2-exploration_analyses.R

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```
library(ggplot2)
library(ggthemes)
suppressPackageStartupMessages(library(dplyr))
## Warning: package 'dplyr' was built under R version 3.4.1
library(stringr)
library(reshape2)
library(knitr)
library(xtable)
suppressWarnings(library(lubridate))
## Attaching package: 'lubridate'
## The following object is masked from 'package:base':
##
##
       date
dat <- read.csv("data/data-ready.text", sep = "|", check.names = F)</pre>
Split quant. data into groups for time, satisfaction, and preference
dat.time <- dat[c("participant-number", "house-type", "t1", "t2", "t3", "t4", "t5")]</pre>
names(dat.time) <- c("p", "h", "shelf", "list", "fb", "m_return", "fb_return")</pre>
dat.satisfaction <- dat[c("participant-number", "t1q", "t2q",</pre>
                            "t3q", "t4q", "t5q", "house-type")]
names(dat.satisfaction) <- c("p", "shelf", "list", "fb", "m_return", "fb_return", "h")</pre>
dat.preference <- dat[c("participant-number", "q1", "q2", "q3", "q4", "house-type")]
names(dat.preference) <- c("p", "machine_usefulness",</pre>
                             "fb_usefulness", "shelf_vs_list", "app_vs_fb", "h")
dat.error <- dat[c("participant-number", "house-type")]</pre>
Create data.frame for Errors from observed data. t1e is task 1 errors, t2e is task 2 errors.
error <- data.frame(c(8245, 2589, 466, 5115, 9893, 1557, 46, 5511,
                       2757, 7994, 2105, 9500, 3682, 7019, 5665, 2747),
                     c(0, 0, 0, 1, 2, 0, 0, 0, 0, 0, 0, 2, 0, 0, 0, 2),
                     c(2, 2, 2, 0, 3, 0, 2, 0, 2, 1, 2, 2, 2, 2, 0, 0))
names(error) <- c("p", "t1e", "t2e")</pre>
names(dat.error) <- c("p", "h")</pre>
dat.er <- merge(dat.error, error)</pre>
# Plots for most important measures
means.time <- melt(dat.time[2:5] %>%
  group_by(h) %>%
  summarise_all(mean))
```

Using h as id variables

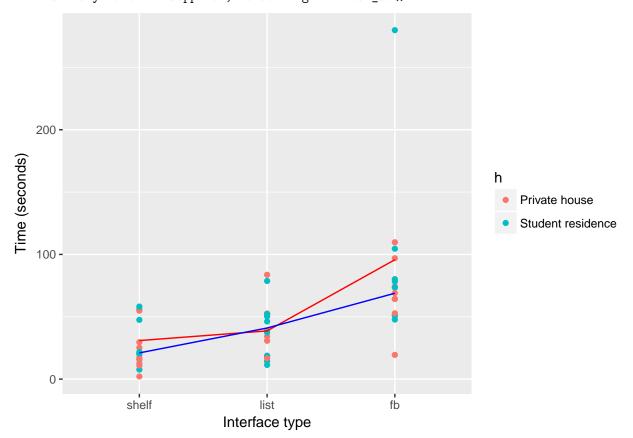
```
means.time.sr <- subset(means.time, h == "Student residence")
means.time.pr <- subset(means.time, h == "Private house")</pre>
```

Time for borrow tasks with different interface type

```
ggplot(melt(dat.time[2:5]),aes(x=variable,y=value, color=h)) +
  geom_point() +
  stat_summary(data = means.time.sr, aes(y = value), colour="red", geom="line", group=1)+
  stat_summary(data = means.time.pr, aes(y = value), colour="blue", geom="line", group=2)+
  ylab("Time (seconds)") + xlab("Interface type")
```

Using h as id variables

