

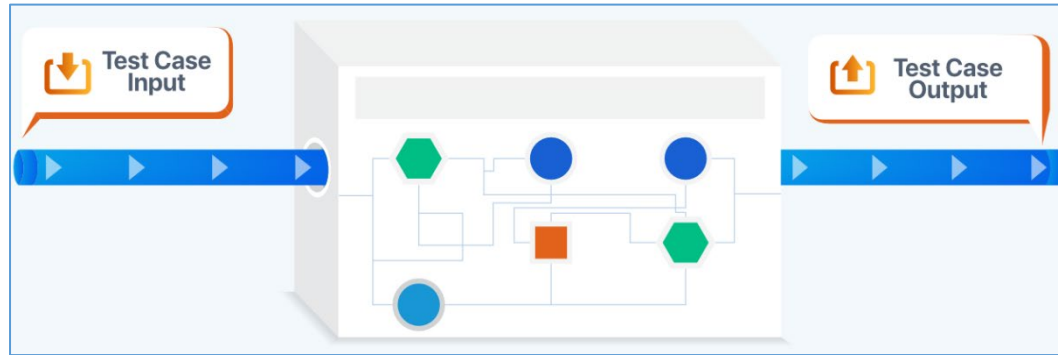
Introduction to code-based software testing

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EECS 348: Software Engineering

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Code-based (structural) testing



- Control coverage
 - Statement testing (node in a flowgraph)
 - Branch/decision testing (edge in a flowgraph)
 - Condition testing
 - Compound condition testing
 - MC/DC (Modified Condition/Decision Coverage) testing
 - Path testing
- Dataflow coverage

- A good test case
 - Test case identifier (usually a short name for test management purposes)
 - Name
 - Purpose (e.g., a business rule)
 - Pre-conditions (if any)
 - Inputs
 - Expected outputs
 - Observed (actual) outputs
- A collection of test cases
 - A test case set, a set of test cases, a test set

- Coverage criteria
- Subsumption

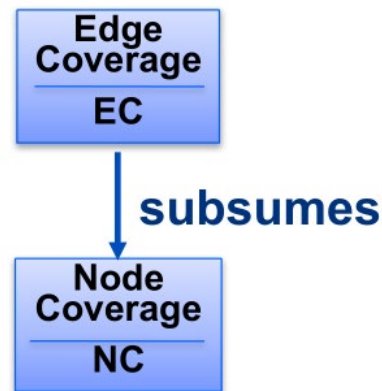
Example: jellybean coverage

- **Flavors:** Lemon, Pistachio, Cantaloupe, Pear, Tangerine, Apricot
- **Colors:** Yellow (Lemon, Apricot), Green (Pistachio), Orange (Cantaloupe, Tangerine), White (Pear)
- Possible “taste” coverage criteria:
 - Taste one jellybean of each flavor
 - Taste one jellybean of each color

Example: jellybean coverage

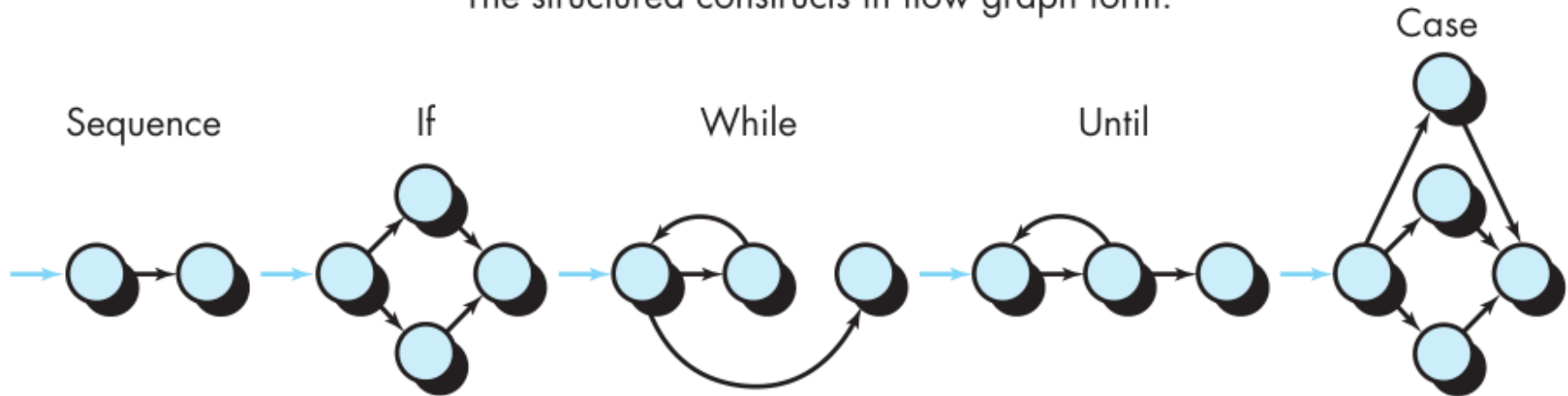
- T1 = {three Lemons, one Pistachio, two Cantaloupes, one Pear, one Tangerine, four Apricots }
 - Does test set T1 satisfy the flavor criterion?
- T2 = {One Lemon, two Pistachios, one Pear, three Tangerines }
 - Does test set T2 satisfy the flavor criterion?
 - Does test set T2 satisfy the color criterion?
- T3 = {two of each jellybeans}
- T4 = {two Cantaloupes, three Tangerines}
- T5: A jar of jellybeans

- Criteria subsumption: A test criterion C1 subsumes C2 if and only if every set of test cases that satisfies criterion C1 also satisfies C2
- Must be true for every set of test cases
- ***Example : If a test case set has covered every branch in a program (satisfied the branch criterion), then the test set is guaranteed to also have covered every statement***

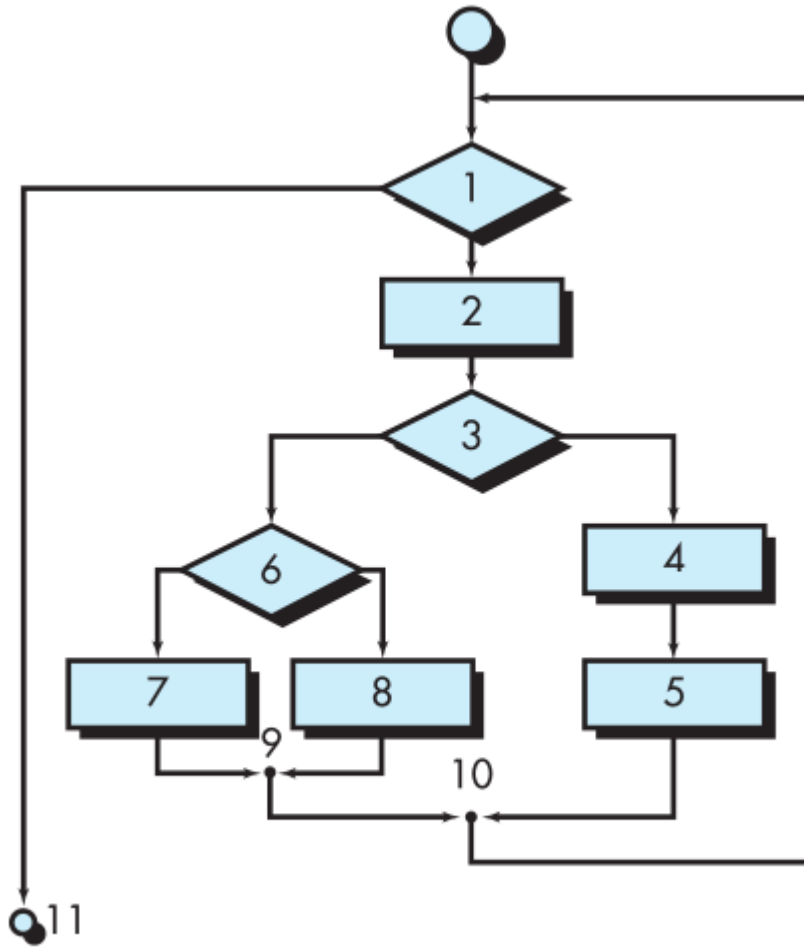


Flowgraph construction

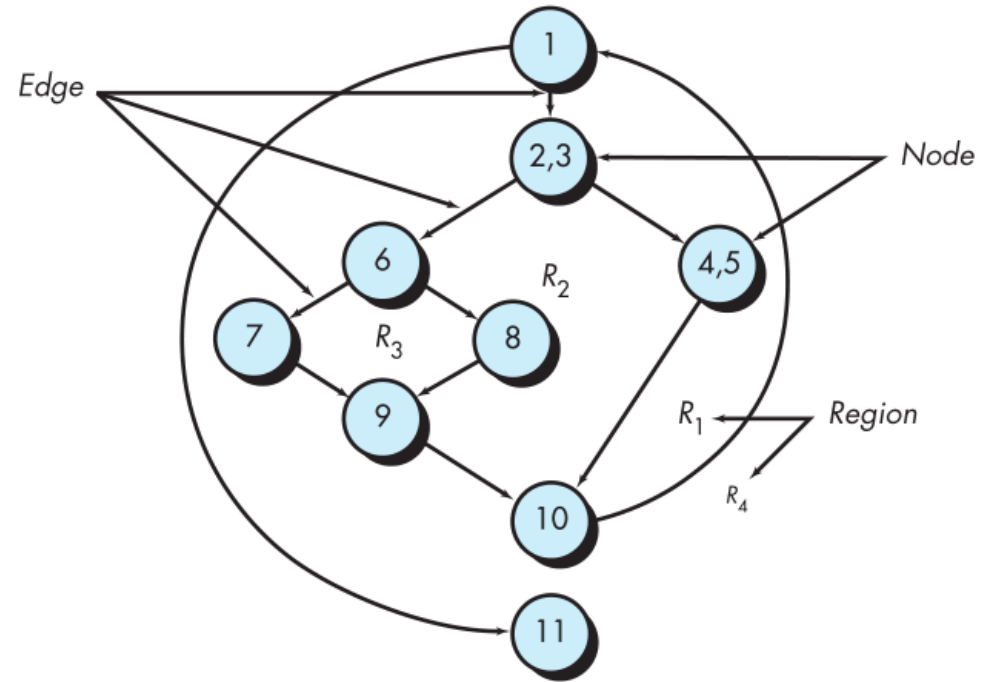
The structured constructs in flow graph form:



