to extract the test set
         # use the test indices test to slice
         score.append(knn.score(trainFacies.iloc[test, 1:], trainFacies.iloc[test,0]))
```

```
# as the loop ends, score list will have 5 scores per each data split
# let us check them out by visualizing them
plt.plot(np.linspace(0,max(score), len(score)), score, 'o--')
plt.title('CV score:%2f without shuffling!' % np.mean(score))
plt.show()
```

Observation: each division shows different results, if we lucky with train-test scenario, we can get up to 69% accuracy!

The above results are using k=3 only We want to improve and find maybe better k

12 Exerice 9 (validation for model selection)

We assume that our target search space is to determine which K value is the best for the Facies dataset. Therefore, we decided to reuse the above code from Exercise 8 and add to it a simple outter loop that picks new K value each time and perform cross validation. Finally, we can decide which model is the best. Let us set Ks = [3, 5, 7, 9]. plot the scores as shown above per each iteration

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```
[]: # Kfold case 1 ( no shuffle )
     kfold = KFold(n_splits =5, shuffle = False)
     # let us make list of possible k values ( 4 models )
     ks = # complete the code here
     # To select a model, need to build several models using cross-validation and \Box
     ⇒select the optimal one based on an objective
     # let us set our objective as the highest accuracy!
     # we need to have two loops. First loop for loop different models, while second
     → loop is to perform cross-validation
     i = 1
     # loop 1: using different ks (different models)
     for k in ks:
         # here we repeat the previous cell code exactly, and make a minor change at 11
      → the line where we configure the model
         score =[]
         # main loop to perform cross validation
         for train, test in kfold.split(trainFacies):
             # confgireu the model
             knn = # complete the code here
```

```
# fit the knn using trainFacies dataframe - index it using train from_
the loop
    knn.fit(trainFacies.iloc[train, 1:],trainFacies.iloc[train, 0] )

# compute the score using test indices and appended the score to our_
scores list
    score.append(knn.score(trainFacies.iloc[test, 1:],trainFacies.
iloc[test,0]))

plt.subplot(2,2,i)
plt.plot(np.linspace(0,max(score), len(score)), score, 'o--' )
plt.title('K = %d, CV score:%2f' % (k, np.mean(score) ))
i+=1

plt.tight_layout(rect=(0,0,1.5,1.5))
plt.show()
```

13 Exericse 10: (Grid Search)

Grid search makes the coding in pervious exercise much simpler. We don't need to code loops and check each line, we only need to call this method GridSearchCV with certain parameters to return with the best estimator (model). Let us try Grid search to determine the best model among k = [3, 5, 7, 9]

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```
# Gridsearch provides an attribute called best_estimaor_ where it saves_
→ information about the best model found

print( ) # complete the code here
```

Note: 1. The best value for k is an issue of this algorithm. You should know that small value of K ≈ 0 means senstive model (overfitting) and a larger value of k means dummy model (most frequent strategy). 1. A rule of thumb here is to choose $k = \sqrt{n}$ where n is the number of samples. better choice is to run the kNN with different ks on the training data. Then, decide which K value to choose from as we did in the pervious exercise.

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14 Exerice 11

In this exercise, we want to predict a fruite class using Logistic regression method. As described before, the fruites dataset has four features and one target variable. The features include

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```
[]: # load the logisticregression from the library
from sklearn.linear_model import LogisticRegression

# instantiate a model
logModel1 = # complete the code here

# train the model (using fruit training data - fruit_X_train and fruit_y_train)
# complete the code here
```

Obervation: The model training algorithm has a complaint as the warning above. to get rid of the warning above by increasing the iterations to 10000, or scale as we do below

```
modelLg.fit(fruit_X_train, fruit_y_train)
```

The results above is way better than KNN in Exercise 2

15 Exercise 12 (Hard dataset for Logistic Regression)

Any non-separable dataset is tough for Logistic Regression to make good performance. Therefore, we need to preporcess the data to enable Logistic Regression finds a good decision bounary. For example, circular dataset is one hard dataset for logistic regression but we can help the model to solve it

Was the logistic regression successful in separating the two data classes?

15.0.1 Transform the data

To build a better model, we need a composite model that perform transformation to the data and then build a classifier. For circular data, we need to add a higher degree feature to separate the inner circle from the outer one. A Guassian transformation could be suitable in this circule dataset as well as polynomials. Let us check the following code cell

15.0.2 A Guassian transformation

a function defined in the beginning of this notebook can be used to transform the data and has the form of $r = e^{-X^2}$

```
# a custom developed transformer GaussianTransformation

# Build a pipeline by including a transformer and logistic regression model
modelcir = make_pipeline(GaussianTransformation(), LogisticRegression())

# Train the model modelcir with the traing data
modelcir.fit(Xctr, yctr)

# Classify the testing data
y_pred = modelcir.predict(Xcts)

# compute the accuracy of the predictions
print ('Testing Accurracy %0.1d%%'% (accuracy_score(ycts, y_pred) *100) )
```

What do you think about the results?

```
[]: # visualize the new transformed data to understand what has happened:

# instantiate the Gaussian transformer
gt = # complete the code here

# Transform the Xctr dataset (hint use transform method )
newXctr = # complete the code here

# plot 3D ( X1 and X2, color, Z)
plot_3D(newXctr[:,:-1] , yctr, newXctr[:,-1])
plt.tight_layout(rect=(0,0,1.5, 1.5))
plt.title('Two groups can be separated in 3D', fontsize=18)
plt.show()
```

Conclusion:

1. Logistic regression classifier was able to find a perfect model using Blob dataset with clear

separation.

- 2. It hard and even harder to it to classify the moon and circule datasets. With circules the performance drops to around 50% which means a decision boundary cannot be found without model mistakes.
- 3. We still can solve such hard problems with data transformation

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16 Exercise 13 (Support Vector Machines – Hard Margin)

In this exercise, let us explore hard margin SVM to classify clean data into two classes. The dataset is generated for you in the next cell. Use this 80% of data to build an SVM model with hard margin, and the rest used for testing.

```
[64]: # Separabale data to be classified and tested by SVM classifier

X_svm_hard, y_svm_hard = make_blobs(n_samples = 300,

centers = 2, #will define classes

n_features = 2,

cluster_std = 1,

random_state = 6)
```

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```
[65]: # First thing first, to load the estimator from sklearn
# Load the classifier SVC from svm! Also, it has other versions of it
from sklearn.svm import SVC
```

```
[]: # By default, sum uses rbf kernel, and controls the margin using paramter C