```
## No summary function supplied, defaulting to `mean_se()
## No summary function supplied, defaulting to `mean_se()
```

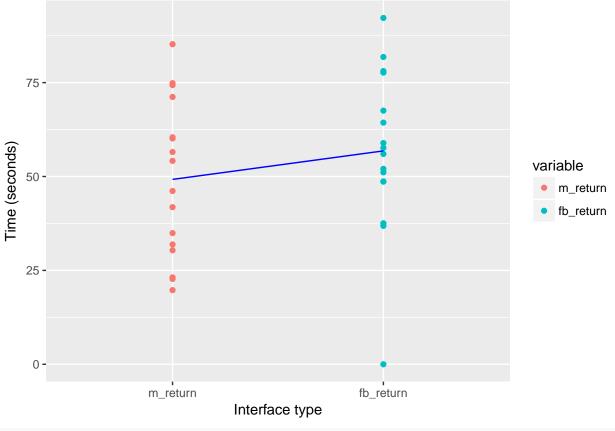


```
ggsave("time-borrow.png", scale = 1, path = "plots/")
```

```
## Saving 6.5 x 4.5 in image
## No summary function supplied, defaulting to `mean_se()
## No summary function supplied, defaulting to `mean_se()
```

Time for return tasks

```
ggplot(melt(dat.time[6:7]),aes(x=variable,y=value, color=variable)) +
geom_point() +
stat_summary(aes(y = value), fun.y = mean, colour="blue", geom="line", group=1)+
ylab("Time (seconds)") + xlab("Interface type")
```

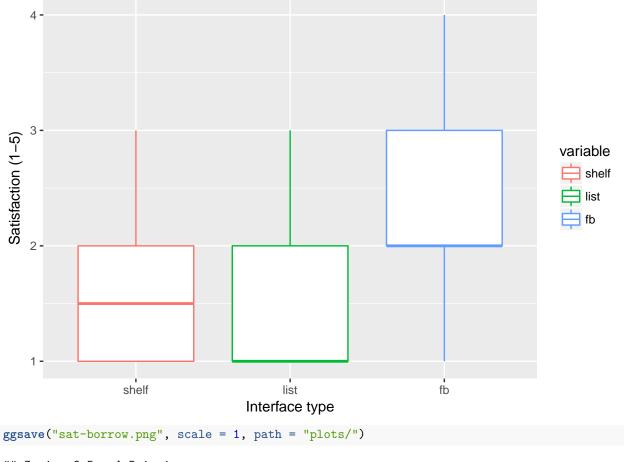


```
ggsave("time-return.png", scale = 1, path = "plots/")
```

Saving 6.5×4.5 in image

Satisfaction for borrow tasks

```
ggplot(melt(dat.satisfaction[2:4]),aes(x=variable,y=value, color=variable)) +
  geom_boxplot() +
  ylab("Satisfaction (1-5)") + xlab("Interface type")
```

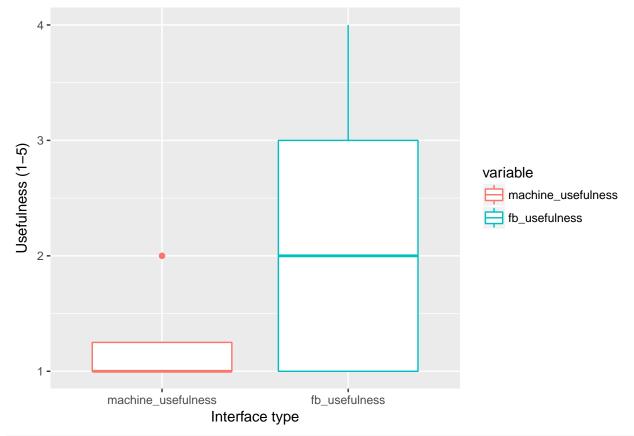


```
## Saving 6.5 x 4.5 in image
```

Satisfaction for return tasks (Facebook task depended heavily on how fast people type)