Flowcharts and flowgraphs



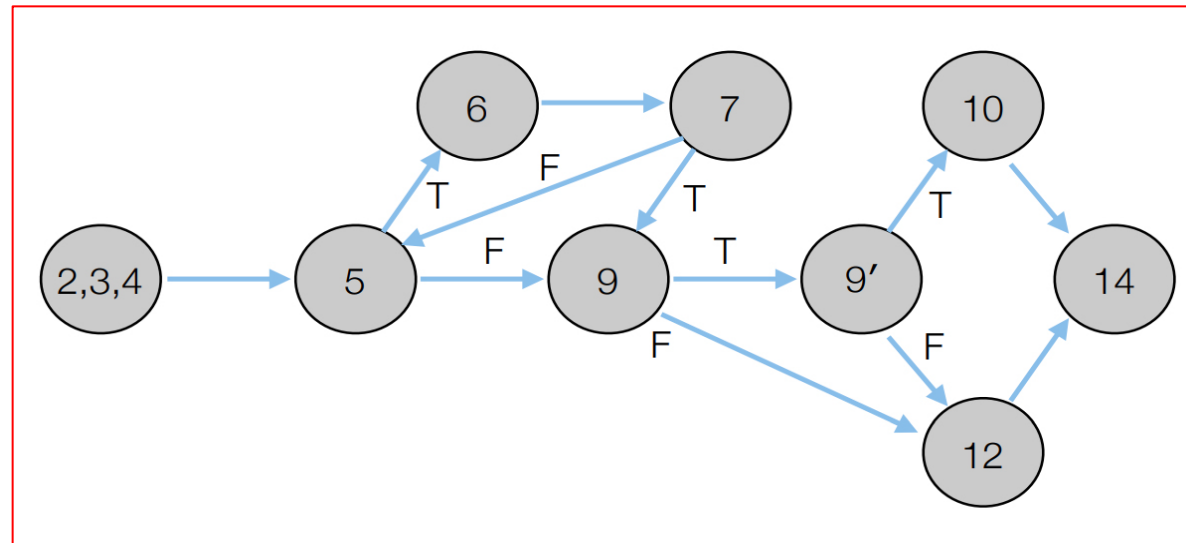
(a)



(b)

Another example

```
1  function P return INTEGER is
2  begin
3      X, Y: INTEGER;
4      READ(X); READ(Y);
5      while (X > 10) loop
6          X := X - 10;
7          exit when X = 10;
8      end loop;
9      if (Y < 20 and then X mod 2 = 0) then
10         Y := Y + 20;
11     else
12         Y := Y - 20;
13     end if;
14     return 2 * X + Y;
15 end P;
```



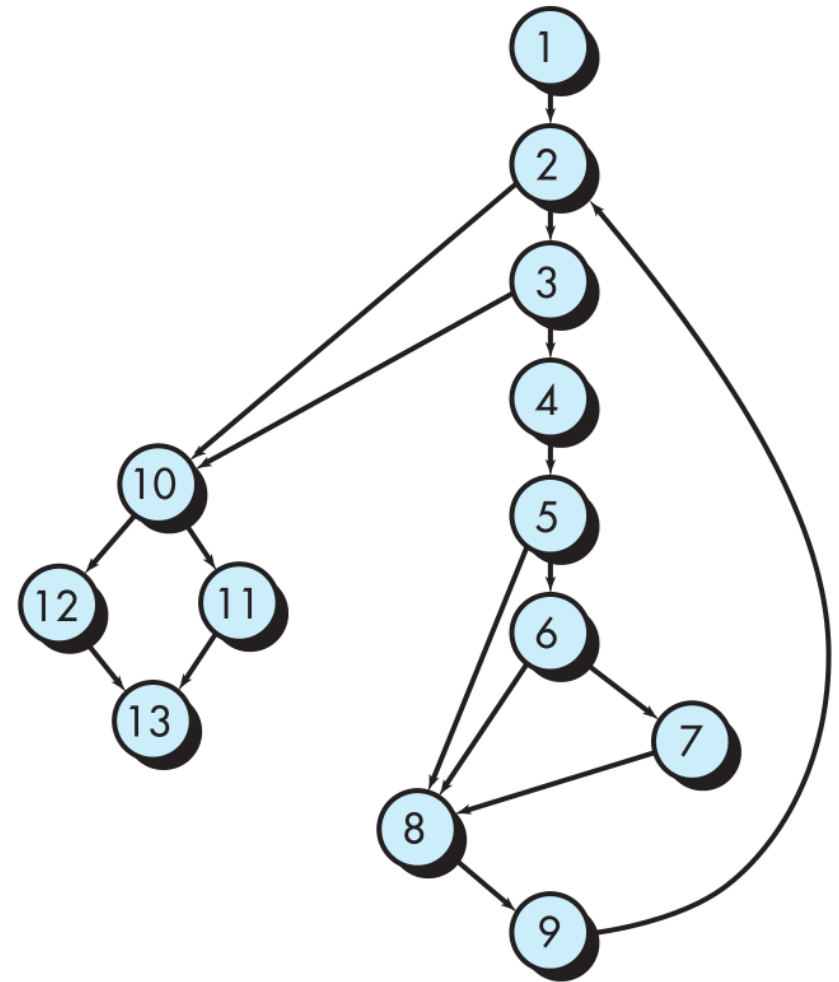
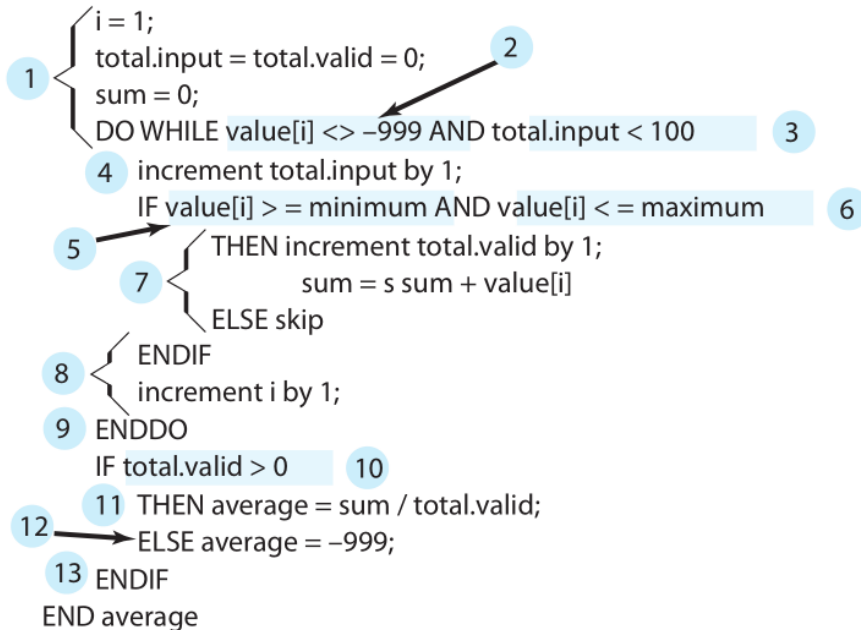
Another example

PROCEDURE average;

- * This procedure computes the average of 100 or fewer numbers that lie between bounding values; it also computes the sum and the total number valid.

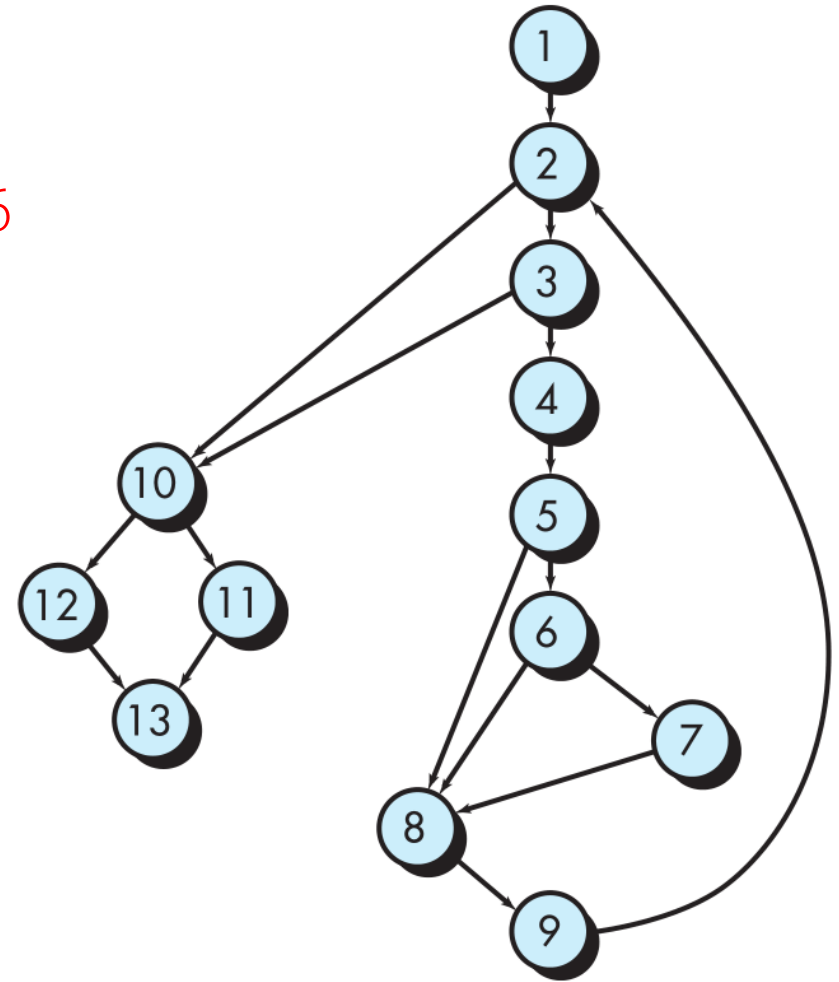
INTERFACE RETURNS average, total.input, total.valid;
INTERFACE ACCEPTS value, minimum, maximum;

TYPE value[1:100] IS SCALAR ARRAY;
TYPE average, total.input, total.valid;
minimum, maximum, sum IS SCALAR;
TYPE i IS INTEGER;



How many paths?

- How many paths?
 - $V(G) = 17$ edges – 13 nodes + 2 = 6
 - $V(G) = 6$ regions (planes)
- What are the paths?
 - Path 1: 1-2-10-11-13
 - Path 2: 1-2-10-12-13
 - Path 3: 1-2-3-10-11-13
 - Path 4: 1-2-3-4-5-8-9-2-...
 - Path 5: 1-2-3-4-5-6-8-9-2-...
 - Path 6: 1-2-3-4-5-6-7-8-9-2-...