# Set C paramter to equal 1e20 (v. high value) for hard margin

# Set kernel to 'linear'

svm_hard= SVC( , ).fit(X_train, y_train) # complete the code here

# The previous line will create a model using training dataset

# compute the score (accuracy) on training dataset

scr = # complete the code here

print('Model score:', scr )
```

```
# Using a ploting function defined in this notebook to plot a decision space of

→your classifier sum_hard

# call plot decisionline with training data

# write your code here ( 1 line)

plt.tight_layout(rect=(0,0,1.5, 1.5))
plt.show()
```

Study the plot above! Based on the created data the margin is so tight and separates the two classes perfectly (training dataset). Don't rush for softmargin, now. Let's findout how good the results using the testing dataset

```
[]: # use the model above to predict testing labels
y_pred = # complete the code here

# check the classification report
print(classification_report(y_test, y_pred))
```

Great results

To achieve such good results using SVM, we need to have a clean separable dataset from the beginning. But this is not how real-world datasets are. Usually, datasets suffer overlapping due to noise, labeling operator mistakes, or even overlapping naturally. As an example, circles or moons datasets are not separable in the first place. Let us check the below exercise and study how SVM with Hard-margin will behave on such datasets

Why we need to relax this condition?

Now let's imagine by human error, a worker who responsible for labeling the data have committeed one mistake and label one sample incorrectly. How SVM with Hard margin will behave? Let us do that labeling mistake by changing one of the smaples labels to be in the other class and repeat the procedure above

```
[68]: # Get an index of any example randomly ind = random.randint(0, len(X_train))

# let us convert that sample label from 0 to 1 or 1 to 0 y_train [ind] = 1 - y_train [ind]

# Now our training set is contain one outlier or noisy data sample - let us_ → check it affect on the model and results
```

warning:

Based on the modified sample, the SVM with hard margin may take very long time to stop execution(converge). Therefore, you can set the max iter parameter to a 1000 to stop the trianing

after 1000 iteration

Observations:

double click this text to write your observation

```
[]: # use the model above to predict testing labels
y_pred = # complete the code here

# check the classification report
print(classification_report(y_test, y_pred))
```

Conclusion:

- 1. The above great dataset has affected severely with only one mistake
- 2. The SVM C hyperparamter is one very important to be tuned right for your probelm at hand

17 Exercise 14 (Support Vector Machines – Soft Margin)

In the last exercise, we are not able to build a good model with a mistaken label due to the hard margin condition. Let's know relax this condition by control the C hyperparamter and reduce it is value. The smaller the value the softer the margin.

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```
[]: # By default, sum uses linear kernel, and controls the margin using paramter C # To create an SVM with soft-margin we need to set small value for C,
```

```
# based on the previous Exercise code-guides develop the current

# Write your code after this line

svm_soft=

plt.tight_layout(rect=(0,0,1.5, 1.5))
plt.show()
```

```
[]: # use the model above to predict testing labels
y_pred = # complete the code here

# check the classification report
print(classification_report(y_test, y_pred))
```

Obervation

double click this text to write your observation

How about non-separable dataset?

will soft margin enough to solve non-separable problms. let us try svm_soft on circular dataset

```
[]: # Using the circule dataset we created before Xctr, yctr and build sum
# instantiate and traing a soft margin sum
svm_soft2= # complete the code here

# print the accuracy sore of the traing
print('Model score:',svm_soft2.score(Xctr, yctr))

# Using a ploting function defined in this notebook to plot a decision space of
→your classifier sum_hard
# call plot decisionline with training data
# write your code here (1 line)

plt.tight_layout(rect=(0,0,1.5, 1.5))
plt.show()
```

Observation:

Was the created model good or not to classify circle dataset?

Double click this text to answer this question

18 Exercise 15 (SVM and Kernels)

The kernel trick of SVM was designed to overcome the limitation encountered due to data non-separable problems. For instance, the XOR problem was presented to challenge discriminant classifiers such as SVM and Perceptron to solve. These linear classifiers weren't able to solve such problems until the idea of the kernel trick has emerged.

The kernel trick is the transformation of data that took place within the machine learning algorithm itself. The kernel methodology is better than a pure transformation of data before modeling. If we perform a transformation before modeling, our data become huge and may be hard to be handled. However, in the kernel trick, the transformation is happening instantaneously during modeling. In addition, SVM performs that using support vectors only!

The problem we created above is very difficult to solve. One misslabeled sample in a middle of data-class makes a great problem. Let us try to slove this problem using RBF kernel. This kernel has a spread parameter **gamma**. The higher the value set for gamma the complex the model will be.

```
[]: # Sklearn supports several SVC kernels
     # according to the documentation: four kenrels are supported 'linear', 'poly',
     → 'rbf', 'sigmoid'
     # the default kenrnel is the Radial Basis Function 'rbf'
     # let start with our blob dataset that has a labeling mistake as indicated,
      \rightarrowperviously.
     # This dataset was solved by tuning the C parameter to small value (softmargin),
      →with linear kernel.
     # let us check the effect of the rbf kernel on the decision space using the same,
      \rightarrow dataset
     # Study the below code before run:
     # let us set C to default = 1, and check the effect of gamma param
     # give gamma a range of values between 0.2 to 30 spaced with 7.5
     gms = np.arange(0.2, 30, 7.5)
     # to control subplots
     i = 1
     # loop through gammas and build different SVM models
     for gm in gms:
         # SVM with gamma = gm
         svm_RBFt= SVC( gamma=gm, kernel='rbf' ).fit(X_train, y_train)
         # Visualize the decision boundary
         plt.subplot(2,2,i)
```

```
plot_decisionline(svm_RBFt, X_train, y_train, SVM_Model=True)

plt.title('RBF - gamma=' + str(gm) )

# next subplot
i +=1

plt.tight_layout(rect=(0,0,2,2))
plt.show()
```

Observation:

Study the plots above, what is the effect of gamma on the decision boundaries?

Double click this text to write your observation

Circular dataset

let us try to build a sym that can handle this dataset using RBF kenerl below

```
[ ]: # RBF
     # choose four values for gamma
     gms = [ , , , ] # complete the code here
     i = 1
     for gm in gms:
         # build and train a model
         svm_soft2= # complete the code here
         # accuracy
         score = # complete the code here
         # using the plot sum decision function supplied above to show the decision_
      \rightarrow boundary
         plt.subplot(2,2,i)
         plot_decisionline(svm_soft2, Xcts, ycts, SVM_Model=True)
         # show the accuracy and gamma as title of each subplot
         plt.title('accuracy: '+ str(score) + ' gamma=' + str(gm))
         # next subplot
         i+=1
     plt.tight_layout(rect=(0,0,2,2))
```

```
plt.show()
```

Observations:

Double click here to write your observations

Exercise 16 (SVM - Facies dataset) 19

In Exercise 5, we balanced the facies data and finetune KNN to classify the face dataset into 9 classes. The best model's results is 65% accuracy. Let us use the facies dataset in this exercise and build SVM model with RBF kernel.

we want to start with small gamma and set C value to 2 as our baseline results for SVM. C = 2 is still soft-margin, however small gamma is not so flexible.

