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SUBJECT	DAA
EXPERIMENT NO :	1A
AIM:	To implement the various functions e.g. linear, non-linear, quadratic, exponential etc.
ALGORITHM	<p>Step 1: Start.</p> <p>Step 2: Declare the variables which are required to perform operations on the functions.</p> <p>Step 3: Start the loop which starts from 0 th number to 100 th number.</p> <p>Step 4: i. perform the operation: $3/2^n$ using pow() ii. Print the result.</p> <p>Step 5: i. Perform the operation: n^3 using simple multiplication ii. Print the result.</p> <p>Step 6: i. Perform the operation: $n.\lg(n)$ using in built log function in math.h ii. Print the result.</p> <p>Step 7: i. Perform the operation: $\lg(n)$ using in built log function in math.h ii. Print the result.</p> <p>Step 8: i. Perform the operation: $2^{\lg(n)}$ using in built log function in math.h and pow() ii. Print the result.</p> <p>Step 9: i. Perform the operation $\lg(\lg(n))$ using in built log function in math.h</p>

	<p>ii. Print the result.</p> <p>Step 10: i. Perform the operation: $\lg(n)^2$ using in built log function in math.h and pow() ii. Print the result.</p> <p>Step 11: i. Perform the operation: n ii. Print the result.</p> <p>Step 12: i. Perform the operation: 2^n using pow() ii. Print the result.</p> <p>Step 13: i. Perform the operation: $n.2^n$ using pow() ii. Print the result.</p> <p>Step 14: End the loop</p> <p>Step 15: End.</p> <p>Algorithm for Factorial of numbers from 1 to 20: Step 1: Start. Step 2: Declare the variables n, fact Step 3: Initialize the values $n = 20$ and $\text{fact} = 1$. Step 4: Start the loop from 1 to n Step 5: calculate, $\text{fact} = \text{fact} * i$ Step 6: print the value of fact Step 7: End.</p>
PROGRAM:	<pre>#include <stdio.h> #include <math.h> int main() { int i; long double a,b,c,d,g,k; float e,f,h;</pre>

```
for(i = 1;i<=100;i++){  
    a = pow(1.5,i);  
    printf("%f\n",a);  
    b = i * i * i;  
    printf("%f\n",b);  
    printf("%d\n",i);  
    c = pow(2,i);  
    printf("%f\n",c);  
    d = i*log2(i);  
    printf("%Lf\n",d);  
    e = pow(2,log2(i));  
    printf("%f\n",e);  
    f = log2(i);  
    printf("%f\n",f);  
    g = i*pow(2,i);  
    printf("%Lf\n",g);  
    h = log10(log10(i));  
    printf("%f\n",h);  
    k = pow(log2(i),2);  
    printf("%Lf\n",k);
```

```
}
```

```
return 0;
```

```
}
```

```
#include<stdio.h>
```

```
void fact(int num){
```

```
    int i;
```

```
    long f=1;
```

```

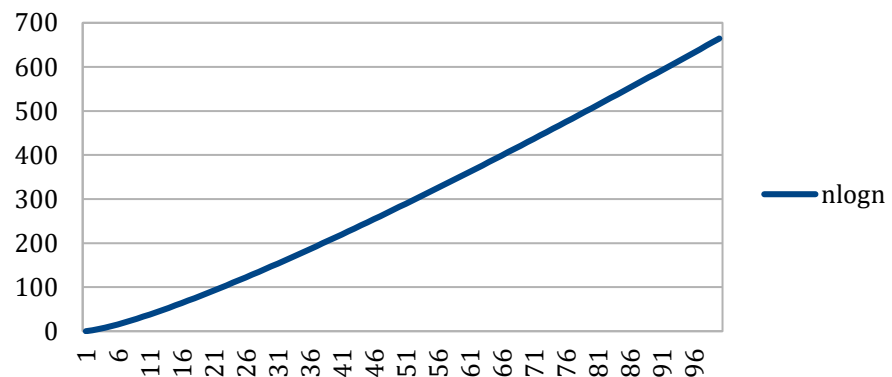
for(i=1;i<=num;i++)
    f=f*i;

printf("%d %ld\n",num,f);
}

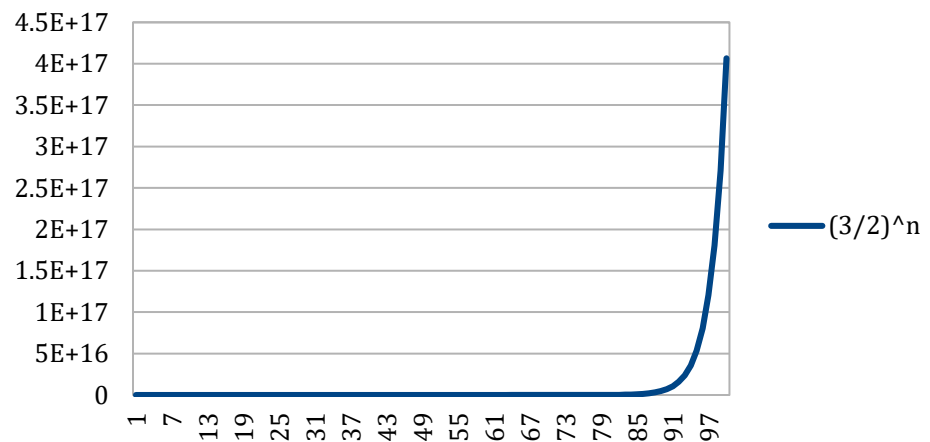
int main(){
    int i;
    for(i = 1; i<=20;i++){
        fact(i);
    }
    return 0;
}