Structural testing examples

Code used for some examples

If $((A > 1) \ \& \ (B = 0))$ then

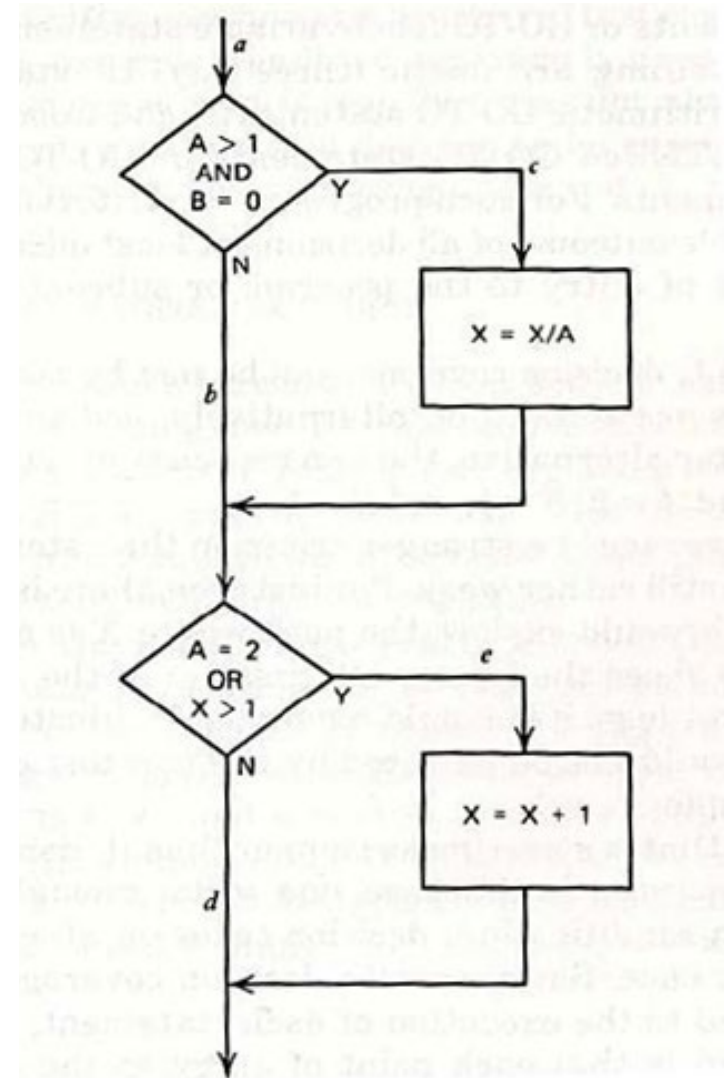
$X = X/A;$

END;

If $((A == 2) \ | \ (X > 1))$ then

$X = X + 1;$

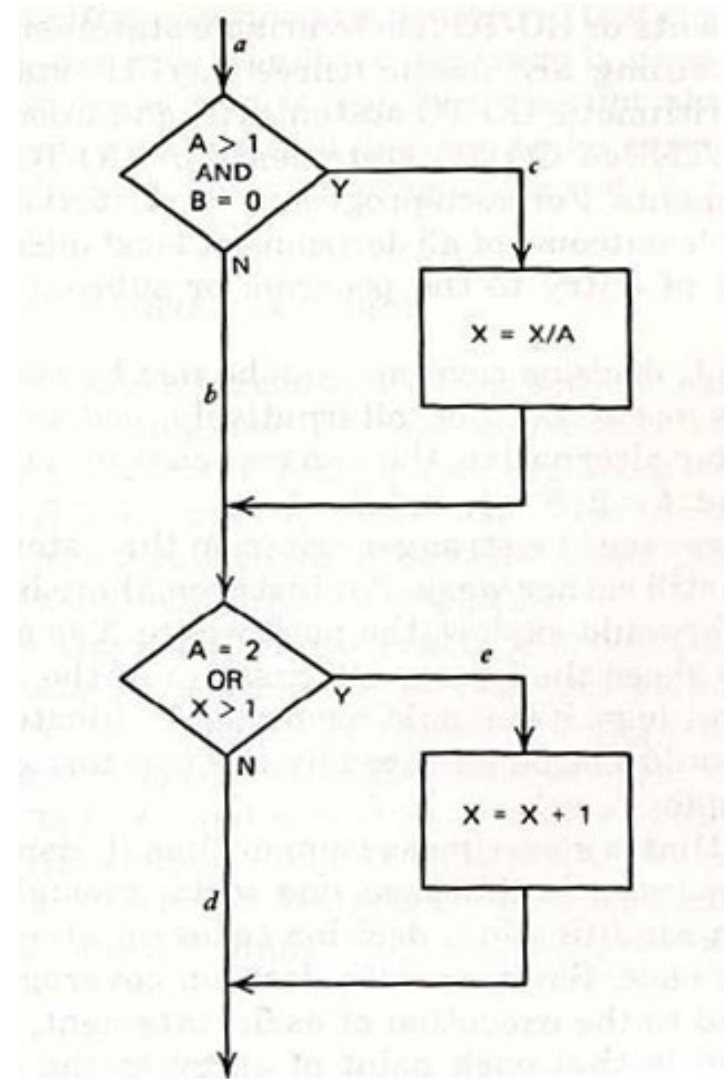
END;



- Test cases ensure that each statement in a program P is executed
- Other names: line coverage, basic block coverage
- A weak coverage
- Insensitive to some control structures

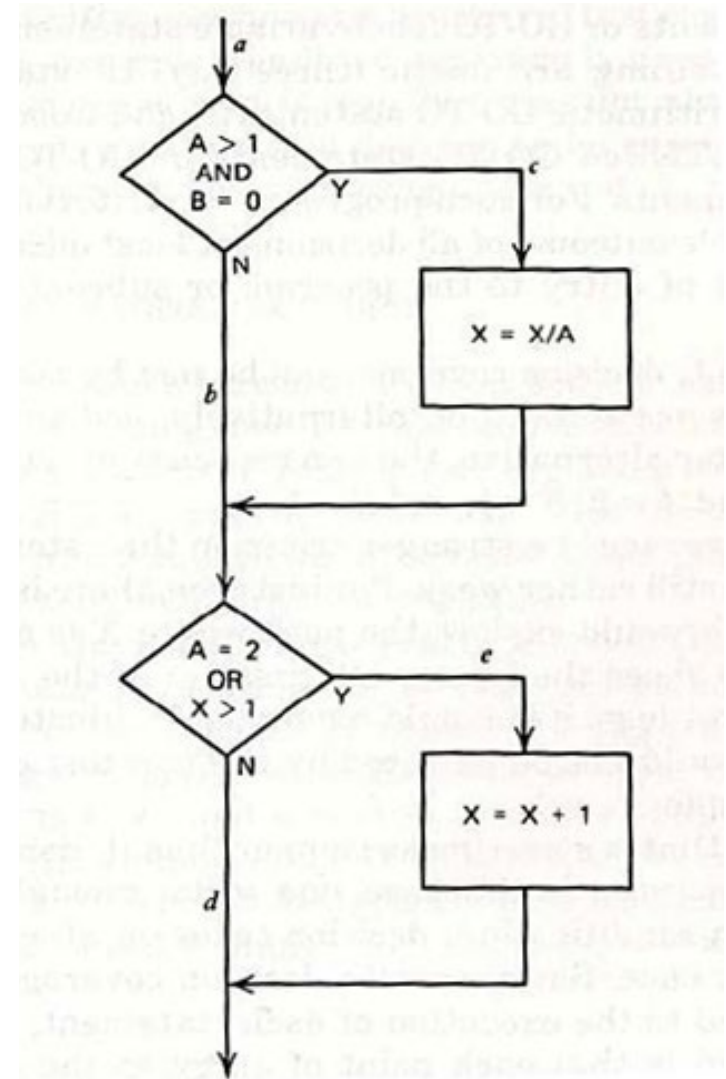
Statement coverage example

- How many test cases?



Statement coverage example

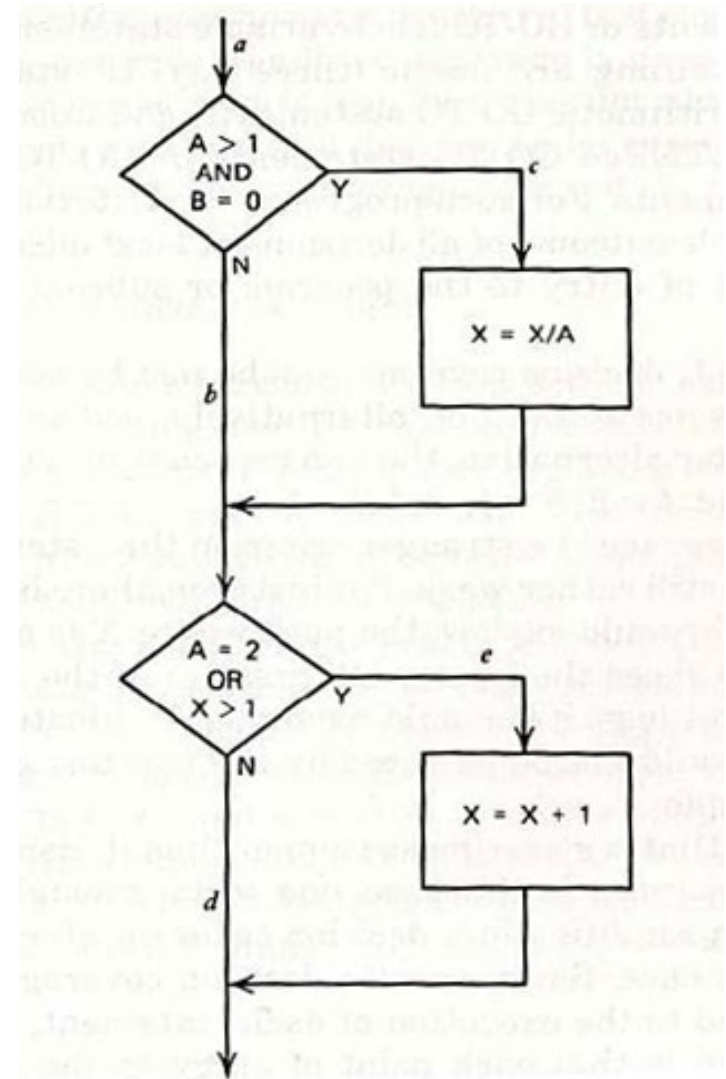
- How many test cases?
- One
 - $A=2$ and $B=0$ and $X=5$ (ace)



- Test cases ensure Boolean expressions tested in control structures evaluated to both true and false
 - Also exercises different cases of a “switch” statement
- The entire Boolean expression is considered one true-or-false predicate regardless of whether it contains logical-and or logical-or operators
- Also known as branch or edge coverage, decision-decision-path

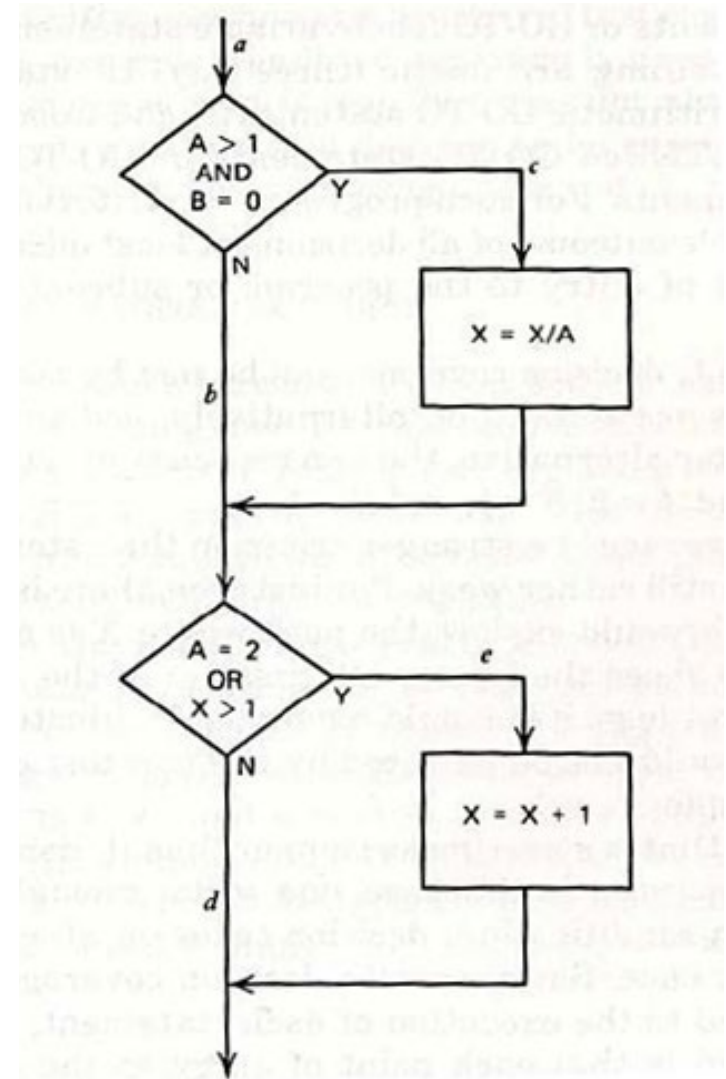
Decision coverage example

- How many test cases?