Then, we want to make use **GridSearchCV** to find a robust and the best SVM model to deal with this dataset using four gammas and four Cs. Let set the four values for gammas between 0.001 to 1 and the other four values for C be 1 to 100

```
[77]: # Base code
      # RBF different gammas
      svm_rbf= SVC(kernel='rbf', gamma = 0.001, C=2).fit(Xf_trb, yf_trb)
      # let us compute the classification report
      y_pred = svm_rbf.predict(Xf_tsb)
      report = classification_report(yf_tsb, y_pred)
      # using the plot sum decision function supplied above to show the decision_
       \rightarrow boundary
      print (report)
```

	precision	recall	f1-score	support
1	0.57	0.78	0.66	32
2	0.64	0.68	0.66	121
3	0.73	0.68	0.71	101
4	0.53	0.69	0.60	29
5	0.51	0.77	0.62	31
6	0.59	0.49	0.54	67
7	0.56	0.88	0.68	16
8	0.78	0.49	0.60	99
9	0.86	0.90	0.88	21
accuracy			0.65	517
macro avg	0.64	0.71	0.66	517
weighted avg	0.67	0.65	0.65	517

```
[]: # Let us finetune the gamma and C paramters using GridSearch

# values to finetune sum
Cs = [ , , , ] # complete the code here
gms = [ , , , ] # complete the code here

# dict parameters
param = {'C': Cs, 'gamma': gms, 'kernel': ['rbf']}

# instantiate the gridsearch method ( estimator, param, cv, scoring )
model = # complete the code here

# Cross validate the data
model.fit(Xf_trb,yf_trb)

# get the best model (paramters)
print(model.best_estimator_)
```

```
[]: # Rebuild the SVM with the best params found above
# data: Xf_trb, yf_trb
svm_rbf= # complete the code here

# let us compute the classification report
# data: Xf_tsb
y_pred = # complete the code here

# compute the classification report
# True labels: yf_tsb
report = # complete the code here

# using the plot sum decision function supplied above to show the decision
→ boundary
print (report)
```

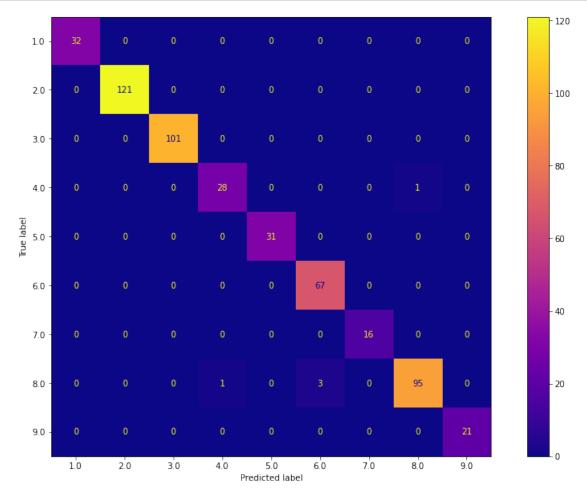
The results is way better than what KNN achieved so far!

```
[80]:  # Visualize the confusion matrix to related mistakes  # testing data used  # confusion matrix  mtConf = # complete the code here
```

```
# Display confusion matrix
disp = # complete the code here

# display the matrix with plasma coloring
disp.plot(cmap='plasma')

plt.tight_layout(rect=(0,0,2,2))
plt.show()
```



20 Additional Exercises

20.1 Parctice and study (Cancer Dataset (2 Features))

Scikit learn shipped with some benchmark datasets such as iris, house-prices, and cancer data. In this exercise, we are going to explore Cancer dataset.

	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	mean symmetry	mean fractal dimension	 worst radius	worst texture	worst perimeter	worst area	won smoothnes
0	17.99	10.38	122.80	1001.0	0.11840	0.27760	0.3001	0.14710	0.2419	0.07871	 25.38	17.33	184.60	2019.0	0.162
1	20.57	17.77	132.90	1326.0	0.08474	0.07864	0.0869	0.07017	0.1812	0.05667	 24.99	23.41	158.80	1955.0	0.123
2	19.69	21.25	130.00	1203.0	0.10960	0.15990	0.1974	0.12790	0.2069	0.05999	 23.57	25.53	152.50	1709.0	0.144
3	11.42	20.38	77.58	388.1	0.14250	0.28390	0.2414	0.10520	0.2597	0.09744	 14.91	26.50	98.87	567.7	0.209
4	20.29	14.34	135.10	1297.0	0.10030	0.13280	0.1980	0.10430	0.1809	0.05883	22.54	16.67	152.20	1575.0	0.137

This dataset contains 30 different features. For the purpose of this exercise, pick two features "mean radius, and mean perimeter" and use them as a new dataset to perform the following tasks.

Other classifiers

Sklearn has several other classifiers that you might be interesting to study. For example another non-paramtric classifier is the **Decision Trees Classifier** and the ensemble family of classifiers such as Random Forest, and Boosting classifiers. These classifiers are very strong to model hard problems too.

Linear Discriminant Analysis (LDA) is another classifier that brings together data reduction and separation at the same time. It has a workflow similar to PCA however, it maintains separation between classes. For more information about the **Sklearn classifiers** let me invite your to check the Sklearn cheatsheet.

