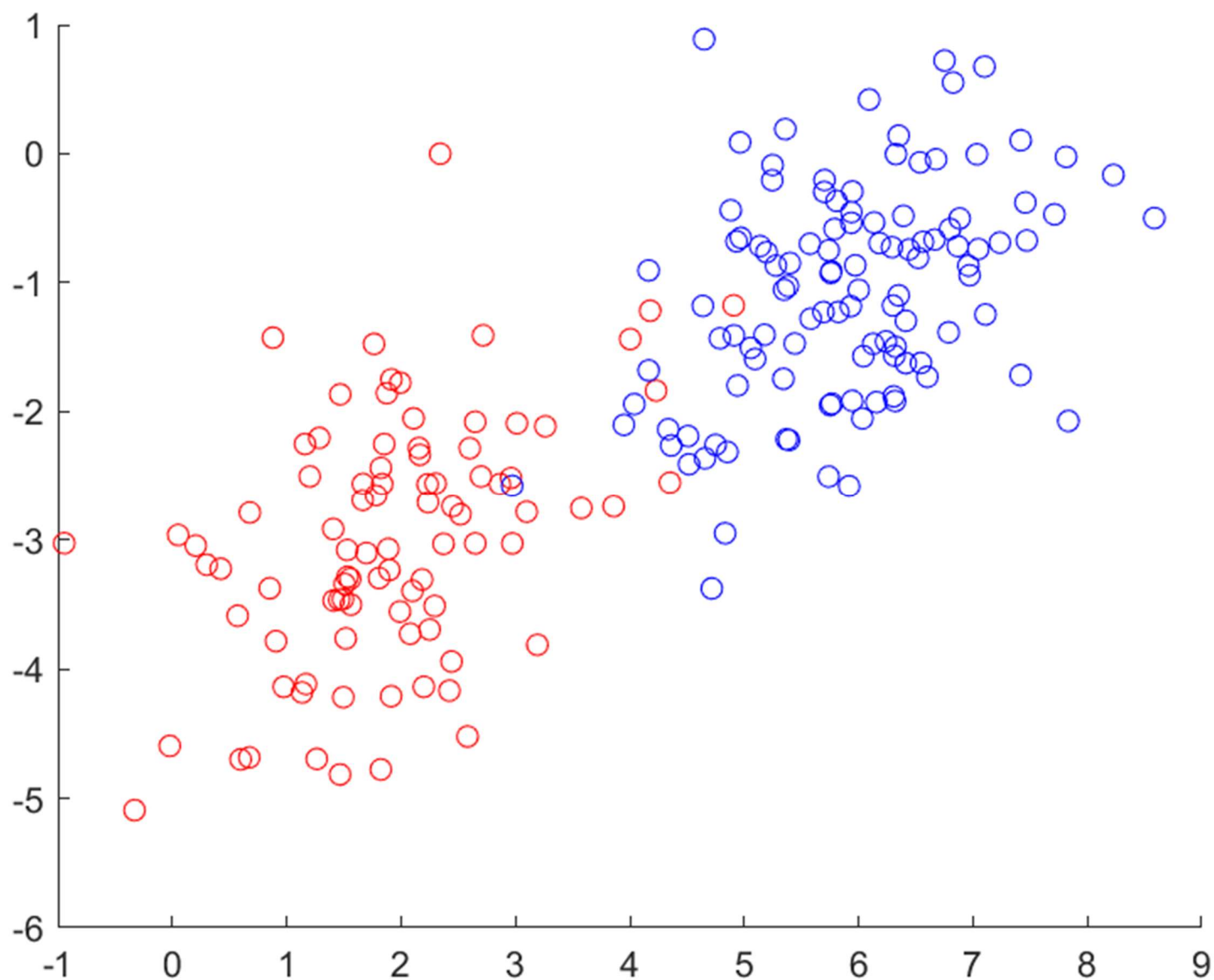


a.