Decision coverage example

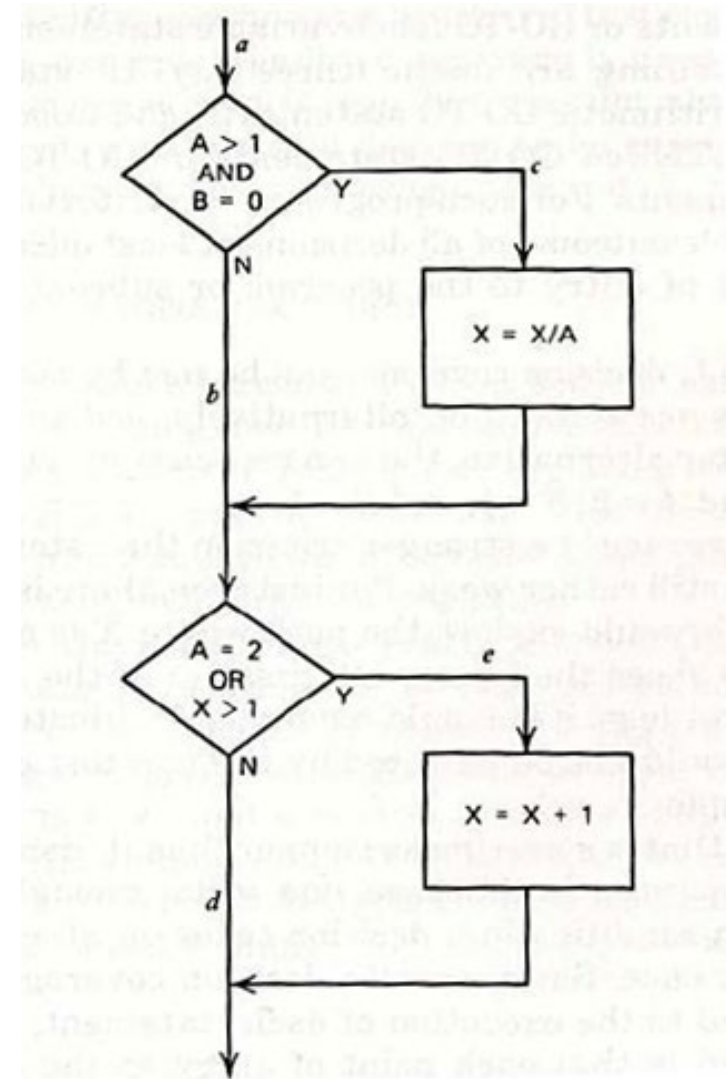
- How many test cases?
- Two
 - $A=2$ and $B=0$ $x=0$ (ace)
 - $A=1$ and $B=1$ $x=0$ (abd)



- Condition coverage reports the true or false outcome of each Boolean sub-expression, separated by logical-and (&&) and logical-or (||) if they occur
 - Condition coverage measures the sub-expressions independently of each other.
- Similar to decision coverage but has better sensitivity to the control flow
- However, full condition coverage does not guarantee full decision coverage

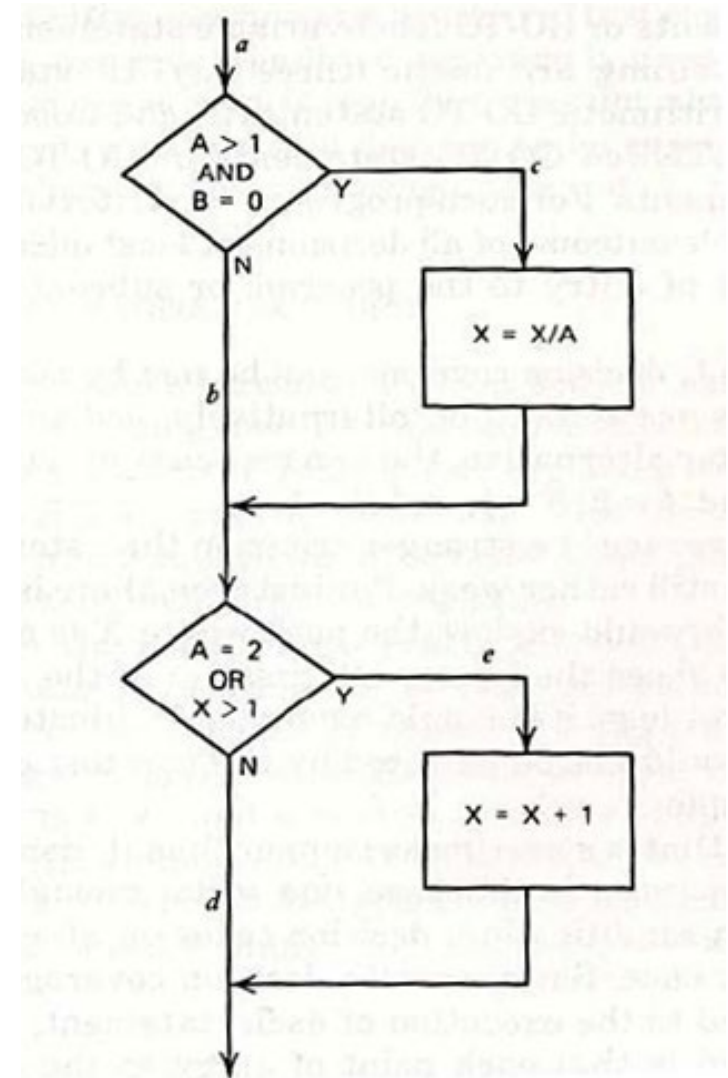
Condition coverage example

- How many test cases?
 - Conditions: $A > 1$, $B = 0$, $A = 2$, $X > 1$



Condition coverage example

- How many test cases?
 - Conditions: $A > 1$, $B = 0$, $A = 2$, $X > 1$
 - How many test cases?
 - $A = 2$, $B = 0$, and $X = 4$ (ace)
 - $A = 1$, $B = 1$, and $X = 1$ (abd)



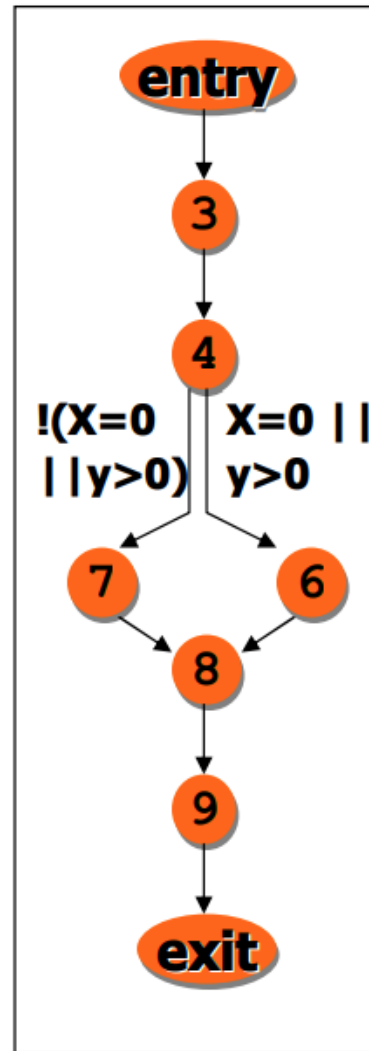
- Consider the following (fails branch coverage)

```
if (a && b) S1 else S2;
```

- `a==true` and `b==false`
- `a==false` and `b==true`
- Both result in exercising S2 (and not S1)
- However, if one exercises this code with `a` and `b` having *all possible combinations of values*, (known as compound or multi-condition coverage), condition coverage reports full coverage

Condition coverage concern

```
1. void main() {  
2.   float x, y;  
3.   read(x);  
4.   read(y);  
5.   if (x==0) || (y>0)  
6.     y = y/x;  
7.   else x = y+2;  
8.   write(x);  
9.   write(y);  
10. }
```

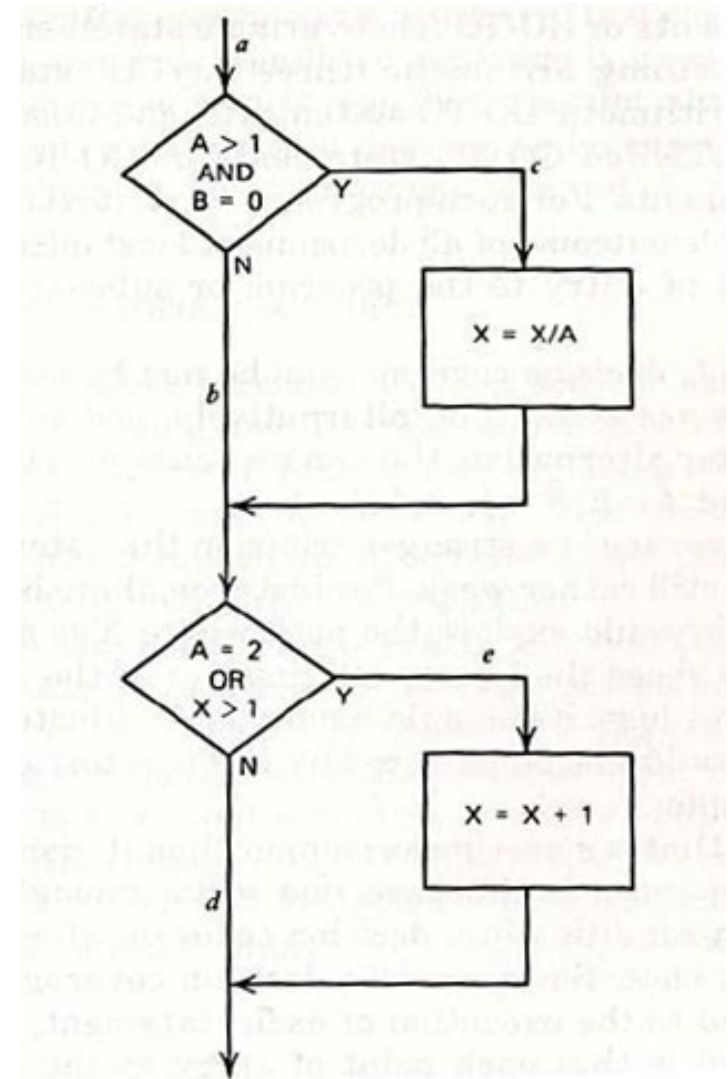


- Consider test cases $\{(x=0, y=-5), (x=5, y=5)\}$
 - The test suite is adequate for basic condition coverage, but it does not reveal the fault at statement 6
 - The test suite is not adequate for branch coverage.
- ⇒ *Branch and condition coverage*