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```
[81]: # load the LDA from sklearn.discriminant_analysis import LinearDiscriminantAnalysis
```

```
[82]: # Load the dataset
from sklearn.datasets import load_breast_cancer
Cancer = load_breast_cancer()
```

```
[83]: # convert it to dataframe and check its properties
    cancer_pd = pd.DataFrame(data=Cancer.data, columns=Cancer.feature_names)
    labels = Cancer.target

# show the features
    print('Number of features:', len(Cancer.feature_names)); print()
    print('Labels:', set(labels)); print('\nFeature names:')
    print(Cancer.feature_names[:,None])
```

```
Number of features: 30
```

Labels: {0, 1}

Feature names:

```
['mean texture']
      ['mean perimeter']
      ['mean area']
      ['mean smoothness']
      ['mean compactness']
      ['mean concavity']
      ['mean concave points']
      ['mean symmetry']
      ['mean fractal dimension']
      ['radius error']
      ['texture error']
      ['perimeter error']
      ['area error']
      ['smoothness error']
      ['compactness error']
      ['concavity error']
      ['concave points error']
      ['symmetry error']
      ['fractal dimension error']
      ['worst radius']
      ['worst texture']
      ['worst perimeter']
      ['worst area']
      ['worst smoothness']
      ['worst compactness']
      ['worst concavity']
      ['worst concave points']
      ['worst symmetry']
      ['worst fractal dimension']]
[84]: # check and clean the data
      print(cancer_pd.describe())
            mean radius
                         mean texture
                                        mean perimeter
                                                            mean area
              569.000000
                            569.000000
                                             569.000000
                                                           569.000000
     count
               14.127292
                                              91.969033
     mean
                              19.289649
                                                           654.889104
                3.524049
                              4.301036
                                              24.298981
                                                           351.914129
     std
     min
                6.981000
                              9.710000
                                              43.790000
                                                           143.500000
     25%
               11.700000
                             16.170000
                                              75.170000
                                                           420.300000
     50%
               13.370000
                             18.840000
                                              86.240000
                                                           551.100000
     75%
               15.780000
                              21.800000
                                             104.100000
                                                           782.700000
                             39.280000
               28.110000
                                             188.500000
                                                          2501.000000
     max
            mean smoothness
                             mean compactness
                                                 mean concavity
                                                                  mean concave points
                  569.000000
                                     569.000000
                                                      569.000000
                                                                           569.000000
     count
     mean
                    0.096360
                                       0.104341
                                                        0.088799
                                                                              0.048919
                                       0.052813
     std
                    0.014064
                                                       0.079720
                                                                              0.038803
```

[['mean radius']

min	0.052630	0.019380	0.000000	0.000000
25%	0.086370	0.064920	0.029560	0.020310
50%	0.095870	0.092630	0.061540	0.033500
75%	0.105300	0.130400	0.130700	0.074000
max	0.163400	0.345400	0.426800	0.201200
	mean symmetry mear	n fractal dimension	worst ra	adius \
count	569.000000	569.000000	569.00	0000
mean	0.181162	0.062798	16.26	9190
std	0.027414	0.007060	4.83	33242
min	0.106000	0.049960	7.93	30000
25%	0.161900	0.057700	13.01	.0000
50%	0.179200	0.061540	14.97	0000
75%	0.195700	0.066120	18.79	0000
max	0.304000	0.097440	36.04	.0000
	worst texture wors	st perimeter worst	area worst s	smoothness \
count	569.000000	=		69.00000
mean	25.677223	107.261213 880.5		0.132369
std	6.146258	33.602542 569.3		0.022832
min	12.020000	50.410000 185.2		0.071170
25%	21.080000		300000	0.116600
50%		97.660000 686.5		0.131300
75%	29.720000	125.400000 1084.0		0.146000
max	49.540000	251.200000 4254.0		0.222600
	10.01000	2011200000 12011	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	0.1222000
	worst compactness	worst concavity we	orst concave po	oints \
count	569.000000	569.000000	569.00	
mean	0.254265	0.272188		.4606
std	0.157336	0.208624		55732
min	0.027290	0.000000		00000
25%	0.147200	0.114500		34930
50%	0.211900	0.226700		99930
75%	0.339100	0.382900		31400
max	1.058000	1.252000		91000
IIIdA	1.030000	1.232000	0.23	1000
	worst symmetry wor	est fractal dimension	\n	
count	569.000000	569.0000		
	0.290076	0.08394		
mean		0.0839		
std min	0.061867			
	0.156500	0.05504		
25% 50%	0.250400	0.07146		
50%	0.282200	0.08004		
75%	0.317900	0.09208		
max	0.663800	0.20750	00	

[8 rows x 30 columns]

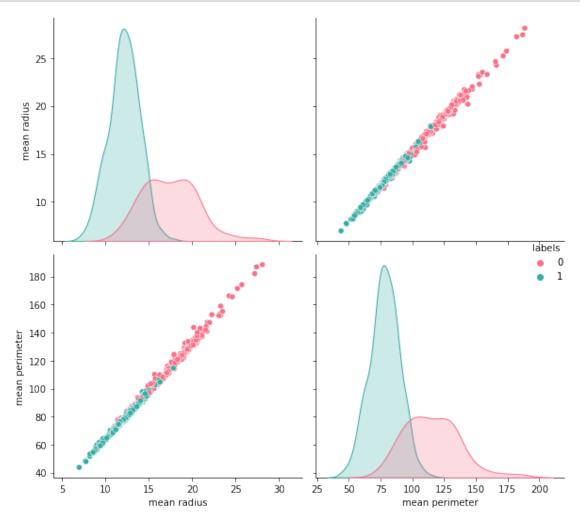
[85]: # let us check NA or non values cancer_pd.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 569 entries, 0 to 568
Data columns (total 30 columns):

Data #	Columns (total 30 Column	s): Non-Null Count	Dtype
0	mean radius	569 non-null	float64
1	mean texture	569 non-null	float64
2	mean perimeter	569 non-null	float64
3	mean area	569 non-null	float64
4	mean smoothness	569 non-null	float64
5	mean compactness	569 non-null	float64
6	mean concavity	569 non-null	float64
7	mean concave points	569 non-null	float64
8	mean symmetry	569 non-null	float64
9	mean fractal dimension	569 non-null	float64
10	radius error	569 non-null	float64
11	texture error	569 non-null	float64
12	perimeter error	569 non-null	float64
13	area error	569 non-null	float64
14	smoothness error	569 non-null	float64
15	compactness error	569 non-null	float64
16	concavity error	569 non-null	float64
17	concave points error	569 non-null	float64
18	symmetry error	569 non-null	float64
19	fractal dimension error	569 non-null	float64
20	worst radius	569 non-null	float64
21	worst texture	569 non-null	float64
22	worst perimeter	569 non-null	float64
23	worst area	569 non-null	float64
24	worst smoothness	569 non-null	float64
25	worst compactness	569 non-null	float64
26	3	569 non-null	float64
27	worst concave points		float64
28	3 3	569 non-null	float64
29	worst fractal dimension	569 non-null	float64
	es: float64(30)		
memo	ry usage: 133.5 KB		

[86]: # slice two features from the dataset in sub_cancer_pd
sub_cancer_pd = cancer_pd[['mean radius', 'mean perimeter']]

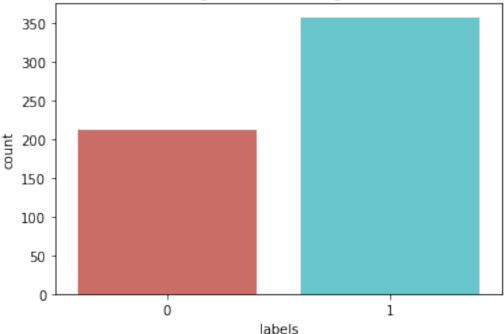
sub_cacner_pd['Labels'] = labels
sub_cancer_pd.insert(2, "labels", labels, True)



