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Q.1 @

- ① i) How much electricity to generate
ii) Where, when & by using what fuel it generate.
iii) To find line parameter's
iv) To solve the problems of planning and co-ordinated operation of vast and complex power M/w.
⑤ To find the line losses.
⑥ To model the power system & to simulate for result.
⑦ To calculate the rating the compensating equipment.
- (Each Point 1 mark.)

②

→ The A.C. resistance is higher in value compared to d.c. resistance.

→ The A.C. resistance is given by

$$R = \frac{\text{Avg. Power loss}}{I^2}$$

→ for small change in temp., the resistance increases with temp. in accordance with the relation.

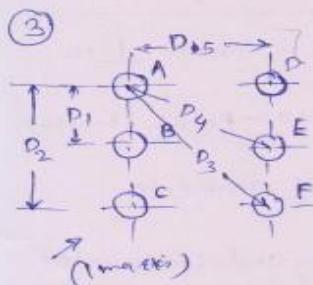
$$R_t = R_0(1 + \alpha_0 t)$$

→ A.C. resistance is equal to D.C. resistance only if the current distribution is uniform throughout the conductor.

(Each Point 1 mark.)



(2)



Consider a group of long straight conductors A, B, C etc. operating at potentials such that charges Q_A, Q_B, Q_C etc. c/m length exist on the respective conductors.

Potential at A due to its own charge (Q_A)

$$= \int_{-\infty}^{\infty} \frac{Q_A}{2\pi\epsilon_0 x} dx \quad \text{--- (i)}$$

- Potential at conductor A due to charge Q_B

$$= \int_{d_1}^{\infty} \frac{Q_B}{2\pi\epsilon_0 x} dx \quad \text{--- (ii)}$$

Potential at conductor A due to charge Q_C

$$= \int_{d_2}^{\infty} \frac{Q_C}{2\pi\epsilon_0 x} dx \quad \text{--- (iii)} \quad \text{(marks)}$$

Overall p.d. b/w conductor A & infinite neutral plane is

$$V_A = (i) + (ii) + (iii) \dots$$

$$= \int_{-\infty}^{\infty} \frac{Q_A}{2\pi\epsilon_0 x} dx + \int_{d_1}^{\infty} \frac{Q_B}{2\pi\epsilon_0 x} dx + \int_{d_2}^{\infty} \frac{Q_C}{2\pi\epsilon_0 x} dx$$

$$= \frac{1}{2\pi\epsilon_0} \left[Q_A (\ln \infty - \ln r) + Q_B (\ln \infty - \ln d_1) + Q_C (\ln \infty - \ln d_2) + \dots \right]$$

$$= \frac{1}{2\pi\epsilon_0} \left[Q_A \ln \frac{1}{r} + Q_B \ln \frac{1}{d_1} + Q_C \ln \frac{1}{d_2} + \ln \alpha (Q_A + Q_B + Q_C) + \dots \right]$$

Assume balance condition $Q_A + Q_B + Q_C = 0$

$$V_A = \frac{1}{2\pi\epsilon_0} \left[Q_A \ln \frac{1}{r} + Q_B \ln \frac{1}{d_1} + Q_C \ln \frac{1}{d_2} + \dots \right] \quad \text{(2 marks)}$$

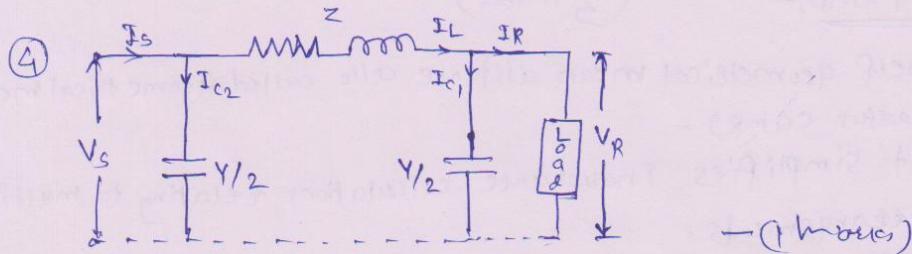


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$$\sum = R + jX_L = \text{series impedance/ph}$$

$$Y = j\omega C = \text{shunt admittance}$$

$$I_s = I_L + I_{c2}$$

$$\text{or } I_s = I_L + V_s Y_1/2 \quad \text{--- (i)}$$

$$\text{Also } I_L = I_R + I_{c1}, \\ = I_R + V_R Y_1/2 \quad \text{--- (ii)}$$

$$\text{Now } V_s = V_R + I_L Z \\ = V_R + (I_R + V_R Y_1/2) Z \\ = V_R \left(1 + \frac{Y_1 Z}{2}\right) + I_R Z \quad \text{--- (iii)} \quad \text{--- (1 mark)}$$

$$\text{Also } I_s = I_L + V_s Y_1/2 \\ = (I_R + V_R Y_1/2) + V_s Y_1/2$$

Put value of V_s

$$\begin{aligned} \therefore I_s &= I_R + V_R Y_1/2 + V_s Y_1/2 \left[V_R \left(1 + \frac{Y_1 Z}{2}\right) + I_R Z \right] \\ &= (Y_1/2 + Y_1/2 + \frac{Y_1 Z}{4}) V_R + \left(1 + \frac{Y_1 Z}{2}\right) I_R \\ &= \left(Y + \frac{Y_1 Z}{4}\right) V_R + \left(1 + \frac{Y_1 Z}{2}\right) I_R \\ I_s &= Y \left(1 + \frac{Y_1 Z}{4}\right) V_R + \left(1 + \frac{Y_1 Z}{2}\right) I_R \quad \text{--- (iv)} \quad \text{--- (1 mark)} \end{aligned}$$

compare eqn (iii) & (iv) with following eqn

$$V_s = A V_R + B I_R$$

$$I_s = C V_R + D I_R$$

$$\therefore A = B = 1 + \frac{Y_1 Z}{2}, \quad C = Z, \quad D = Y \left(1 + \frac{Y_1 Z}{4}\right) \quad \text{--- (1 mark)}$$



(b)

(4)

$$\textcircled{1} = \underline{\text{Self GMD:--}} \quad (3 \text{ marks})$$

- Self Geometrical mean distance also called Geometrical mean radius (GMR).
- It simplifies inductance calculations relating to multi-conductor arrangements.
- In the expression for inductance / conductor/m

$$= 2 \times 10^7 \left[\frac{1}{4} + \ln \frac{d}{8} \right]$$

$$= 2 \times 10^7 \times \frac{1}{4} + 2 \times 10^7 \ln \frac{d}{8} \quad \textcircled{1}$$

In this eqn the term $2 \times 10^7 \times \frac{1}{4}$ is the inductance due to flux within the solid conductor. For many purposes it's desirable to eliminate this term by the introduction of self GMD.

- If we replace the solid conductor by hollow conductor then the current to the conductor ℓ is zero, also flux & inductance at center is zero. The term $2 \times 10^7 \times \frac{1}{4}$ shall be eliminated. To remove this term & to use the hollow conductor the self GMD term is used.

$$\text{Self GMD} \stackrel{(D_s)}{=} 0.7788r \quad \ell \text{ hence the above eqn is } L \text{ conductor/m} = 2 \times 10^7 \ln D/D_s$$

Mutual GMD :-- (3 marks).

- The mutual GMD is the geometrical mean of the distances from one conductor to the other and therefore must be between the largest and smallest such distances.
- It represents the equivalent geometrical spacing.