- The test cases for all the possible combinations of outcomes of conditions in a decision (therefore the complete decision table) to be tested (exercised) at least once
 - As with condition coverage, the sub-expressions are separated by logical-and and logical-or, when present
 - The test cases required for full multiple condition coverage of a condition are given by the logical operator truth table for the condition
- Some test cases may be unnecessary
- A disadvantage: tedious to determine the minimum set of test cases required, especially for very complex Boolean expressions

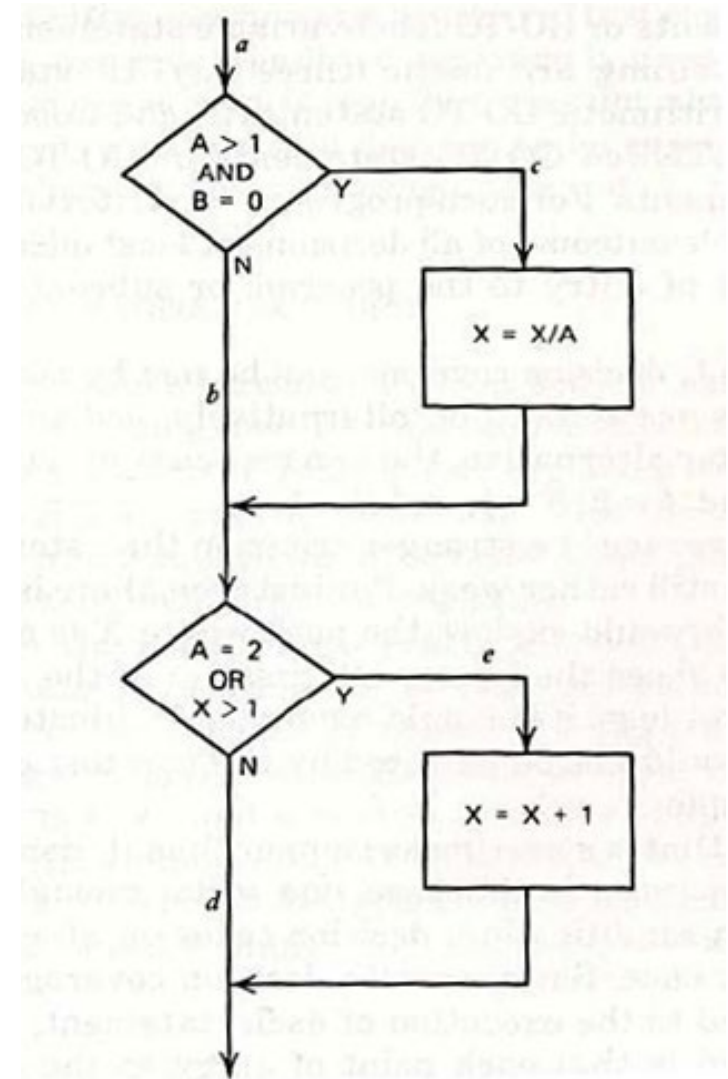
Multiple condition example

- Conditions
 - $A > 1, B = 0$
 - $A > 1, B \neq 0$
 - $A \leq 1, B = 0$
 - $A \leq 1, B \neq 0$
 - $A = 2, X > 1$
 - $A = 2, X \leq 1$
 - $A \neq 2, X > 1$
 - $A \neq 2, X \leq 1$



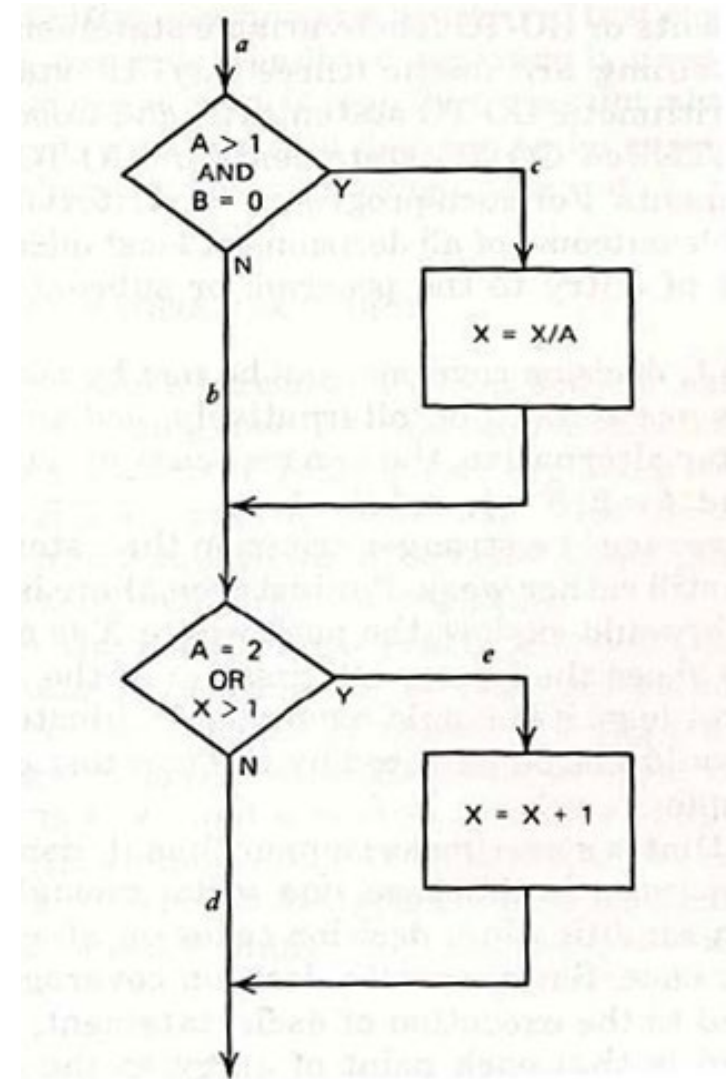
Multiple condition example

- How many test cases?



Multiple condition example

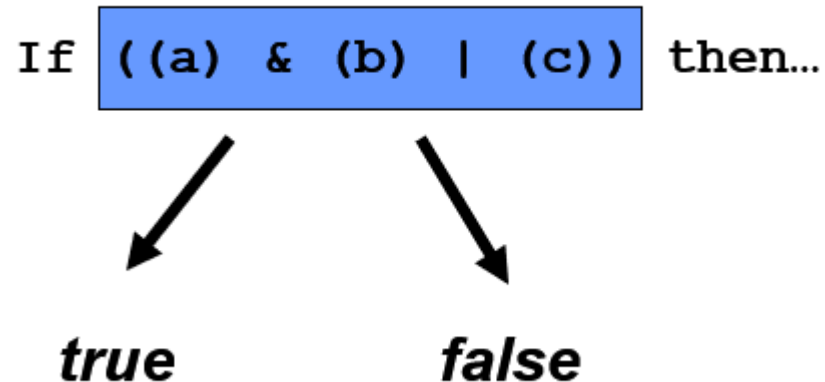
- How many test cases?
 - $A=2, B=0, X=4$
 - $A=2, B=1, X=1$
 - $A=1, B=0, X=2$
 - $A=1, B=1, X=1$



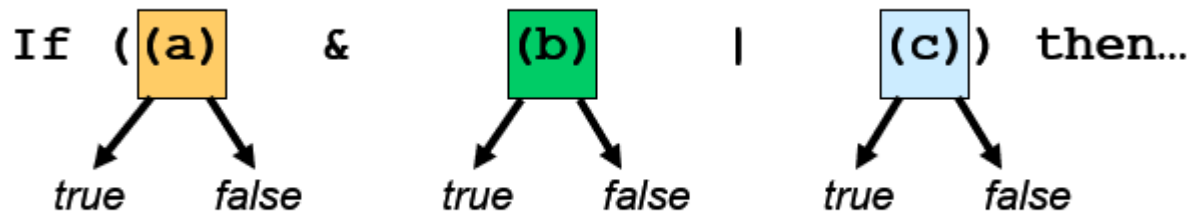
- MCDC or MC/DC
- Stands for **M**odified **C**ondition/**D**ecision **C**overage
- Created at Boeing and is required for aviation software by RCTA/DO-178C
 - DO-178C: A guideline dealing with the safety of safety-critical software used in certain airborne systems
- *A de facto standard for developing avionics software systems*
 - FAA, European Aviation, and Transport Canada

- Compound (multiple, combinatoric) condition testing generates many test cases (2^n)
 - Huge number of test cases
- Main idea of MC/DC: only consider conditions that independently impact the outcome of a decision
 - Remember, the objective is covering the outcome

- Cover both the true and false possibilities



- For every condition, we consider test cases that consider the true and false value independently for each condition



- May not necessarily achieve branch coverage

- Compound or multiple or combinatoric condition coverage
- We consider all possible true and false combinations of all conditions
- 2^n test cases
- OK when n is 3, 4, or maybe 5
- Impractical when $n = 30$, $2^{30} = 1,073,741,824$ test cases
 - When $n = 50$, $2^{50} = 1,125,899,900,000,000$ test cases
- But does $n \geq 50$ happen in the real world?

Does $n \geq 50$ happen in real world?

- “In avionics systems, complex Boolean expressions are common. Table 2 shows the number of Boolean expressions with n conditions for all of the logic expressions taken from the airborne software of five different Line Replaceable Units (LRUs) from level A systems. The five LRUs came from five different airborne systems from two different airplane models in 1995.”

NASA/TM-2001-210876

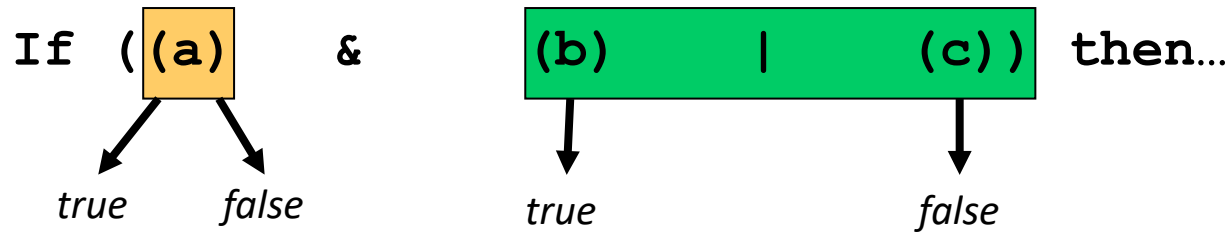


A Practical Tutorial on Modified Condition/
Decision Coverage

Table 2. Boolean Expression Profile for 5 Line Replaceable Units

	Number of Conditions, n									
	1	2	3	4	5	6-10	11-15	16-20	21-35	36-76
Number of Boolean expressions with n conditions	16491	2262	685	391	131	219	35	36	4	2

- Every condition in the decision independently affects the decision's outcome.
- Not like anything we have talked about, so let's elaborate...