```
[87]: # Compute how many samples per class sub_cancer_pd.groupby('labels').count()
```

```
[88]: # Class distributions ( P1 and P2)
pp= sub_cancer_pd.groupby('labels').count()/ len(labels)
# pp['mean radius'].values
sns.countplot(x='labels', data = sub_cancer_pd, palette='hls')
mal_prob=np.round(pp['mean radius'].values[0],2)
ben_prob= np.round(pp['mean radius'].values[1],2)
plt.title("malignant {}, Benign {}".format(mal_prob, ben_prob ) )
plt.show()
```

malignant 0.37, Benign 0.63



```
[89]: # samples of the data sub_cancer_pd.head()
```

```
[89]:
         mean radius mean perimeter labels
                17.99
      0
                                122.80
      1
                20.57
                                132.90
                                              0
                19.69
                                130.00
                                              0
      2
      3
                11.42
                                 77.58
                                              0
                20.29
                                135.10
                                              0
```

```
[90]: # Base accuracy (Null)
dummy_clf = DummyClassifier(strategy="most_frequent")
# requires the fit - to target the most frequent data
```

```
dummy_clf.fit(sub_cancer_pd.iloc[:,:-1], sub_cancer_pd['labels'])

# show the base score - any model we built should be better than this
scr = dummy_clf.score(sub_cancer_pd.iloc[:,:-1], sub_cancer_pd['labels']) * 100
print('Baseline score:(%0.2f%%)'%scr )
```

Baseline score: (62.74%)

```
[91]: # divide the data into training and testing ( the data is imbalanced )

X_train, X_test, y_train, y_test = train_test_split(sub_cancer_pd.iloc[:,:-1],

⇒sub_cancer_pd['labels'],

test_size=0.2, stratify =

⇒sub_cancer_pd['labels'], shuffle=True)
```

Note:

The above data is imbalanced. By the nature of the problem, cancerous (malignant) tumors are less than benign ones. Therefore, changing the nature of the dataset to be balanced may not be realistic. Consequently, we need to perform cross-validation and report the average performance instead.

```
[92]: # # You can use the same data division used to generate the results below
# # by uncommenting this lines
# import pickle
filename = 'Data/cancer_data_train_test.sav'
data = pickle.load(open(filename, 'rb'))
X_train, X_test, y_train, y_test = data
```

```
[93]: # Logistic regression model
# build a model and train it
logModel = LogisticRegression().fit(X_train, y_train)

# report the results using testing data
y_pred = logModel.predict(X_test)
print(classification_report(y_test, y_pred))
```

	precision	recall	f1-score	support
0	0.90	0.86	0.88	42
1	0.92	0.94	0.93	72
accuracy			0.91	114
macro avg	0.91	0.90	0.90	114
weighted avg	0.91	0.91	0.91	114

Observation: The results is good compared to baseline accuracy. We can improve this right! check the pairplot above of this data. we can observe an overlap between the classes. Therefore, we may fix it by transformation. Let us know build a pipeline classifier and try again

```
[94]: np.log(X_train)
X_train
```

```
[94]:
            mean radius mean perimeter
                  14.050
      560
                                     91.38
      26
                  14.580
                                     97.41
      553
                   9.333
                                     59.01
      497
                  12.470
                                     80.45
      120
                  11.410
                                     73.34
       . .
                     . . .
                                        . . .
                                    121.30
      498
                  18.490
      323
                  20.340
                                    135.90
      188
                  11.810
                                     75.27
      268
                  12.870
                                     82.38
      304
                  11.460
                                     73.59
```

[455 rows x 2 columns]

20.2 Transformation

- 1. LOG TRANSFORMATION:
- It makes our data close to a normal distribution without fully abide by a normal distribution.
- Cannot be applied to negative values.
- Suitable to right-skewed data.
- Convert data from multiplicative scale to addictive Scale.
- 1. RECIPROCAL TRANSFORMATION
- Not defined for zero.
- It has radical effect.
- It reverses order among values of the same sign, so large values become smaller and vice-versa.
- 1. SQUARE TRANSFORMATION
- It applies to left-skewed data.
- It is not a polynomial feature transformation!
- 1. SQUARE ROOT TRANSFORMATION:
- It is defined only for positive numbers.
- It can reduce the skewness of right-skewed data.

```
[95]: # custom transformation
from sklearn.base import TransformerMixin

# Square
class SquareTransformation(TransformerMixin):
    transformed_data = None
    def __init__(self):
        self.transformed_data = []
```

```
def fit(self, X, y=None):
        return self
    # let us define our Guassian transformation because it fits circle datasets
    def transform(self, X, y=None):
        X_{-} = X.copy()
        X_{-} = X_{-} * * 2
        self.transformed_data = X_
        return X_
# log transform
class LogTransformation(TransformerMixin):
    transformed_data = None
    def __init__(self):
        self.transformed_data = []
    def fit(self, X, y=None):
        return self
    # let us define our Guassian transformation because it fits circle datasets
    def transform(self, X, y=None):
        X_{-} = X.copy()
        X_{-} = np.log1p(X_{-})
        self.transformed_data = X_
        return X
# Sqrt transform
class SQRTTransformation(TransformerMixin):
    transformed_data = None
    def __init__(self):
        self.transformed_data = []
    def fit(self, X, y=None):
        return self
    # let us define our Guassian transformation because it fits circle datasets
    def transform(self, X, y=None):
        X_{-} = X.copy()
        X_{-} = np.sqrt(X_{-})
        self.transformed_data = X_
        return X_
```

```
[96]: # let us use higher features using a transformer and report the classification ⇒above
from sklearn.preprocessing import PowerTransformer
# instantiate a model
```

```
modelLg = make_pipeline(LogTransformation(), LogisticRegression())