```
ggplot(melt(dat.satisfaction[5:6]),aes(x=variable,y=value, color=variable)) +
  geom_boxplot() +
  ylab("Satisfaction (1-5)") + xlab("Interface type")
```





ggsave("usefulness.png", scale = 1, path = "plots/")

Saving 6.5×4.5 in image

Summary stats

kable(dat.er[3:4] %>%
 summarise_all(funs(mean, median, sd)))

t1e_mean	t2e_mean	$t1e_median$	$t2e_median$	$t1e_sd$	$t2e_sd$
0.4375	1.375	0	2	0.813941	1.024695

kable(dat.satisfaction[2:6] %>%
 summarise_all(funs(mean)))

shelf	list	fb	m_return	fb_return
1.625	1.375	2.1875	1.625	2.0625

shelf	list	fb	m_return	fb_return
1.5	1	2	1	2

shelf	list	fb	m_return	fb_return
0.7187953	0.6191392	0.8341663	0.8850612	0.9287088

kable(dat.time[3:7] %>% summarise_all(funs(mean)))

shelf	list	fb	m_return	fb_return
25.95362	39.8145	82.29094	49.23006	56.8215

-	shelf	list	fb	m_return	fb_return
2	20.3175	38.238	71.22	50.1585	56.8215

shelf	list	fb	m_return	fb_return
18.1288	21.71433	57.43662	20.91993	21.80287

Bartlett's K-squared = 131.33, df = 3, p-value < 2.2e-16

machine_usefulness_mean	fb_usefulness_mean	machine_usefulness_median	fb_usefulness_median
1.25	1.9375	1	2

To prepare time data before running mixed factorial ANOVA, run tests to determine if ANOVA assumptions hold. If data has homogenuos variance (Bartlett) and is normally distributed (Shapiro Wilk).

```
bartlett.test(dat.time[2:5])
```

```
## Warning in FUN(X[[i]], ...): Calling var(x) on a factor x is deprecated and will become an error.
## Use something like 'all(duplicated(x)[-1L])' to test for a constant vector.
##
## Bartlett test of homogeneity of variances
##
```

Put data in the correct format

data: dat.time[2:5]

```
dat.aov <- melt(dat.time[2:5])</pre>
```

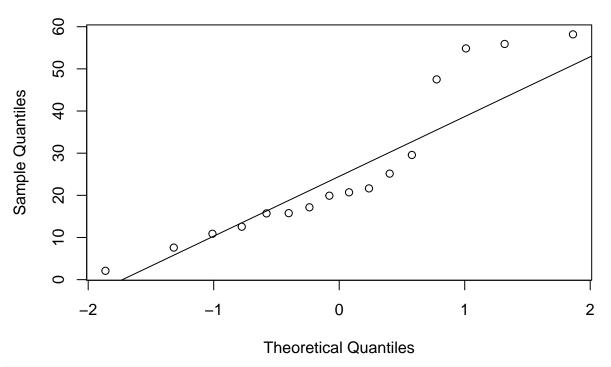
```
## Using h as id variables
shapiro.test(dat.aov$value)

##
## Shapiro-Wilk normality test
##
## data: dat.aov$value
## W = 0.7122, p-value = 2.194e-08
```

Plot quantile-quantile to see how far data deviates from normal. Normal assumption seems to hold so we can run our ANOVA.

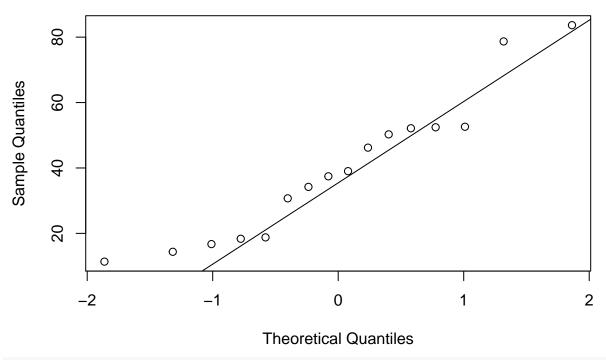
qqnorm(subset(dat.aov, variable == "shelf")\$value);qqline(subset(dat.aov, variable == "shelf")\$value)

Normal Q-Q Plot



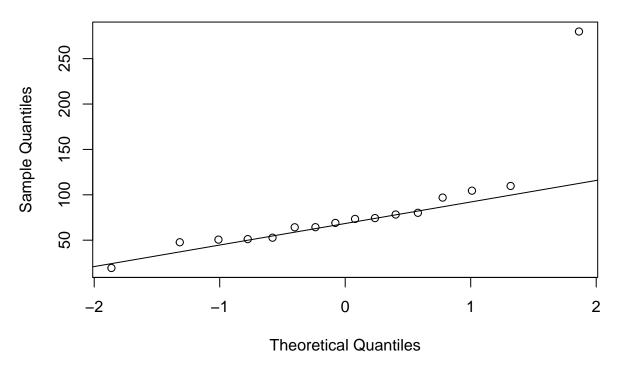
qqnorm(subset(dat.aov, variable == "list")\$value);qqline(subset(dat.aov, variable == "list")\$value)

Normal Q-Q Plot



qqnorm(subset(dat.aov, variable == "fb")\$value);qqline(subset(dat.aov, variable == "fb")\$value)

Normal Q-Q Plot



Fit the linear model (value \sim variable * h) value is the measurement (time), variable is the UI type, and h is the home type.