```

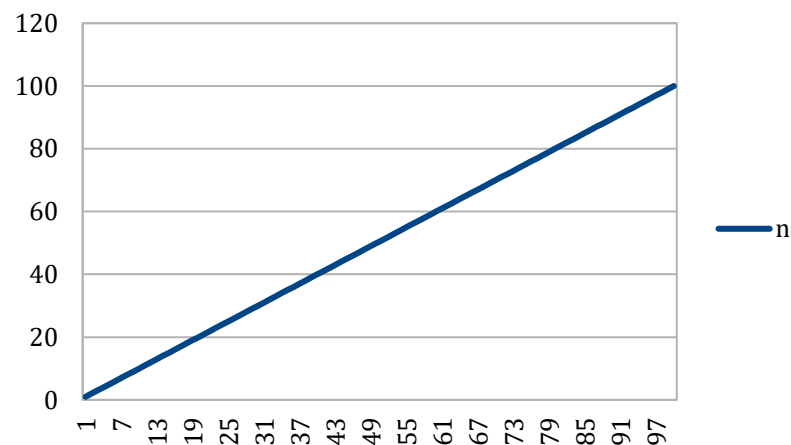
Graph:



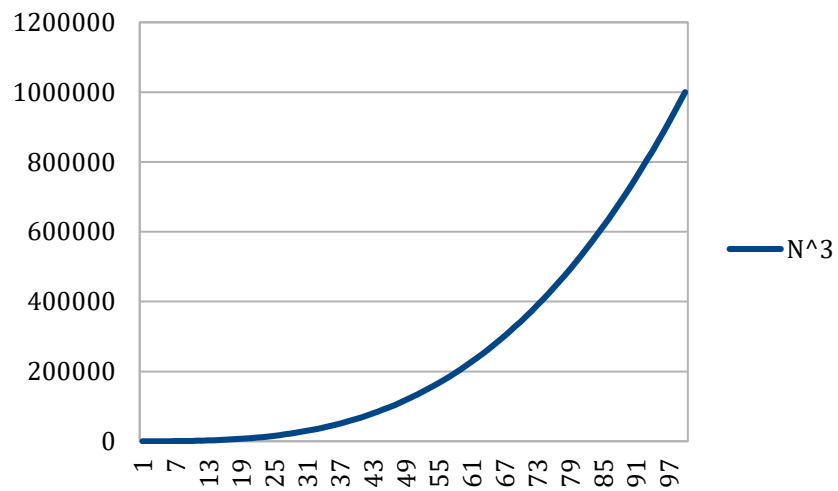
Inference: We see that there is a slow increase between 0 and 1 and after that there is a uniform increase till the 100th value.