# train the model
modelLg.fit(X_train.values, y_train)

# report the results using testing data
y_pred = modelLg.predict(X_test.values)

print(classification_report(y_test, y_pred))
```

	precision	recall	f1-score	support
0	0.95	0.86	0.90	42
1	0.92	0.97	0.95	72
accuracy			0.93	114
macro avg	0.93	0.91	0.92	114
weighted avg	0.93	0.93	0.93	114

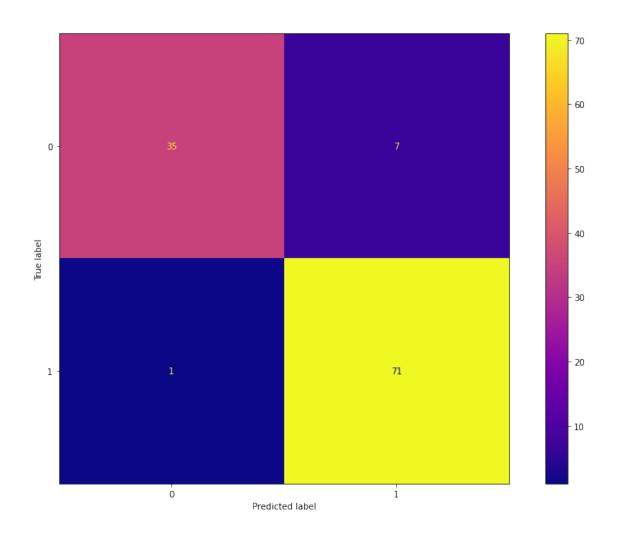
Obervation: A little progress in terms of accuracy 1%

20.3 SVM: Cancer dataset

```
[97]: # SVM model
# build a model and train it (rbf)
svmModel = SVC(gamma='auto', C=1).fit(X_train, y_train)

# report the results using testing data
y_pred = svmModel.predict(X_test)
print(classification_report(y_test, y_pred))
```

```
recall f1-score
             precision
                                             support
          0
                  0.97
                            0.83
                                      0.90
                                                  42
          1
                  0.91
                            0.99
                                      0.95
                                                  72
   accuracy
                                      0.93
                                                 114
  macro avg
                  0.94
                            0.91
                                      0.92
                                                 114
weighted avg
                  0.93
                            0.93
                                      0.93
                                                 114
```



```
[99]: # let check scale again
np.max(X_train)
```

[99]: mean radius 27.42 mean perimeter 186.90 dtype: float64

-- J F - - - - - - - - -

Better to rescale the data for SVM to work faster

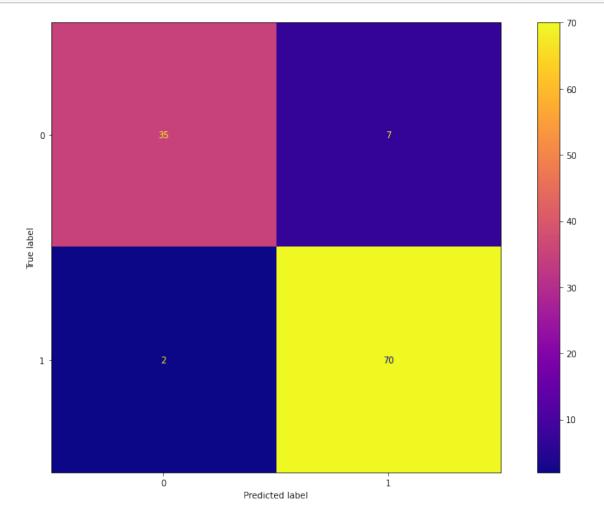
```
[100]: # SVM model ( It is recommended to scale data for SVM to reduce time )
svmModel = make_pipeline(MinMaxScaler(), SVC( ))

# train the model
svmModel.fit(X_train, y_train)

# report the results using testing data
y_pred = svmModel.predict(X_test)
```

print(classification_report(y_test, y_pred))

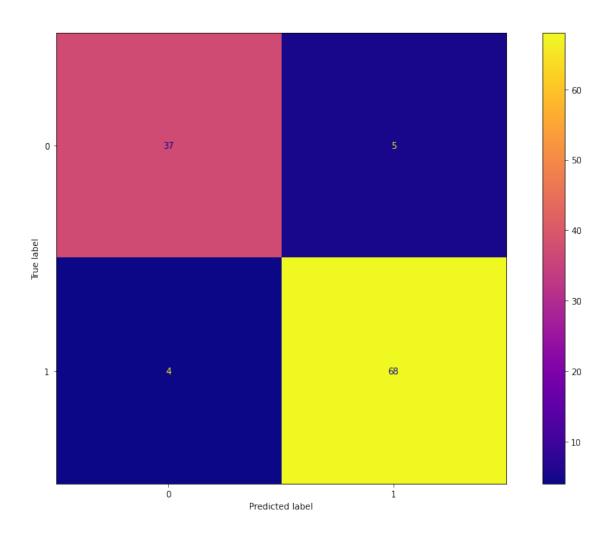
	precision	recall	f1-score	support
0	0.95	0.83	0.89	42
1	0.91	0.97	0.94	72
accuracy			0.92	114
macro avg	0.93	0.90	0.91	114
weighted avg	0.92	0.92	0.92	114



```
[102]: Cs = [0.1, 0.5, 1]
             = [10, 30, 'auto', 'scale']
      gms
             = [1, 2, 3]
      deg
       # dict parameters
      param = {'C': Cs, 'gamma': gms, 'degree': deg, 'kernel': ['poly']}
       # instantiate the gridsearch method ( estimator, param, cv, scoring )
      svmModel = GridSearchCV(SVC(), param_grid = param, cv=5, scoring='accuracy')
      mnmx = StandardScaler().fit(X_train)
      start = time.time()
      svmModel.fit(mnmx.transform(X_train), y_train)
      end = time.time()
      #Execution time
      total_time = end - start
      print("Execution time: %0.2f minutes"%(total_time/60.0))
       # report the results using testing data
      y_pred = svmModel.predict(mnmx.transform(X_test))
      print(classification_report(y_test, y_pred))
```

Execution time: 0.06 minutes

```
precision
                          recall f1-score
                                              support
                  0.90
           0
                             0.88
                                       0.89
                                                   42
                  0.93
                             0.94
           1
                                       0.94
                                                   72
                                       0.92
                                                  114
   accuracy
  macro avg
                                       0.91
                   0.92
                             0.91
                                                  114
weighted avg
                  0.92
                             0.92
                                       0.92
                                                  114
```



```
[104]: # values to finetune sum
    Cs = [0.1, 0.5, 1]
    gms = [10, 30, 'auto', 'scale']

# dict parameters
    param = {'C': Cs, 'gamma': gms, 'kernel': ['rbf']}

# instantiate the gridsearch method ( estimator, param, cv, scoring )
    svmModel = GridSearchCV(SVC(), param_grid = param, cv=5, scoring='accuracy')

mnmx = MinMaxScaler().fit(X_train)

start = time.time()
    svmModel.fit(mnmx.transform(X_train), y_train)
    end = time.time()

