### Econ 110A: Lecture 9

Carlos Góes<sup>1</sup>

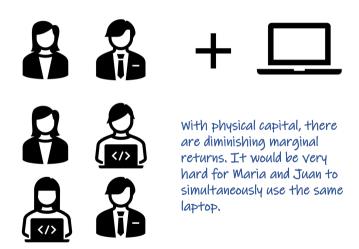
<sup>1</sup>UC San Diego

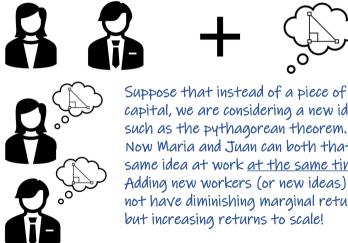
UCSD, Summer Session II

#### The Economics of Ideas

# Why can't we have sustained growth in the Solow Model? → Diminishing Marginal Returns

- Depreciation rises one-for-one with capital but output and investment rise less than one-for-one due to diminishing marginal returns
- Eventually, investment is only sufficient to offset depreciation and the model reaches a steady state
- Therefore, we cannot have sustained long-run growth







capital, we are considering a new idea, such as the pythagorean theorem. Now Maria and Juan can both that same idea at work at the same time! Adding new workers (or new ideas) do not have diminishing marginal returns but increasing returns to scale!

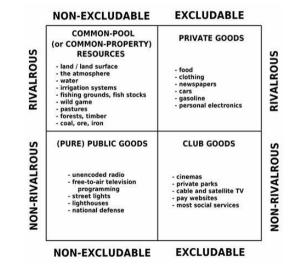
An introduction to the Economics of Ideas

Paul Romer 1955-



Nobel Prize in Economics, 2018

Ideas are nonrival but may or may not be excludable through patents



Ideas  $\rightarrow$  Nonrivalry  $\rightarrow$  Increasing Returns  $\rightarrow$  Problems with Perfect Competition

- Under perfect competition, there are no profits;

Ideas  $\rightarrow$  Nonrivalry  $\rightarrow$  Increasing Returns  $\rightarrow$  Problems with Perfect Competition

- Under perfect competition, there are no profits;
- With no profits, there is no incentive to generate new ideas;

# Ideas $\rightarrow$ Nonrivalry $\rightarrow$ Increasing Returns $\rightarrow$ Problems with Perfect Competition

- Under perfect competition, there are no profits;
- With no profits, there is no incentive to generate new ideas;
- If no ideas are generated, society can't take advantage of increasing returns and is worse off

# Ideas $\rightarrow$ Nonrivalry $\rightarrow$ Increasing Returns $\rightarrow$ Problems with Perfect Competition

- Under perfect competition, there are no profits;
- With no profits, there is no incentive to generate new ideas;
- If no ideas are generated, society can't take advantage of increasing returns and is worse off
- One way to circumvent that is to impose a regime of IP protection that grants monopoly profits and incentivizes innovation... many societies do that!

Important: distinguish nonrivalry from scarcity and excludability

Important: distinguish nonrivalry from scarcity and excludability

- **nonrivalry**: once they are created, it is feasible for ideas to be used by anybody

# Important: distinguish nonrivalry from scarcity and excludability

- nonrivalry: once they are created, it is feasible for ideas to be used by anybody
- scarcity: new ideas are scarce, always better to have more

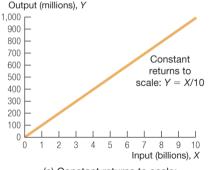
# Important: distinguish nonrivalry from scarcity and excludability

- nonrivalry: once they are created, it is feasible for ideas to be used by anybody
- scarcity: new ideas are scarce, always better to have more
- excludability: use of ideas can be restricted by property rights

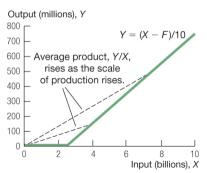
## Ideas can lead to increasing returns

# Consider the production of a **new antibiotic**.

- to first to up with the medicine, there is a large **fixed cost investment** *F* of \$2.5 billion to develop and get approval for the drug
- after the drug is developed and approved, producing new doses can be produced with a constant marginal cost: each 100 doses cost \$10 to produce



(a) Constant returns to scale: Y = X/10



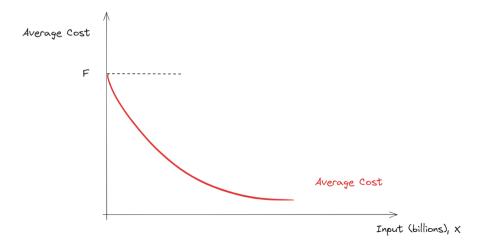
(b) Increasing returns from fixed cost:  $\overline{F} = 2.5$  billion