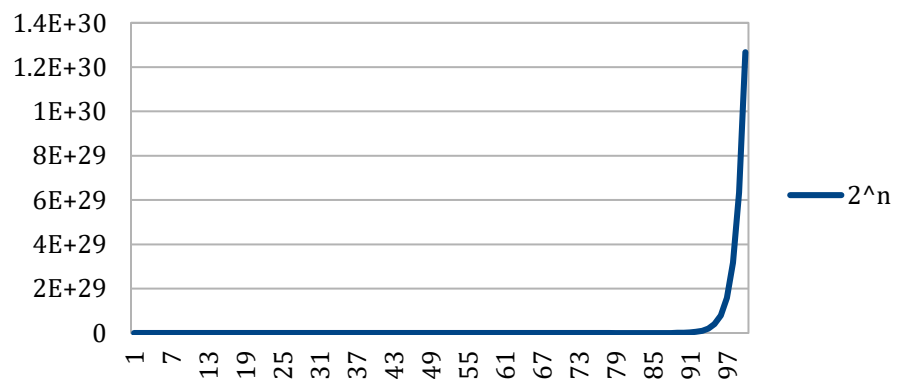
Inference: The graph doesn't have a huge increase for a few iterations after which the values suddenly rises rapidly, going over millions.



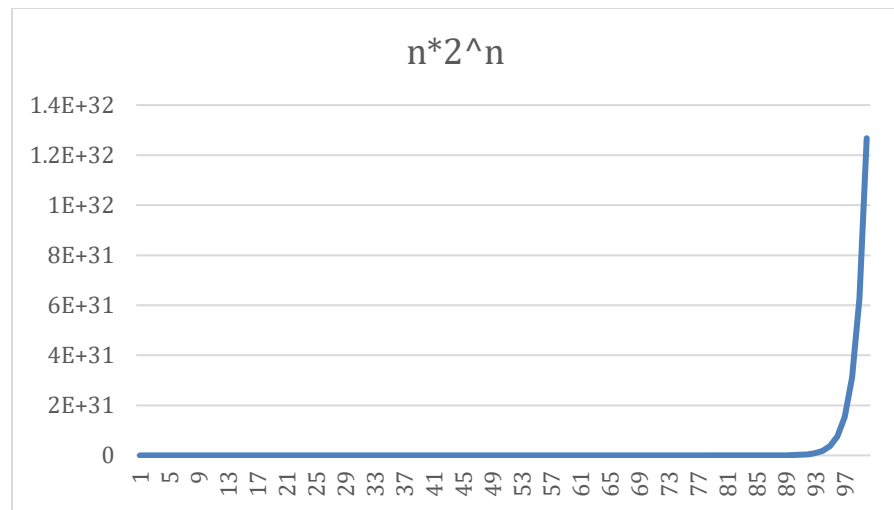
Inference: There is a linear increase in the graph since we are simply printing values from 1 to 100.



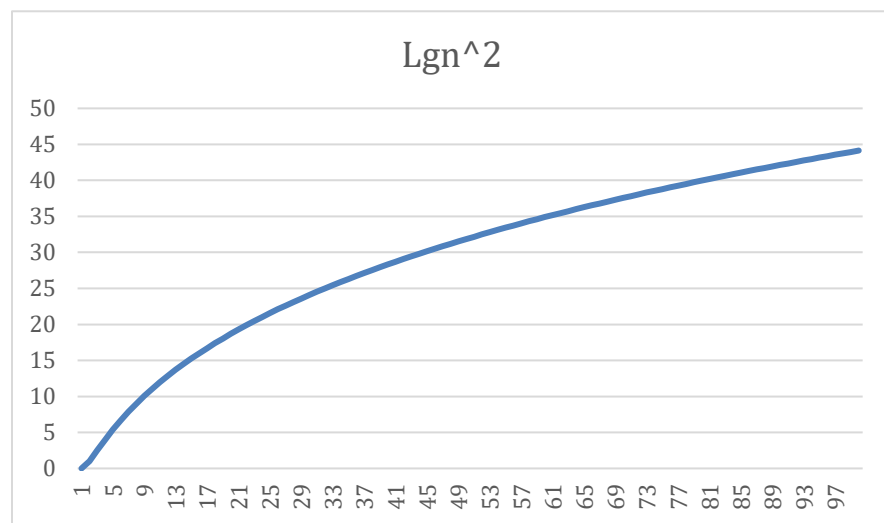
Inference: For N^3 there is a gradual slope where are similar till 19 after which they increase gradually.