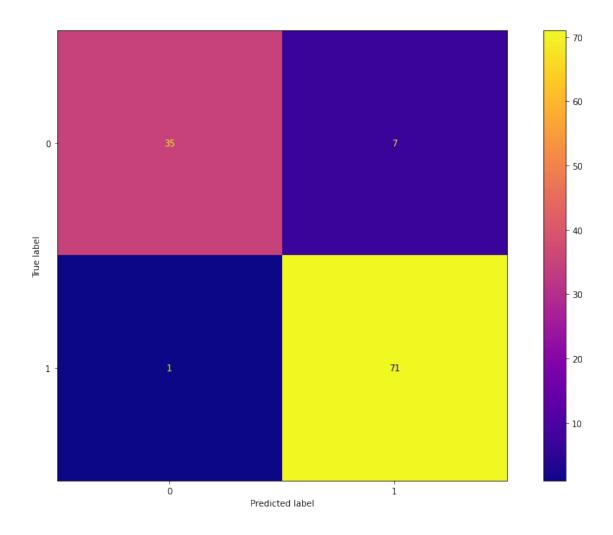
#Execution time
```

```
total_time = end - start
print("Execution time: %0.2f minutes"%(total_time/60.0))

# report the results using testing data
y_pred = svmModel.predict(mnmx.transform(X_test))
print(classification_report(y_test, y_pred))
```

Execution time: 0.00 minutes

	precision	recall	f1-score	support
0	0.97	0.83	0.90	42
1	0.91	0.99	0.95	72
accuracy			0.93	114
macro avg	0.94	0.91	0.92	114
weighted avg	0.93	0.93	0.93	114



```
[106]: # values to finetune sum
    Cs = [0.1, 0.5, 1]
    gms = [10, 30, 'auto', 'scale']

# dict parameters
    param = {'C': Cs, 'gamma': gms, 'kernel': ['sigmoid']}

# instantiate the gridsearch method (estimator, param, cv, scoring)
    svmModel = GridSearchCV(SVC(), param_grid = param, cv=5, scoring='accuracy')

mnmx = StandardScaler().fit(X_train)
    start = time.time()
    svmModel.fit(mnmx.transform(X_train), y_train)
    end = time.time()

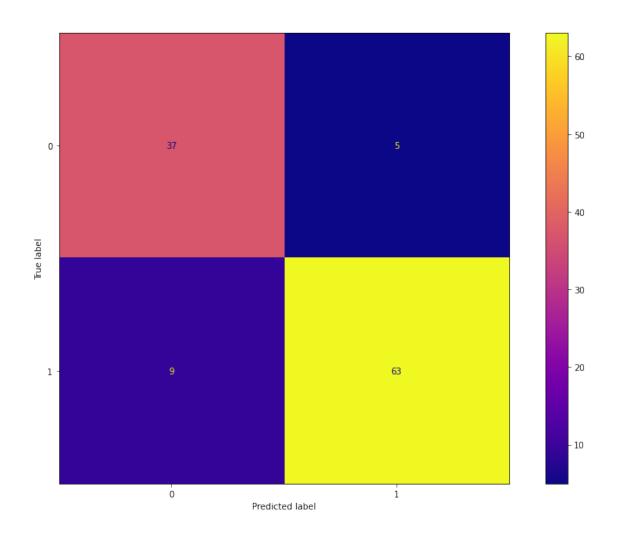
#Execution time
total_time = end - start
```

```
print("Execution time: %0.2f minutes"%(total_time/60.0))

# report the results using testing data
y_pred = svmModel.predict(mnmx.transform(X_test))
print(classification_report(y_test, y_pred))
```

Execution time: 0.00 minutes

	precision	recall	f1-score	support
0	0.80	0.88	0.84	42
1	0.93	0.88	0.90	72
accuracy			0.88	114
macro avg	0.87	0.88	0.87	114
weighted avg	0.88	0.88	0.88	114



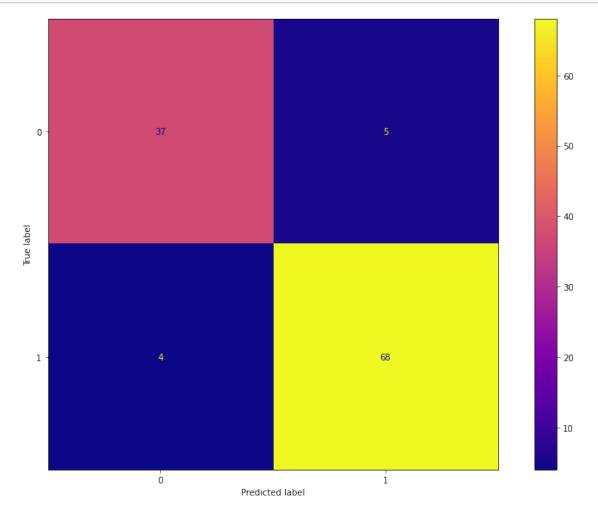
```
[108]: # values to finetune sum
Cs = [0.1, 0.5, 1]
gms = ['auto', 'scale', 10, 30]
deg = [1, 2,3]

# dict parameters
param = {'C': Cs, 'gamma': gms, 'degree': deg, 'kernel': ['poly', _____
-'rbf', 'sigmoid']}

# instantiate the gridsearch method ( estimator, param, cv, scoring )
svmModel = GridSearchCV(SVC(), param_grid = param, cv=5, scoring='accuracy')
mnmx = StandardScaler().fit(X_train)
svmModel.fit(mnmx.transform(X_train), y_train)
# report the results using testing data
```

```
y_pred = svmModel.predict(mnmx.transform(X_test))
print(classification_report(y_test, y_pred))
```

	precision	recall	f1-score	support
0	0.90	0.88	0.89	42
1	0.93	0.94	0.94	72
accuracy			0.92	114
macro avg	0.92	0.91	0.91	114
weighted avg	0.92	0.92	0.92	114



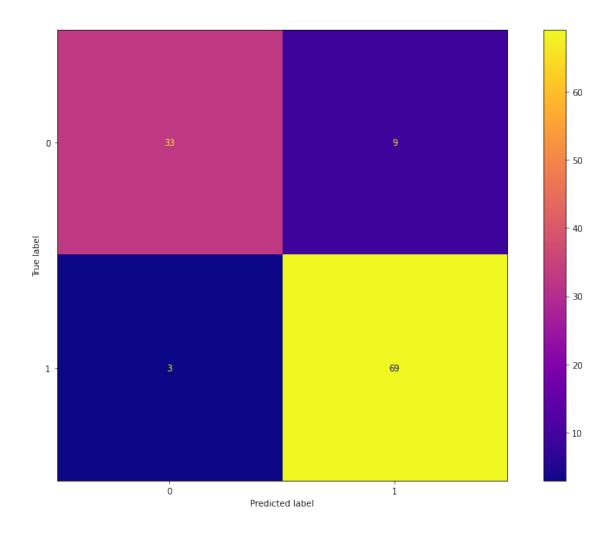
```
[110]: # show configuration of the best symModel.best_estimator_
```

[110]: SVC(C=1, degree=1, gamma=30, kernel='poly')

20.4 Linear Discriminant Analysis: Cancern dataset