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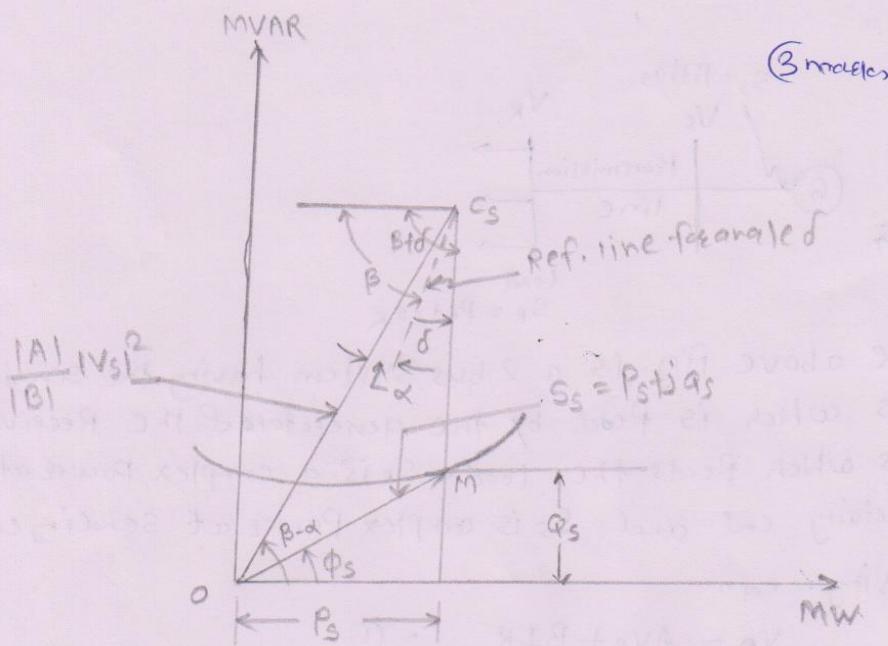
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- The mutual-GMP between two conductors is equal to the distance between their centre i.e.

$$D_m = \text{spacing between conductors}$$

②



$$\textcircled{1} \quad S_s = P_{st} + jQ_s = \frac{|A| |V_s|^2}{|B|} \angle (\beta - \alpha) - \frac{|V_R| |V_s|}{|B|} \angle \beta + d$$

The centre of sending end circle is located at the tip of the Phasor $\frac{|A| |V_s|^2}{|B|} \angle \beta - \alpha$.

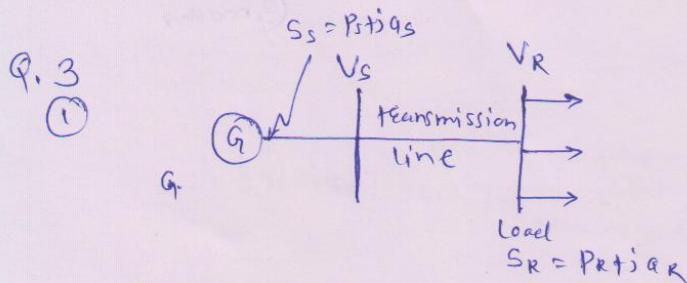
- ② Draw the MW & MVAR axis. To draw ~~center of circle~~ center of circle
- ③ To plot center of circle take distance equal to $\frac{|A| |V_s|^2}{|B|}$ & angle equal to $\angle (\beta - \alpha)$ to the positive x-axis. i.e. point C_s.
- ④ With C_s as center & distance equal to circle radius $\frac{|V_R| |V_s|}{|B|}$



(6)

Draw the Sestini's circle.

- ⑤ The operating point m is located by drawing the line s_m inclined at an angle of ω_{ent} to reference line (to draw ref. line take angle equal to α & base equal to oc_s).
⑥ (Each point $\frac{1}{2}$ marks),



The above fig. is a 2 bus system having the sending end bus which is fed by the generator & the receiving end bus which feeds the load. S_r is a complex power at receiving end and S_s is complex power at sending end.

using eqn

$$V_s = AV_r + BI_s \quad \text{--- (1)}$$

$$\sqrt{I_s} = CV_r + DI_s \quad \text{--- (2)}$$

$$\& \quad V_r = DV_s - BI_s \quad \text{--- (3)}$$

$$IR = -CV_s + AI_s \quad \text{--- (4)} \quad \text{--- (1) mark}$$

the current IR & I_s can be expressed in terms of V_r & V_s as

$$IR = \frac{1}{B} V_s - \frac{A}{B} V_r \quad \text{--- (4)}$$

$$\& I_s = \frac{P}{B} V_s - \frac{1}{B} V_r$$

$$= \frac{A}{B} V_s - \frac{1}{B} V_r \quad \text{--- (5)}$$



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$$\text{Let } V_R = |V_R| \angle \phi, \quad V_s = |V_s| \angle \delta$$

$$D = A = |A| \angle \alpha, \quad B = |B| \angle \beta$$

$$\begin{aligned} \text{Then, } I_R &= \frac{|V_s| \angle \delta}{|B| \angle \beta} - \frac{|A| \angle \alpha}{|B| \angle \beta} |V_R| \angle \phi \\ &= \frac{|V_s|}{|B|} \angle (\delta - \beta) - \frac{|A|}{|B|} |V_R| \angle (\alpha - \beta) - \textcircled{7} \quad - (1 \text{ mark}) \end{aligned}$$

$$\& \quad I_s = \frac{|A| |V_s|}{|B|} \angle (\alpha + \delta - \beta) - \frac{|V_R|}{|B|} \angle (-\beta) - \textcircled{8}$$

The conjugates of I_R & I_s are

$$I_R^* = \frac{|V_s|}{|B|} \angle (\beta - \delta) - \frac{|A| |V_R|}{|B|} \angle (\beta - \alpha)$$

$$I_s^* = \frac{|A| |V_s|}{|B|} \angle (\beta - \alpha - \delta) - \frac{|V_R|}{|B|} \angle \beta - \textcircled{9} \quad - (1 \text{ mark})$$

The complex power / ph at the receiving end & sending end are

$$S_R = P_R + j Q_R$$

$$= V_R I_R^*$$

$$= |V_R| \angle \phi \left[\frac{|V_s|}{|B|} \angle (\beta - \delta) - \frac{|A| |V_R|}{|B|} \angle (\beta - \alpha) \right]$$

$$= \frac{|V_R| |V_s|}{|B|} \angle (\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \angle (\beta - \alpha)$$

$$= \frac{|V_s| |V_R|}{|B|} \angle (\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \angle (\beta - \alpha) - \textcircled{10}$$

$$\therefore P_R = \frac{|V_s| |V_R|}{|B|} \cos(\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \cos(\beta - \alpha) \quad - (1 \text{ mark})$$

$$Q_R = \frac{|V_s| |V_R|}{|B|} \sin(\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \sin(\beta - \alpha) \quad - (1 \text{ mark})$$



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② =

- ① Sending end Voltage (V_s)
- ② Receiving end Voltage (V_R)
- ③ Generalised circuit constants ~~A & B~~ (A) L_A & (B) L_B
- ④ The Power angle δ .
- ⑤ The Receiving end load & P.F.
(each Point 1marks).

③

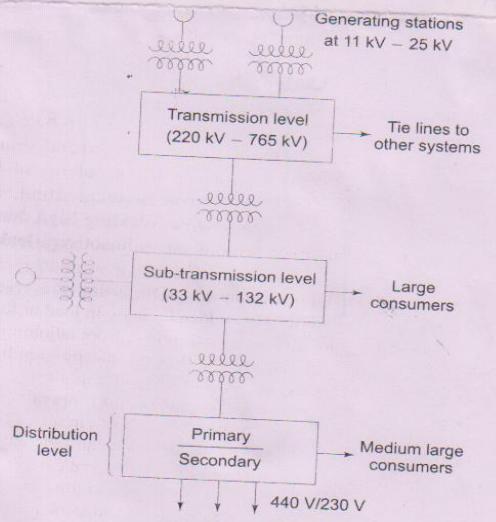


Fig. 1.3 Schematic diagram depicting power system structure



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④

Single line diagram :- (2 marks)

- It is easy to represent ~~3 phase~~ single phase structure instead of 3φ.
- It is easy to understand rather than complicated 3φ line.

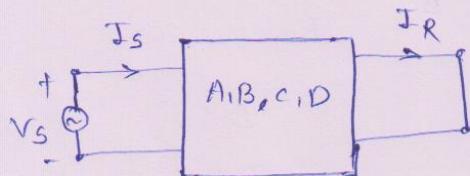
Equivalent circuit representation :- (2 marks)

- The circuit is reduced to small ckt.
- The calculation is easy

-

(for each point)

⑤



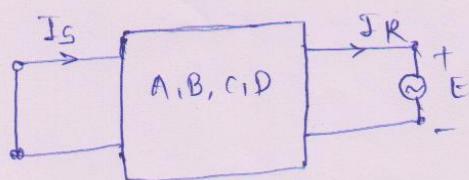
consider fig. where a two terminal pair N/C with parameters A, B, C & D is connected to an ideal voltage source with zero internal impedance at one end & the other end is S.C.