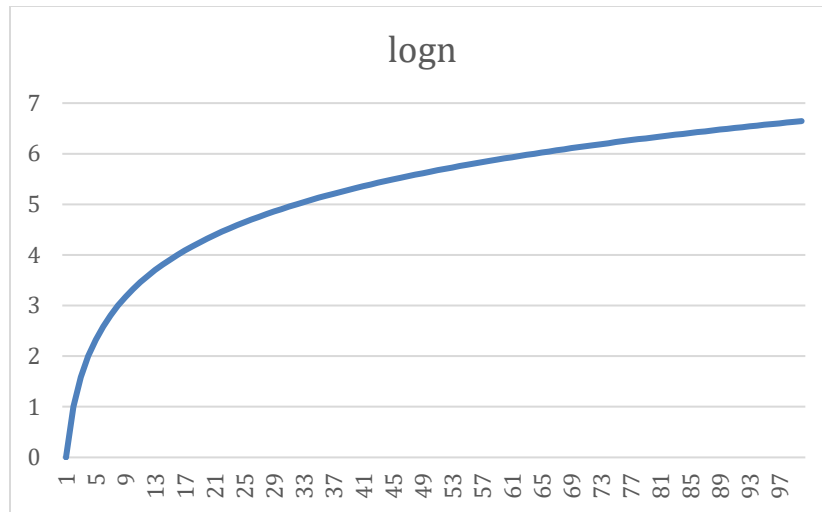
Inference: For 2^n the graph doesn't have a huge increase for a few iterations after which the values suddenly rises rapidly, going over millions.



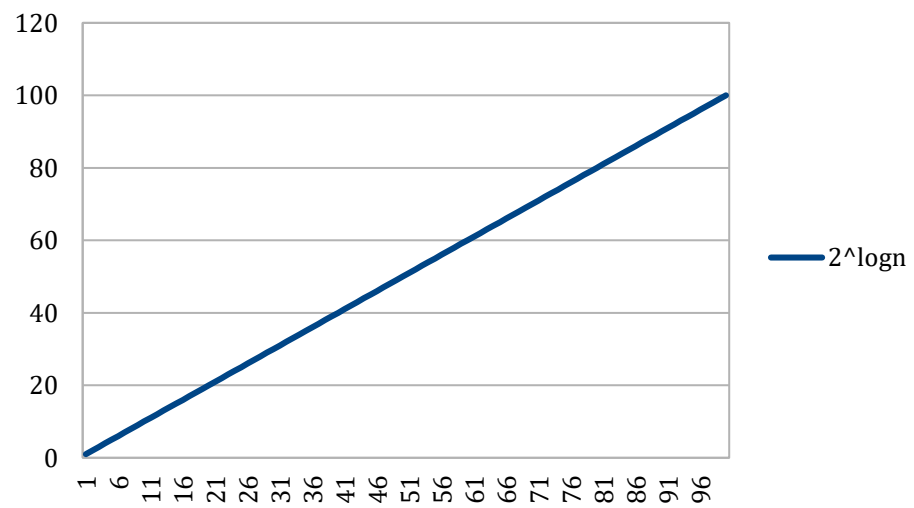
Inference: For $n \cdot 2^n$ the graph doesn't have a huge increase for a few iterations after which the values suddenly rises rapidly, going over millions.