Change the value of each condition individually while keeping all other conditions constant.

- Every decision in the program has taken all possible outcomes at least once
- Every condition in a decision in the program has taken all possible *outcomes* at least once
 - Every condition in a decision has been shown to independently affect that decision's outcome
- Only a subset of compound conditions are considered
 - Not 2^n but rather $n+1$ test cases will be needed
 - If $n=4$, compound condition coverage will require 16 test cases whereas MC/DC will require 5 test cases

- A happy medium between decision (branch) coverage and compound (multiple) condition coverage
 - Decision coverage plus the criteria that every condition in a decision is shown to independently impact the decision outcome
 - That is the reason for “modified condition”
 - For each condition, find two rows in the decision table where the condition changes and outcome changes while other conditions remain the same

Example 1: $A \wedge B \vee C$

- It is : $(A \ \&\& \ B) \ || \ C$

Row	C(A)	C(B)	C(C)	Result	P(A)	P(B)	P(C)
1	T	T	T	T			
2	T	T	F	T	6	4	
3	T	F	T	T			4
4	T	F	F	F		2	3
5	F	T	T	T			
6	F	T	F	F	2		
7	F	F	T	T			
8	F	F	F	F			

- MC/DC subsumes branch and condition coverages
- MC/DC is weaker than multiple condition coverage
 - Compound condition coverage subsumes MC/DC
 - MC/DC subsumes condition, decision, and statement (branch) coverages
- For an expression with n conditions, the MC/DC criterion can be met with a minimum of $n + 1$ test cases

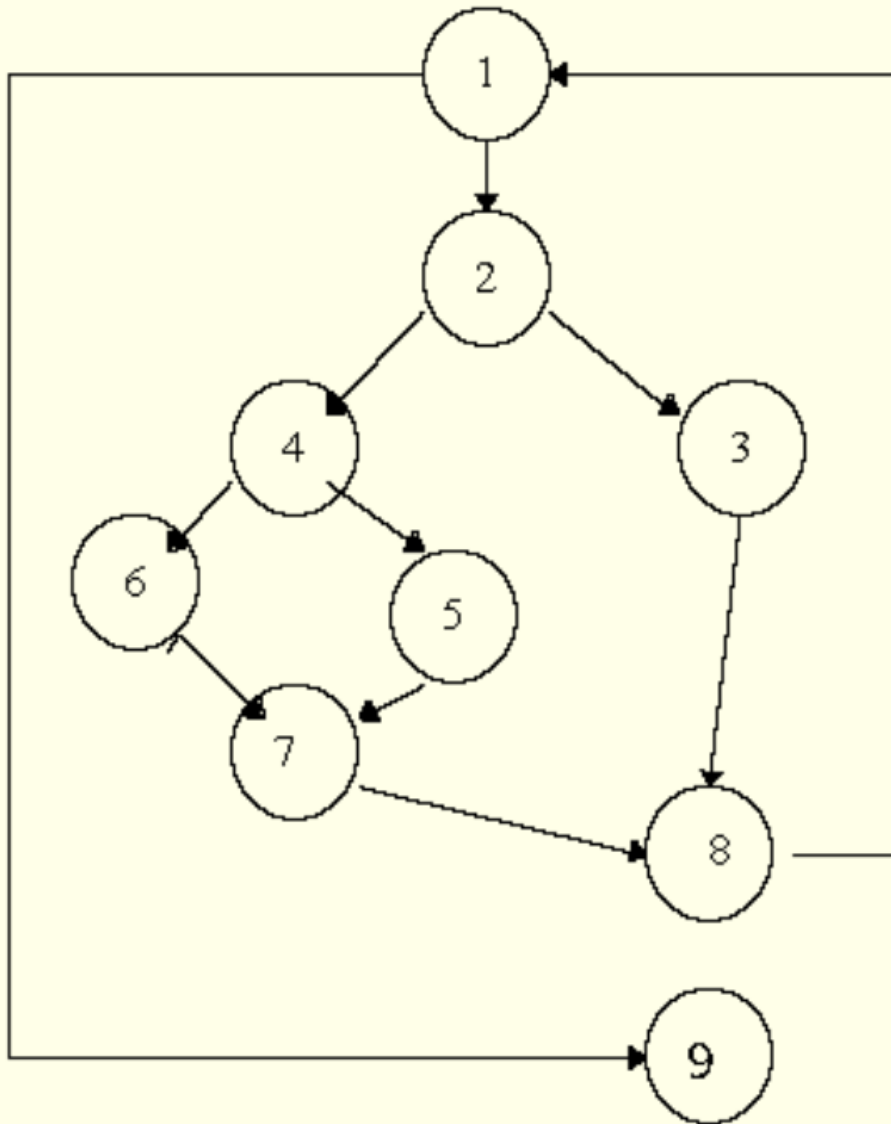
- Testing is one element of software quality assurance
- Verification and validation can occur in any phase
- Code-based testing: generate test cases based on inspecting the code
 - Various code coverages: statement, branch, condition, MCDC, ..., path coverages

Examples

A sample pseudocode

```
1:      WHILE NOT EOF LOOP
2:          Read Record;
2:          IF field1 equals 0 THEN
3:              Add field1 to Total
3:              Increment Counter
4:          ELSE
4:              IF field2 equals 0 THEN
5:                  Print Total, Counter
5:                  Reset Counter
6:              ELSE
6:                  Subtract field2 from Total
7:              END IF
8:          END IF
8:          Print "End Record"
9:      END LOOP
9:      Print Counter
```

A sample pseudocode



Paths:

1-9

1-2-3-8-1-...

1-2-4-5-8-1-...

1-2-4-6-8-1-...

Another pseudocode

```
Procedure Validate_Pin (Valid_Pin, Return_Code)
Valid_Pin = FALSE
Return_Code = GOOD
Pin_Count = 0
do until Valid_Pin = TRUE or Pin_Count > 2 or
    Return_Code = CANCEL
begin
    get Pin_Number (Pin_Number, Return_Code)
    if (Return_Code ≠ CANCEL)
        begin
            call Validate Pin_Number (Pin_Number, Valid_Pin)
            if (Valid_Pin = FALSE) then
                begin
                    output "Invalid PIN, please re-enter PIN"
                    Pin_Count = Pin_Count + 1
                end
            end
        end
    end
end
return (Valid_Pin, Return_Code)
```

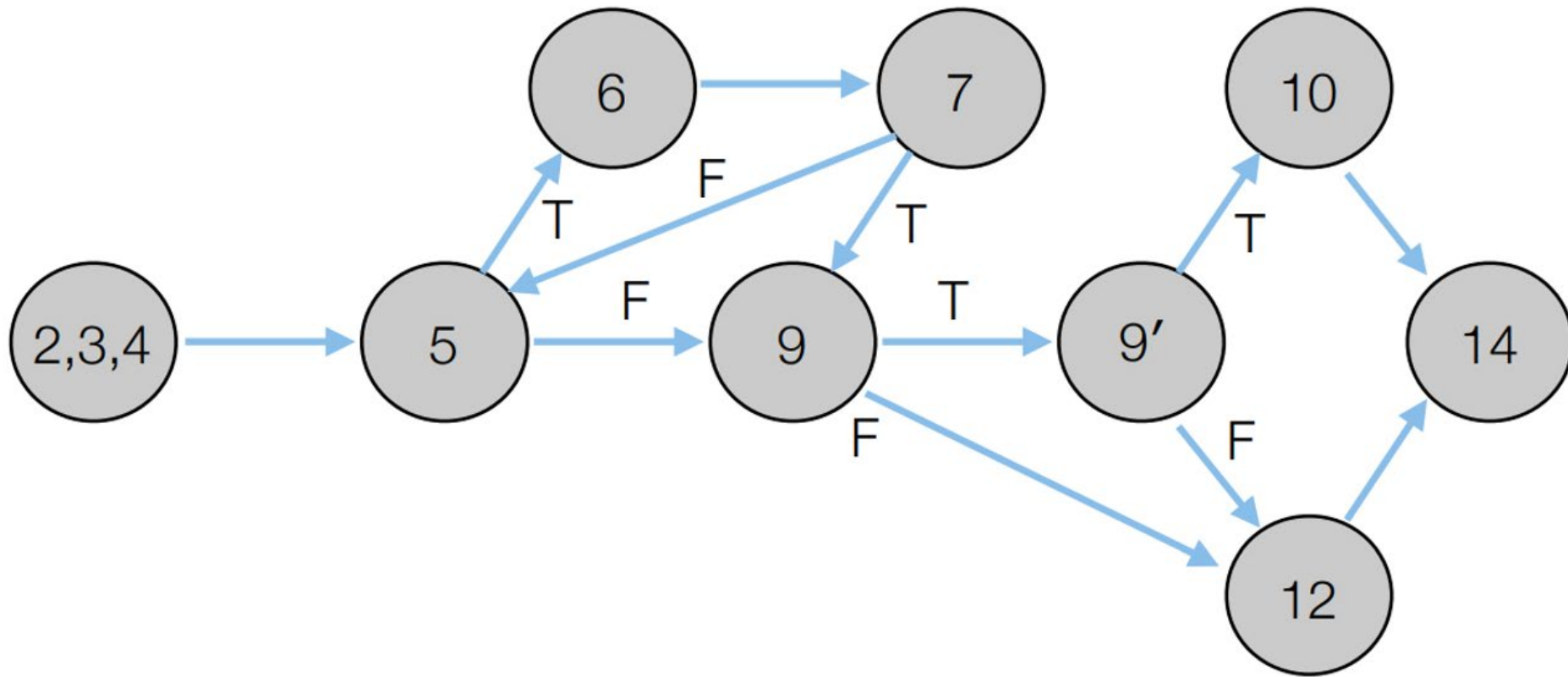
A sample Ada program

```
1      function P return INTEGER is
2      begin
3          X, Y: INTEGER;
4          READ(X); READ(Y);
5          while (X > 10) loop
6              X := X - 10;
7              exit when X = 10;
8          end loop;
9          if (Y < 20 and then X mod 2 = 0) then
10             Y := Y + 20;
11          else
12             Y := Y - 20;
13          end if;
14          return 2 * X + Y;
15      end P;
```