The eqn is

$$V_S = E = A + B I_R$$

$$\text{or } I_R = \frac{E}{B} \quad \text{--- (1)}$$

— (1 mark)





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Now S.C. the sending end and connect the generator at the receiving end shown above fig. The positive directions of flow of current are shown in fig.

$$\therefore 0 = AE + BI_R \rightarrow \textcircled{2} \quad \rightarrow \text{(-1 marks)}$$

since line is a linear Passive bilateral $M(\omega)$

$$\& I_S = -I_R = CE + DI_R \rightarrow \textcircled{3}$$

eliminating I_R from eqn $\textcircled{2}$ & $\textcircled{3}$

$$-I_R = CE + DC \left(\frac{-AE}{B} \right) \rightarrow \textcircled{4} \quad \text{(-1 marks)}$$

$$\text{From eqn } \textcircled{1} \quad I_R = \frac{E}{B} \quad \text{From } \textcircled{4}$$

$$-\frac{E}{B} = CE + DC \left(\frac{-AE}{B} \right)$$

$$\frac{1}{B} = C - \frac{DA}{B}$$

$$\frac{1}{B} = \frac{BC - AD}{B}$$

$$\therefore \boxed{AD - BC = 1} \quad \text{(-1 marks)}$$



Q.2 (1) (Any 4 points- 1 mark for each point)

Per unit value of a quantity is the ratio of the actual value of that quantity to an arbitrary selected value of that quantity. This arbitrary selected value is called as 'Base Value'.

$$\text{Per unit value} = \frac{\text{Actual value}}{\text{Base value}}$$

In power system there are 4 quantities- KVA, KV, current & impedance. Base value of KVA & KV can be selected from which we can calculate Base value of current & impedance as follows.

$$\begin{aligned}\text{Base Current} &= \frac{\text{Base kVA}}{\text{Base KV}} \quad \text{--- phase current} \\ \text{Base current} &= \frac{3\phi \text{ Base kVA}}{\sqrt{3} \text{ Base KV}_{\text{old}}} \quad \text{--- line current} \\ \text{Base impedance} &= \frac{(\text{Base KV})^2}{\text{Base kVA}} \times 1000 \\ * \text{ Per unit kVA} &= \frac{\text{actual kVA}}{\text{Base kVA}} \quad \} \text{ 1 mark} \\ * \text{ Per unit KV} &= \frac{\text{actual KV}}{\text{Base KV}} \\ * \text{ Per unit impedance} &= \frac{\text{actual impedance}}{\text{Base impedance}} \quad \} \text{ 1 mark} \\ * \text{ Per unit current} &= \frac{\text{actual current}}{\text{Base current}} \quad \} \text{ 1 mark} \\ \text{we can also calculate } Z_{\text{pu,new}} &\text{ refers to new base values as} \\ Z_{\text{pu,new}} &= Z_{\text{pu,old}} \times \left(\frac{\text{Base KV}_{\text{old}}}{\text{Base KV}_{\text{new}}} \right)^2 \times \frac{\text{Base kVA}_{\text{new}}}{\text{Base kVA}_{\text{old}}}\end{aligned}$$

Advantages of per unit method (Any 4 points- 1 mark for each point)

1. Manufacturers: Usually specify the impedance of a piece of apparatus in percent or per unit on the bases of the nameplate rating.
2. The Z_{pu} of machine of the same type but having widely different ratings usually lie within a narrow range. Although the Ω value differ with the ratings. Hence when the impedance of the machine is not known, the table in which av values for different machines are given.

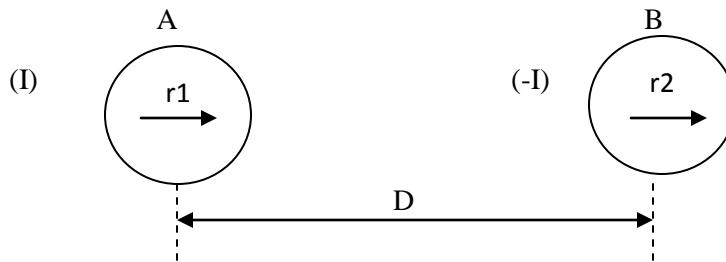


3. The per unit impedance once expressed on the proper base, is same referred to either side of any transformers, because Base KV is selected in the same ratio as the transformer ratio.
4. The way in which transformers are connected in 3-phase circuits of the transformer, although it determine the relation between the base voltage on the two sides of the transformer.
5. Per unit values of quantities simplifies the calculations to greater extent. More over since system data is available in per unit values hence it is always convenient to adopt per unit calculations.

Q.2 (i)

Inductance of Single Phase to Line

Composed of Solid Conductors: Consider a single phase to line composed of two solid conductors A & B of radii r_1 & r_2 mts. Respectively and placed at a distance D mts. Apart. Say conductor 'A' carries current in forward and 'B' carries current as return path i.e. current through two conductors are equal but flow in opposite directions.



Flux linkage of each conductor depends upon the internal flux and external fluxes of both conductors.

$$\Psi_a \text{ total} = \Psi_a \text{ int} + \Psi_a \text{ ext.}$$

$$\Psi_a \text{ int} - \text{flux linkage due to internal fluxes} = \frac{1}{2} \times 10^{-7} I \text{ wbt/mt.}$$

To calculate $\Psi_a \text{ ext.}$ following points are to be considered:-

- Fluxes at distance $= D + r_2$ from the centre of conductor 'A' links net zero current (\therefore it encloses both conductor A & B)
- Fluxes from $(D-r_2)$ to $(D+r_2)$ links a current whose magnitude reduces progressively from I to zero.
- Fluxes beyond r_1 & less than $(D-r_2)$ links all the current I in conductor 'A'.

Hence to simplify the calculations assume that, as $D \ggg r_1$ & r_2 (the case in overhead line) the fluxes from



(D-r₂) to the centre of conductor 'B' (3) links with full current I amp.s whereas the fluxes from centre of conductor 'B' upto D+r₂ links with zero current.

$$\therefore \Psi_{a\text{ ext.}} = 2 \times 10^{-7} I \log_e \frac{D}{r_1} \rightarrow 1 \text{ m.m.f.}$$

$$\therefore \Psi_{a\text{ ext.}} \text{ where } r_1 = e^{r_1},$$

$$\therefore \Psi_{a\text{ total}} = \Psi_{a\text{ int.}} + \Psi_{a\text{ ext.}}$$

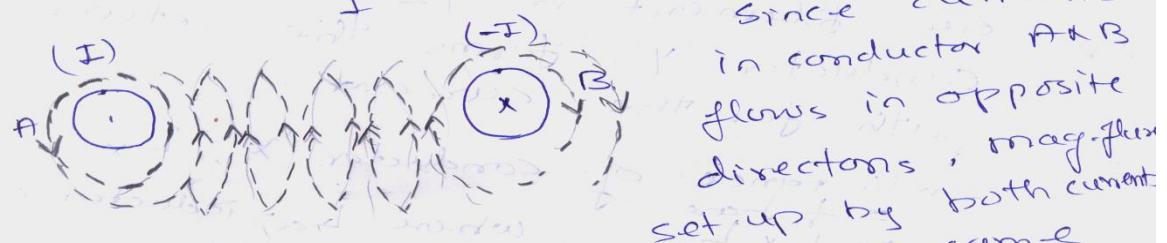
$$\therefore \Psi_{a\text{ total}} = \frac{1}{2} \pi r_1^2 I + 2 \times 10^{-7} I \log_e \frac{D}{r_1}$$

$$= 2 \times 10^{-7} I \log_e \frac{D}{e^{r_1}},$$

$$= 2 \times 10^{-7} I \log_e \frac{D}{e^{r_1} r_1},$$

$$= 2 \times 10^{-7} I \log_e \frac{D}{r_1}, \text{ where } r_1 = e^{r_1},$$

$$\therefore L_a = \frac{\Psi_{a\text{ total}}}{I} = 2 \times 10^{-7} \log_e \frac{D}{r_1} \rightarrow 1 \text{ m.m.f.}$$