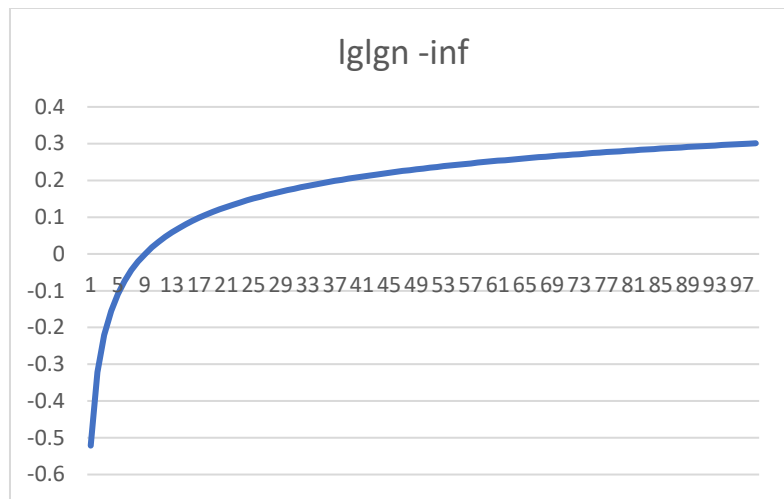
Inference: We can see a slope where the angle of slop is gradually decreasing.



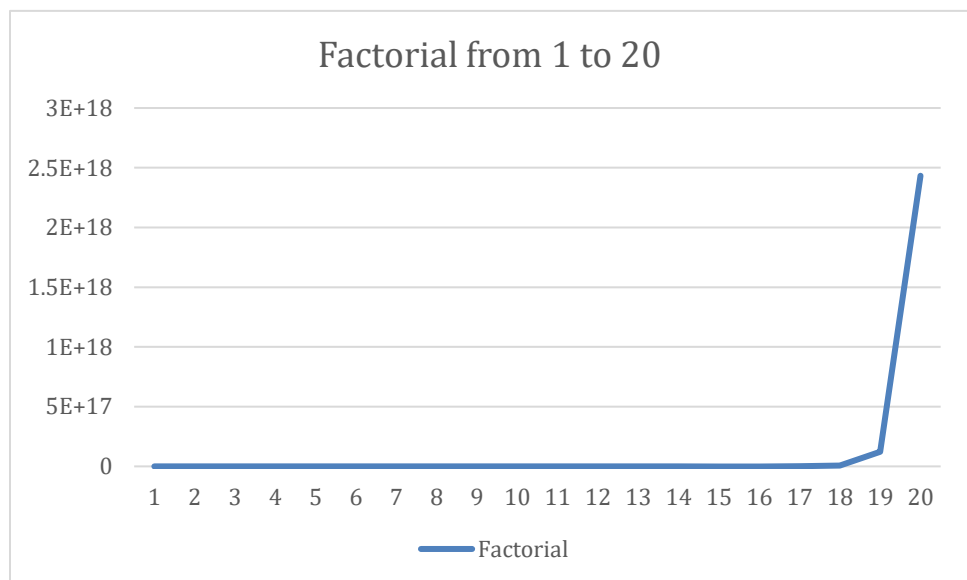
Inference: We can see a slope where the angle of slop is gradually decreasing lesser than $\lg n^2$



Inference: We can see a slope which is increasing with the same angle i.e a graph which is linear.



Inference: Since $\log(\log(1))$ is $-\infty$ the graph starts from the negative quadrant and makes its way up after which we observe normal logarithmic graph behaviour which is linear increase over a few values followed by slow increase.



Inference: We see that there is not much increase around the starting numbers but the graph takes a sudden increase around the ending numbers basically going to really high numbers.

Conclusion:

Thus, after running 10 functions on numbers from 1 to 100

We conclude that:

- Functions with power increase rapidly after some slow growth.
- Functions with log have linear increase for some values after which we observe slow growth.