```
fit <- lm(formula = value ~ variable * h, data = dat.aov)
anova(fit)
## Analysis of Variance Table
##
## Response: value
##
              Df Sum Sq Mean Sq F value
## variable
               2 27575 13787.4 9.9525 0.0002897 ***
## h
               1
                    1584
                         1584.3 1.1436 0.2910005
                           859.6 0.6205 0.5425175
## variable:h 2
                    1719
## Residuals
             42
                  58183
                          1385.3
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
This is the same as above but using the ANOVA native function of R
aov.fit <- aov(formula = value ~ variable * h, data = dat.aov)</pre>
summary(aov.fit)
##
               Df Sum Sq Mean Sq F value Pr(>F)
                            13787
                                    9.952 0.00029 ***
## variable
                 2
                   27575
                     1584
                             1584
                                    1.144 0.29100
## h
                 1
                              860
## variable:h
                2
                     1719
                                    0.621 0.54252
## Residuals
               42
                   58183
                             1385
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
Tukey Honest Significant Differences is a post-hoc test to determine the difference in means in terms of the
UI type factor (variable).
TukeyHSD(aov.fit, "variable", ordered = TRUE)
##
     Tukey multiple comparisons of means
##
       95% family-wise confidence level
##
       factor levels have been ordered
##
## Fit: aov(formula = value ~ variable * h, data = dat.aov)
##
## $variable
                   diff
                              lwr
                                        upr
                                                p adj
## list-shelf 13.86087 -18.10937 45.83112 0.5479598
## fb-shelf
              56.33731 24.36707 88.30755 0.0003055
## fb-list
              42.47644 10.50620 74.44668 0.0067032
Significant effect of interface, but no interaction effect of housing type and interface Difference between FB
and shelf and FB and list is significant. Prepare data to run friedman test on satisfaction (3 factor)
dat.fr <- as.matrix(dat.satisfaction[2:4])</pre>
friedman.test(dat.fr)
##
##
    Friedman rank sum test
##
## data: dat.fr
## Friedman chi-squared = 9.2558, df = 2, p-value = 0.009775
```

Significant difference detected, to see what it is we conduct Wilcoxon tests with "less" hypotheses"