A sample Ada program

```
1      function P return INTEGER is
2      begin
3          X, Y: INTEGER;
4          READ(X); READ(Y);
5          while (X > 10) loop
6              X := X - 10;
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8          end loop;
9          if (Y < 20 and then X mod 2 = 0) then
10             Y := Y + 20;
11         else
12             Y := Y - 20;
13         end if;
14         return 2 * X + Y;
15     end P;
```

A sample Ada program



An example: compute the average

- Input
 - An array of up to 100 integers; it is called **value []**
 - An integer called **minimum**
 - An integer called **maximum**
 - **value []** has a sentinel -999 that shows the last number in the list
- Objective: Compute the average of the numbers in **value []**
 - Only consider **value [i]** that are between **minimum** and **maximum**

An example

```
Procedure average;  
  value : array [1..100] of integers;  
  average, input, valid : integer;  
  minimum, maximum, sum, i : integer;  
  i = 1;  
  input = valid = 0;  
  sum = 0;  
  while value[i] <> -999 and input < 100  
    input = input + 1;  
    if value[i] >= minimum and value[i] <= maximum  
      then valid = valid + 1;  
        sum = sum + value[i];  
      else skip  
    endif  
    i = i + 1;  
  endwhile  
  if valid > 0  
    then average = sum / valid;  
    else average = -999;  
  endif  
-
```

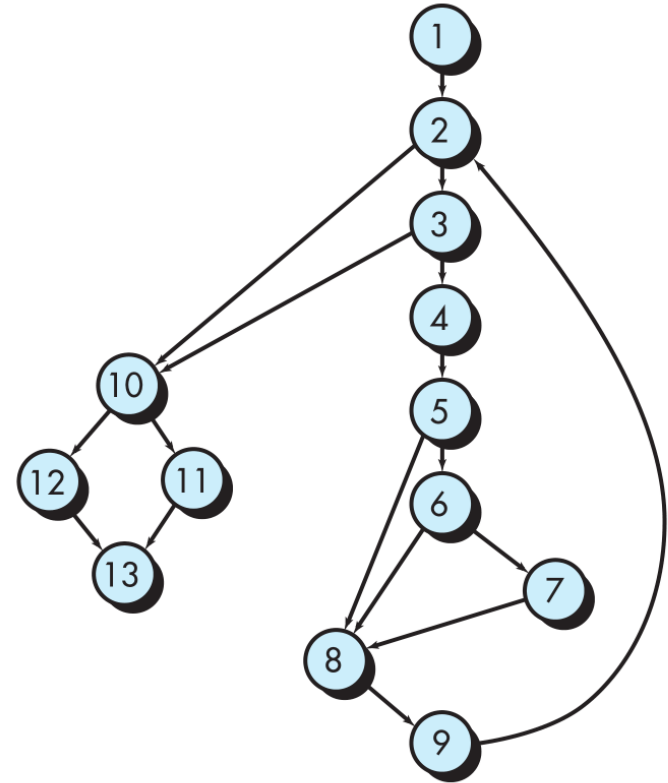
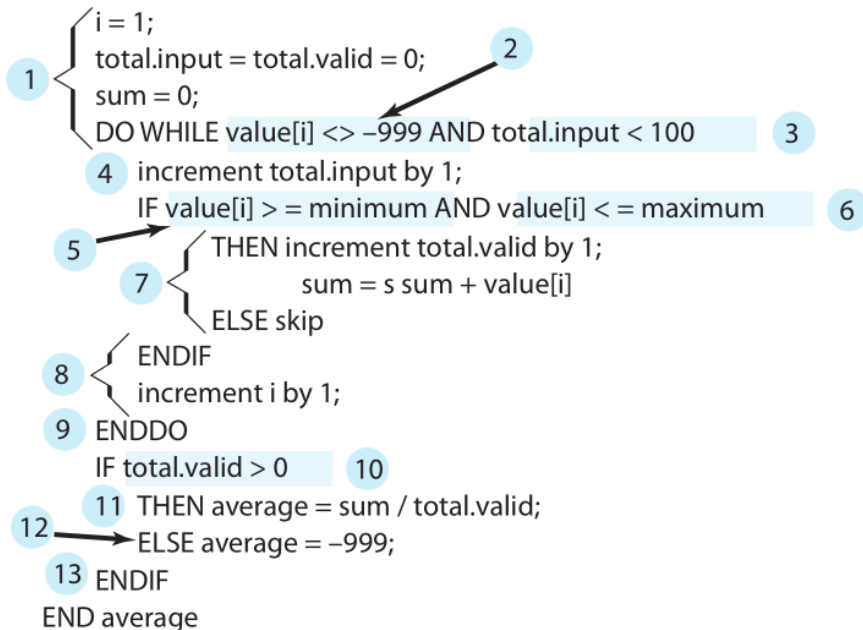
An example

PROCEDURE average;

- * This procedure computes the average of 100 or fewer numbers that lie between bounding values; it also computes the sum and the total number valid.

INTERFACE RETURNS average, total.input, total.valid;
INTERFACE ACCEPTS value, minimum, maximum;

TYPE value[1:100] IS SCALAR ARRAY;
TYPE average, total.input, total.valid;
minimum, maximum, sum IS SCALAR;
TYPE i IS INTEGER;



Path 1: 1-2-10-11-13

Path 2: 1-2-10-12-13

Path 3: 1-2-3-10-11-13

Path 4: 1-2-3-4-5-8-9-2-...

Path 5: 1-2-3-4-5-6-8-9-2-...

Path 6: 1-2-3-4-5-6-7-8-9-2-...

Path 1 test case

attempt to process 101 or more values

first 100 values should be valid

expected result: correct average based on 100 values and proper totals

Path 2 test case

value (i) = valid input where $i < 100$

value (k) < minimum where $k < i$

expected results: correct average based on k values and proper totals

Path 3 test case

value (i) = valid input where $i < 100$

value (k) > maximum where $k \leq i$

expected results: correct average based on k values and proper totals

Path 4 test case:

value(i) = valid input where $i < 100$

expected result: correct average based on 100 values and proper totals

Path 5 test case:

value(k) = valid input where $k < i$

value(i) = -999 where $2 \leq i \leq 100$

expected results: correct average based on k values and proper totals

Note: cannot be tested alone; must be with path 2, 3, 4 tests

Path 6 test case:

value(1) = -999

expected results: average = -999; other totals at initial values

Example 2: A && B && C

Test case	a	b	c	outcome
1	True	True	True	True
2	True	True	False	False
3	True	False	True	False
4	True	False	False	False
5	False	True	True	False
6	False	True	False	False
7	False	False	True	False
8	False	False	False	False

- Start with **A**: Find two rows where the value of **A** and outcome change but **B** and **C** stay the same
- Rows 1 and 5
- Anymore?

Example 2: A && B && C

Test case	a	b	c	outcome
1	True	True	True	True
2	True	True	False	False
3	True	False	True	False
4	True	False	False	False
5	False	True	True	False
6	False	True	False	False
7	False	False	True	False
8	False	False	False	False

- Start with **B**: Find two rows where the value of **B** and outcome change but **A** and **C** stay the same
- Rows 1 and 3
- Anymore?

Example 2: A && B && C

Test case	a	b	c	outcome
1	True	True	True	True
2	True	True	False	False
3	True	False	True	False
4	True	False	False	False
5	False	True	True	False
6	False	True	False	False
7	False	False	True	False
8	False	False	False	False

- Start with **C**: Find two rows where the value of **C** and outcome change but **A** and **B** stay the same
- Rows 1 and 2
- Anymore?

Example 2: A && B && C

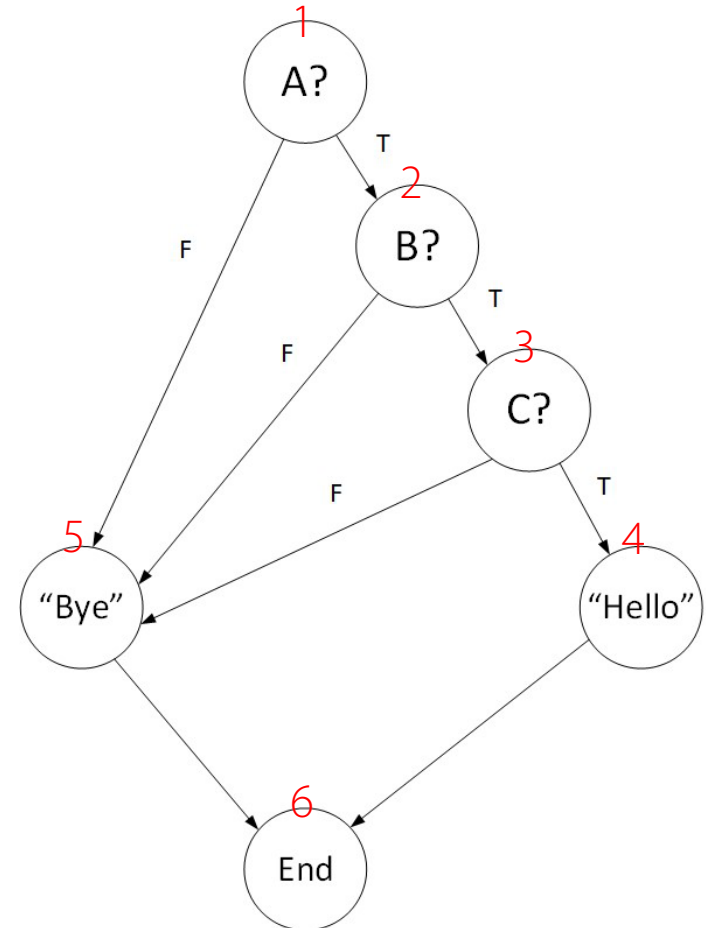
Test case	a	b	c	outcome
1	True	True	True	True
2	True	True	False	False
3	True	False	True	False
4	True	False	False	False
5	False	True	True	False
6	False	True	False	False
7	False	False	True	False
8	False	False	False	False

- We must consider developing test cases for the following rows: {1,5} (because of **A**), {1,3} (b/c of **B**), {1,2} (b/c of **C**)
- We need test cases for rows: 1,2,3 and 5
- We went from 2^3 (8 test cases) to 3+1 (4 test cases)

Example 2: an observation

if (A && B) && C print "Hello" else print "Bye";

- Convert to flowgraph
- How many paths?
- No loops; paths are for edge coverage
- What are the paths?
 - 1-2-3-4-6 (corresponds to row 1)
 - 1-2-3-5-6 (corresponds to row 2)
 - 1-2-5-6 (corresponds to row 3)
 - 1-5-6 (corresponds to row 5)