Since currents in conductor A & B flows in opposite directions, mag.flux set up by both current

between the conductors are in same direction. ∴ The resulting mmf is the sum of mmfs of both conductors.

$$\therefore L_a = L_b = 2 \times 10^{-7} \log_e \frac{D}{r_2} \rightarrow 1 \text{ m.m.f.}$$

∴ $L_a = L_b$ (since $r_1 = r_2$ & complete)



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∴ Inductance of IQ line i.e. complete loop is

$$L_{\text{loop}} = L_a + L_b = 2 \times 10^{-7} \log c \frac{D_2}{r_1 r_2}$$

$$= 4 \times 10^{-7} \log d / r_1 \text{ h/mt.}$$

Where $r_1 = \sqrt{r_1 r_2}$

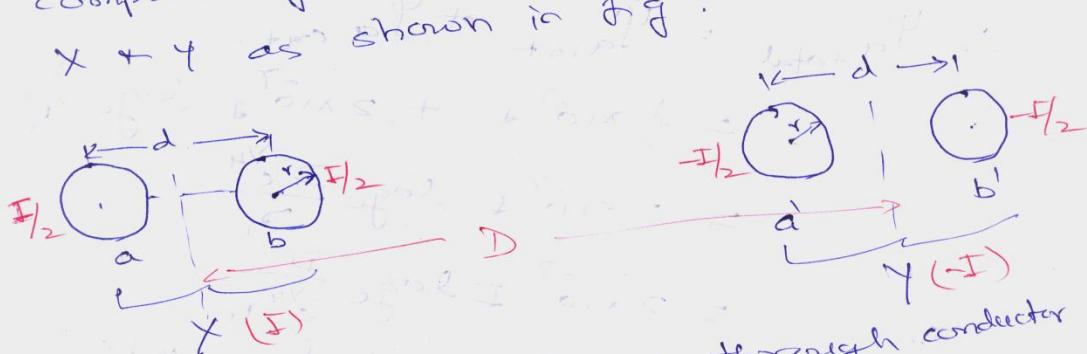
(4 -marks)



Q.2 (ii)

(ii) Inductance of single phase tr-line composed of bundled conductors.

Consider a 1φ tr-line composed of duplex bundled conductors shown in fig:



Let 'I' be the current through conductor 'X' which equally divides among 2 filaments 'a' & 'b' i.e. current thru each filament is $I/2$ amp. Consider conductor 'Y' forms the return path for the current.

Inductance of

$$= \frac{1}{2} \times L_a$$

conductor 'X', L_X

where L_a = inductance

of filament 'a'

$$L_a = 2b$$

b = $\frac{n}{2}$ for duplex bnd.

$b = 2$ for conductor.

Net flux linkage with filament 'a' due to current thru 'a, b, a', b' filaments

$$\Psi_a = 2 \times 10^{-7} \left\{ \frac{I}{2} \left(\text{loge} \frac{1}{a} + \text{loge} \frac{1}{Dab} \right) - \frac{I}{2} \right\}$$

$$\left(\text{loge} \frac{1}{Daa'} + \text{loge} \frac{1}{Dab'} \right) \}$$



$$= 2 \times 10^{-7} I \log_e \frac{\sqrt{D_{aa} \cdot D_{ab}}}{\sqrt{D_{ba} \cdot D_{bb}}} \quad \text{where } D_{aa} = 1 \quad (4)$$

$$\therefore L_a = \frac{\Psi_a}{I/2} = 2 \times 10^{-7} \log_e \frac{D_{aa} \cdot D_{ab}}{D_{ba} \cdot D_{bb}} \quad \dots \text{H/m.t.}$$

$$\text{Hence } L_b = 2 \times 10^{-7} \log_e \frac{D_{ba} \cdot D_{bb}}{D_{aa} \cdot D_{ab}} \quad \dots \text{H/m.t.}$$

$$\therefore L_{are} = \frac{L_a + L_b}{2}$$

$$= 2 \times 10^{-7} \log_e \frac{\sqrt{D_{aa} \cdot D_{ab} \cdot D_{bb} \cdot D_{ba}}}{\sqrt{D_{ba} \cdot D_{ab} \cdot D_{bb} \cdot D_{ba}}}$$

$$\therefore L_x = \frac{1}{2} L_{are}$$

$$= 2 \times 10^{-7} \log_e \frac{\sqrt[4]{D_{aa} \cdot D_{ab} \cdot D_{bb} \cdot D_{ba}}}{\sqrt[4]{D_{ba} \cdot D_{bb} \cdot D_{ab} \cdot D_{ba}}}$$

$$= 2 \times 10^{-7} \log_e \frac{D_m}{D_{sx}} \quad \therefore \text{H/m.t.} \quad \rightarrow 1 \text{ mAh}$$

$$\text{Hence } L_y = 2 \times 10^{-7} \log_e \frac{D_m}{D_{sy}} \quad \dots \text{H/m.t.}$$

where $D_{sy} = \sqrt[4]{D_{aa} \cdot D_{bb} \cdot D_{ab} \cdot D_{ba}}$

$\rightarrow 1 \text{ mAh}$

of 1Q line

$\therefore L_{loop}$ - total inductance of

$$= L_x + L_y$$

$$= 2 \times 10^{-7} \left\{ \log_e \frac{D_m}{D_{sx}} + \log_e \frac{D_m}{D_{sy}} \right\}$$

$$= 2 \times 10^{-7} \log_e \frac{D_m}{D_{sx} \cdot D_{sy}}$$

$$= 2 \times 10^{-7} \log_e \frac{D_m}{D_s^2}$$

where $D_s = D_{sx} = D_{sy}$
for duplicate bundled co

$$= 4 \times 10^{-7} \log_e D_m / D_s \dots \text{H/m.t.}$$

$$L_{loop} = 4 \times 10^{-7} \log_e D_m / D_s \dots \text{H/m.t.}$$



.2 (iii)

Q. No. 2

Given \rightarrow 3φ - line \rightarrow $V_R = 110 \text{ kV}$ \rightarrow $V_{R\text{ph}} = \frac{110 \times 10^3}{\sqrt{3}} = 63508.5 \text{ V/ph}$

$P_R = 50 \times 10^6 \text{ VA} \approx \sqrt{3} V_R I_L \quad | \cos \phi_R = 0.8 \log$

$\therefore 50 \times 10^6 \approx \sqrt{3} \times 110 \times 10^3 \times I_L \quad | \phi_R = -36.88^\circ$

$\therefore I_R = \frac{50 \times 10^6}{\sqrt{3} \times 110 \times 10^3} = 262.43 \text{ A} \quad | -36.88^\circ$

$A = D = 0.98 \quad | 3^\circ \quad B = 110 \quad | 75^\circ \text{ or } \angle = 0.0005 \quad | 88.2^\circ$

G.C.E. states that for next question

$$V_S = A V_R + B I_R$$

$$= 0.98 \quad | 3^\circ \times 63508.5 \quad | 0^\circ + 110 \quad | 75^\circ \times 262.4 \quad | -36.88^\circ$$

$$= 84917.2 \quad | 2.19^\circ \text{ Volt/ph}$$

$V_S = \sqrt{3} V_{\text{ph}} = 147.08 \text{ kV} // \rightarrow 2 \text{ marks}$

$I_S = C V_R + D I_R$

$$= 0.0005 \quad | 88.2^\circ \times 63508.5 + 0.98 \quad | 3^\circ \times 262.4 \quad | -36.88^\circ$$

$$= 246.02 \text{ Amp.} \quad | -27^\circ // \rightarrow 2 \text{ marks}$$

vector diagram

total voltage V_S \rightarrow $\angle \phi_S = 2.2 + 27^\circ$

total current I_S \rightarrow $\angle \phi_S = 29.2^\circ$

$\cos \phi_S = \cos 29.2^\circ$

$= 0.873 \rightarrow 1 \text{ mark}$

Power at sending end $P_S = 3 V_S I_S \cos \phi_S$

$$\rightarrow 3 \times 84917.2 \times 246.02 \times 0.873$$

$$= 541.71 \text{ MW} \rightarrow 1 \text{ mark}$$

Transmission efficiency $= \frac{P_R}{P_S} \times 100$

without loss of power $\rightarrow \frac{50}{541.71} \times 100$

without load & no losses $\rightarrow 91.39 \% \rightarrow 2 \text{ marks}$



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V_s – Sending end voltage = 147.08KV