```
[111]: # Task 3
# Using the LDA from scikit learn
from sklearn.discriminant_analysis import LinearDiscriminantAnalysis
lda = LinearDiscriminantAnalysis()
```

	precision	recall	f1-score	support
	_			
0	0.92	0.79	0.85	42
1	0.88	0.96	0.92	72
accuracy			0.89	114
macro avg	0.90	0.87	0.88	114
weighted avg	0.90	0.89	0.89	114



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20.5 Cancern dataset all features

```
[113]: # let us split the whole data into training and testing
X_train, X_test, y_train, y_test = train_test_split(cancer_pd, labels,
→test_size=0.2, stratify=labels, random_state=20)
```

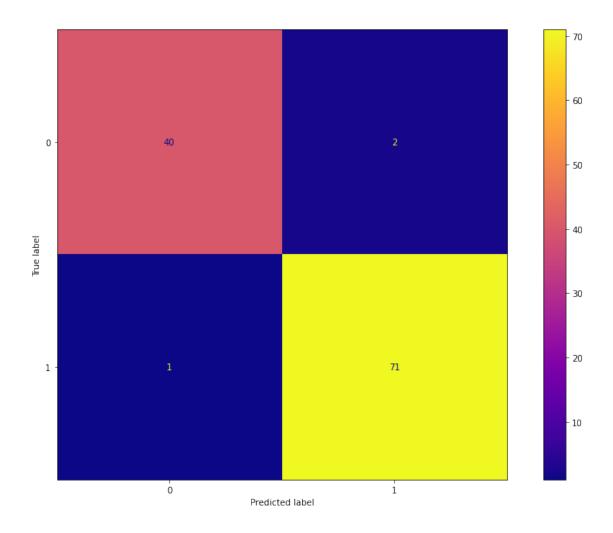
```
[114]: # values to finetune sum
Cs = [0.1, 0.5, 1 ]
gms = [10, 30, 'auto', 'scale']

# dict parameters
param = {'C': Cs, 'gamma': gms, 'kernel': ['rbf']}
# instantiate the gridsearch method ( estimator, param, cv, scoring )
```

```
svmModel = GridSearchCV(SVC(), param_grid = param, cv=5, scoring='accuracy')
mnmx = MinMaxScaler().fit(X_train)
start = time.time()
svmModel.fit(mnmx.transform(X_train), y_train)
end = time.time()
#Execution time
total_time = end - start
print("Execution time: %0.2f minutes"%(total_time/60.0))
# report the results using testing data
y_pred = svmModel.predict(mnmx.transform(X_test))
print(classification_report(y_test, y_pred))
mtConf = confusion_matrix(y_test, y_pred)
disp = ConfusionMatrixDisplay(confusion_matrix=mtConf, display_labels=lda.
⇔classes_)
disp.plot(cmap='plasma')
plt.tight_layout(rect=(0,0,2,2))
plt.show()
```

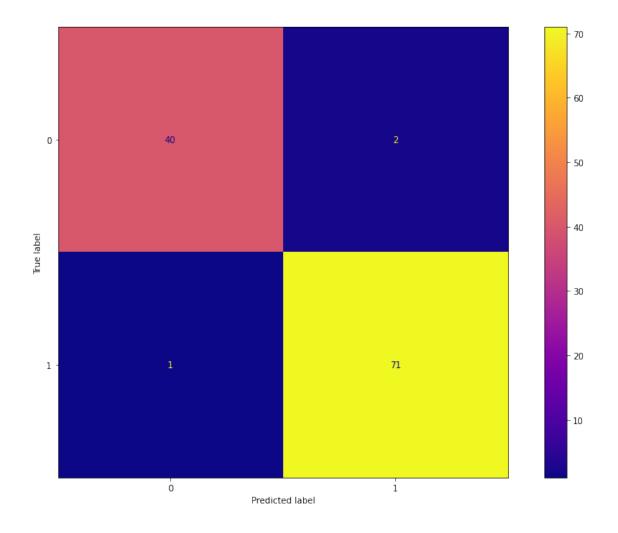
Execution time: 0.01 minutes

support	f1-score	recall	precision	
42	0.96	0.95	0.98	0
72	0.98	0.99	0.97	1
114	0.97			accuracy
114	0.97	0.97	0.97	macro avg
114	0.97	0.97	0.97	weighted avg



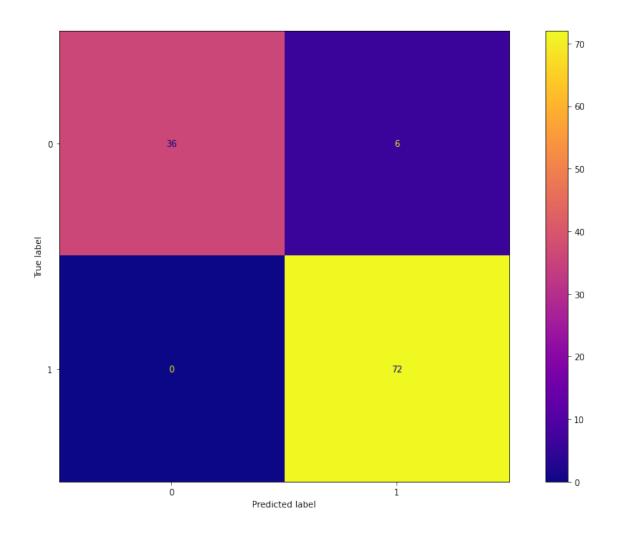
```
plt.tight_layout(rect=(0,0,2,2))
plt.show()
```

	precision	recall	f1-score	support
0	0.98	0.95	0.96	42
1	0.97	0.99	0.98	72
accuracy			0.97	114
macro avg	0.97	0.97	0.97	114
weighted avg	0.97	0.97	0.97	114



```
[116]: # build LDA model
lda.fit(X_train, y_train)
# predict
```

	precision	recall	f1-score	support
0	1.00	0.86	0.92	42
1	0.92	1.00	0.96	72
accuracy			0.95	114
macro avg	0.96	0.93	0.94	114
weighted avg	0.95	0.95	0.95	114



TOP

Current SKlearn (V 1.1.0) Documentation

[]: