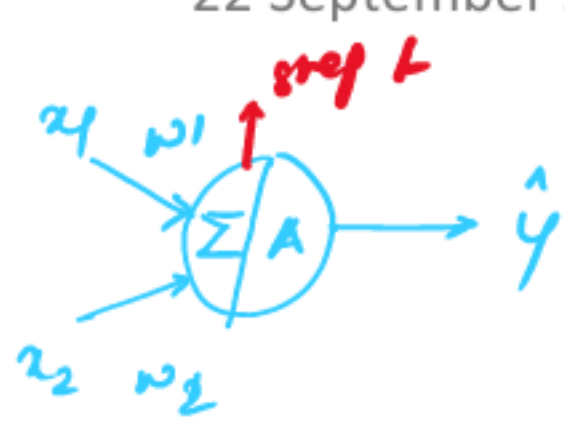


Activation functions

22 September 2023

07:09



Step 1

$$x_1 w_1 + x_2 w_2 + \text{bias}$$

Result

Sigmoid

$$\frac{1}{1 + e^{-y}}$$

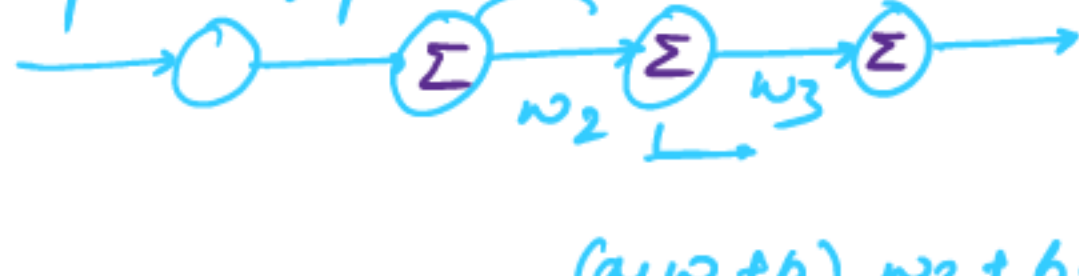
output

$$\frac{0-1}{\text{major}}$$

$$\frac{0.8}{1.1}$$

act

$$x_1 w_1 + b$$



$$(x_1 w_1 + b) + x_2 w_2 + b_2$$

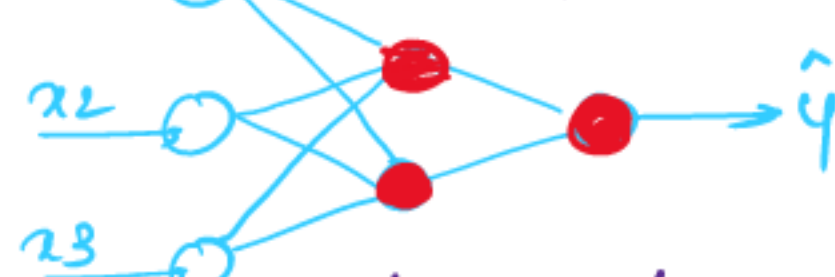
Output

$$0.1$$

Behave like one single layer.



Input to output



Input layer

no processing

output layer

Linear activation function.

$$f(x) = x$$

it's called as no activation function.