I_s – Sending end current = 246.02AMP

P_s – Sending end power = 54.71Mw

η - Transmission efficiency = 91.39 %



A.N. No 1 (a) ①

Role of power system engineer

Power system engineer plays an important role in designing, operating and maintaining power system networks. He has to face a variety of challenging tasks which he can meet only by keeping abreast of the recent scientific advances and the latest techniques. On the planning side, he has to make decisions on how much electricity is to be generated - where, when and by using what fuel. He has to be involved in construction tasks of great magnitude both in generation and transmission. He has to solve the problems of planning and co-ordinated operation of a vast and complex power network, so as to achieve a high degree of economy and reliability. In a country like India, he has to additionally face the practical problem of power shortages and to evolve strategies for energy conservation and load management. He should know the methods of making load studies, fault analysis, stability

4 marks for any 4 points)



D 395L
400

Studies and the principles of economic dispatch because such studies affect the design and operation of the system and the selection of apparatus for its control.

Q No. 11 (a)

③ skin effect in transmission line →

Based on type of current we have A.C.

transmission system & D.C. transmission system,

when d.c. current flows in to. line conductor the current is uniformly distributed across the conductor whereas when a.c. current flows through the conductor it more current flows through the surface of the conductor i.e. non-uniform distribution of current across the conductor. This effect is known as skin effect.

Skin effect is mainly due to magnetic flux set up by a.c. current inside the conductor. Assume that the conductor is composed of no. of annular filaments. The inner filaments

I_{dc} I_{ac} carrying current give rise to flux which links with the outer filaments as well as inner filaments whereas flux set up by outer filaments links with outer filaments only, i.e. the inductance of inner filament is higher than outer filament. Hence impedance of inner filament is comparatively higher than outer filament. Hence more current flows thro' surface of the conductor.

(2 marks)



Factors affecting / influencing skin effect → (6)

- Frequency of the current. (At radio freq. skin effect is more prominent)
It is significant at 50 Hz. freq.
- diameter of the conductor, or C.S. area
- material of the conductor.
- permeability of the conductor material.
- voltage of the conductor.
2 marks for any two

Ques 4(a) \rightarrow
 $\alpha = 0.85 \text{ L}^{\circ}$ $B/B_s = 300 \text{ L}^{75^\circ} \text{ m}^{-1}$ $V_R = V_s = 275 \text{ kV}$
 $P.F. = \cos \phi_R = 1 \Rightarrow \phi_R = 0 \rightarrow 1 \text{ mark}$

At unity P.F. $\sin \phi_R = 0 \therefore \phi_R = 0 \rightarrow 1 \text{ mark}$
 Reactive power ~~is proportional to ϕ_R at receiving end~~

$$\phi_R = \frac{V_s V_R}{B} \sin(\beta - \delta) = \frac{\pi}{B} V_R^2 \sin(\beta - \delta)$$

$$0 = \frac{275 \times 275}{300} \sin(75^\circ - \delta) = \frac{0.85 \times 275^2}{300} \sin(75^\circ - 5^\circ)$$

$$\therefore \sin(75^\circ - \delta) = \sin 75^\circ \times 0.85 = 0.7987$$

$$\therefore 75^\circ - \delta = 53^\circ \therefore \delta = 75^\circ - 53^\circ = 22^\circ \rightarrow 1 \text{ mark}$$

Substituting in eqn. for P_R

$$P_R = \frac{V_s V_R}{B} \cos(\beta - \delta) = \frac{\pi}{B} V_R^2 \cos(\beta - \delta) - 1 \text{ mark}$$

$$= \frac{275 \times 275}{300} \cos(75^\circ - 22^\circ) = \frac{0.85 \times 275^2}{300} \cos(75^\circ - 5^\circ)$$

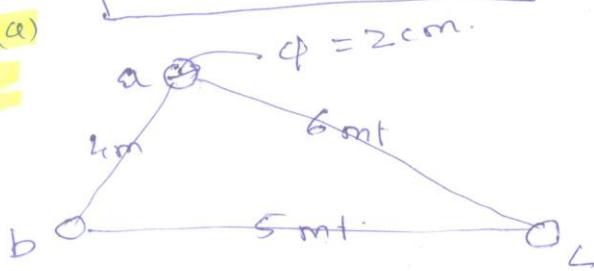
$$= 78.42 \text{ MW.}$$

→ 1 mark.

$$\boxed{P_R = 78.42 \text{ MW}}$$

Ques 4(a)

2



$$\text{Deg} = \sqrt[3]{D_{ab} \cdot D_{bc} \cdot D_{ca}}$$

$$= \sqrt[3]{4 \times 5 \times 6}$$

$$= 4.93 \text{ mt.}$$

→ 1 mark



$$\gamma' = 0.7788 \gamma$$
$$= 0.7788 \left(\frac{2}{\pi}\right) \times 10^{-2} \text{ mt}$$
$$= 0.007788 \text{ mt.} \quad \text{1 male}$$

$$L = 2 \times 10^{-7} \log_e \frac{\text{Deg}}{\gamma'}$$

$$= 2 \times 10^{-7} \log_e \frac{4.93}{0.007788}$$

$$= 12.9 \times 10^{-7} \text{ H/m} \text{t}$$

$$= 1.29 \times 10^{-6} \text{ H/m} \text{t}$$

$$= 1.29 \text{ mH/km} \text{t}$$

$$L = 1.29 \text{ mH/km} \text{t}$$

2 male



Q. No. 4 (b)
1

Answer - A 7

Capacitance of a 3 ϕ line with equilateral spacing.

Consider a 3 ϕ line composed of 3 identical solid conductors of radius 'r' and spacing between them 'D' m.



Assume that there is no charges in the vicinity of the conductors and voltages of charges are sinusoidal and there is negligible effect of the earth field. Hence the charges are uniformly distributed $\Rightarrow q_a + q_b + q_c = 0$

Since $\oint E_d \cdot d\ell + f_c = 0 \rightarrow 1 \text{ mark}$

Now the p.d. between a & b conductors due to charges on all conductors is

$$V_{ab} = \frac{1}{2\pi\epsilon_0} \left[q_a \log_e \frac{D}{r} + q_b \log_e \frac{r}{D} + q_c \log_e \frac{D}{r} \right]$$

$$= \frac{1}{2\pi\epsilon_0} \left[q_a \log_e \frac{D}{r} + q_b \log_e \frac{r}{D} \right] \quad ①$$

Similarly p.d. between a & c conductors

$$V_{ac} = \frac{1}{2\pi\epsilon_0} \left[q_a \log_e \frac{D}{r} + q_b \log_e \frac{D}{r} + q_c \log_e \frac{r}{D} \right]$$

$$= \frac{1}{2\pi\epsilon_0} \left[q_a \log_e \frac{D}{r} + q_c \log_e \frac{r}{D} \right] \quad ②$$

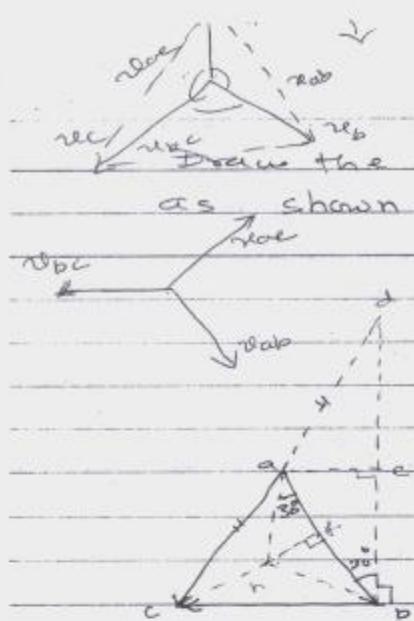
Adding $= 2 \times (1) \times (2)$, we get:

$$2V_{ab} + 2V_{ac} = \frac{1}{2\pi\epsilon_0} \left[2q_a \log_e \frac{D}{r} + (q_b + q_c) \log_e \frac{r}{D} \right] \quad \text{since } q_b + q_c = 0$$

$$= \frac{1}{2\pi\epsilon_0} \left[2q_a \log_e \frac{D}{r} - q_a \log_e \frac{r}{D} \right]$$

$$= \frac{1}{2\pi\epsilon_0} 3q_a \log_e \frac{D}{r} \quad ③$$

2 marks.