```
wilcox.test(dat.satisfaction$list, dat.satisfaction$fb, paired = T, alternative = "less")
## Warning in wilcox.test.default(dat.satisfaction$list, dat.satisfaction
## $fb, : cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.satisfaction$list, dat.satisfaction
## $fb, : cannot compute exact p-value with zeroes
##
##
   Wilcoxon signed rank test with continuity correction
## data: dat.satisfaction$list and dat.satisfaction$fb
## V = 9, p-value = 0.008271
## alternative hypothesis: true location shift is less than 0
wilcox.test(dat.satisfaction$shelf, dat.satisfaction$fb, paired = T, alternative = "less")
## Warning in wilcox.test.default(dat.satisfaction$shelf, dat.satisfaction
## $fb, : cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.satisfaction$shelf, dat.satisfaction
## $fb, : cannot compute exact p-value with zeroes
##
##
  Wilcoxon signed rank test with continuity correction
## data: dat.satisfaction$shelf and dat.satisfaction$fb
## V = 14, p-value = 0.04284
## alternative hypothesis: true location shift is less than 0
All FB tests show significant difference from FB.
wilcox.test(dat.satisfaction$list, dat.satisfaction$shelf, paired = T, alternative = "less")
## Warning in wilcox.test.default(dat.satisfaction$list, dat.satisfaction
## $shelf, : cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.satisfaction$list, dat.satisfaction
## $shelf, : cannot compute exact p-value with zeroes
## Wilcoxon signed rank test with continuity correction
##
## data: dat.satisfaction$list and dat.satisfaction$shelf
## V = 7, p-value = 0.1201
\#\# alternative hypothesis: true location shift is less than 0
No significant difference between list and shelf though. Test usefulness. Significant results.
wilcox.test(dat.preference$machine_usefulness, dat.preference$fb_usefulness, paired = T)
## Warning in wilcox.test.default(dat.preference$machine_usefulness,
## dat.preference$fb_usefulness, : cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.preference$machine_usefulness,
## dat.preference$fb_usefulness, : cannot compute exact p-value with zeroes
##
##
   Wilcoxon signed rank test with continuity correction
## data: dat.preference$machine_usefulness and dat.preference$fb_usefulness
```

```
## V = 3.5, p-value = 0.02355
## alternative hypothesis: true location shift is not equal to 0
Alternative hypothesis is machine usefulness is less (better) than fb usefulness
wilcox.test(dat.preference$machine_usefulness, dat.preference$fb_usefulness, paired = T, alternative =
## Warning in wilcox.test.default(dat.preference$machine_usefulness,
## dat.preference$fb_usefulness, : cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.preference$machine_usefulness,
## dat.preference$fb_usefulness, : cannot compute exact p-value with zeroes
##
##
   Wilcoxon signed rank test with continuity correction
##
## data: dat.preference$machine_usefulness and dat.preference$fb_usefulness
## V = 3.5, p-value = 0.01178
## alternative hypothesis: true location shift is less than 0
Error rate is simply counts so we assume it's not normally distributed
wilcox.test(dat.er$t1e, dat.er$t2e, paired = T)
## Warning in wilcox.test.default(dat.er$t1e, dat.er$t2e, paired = T): cannot
## compute exact p-value with ties
## Warning in wilcox.test.default(dat.er$t1e, dat.er$t2e, paired = T): cannot
## compute exact p-value with zeroes
##
## Wilcoxon signed rank test with continuity correction
##
## data: dat.er$t1e and dat.er$t2e
## V = 10, p-value = 0.01874
## alternative hypothesis: true location shift is not equal to 0
wilcox.test(dat.er$t1e, dat.er$t2e, paired = T, alternative = "less")
## Warning in wilcox.test.default(dat.er$t1e, dat.er$t2e, paired = T,
## alternative = "less"): cannot compute exact p-value with ties
## Warning in wilcox.test.default(dat.er$t1e, dat.er$t2e, paired = T,
## alternative = "less"): cannot compute exact p-value with zeroes
## Wilcoxon signed rank test with continuity correction
##
## data: dat.er$t1e and dat.er$t2e
## V = 10, p-value = 0.009371
\#\# alternative hypothesis: true location shift is less than 0
Instead of testing for interaction with non-parametric tests, we run tests comparing student housing for shelf
with private residence for shelf, compare error, usefulness and satisfaction with wilcox
wilcox.test(subset(dat.satisfaction, h == "Student residence")$shelf, subset(dat.satisfaction, h == "Pr
## Warning in wilcox.test.default(subset(dat.satisfaction, h == "Student
## residence")$shelf, : cannot compute exact p-value with ties
##
## Wilcoxon rank sum test with continuity correction
```