we never use this kind of

activation function in hidden

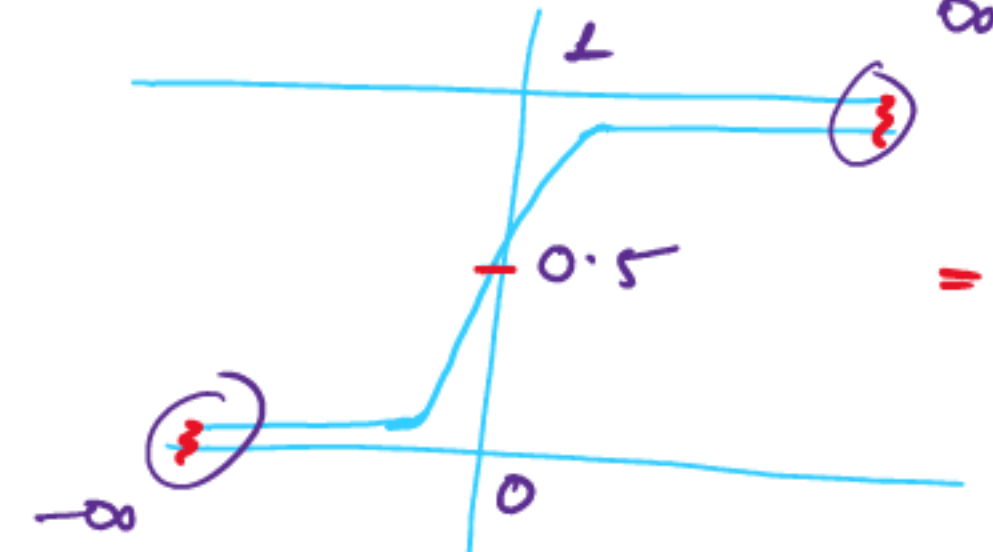
layers.



App.

output layer → regression problem.

Sigmoid



= value!



$$1 - \text{sigmoid}(x)$$

Input -∞ to ∞

output 0 to 1

derivative 0 to 0.25



used

* hidden layer

* output layer

Binary

① sigmoid is having symmetrical

② sigmoid in output layer used to

Binary class classification.

problem

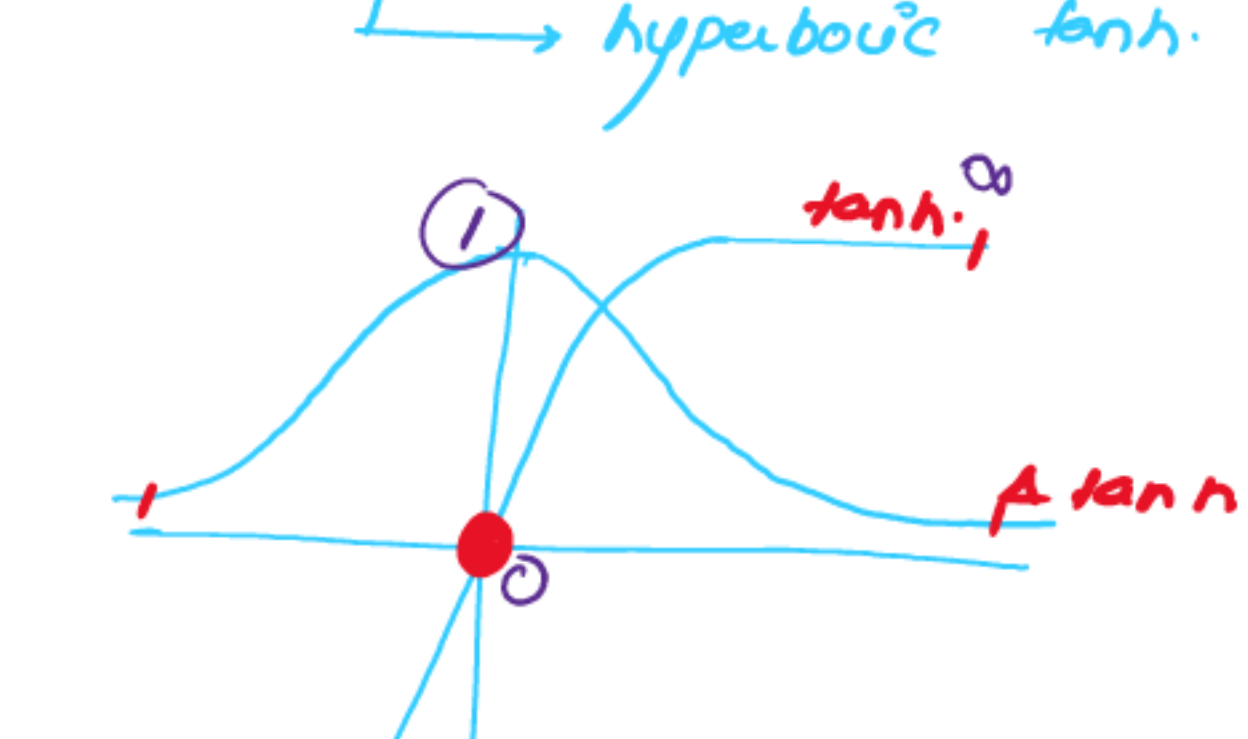
vanishing gradient problem.