Draw the vectors \vec{v}_{ab} , \vec{v}_{ac} , & \vec{v}_{ad} as shown in fig. Now produce \vec{v}_{ca} up to d such that $\vec{v}_{ac} = \vec{ad}$ & we get $\vec{bd} \perp \vec{bc}$. Now drop \vec{ae} \perp to \vec{bd} . Let the pt. where internal angle bisector meets \vec{bd} be e . Now drop \vec{nf} \perp to \vec{ab} .

From vector diagram,

$$\vec{v}_{ab} + \vec{v}_{ac} = \vec{v}_{ad} + \vec{v}_{cd}$$
$$= \vec{v}_{bd}$$

3 marks.

$$= 2 \vec{v}_{be}$$

$$= 2 \vec{v}_{ab} \cos 30^\circ$$

But from A and b,

$$\vec{v}_{ab} = 2 \vec{v}_{af} = 2 \cdot 2 \vec{v}_{an} \cos 30^\circ$$

Substituting in above = 0.

$$\therefore \vec{v}_{ab} + \vec{v}_{ac} = 2 \cdot (2 \vec{v}_{an} \cos 30^\circ) \cos 30^\circ$$
$$= 4 \vec{v}_{an} \cos^2 30^\circ$$
$$= 4 \cdot 2 \vec{v}_{an} \cdot \left(\frac{\sqrt{3}}{2}\right)^2$$
$$= 3 \vec{v}_{an}$$

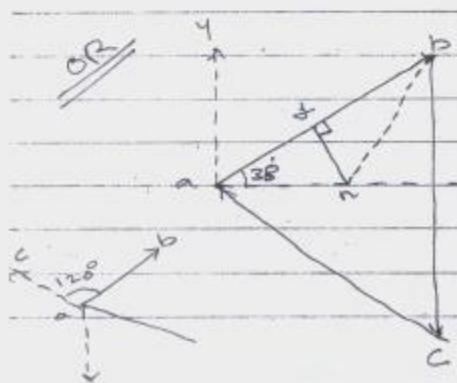
Le

Having the vector diagram for 30° line 120° displacement and taking origin at pt. 'a' and x -axis as reference axis. From fig. we get

$$\vec{v}_{ab} = 2 \vec{v}_{af}$$

$$= 2 \vec{v}_{an} \cos 30^\circ$$

$$= \sqrt{3} \vec{v}_{an}$$





(8)

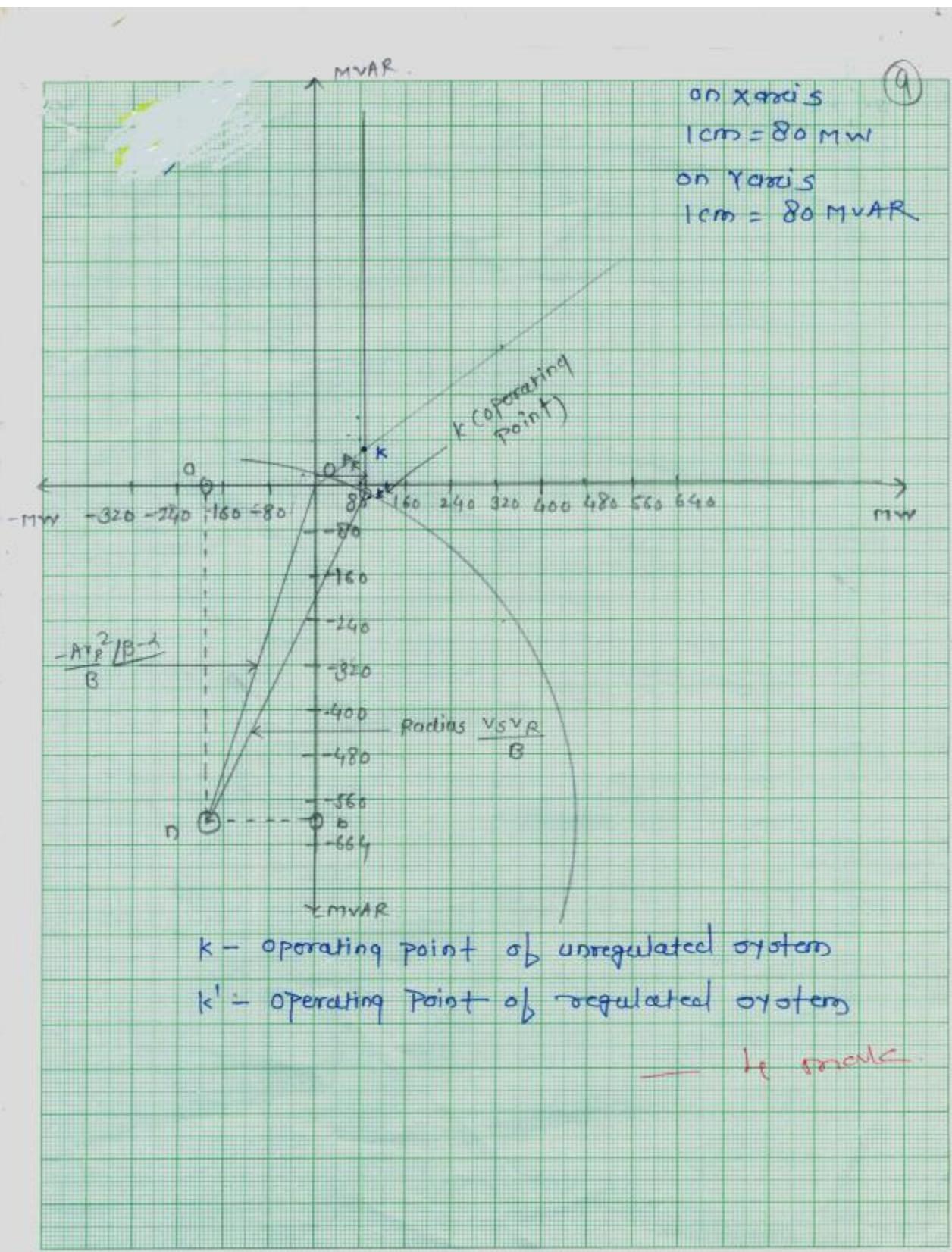
$$\begin{aligned} \text{Given } \vec{v}_{ab} &= 2\pi f a \cos 30^\circ - \sqrt{3} \pi f a \sin 30^\circ \\ \therefore \vec{v}_{ab} + \vec{v}_{ac} &= \sqrt{3} \pi f a \cos 30^\circ + \sqrt{3} \pi f a \sin 30^\circ \\ &= \sqrt{3} \pi f a \left[\cos 30^\circ + j \sin 30^\circ + \cos 30^\circ \right] \\ &= \sqrt{3} \pi f a \cdot 2 \cos 30^\circ \\ &= \sqrt{3} \pi f a \cdot 2 \cdot \frac{\sqrt{3}}{2} = 3 \pi f a \\ \vec{v}_{ab} + \vec{v}_{ac} &= 3 \pi f a \quad \text{(4)} \end{aligned}$$

From \rightarrow (3) \times (4)

3 marks.