Example 3: $A \wedge (B \vee C)$

- It is : $A \ \&\& \ (B \ || \ C)$

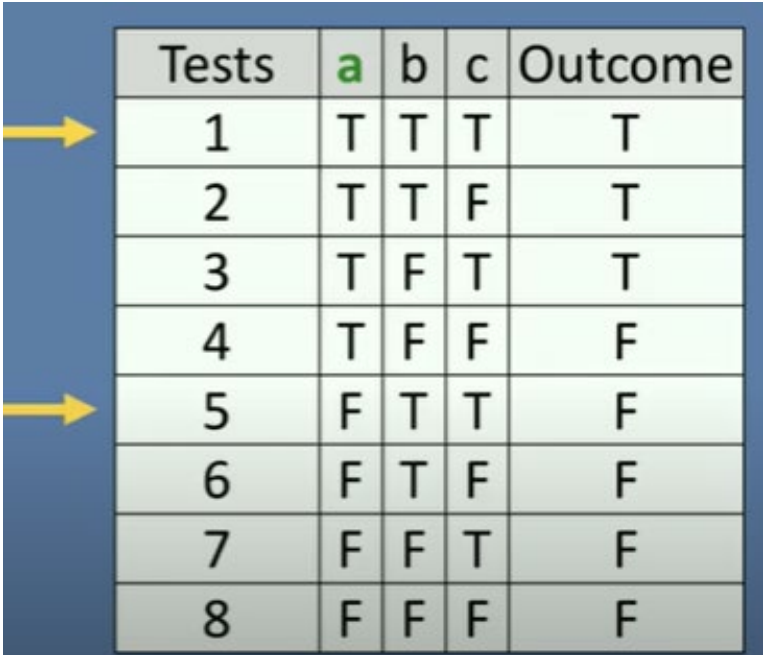
Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider A: find two rows where value of A changes, B and C stay the same, but the outcome changes



Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

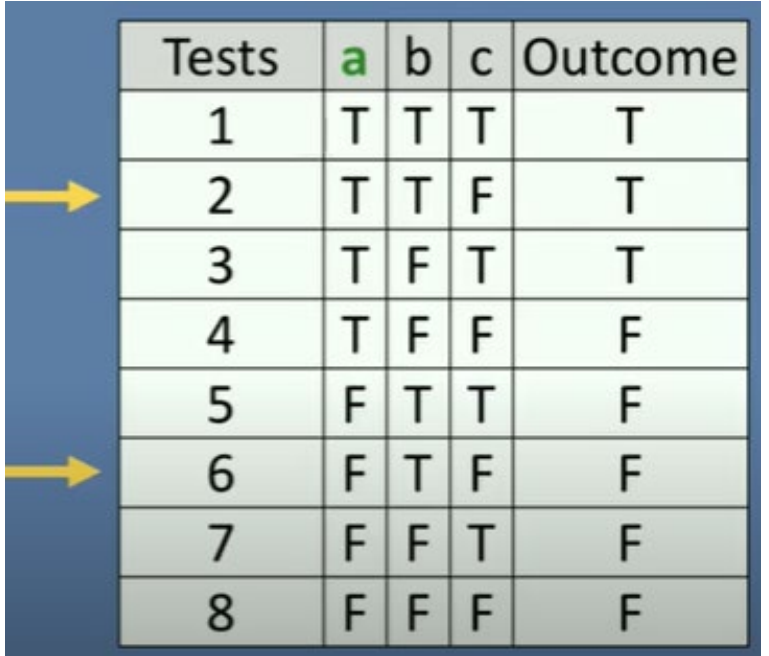
- Rows 1 and 5: keep for testing

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider A: find two rows where value of A changes, B and C stay the same, but the outcome changes



Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

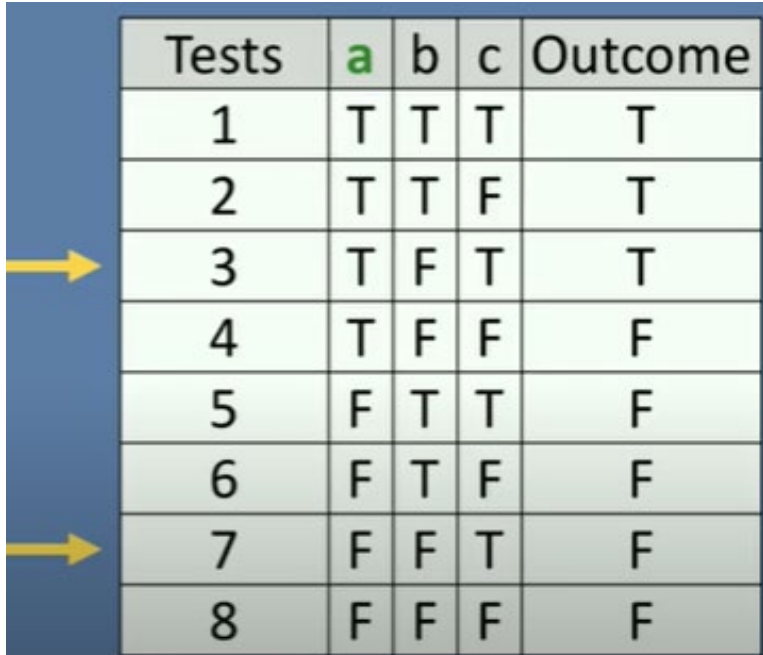
- Rows 2 and 6: keep for testing

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider A: find two rows where value of A changes, B and C stay the same, but the outcome changes



Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Rows 3 and 7: keep for testing

Example 3: $A \wedge (B \vee C)$

• $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F


- Consider A: find two rows where value of A changes, B and C stay the same, but the outcome changes
- Continue with the above process
- Anymore? 4 and 8?
- For A we must develop test cases for: {1,5}, {2,6}, {3,7}

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider B: find two rows where value of B changes, A and C stay the same, but the outcome changes



Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Rows 2 and 4: keep for testing

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F


- Consider B: find two rows where value of B changes, A and C stay the same, but the outcome changes
- Continue with the above process
- Anymore?
- For B we must develop test cases for: {2, 4}

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider C: find two rows where value of B changes, A and B stay the same, but the outcome



Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- For C we must develop test cases for: {3, 4}

Example 3: $A \wedge (B \vee C)$

- $A \ \&\& \ (B \ || \ C)$

Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- Consider C: find two rows where value of B changes, A and B stay the same, but the outcome
Continue with the above process
- Continue with the above process
- Anymore?
- For C we must develop test cases for: {3, 4}

Example 3: $A \wedge (B \vee C)$

• $A \ \&\& \ (B \ || \ C)$

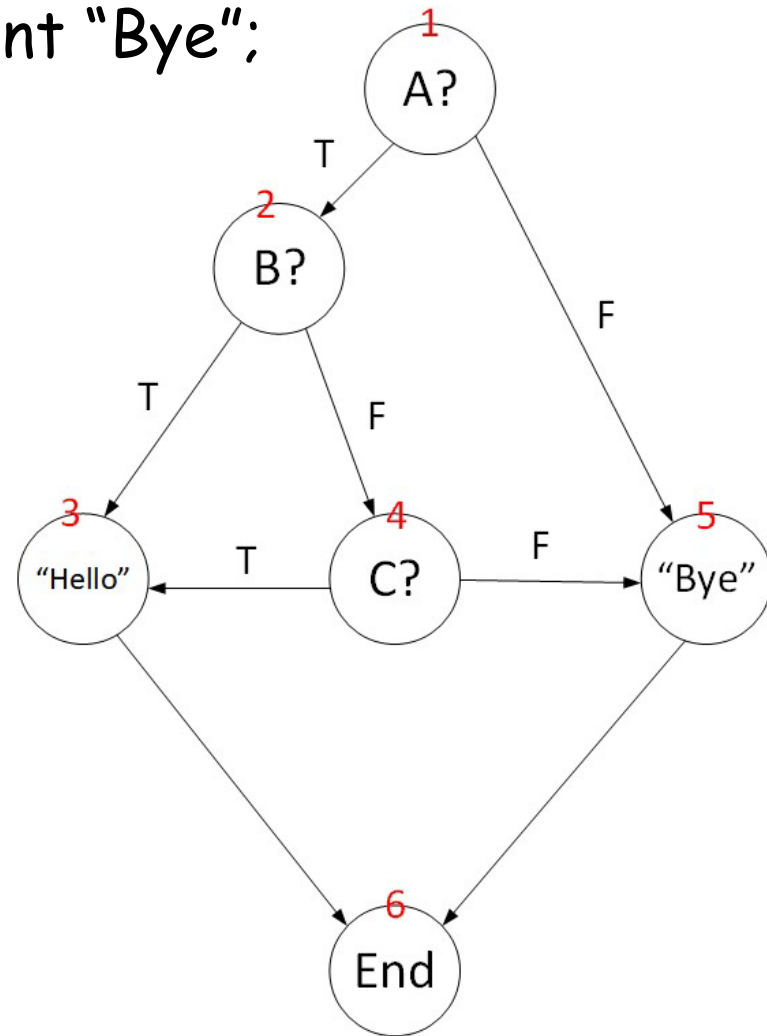
Tests	a	b	c	Outcome
1	T	T	T	T
2	T	T	F	T
3	T	F	T	T
4	T	F	F	F
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

- For A we have three options: {1,5}, {2,6}, {3,7}
- For B we have one option: {2,4}
- For C we have one option: {3,4}
- If we only consider {2,3,4,6} we will have a pair for A, a pair for B, and pair for C
- We can consider test cases for {1,2,3,5,6,7}, but no need to
- We have n+1 test cases

Example 3: an observation

if A && (B || C) print "Hello" else print "Bye";

- Convert to flowgraph
- How many paths?
- No loops; paths are for edge coverage
- What are the paths?
 - 1-2-3-6 (corresponds to row 2)
 - 1-2-4-3-6 (corresponds to row 3)
 - 1-2-4-5-6 (corresponds to row 4)
 - 1-4-5-6 (corresponds to row 6)



Example 4

- $((a \parallel b) \&\& c) \parallel d) \&\& e$
- Five logical clauses
- Combinatoric coverage: $2^5 = 32$ test cases
- Short circuiting or “I don’t care” entries reduce the test cases to 13 test cases (many compilers already do it)
 - Still very good
- MC/DC reduce it to $n+1$ or 6 test cases

Example 4: short-circuited

$((a \parallel b) \&\& c) \parallel d) \&\& e$

Test Case	a	b	c	d	e
(1)	T	—	T	—	T
(2)	F	T	T	—	T
(3)	T	—	F	T	T
(4)	F	T	F	T	T
(5)	F	F	—	T	T
(6)	T	—	T	—	F
(7)	F	T	T	—	F
(8)	T	—	F	T	F
(9)	F	T	F	T	F
(10)	F	F	—	T	F
(11)	T	—	F	F	—
(12)	F	T	F	F	—
(13)	F	F	—	F	—

- Short-circuit evaluation often reduces this to a more manageable number
- The above shows test cases for the compound condition coverage

Example 4: test cases

$((a \parallel b) \&\& c) \parallel d \&\& e$

Test case	a	b	c	d	e	outcome
(1)	<u>true</u>	--	<u>true</u>	--	<u>true</u>	true
(2)	false	<u>true</u>	true	--	true	true
(3)	true	--	false	<u>true</u>	true	true
(6)	true	--	true	--	<u>false</u>	false
(11)	true	--	<u>false</u>	<u>false</u>	--	false
(13)	<u>false</u>	<u>false</u>	--	false	--	false

- Underlined values independently affect the output of the decision
- Required by the RTCA/DO-178B standard