Input x_1, x_2, x_3, x_4 output

sg sg sg sg

Tanh

hyperbolic tanh.



$$\frac{e^x - e^{-x}}{e^x + e^{-x}}$$

Input -∞ to ∞

Output -1 to 1

Derivative 0 to 1



① calculations are expensive

② zero centric function.

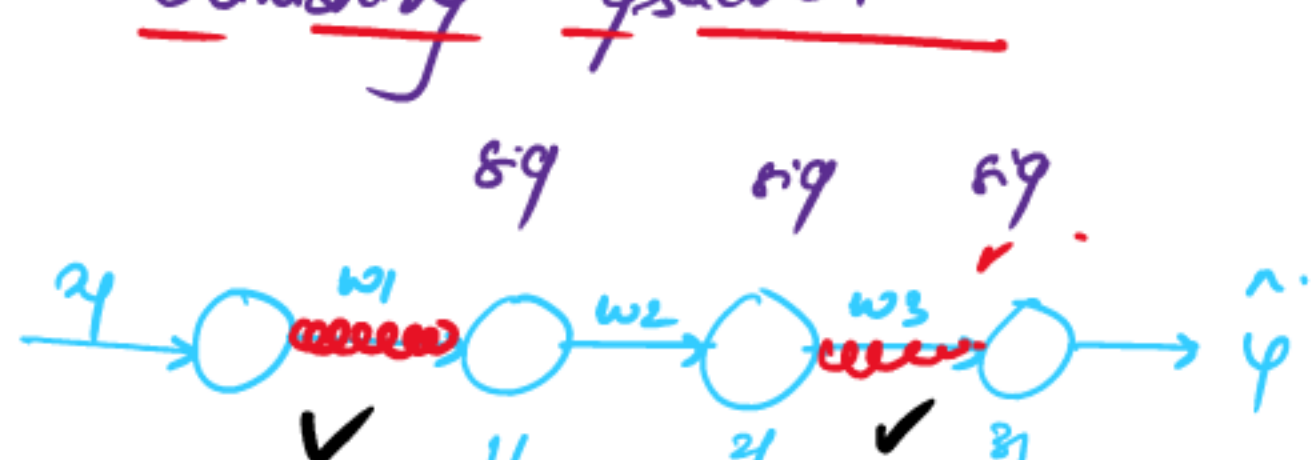
problem.

vanishing gradient problem.

Input x_1, x_2, x_3, x_4 out

tanh tanh tanh tanh

Vanishing gradient.



$$w_{11} = \text{word} - \alpha \cdot \frac{\partial L}{\partial \text{word}}$$

$$\frac{\partial L}{\partial \text{word}} = \frac{\partial L}{\partial z_1} \times \frac{\partial z_1}{\partial w_{11}} \times \frac{\partial z_1}{\partial w_{11}} \times \frac{\partial z_1}{\partial w_{11}}$$

$$= 0.25 \times 0.1 \times 0.008 \times 0.004$$

= Result miniscule.

input.

$$w_{11}^{\text{new}} = w_{11}^{\text{old}} - \alpha \cdot \frac{\partial L}{\partial \text{word}}$$

$$= \text{word} - \alpha \times 0.00001$$

$$= \text{word} - \text{epsilon}$$

$$w_{\text{new}} = \text{word}$$



$$10 - 9.999$$

$$100 - 1000$$

① parameters of higher layer

changes significantly

② changes in lower layers are

miniscule.

③ stagnation in learning.

④ epoch ↑ per stagnation