```
##
## data: subset(dat.satisfaction, h == "Student residence")$shelf and subset(dat.satisfaction, h == "P.
## W = 28, p-value = 0.6854
## alternative hypothesis: true location shift is not equal to 0
wilcox.test(subset(dat.satisfaction, h == "Student residence")$list, subset(dat.satisfaction, h == "Pri
## Warning in wilcox.test.default(subset(dat.satisfaction, h == "Student
## residence")$list, : cannot compute exact p-value with ties
##
## Wilcoxon rank sum test with continuity correction
##
## data: subset(dat.satisfaction, h == "Student residence")$list and subset(dat.satisfaction, h == "Pr
## W = 37, p-value = 0.5613
## alternative hypothesis: true location shift is not equal to 0
wilcox.test(subset(dat.satisfaction, h == "Student residence") $fb, subset(dat.satisfaction, h == "Priva
## Warning in wilcox.test.default(subset(dat.satisfaction, h == "Student
## residence")$fb, : cannot compute exact p-value with ties
## Wilcoxon rank sum test with continuity correction
##
## data: subset(dat.satisfaction, h == "Student residence")$fb and subset(dat.satisfaction, h == "Priv
## W = 24.5, p-value = 0.4268
## alternative hypothesis: true location shift is not equal to 0
wilcox.test(subset(dat.preference, h == "Student residence")$machine_usefulness, subset(dat.preference,
## Warning in wilcox.test.default(subset(dat.preference, h == "Student
## residence") $machine_usefulness, : cannot compute exact p-value with ties
##
   Wilcoxon rank sum test with continuity correction
## data: subset(dat.preference, h == "Student residence")$machine_usefulness and subset(dat.preference
## W = 24, p-value = 0.2946
## alternative hypothesis: true location shift is not equal to 0
wilcox.test(subset(dat.er, h == "Student residence")$t1e, subset(dat.er, h == "Private house")$t1e)
## Warning in wilcox.test.default(subset(dat.er, h == "Student residence")
## $t1e, : cannot compute exact p-value with ties
  Wilcoxon rank sum test with continuity correction
##
## data: subset(dat.er, h == "Student residence")$t1e and subset(dat.er, h == "Private house")$t1e
## W = 33, p-value = 0.9447
## alternative hypothesis: true location shift is not equal to 0
No main effect of home type on error, usefulness or satisfaction. No real need to test interaction. When we
asked people which one they prefer, the answers look like this:
kable(dat.preference[4:5])
```

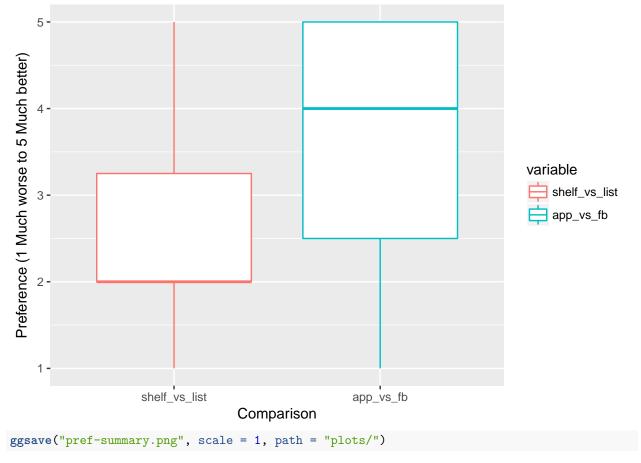
$$\frac{\text{shelf_vs_list} \quad \text{app_vs_fb}}{3}$$

shelf_{-}	_vs_	_list	app_{-}	_vs_	_fb
		5			5
		5 2 3 5 2			5 5
		2			4
		3			4
		5			5
		2			3
					1
		1			1
		1			1
		2			5
		1			1
		4			4
		2			5
		4			5
		2			5

shelf_vs_list_mean	app_vs_fb_mean	$shelf_vs_list_median$	app_vs_fb_median
2.5625	3.625	2	4

There's no need to analyze this. A plot summarizes the results.

```
ggplot(melt(dat.preference[4:5]),aes(x=variable,y=value, color=variable)) +
  geom_boxplot() +
  ylab("Preference (1 Much worse to 5 Much better)") + xlab("Comparison")
```



Saving 6.5×4.5 in image