b. $P(y=0) = 89/200 = 0.445$

$$\mu_0 = [1.9195, -2.9972]$$

$$\mu_1 = [5.8982, -1.0793]$$

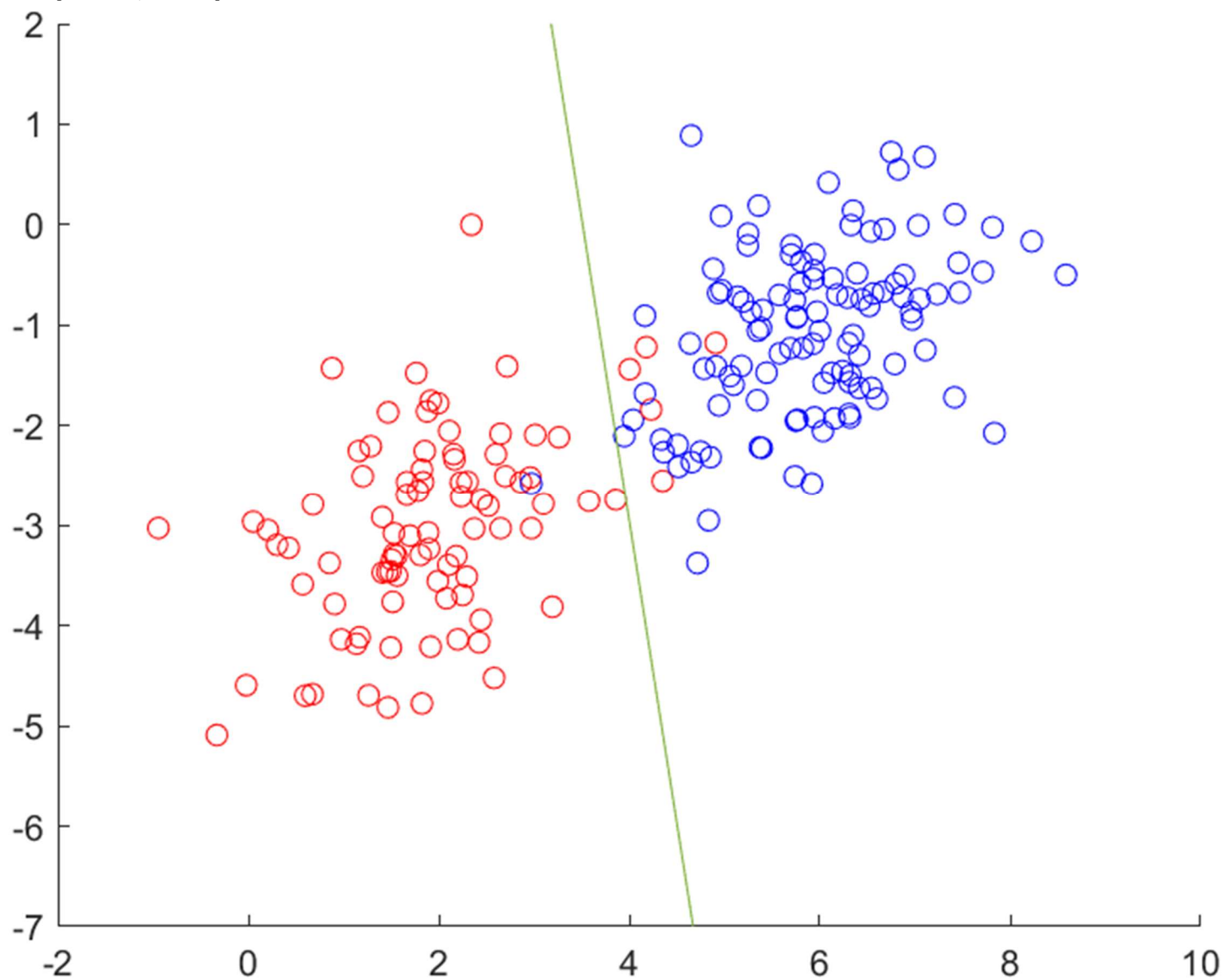
$$\Sigma = \begin{bmatrix} 1.0181 & 0.3887 \\ 0.3887 & 0.8036 \end{bmatrix}$$

```

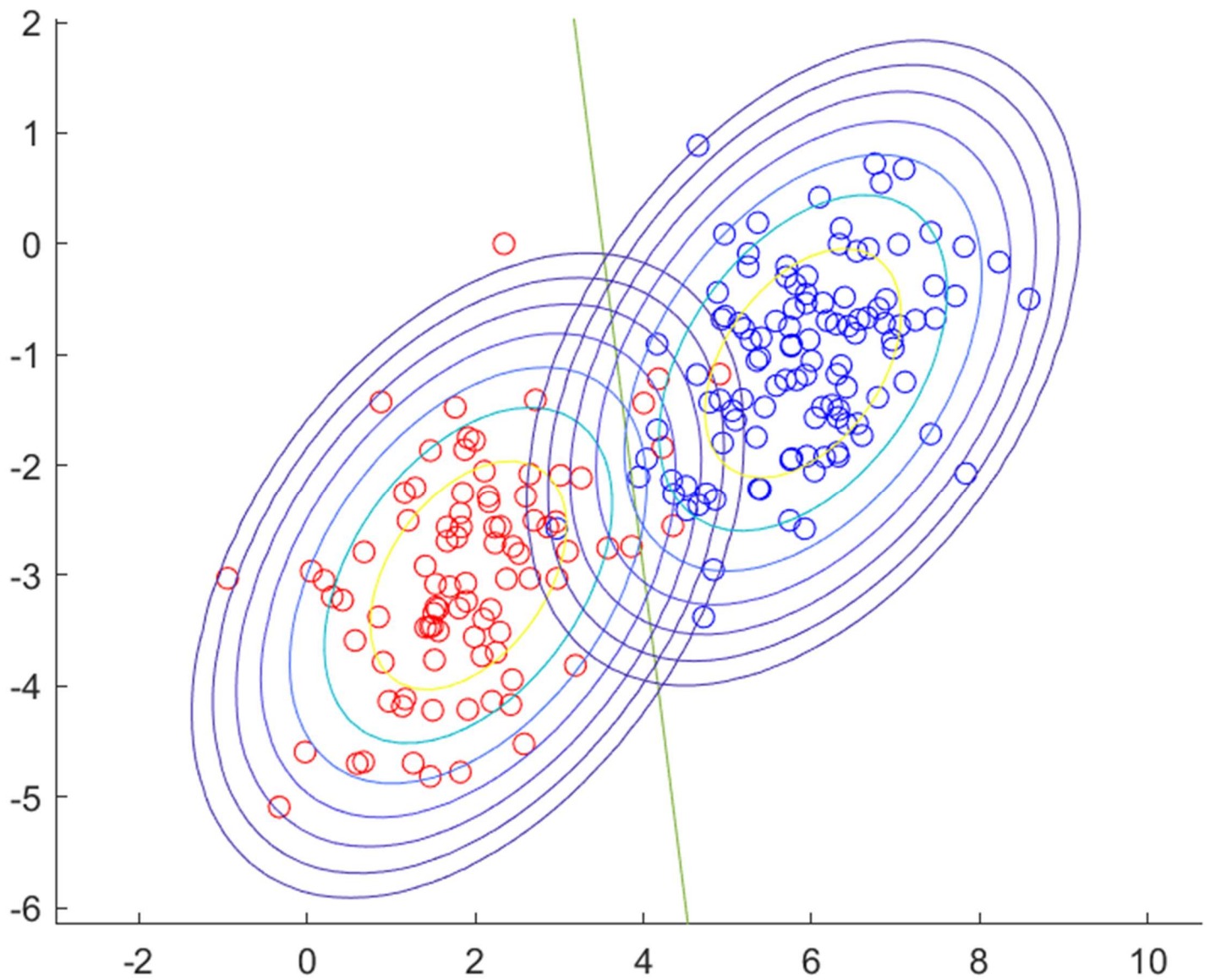
1 - close;
2 - clear;
3 - clc;
4 - load data.csv;
5 - %hold on;
6 - num0 = 0;
7 - num1 = 0;
8 - mu0 = 0;
9 - mul = 0;
10
11 - for i = 1:length(data)
12 -     if data(i,3) == 0
13 -         num0 = num0 + 1;
14 -         mu0 = mu0 + data(i,1:2);
15 -     else
16 -         num1 = num1 + 1;
17 -         mul = mul + data(i,1:2);
18 -     end
19 - end
20
21 - Py0 = num0 / length(data);
22 - mu0 = mu0 / num0;
23 - mul = mul / num1;
24
25 - Sigma = 0;
26 - for i = 1:length(data)
27 -     if data(i,3) == 0
28 -         Sigma = Sigma + (data(i,1:2)-mu0).*(data(i,1:2)-mu0)';
29 -     else
30 -         Sigma = Sigma + (data(i,1:2)-mul).*(data(i,1:2)-mul)';
31 -     end
32 - end
33 - Sigma = Sigma / length(data);

```

c. $W = [-3.6755, -0.609]$ & $b = 12.905$



d.



The decision boundary does pass through the points where the two distributions have equal probabilities because that is the definition of the decision boundary: the place at which each option has equal probability. The rings in the above figure denote regions of equal probability. The decision boundary passes through points where each class's rings intersect.