A 9. 
$$I-dim. CA$$
,  $k=4, r=1$ 

$$Z = k^{L} = k^{R} = k^{R+r+1} = 4^{4^{3}} = 2^{128}$$

print 100 rules per second.

$$\Rightarrow \frac{2^{128}}{100} S. = 107,902,830,708,060,141,889,705,297,549 \text{ years of 365 days.}$$

A 10. Not all totalistic rules are legal, for example, if the state (0,0,0) has an output 1, definitely it is not having a silent state. So it is not legal either, but still could be a totalistic rule.

$$\begin{array}{c} (t) \rightarrow (t+1) \\ 000 \\ \hline 001 \\ \hline 001 \\ \hline 010 \\ \hline 0$$

A.11. For Android "7-10 Cell Automaton" is a simple and nice app and can be found in the next website: play.google.com, booking the name of the app.

A. 12. I-dim. (A: d=1, k=2, r=1, totalistic rule 1500 = 100 10 110

$$\frac{SUM(t)}{a_i(t+1)} \frac{3}{1} \frac{2}{0} \frac{1}{1} \frac{1}{0}$$

- repetitive formula

e.g. cell C2 has a formula = IF(SUM(B1:D7)=3, 7, IF(SUM(B7:D7)=2, 0, IF(SUM(B7:D7)=1,7,0))) We sent the spreadsheet file to Ms. Rybalka. A.13. formulas Z of possible rules, for 7-Dim. C.A. W.r.t. r,k.

a) all possible rules  $Z = k^{(2\cdot r+1)} = k^{(k^{\prime}(2\cdot r+1))}$ 

b) rules that one peripheral  $Z_p = k^*(k^*(2\cdot r))$  (ignores the state of the cell itself)

c) rules that are totalistic  $Zt = k^{\circ}((2-r+1)\cdot(k-1)+1)$ (when, the states are consist of integers and include 0') the number of the possible sums of cells are  $= (2\cdot r+1)\cdot(k-1)+1$ 

d) rules that are totalistic and peripheral  $Z_{tp} = k^{(2r(k-1)+1)}$ 

A.14. d=1, r=1, k=2. C.A

- A.15. 4 behaviours of CAs.
  - owith (A, we can observe the change of the states of cells based on a rule as time passes. Different rules make different result. (showing different behaviour)
  - Class I. monotonous

    States of the cells are monotonous,
  - Class I, predictable

    pattern of states & is predictable.
  - Class II. unpredictable
    pattern of states is unpredictable.
  - -Class IV. Half-predictable.
    repetitive or stable porterns states, but cells interact each other in complex way.