$$\begin{aligned} \vec{v}_{ean} &= \frac{\pi f a}{2\pi f c} \log_e \frac{D}{r} \\ \therefore v_{ean} &= \frac{\pi f a}{2\pi f c} \log_e \frac{D}{r} \\ \therefore \text{line to neutral capacitance} \\ C_n &= \frac{\pi f a}{v_{ean}} = \frac{2\pi f c}{\log_e \frac{D}{r}} \end{aligned}$$

$$\begin{aligned} v_s &= 240 \text{kV} \quad v_R = 235 \\ \text{load} &= 90 \text{MW at } 0.8 \text{ P.f lag} \\ A &= 0.97 \angle 3^\circ \quad B = 85.2 \angle 72^\circ \\ \rightarrow \text{To locate centre 'n'} \\ \times \text{co-ordinate} &= oa = -\frac{Av_R^2}{B} \cos(\beta - \alpha) \\ &= -\frac{0.97 \times 235^2}{85.2} \cos(72 - 0.3) \\ &= -197.41 \text{MW} \\ \gamma \text{ co-ordinate} &= ob = -\frac{Av_R^2}{B} \sin(\beta - \alpha) \\ &= -\frac{0.97 \times 235^2}{85.2} \sin(72 - 0.3) \\ &= -596.93 \text{ MVAR} \\ \text{Radius} &= \frac{v_s v_R}{B} = \frac{240 \times 235}{85.2} = 661.97 \text{ MVA} \\ \text{centre of circle} &= (-197.41 \text{MW}, -596.93 \text{MVAR}) \quad \rightarrow 1 \text{ mark} \\ \text{Radius of circle} &= 661.97 \text{ MVA} \quad \rightarrow 1 \text{ mark} \end{aligned}$$





Q.5 Attempt any two

16 Marks.

- a) To measure G.C.C. of a given line O.C. and S.C. tests are carried out on both sending and receiving end side. The connection circuit diagram for both tests are as follows:

Fig 4.19 (a) & (b) Page 88

Electrical Power Systems - C.L. Wadhwa — ~~2 Marks~~
(2 Marks)

In the connection diagrams are similarly ~~2 Marks~~ made for performing these tests on both sides. After performing the O.C. and S.C. test on both sides ~~both sides~~ the impedances are determined for each tests.

Z_{SO} = sending end impedance with receiving end open circuited.

Z_{SS} = sending end impedance with receiving end short circuited.

Z_{RO} = Receiving end impedance with sending end open circuited.

Z_{RS} = Receiving end impedance with sending end short circuited.

2 Marks

Here

$$Z_{SO} = \frac{V_S}{I_S} = \frac{A}{C} \text{ for } I_r = 0 \text{ (open circuit test)} \quad (1)$$

$$Z_{SS} = \frac{V_S}{I_S} = \frac{B}{D} \text{ for } V_r = 0 \text{ (short circuit test)} \quad (2)$$



$$Z_{ro} = \frac{V_r}{I_r} = \frac{D}{C} \text{ for } I_s = 0. (\text{open circuit test}) - \textcircled{3}$$

$$Z_{rs} = \frac{V_r}{I_r} = \frac{B}{A} \text{ for } V_s = 0 \text{ (short circuit test)} - \textcircled{4}$$

From equations $\textcircled{1}$, $\textcircled{2}$, $\textcircled{3}$ and $\textcircled{4}$

$$Z_{ro} - Z_{rs} = \frac{D}{C} - \frac{B}{A} = \frac{AD - BC}{AC} = \frac{1}{AC}$$

$$\frac{Z_{ro} - Z_{rs}}{Z_{so}} = \frac{1}{AC} \cdot \frac{C}{A} = \frac{1}{A^2}$$

$$\therefore A = \sqrt{\frac{Z_{so}}{Z_{ro} - Z_{rs}}} \quad \textcircled{5} \quad - 1 \text{ Mark}$$

$$B = AZ_{rs} = Z_{rs} \sqrt{\frac{Z_{so}}{Z_{ro} - Z_{rs}}} \quad \textcircled{6} \quad - 1 \text{ Mark}$$

$$Z_{so} = \frac{A}{C}$$

$$C = \frac{A}{Z_{so}} = \frac{1}{Z_{so}} \sqrt{\frac{Z_{so}}{Z_{ro} - Z_{rs}}} \quad \textcircled{7} \quad 1 \text{ Mark}$$

$$Z_{ro} = \frac{D}{C}$$

$$D = CZ_{ro} = \frac{Z_{ro}}{Z_{so}} \sqrt{\frac{Z_{ro}}{Z_{ro} - Z_{rs}}} \quad \textcircled{8} \quad 1 \text{ Mark}$$

$$= Z_{ro} \sqrt{\frac{1}{Z_{so}(Z_{ro} - Z_{rs})}}$$

From equations $\textcircled{5}$, $\textcircled{6}$, $\textcircled{7}$ & $\textcircled{8}$ we can get Gce. for the given line.



2). Procedure to draw receiving end circle diagram can be as follows.

- a) Locate the centre O_C of receiving end circle diagram in graph paper at $\frac{|A_1|}{|B_1|} |V_r|^2$ inclined at $\angle(B-\alpha)$ in the ~~positive direction~~ x -axis.
- b) From center O_C the receiving end circle is drawn with radius $|V_s| |V_r|$.
- c) The operating point P is located on the circle by considering the real power (load) delivered i.e. P_r .
- d) The torque angle δ can be represented and read from positive direction of reference line drawn with help of angle α .

1 Mark
each
(2 Marks)
4 Marks

Fig 5.20 Page 148 Modern power system Analysis - Nagrath kothari

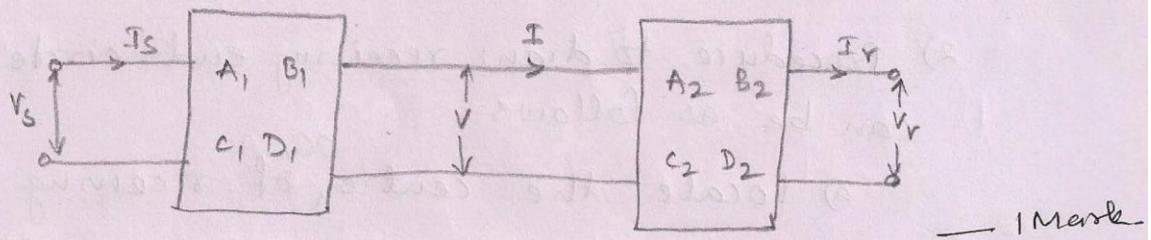
Information obtained from receiving end circle diagram :-

- a) Rating of reactive power compensating equipment
- b) Maximum receiving end Power $P_{r\max}$.
- c) Line losses.
- d) Sending end voltage.
- e) Voltage regulation and efficiency of the line.
- 3) Overall ABCD constants for two transmission lines connected in series :

Let the constants of two transmission line networks be A_1, B_1, C_1, D_1 and A_2, B_2, C_2, D_2



which are connected in series.



The net constants of the system can be found as follows:

$$V = D_1 V_s - B_1 I_s \quad \text{--- (1)}$$

$$I = -C_1 V_s + A_1 I_s \quad \text{--- (2)} \quad (1 \text{ mark})$$

and $V = A_2 V_r + B_2 I_r \quad \text{--- (3)}$

$$I = C_2 V_r + D_2 I_r \quad \text{--- (4)}$$

From equations (1) & (4) above equations we get

$$D_1 V_s - B_1 I_s = A_2 V_r + B_2 I_r \quad \text{--- (5)} \quad (2 \text{ marks})$$

$$-C_1 V_s + A_1 I_s = C_2 V_r + D_2 I_r \quad \text{--- (6)}$$

Multiplying equation (5) by A_1 and (6) by B_1 and adding the resulting equations we get

$$(A_1 D_1 - B_1 C_1) V_s = (A_1 A_2 + B_1 C_2) V_r + (A_1 B_2 + B_1 D_2) I_r \quad \text{--- (7)}$$

Multiplying equation (5) by C_1 and (6) by D_1 and adding resulting equations. (2 marks)

$$(A_1 D_1 - B_1 C_1) I_s = (A_2 C_1 + C_2 D_1) V_r + (B_2 C_1 + D_1 D_2) I_r \quad \text{--- (8)}$$

Since $A_1 D_1 - B_1 C_1 = 1$ the constants of the two networks are

$$A = A_1 A_2 + B_1 C_2$$

$$B = A_1 B_2 + B_1 D_2$$

$$C = A_2 C_1 + C_2 D_1$$

(1/2 mark each 2 marks).



$$D_1 = B_2 C_1 + D_1 D_2$$

Q. 6 Attempt any four

1) Data given

$$\text{diameter } d = 2 \text{ cm.}$$

$$\text{spacing between conductor} = 2.5 \text{ m.} = D.$$

$$\text{radius} = 2l_1 = 1 \text{ cm.} \quad \text{--- 1 mark}$$

Capacitance of 3φ line is given by

$$C_{ab} = \frac{0.0242}{\log D/r} \quad \text{--- 1 mark}$$

$$= \frac{0.0242}{\log (2.5/1 \times 10^2)}$$

$$= 60.8 \times 10^{-6} \text{ F} \quad \text{--- 1 mark}$$

$$C_{ab/pn} = 608 \text{ eef/km.} \quad \text{--- 1 mark}$$

$$C_{ab/pn} = 608 \times 100 \times 10^{-6} = 608 \times 10^4 \text{ F} \\ = 60.8 \text{ eef.}$$

Capacitance line to neutral --- 1 mark.

$$C_{an} = \frac{1}{2} C_{ab} = \frac{1}{2} \times 60.8 = 30.4 \text{ eef.}$$

2). Effect of resistance on efficiency:

The resistance of transmission line conductors is the most important cause of power loss in a transmission line. The power loss is given by equation



$$D_1 = B_2 C_1 + D_1 D_2$$

Q. 6 Attempt any four

1) Data given

$$\text{diameter } d = 2 \text{ cm.}$$

$$\text{spacing between conductor} = 2.5 \text{ m.} = D.$$

$$\text{radius} = 2/2 = 1 \text{ cm.} \quad \text{--- 1 mark}$$

Capacitance of 3φ line is given by

$$C_{ab} = \frac{0.0242}{\log D/r} \quad \text{--- 1 mark}$$

$$= \frac{0.0242}{\log (2.5/1 \times 10^{-2})}$$

$$= \cancel{0.0242} 6.08 \times 10^2 \quad \text{--- } \cancel{1} \text{ mark}$$

$$C_{ab/pn} = 608 \text{ eef/km.} \quad \text{--- } \cancel{1} \text{ mark}$$

$$C_{ab/pn} = 608 \times 100 \times 10^{-6} = 608 \times 10^{-4} \text{ F} \cancel{\Phi} \\ = \cancel{608} 60.8 \text{ eef.}$$

Capacitance line to neutral --- 1 mark.

$$C_{an} = \frac{1}{2} C_{ab} = \frac{1}{2} \times 60.8 = 30.4 \text{ eef.}$$

2). Effect of resistance on efficiency:

The resistance of transmission line conductors is the most important cause of power loss in a transmission line. The power loss is given by equation



$$P = I^2 R \text{ Watt}$$

In transmission line major part of ~~loss~~ total losses is power loss ie. $I^2 R$. Therefore the amount of resistance of conductor will decide the amount of current and therefore the power loss. The amount

As Resistance is inversely proportional to current $R \propto \frac{1}{I}$, more the resistance less will be current flowing and the decrease in losses. The efficiency of transmission line depends upon ~~output~~ losses as

$$\eta = \frac{O.P.}{O.P. + \text{losses}}$$

Therefore more the resistance of transmission line more the losses and lesser will be efficiency of transmission line and vice versa.

(2 marks each)

* Effect of resistance on voltage regulation.

Voltage regulation of the transmission line is given by

$$\% \text{ voltage regulation} = \frac{\text{No load } V_R - \text{Full load } V_R}{\text{No load } V_R} \times 100.$$

$$= \frac{I R \cos \phi_R}{V_R} \frac{V_s - V_R}{V_R} \times 100.$$

$$= \sqrt{\frac{I R \cos \phi_R + I X_L \sin \phi_R}{V_R}} \times 100.$$



$$= \frac{\sqrt{(V_R \cos \phi + IR)^2 + (V_R \sin \phi + IX_L)^2} - V_R}{V_R} \times 100.$$

Here amount of V_s depends upon current resistance and reactance of line.

Therefore change in value of resistance will change the value of current as well as sending end voltage V_s . Therefore it will affect on voltage regulation of the line.

+2 marks)

3) Condition for P_{max} : P_{max} :

The expression for Receiving end active power P_R is given as

$$P_R = \frac{|V_s| |V_R|}{|B|} \cos(\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \cos(\beta - \alpha). \quad \text{--- (1)} \quad \text{Mark}$$

For deriving maximum value of P_R deriving above equation w.r.t. δ we get

$$\begin{aligned} \frac{d P_R}{d \delta} &= \frac{d}{d \delta} \left[\frac{|V_s| |V_R|}{|B|} \cos(\beta - \delta) - \frac{|A| |V_R|^2}{|B|} \cos(\beta - \alpha) \right] \\ &= \left[\frac{|V_s| |V_R|}{|B|} \sin(\beta - \delta) \right] \left[\frac{(-1)}{(-\delta)} \right] - 0 \\ &= - \frac{|V_s| |V_R|}{|B|} \sin(\beta - \delta) \quad \text{--- (2)} \end{aligned}$$

Equating above expression to zero we get P_{max}



$$-\frac{|V_{sl}| |V_r|}{|B|} \sin(\beta - \delta) = 0$$

$$\therefore \sin(\beta - \delta) = 0$$

$$\therefore \beta - \delta = \sin^{-1}(0)$$

$$\beta - \delta = 0$$

$$\therefore \beta = \delta$$

Therefore at $\beta = \delta$ we get the maximum power P_{max} .

(o. 1. Marks for each step)

4) Methods of reactive power compensation:

For compensation of reactive power following methods are adopted.

i) static compensation: It consists of shunt capacitors, shunt reactors and series capacitors.

shunt capacitors are small banks of capacitors arranged in 3-phase star or delta. They have to be switched on at times of peak loads and switched off at times of light loads.

shunt reactors are used to absorb the lagging vars generated by line during light load conditions. The inductor may be coreless type or gaged core type.

ii) synchronous compensation: It is essentially a synchronous motor with no mechanical output. They are usually salient pole design. It delivers lagging vars when its excitation is large and delivers leading vars when excitation is small.



iii) ~~Control by~~ Tap changing by transformers: Transformers are

provided with taps on windings to adjust transformation ratio. Tap changing, by altering the in-phase component of the system voltage, affects the distribution of vars in a system and may be used to control the flow of reactive power.

iv) Regulating transformer: A special type of transformer designed for small adjustments of voltage is known as regulating transformer. The MVA rating of regulating transformer is quite small and it can be used to change the voltage at a point by small amount. It can be brought into the circuit by closure of relay whose operation can be controlled by system voltage or system current. A regulating transformer can be used for voltage magnitude control and reactive power control.

(1 mark each method)

5) Advantages of generalised circuit representation:

A transmission line is represented in generalised circuit form gives following advantages

a) Any type of transmission line can be represented in a generalized circuit form.



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- b) Complicated circuits are represented in simpler form.
- c) Performance of transmission line can be easily studied.
- d) Sending end voltage, current & pf. can be directly determined.
- e) Efficiency and regulation of transmission line can be easily determined.
- f). (1 Mark each)

- 6). Effect of temperature on transmission line resistance:

Generally transmission line conductors are metals like copper, aluminium. The resistance of metals increases with increase in temperature. since the value of ρ is given at a specific temperature and line operates at a higher temperature, the actual resistance is higher than the value found by equation

$$R_t = R_0 (1 + \alpha_0 t).$$

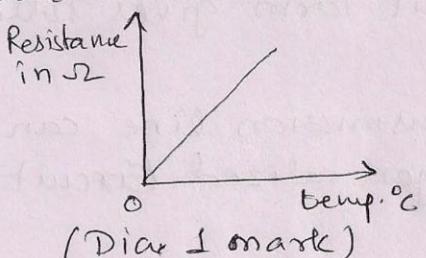
where R_t = Resistance at $t^{\circ}\text{C}$

R_0 = Resistance at 0°C

α_0 = temp. coefficient of resistance at 0°C

For small changes in temperature, the resistance increases linearly with temperature.

and resistance



(Diar 1 mark)

The temperature of conductor increases due to heat, losses and atmospheric conditions.

Also it decreases due to atmospheric condition which affects the line resistance (1 mark)



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(Autonomous)
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