# Ideas can lead to increasing returns Consider the production of a **new antibiotic**.

- Decreasing average cost

# Ideas can lead to increasing returns Consider the production of a **new antibiotic**.

- Decreasing average cost



- Production function: 
$$\underbrace{Y}_{\text{output}} = \underbrace{L^{\alpha}}_{\text{labor}} = \Longrightarrow L = Y^{\frac{1}{\alpha}}$$

## Let us understand the mathematics of increasing returns.

- Production function: 
$$\underbrace{Y}_{\text{output}} = \underbrace{L^{\alpha}}_{\text{labor}} = \Longrightarrow L = Y^{\frac{1}{\alpha}}$$

- Fixed cost: F

- Production function: 
$$\underbrace{Y}_{\text{output}} = \underbrace{L^{\alpha}}_{\text{labor}} = \Longrightarrow L = Y^{\frac{1}{\alpha}}$$

- Fixed cost: F
- Cost function:  $C(Y) = wL + F = wY^{\frac{1}{\alpha}} + F$

- Production function: 
$$\underbrace{Y}_{\text{output}} = \underbrace{L^{\alpha}}_{\text{labor}} = \Longrightarrow L = Y^{\frac{1}{\alpha}}$$

- Fixed cost: F
- Cost function:  $C(Y) = wL + F = wY^{\frac{1}{\alpha}} + F$
- Average cost:  $\frac{C(Y)}{Y} = wY^{\frac{1}{\alpha}-1} + \frac{F}{Y}$

- Production function: 
$$\underbrace{Y}_{\text{output}} = \underbrace{L^{\alpha}}_{\text{labor}} = \Longrightarrow L = Y^{\frac{1}{\alpha}}$$

- Fixed cost: F
- Cost function:  $C(Y) = wL + F = wY^{\frac{1}{\alpha}} + F$
- Average cost:  $\frac{C(Y)}{Y} = wY^{\frac{1}{\alpha}-1} + \frac{F}{Y}$
- Profits per unit:  $\frac{\pi}{Y} = \frac{PY C(Y)}{Y} = P AC \implies$  firms will produce output when  $P \ge AC$ .

- Average cost: 
$$\frac{C(Y)}{Y} = wY^{\frac{1}{\alpha}-1} + \frac{F}{Y} = \begin{cases} \frac{\partial}{\partial Y} \frac{C(Y)}{Y} > 0, & \text{decreasing returns to scale} \\ \frac{\partial}{\partial Y} \frac{C(Y)}{Y} = 0, & \text{constant returns to scale} \\ \frac{\partial}{\partial Y} \frac{C(Y)}{Y} < 0, & \text{increasing returns to scale} \end{cases}$$

- Suppose production is Y = L and fixed cost is F

- Suppose production is Y = L and fixed cost is F
- If F = 0, then C(Y) = wY and AC(Y) = w

- Suppose production is Y = L and fixed cost is F
- If F = 0, then C(Y) = wY and AC(Y) = w
- if *F* > 0, then:

- Suppose production is Y = L and fixed cost is F
- If F = 0, then C(Y) = wY and AC(Y) = w
- if *F* > 0, then:

$$Y = \begin{cases} 0 & \text{when } C(Y) \le F \implies AC(Y) = \infty \\ L & \text{when } C(Y) > F \implies AC(Y) = w + \frac{F}{Y} \end{cases}$$

- Suppose production is Y = L and fixed cost is F
- If F = 0, then C(Y) = wY and AC(Y) = w
- if *F* > 0, then:

$$Y = \begin{cases} 0 & \text{when } C(Y) \le F \implies AC(Y) = \infty \\ L & \text{when } C(Y) > F \implies AC(Y) = w + \frac{F}{Y} \end{cases}$$

- When F > 0 and C(Y) > F, AC(Y) is decreasing in  $Y \implies$  increasing returns to scale!

Because ideas are nonrival, the creation of new ideas leads to increasing returns to scale in production.

- Ideas are an input factor in production...

- Ideas are an input factor in production...
- ...however, the standard replication argument must be applied only to rival objects (e.g. capital and labor), because ideas do not have to be replicated.

- Ideas are an input factor in production...
- ...however, the standard replication argument must be applied only to rival objects (e.g. capital and labor), because ideas do not have to be replicated.
- We know that constant returns to scale in capital and labor is a natural property of a production function.

- Ideas are an input factor in production...
- ...however, the standard replication argument must be applied only to rival objects (e.g. capital and labor), because ideas do not have to be replicated.
- We know that constant returns to scale in capital and labor is a natural property of a production function.
- Hence, if we allow the creation of new ideas the production function MUST have increasing returns to scale in capital, labor and ideas.

## Consider the production of a **new antibiotic**.

- to first to up with the medicine, there is a large **fixed cost investment** *F* of \$2.5 billion to develop and get approval for the drug

## Consider the production of a **new antibiotic**.

- to first to up with the medicine, there is a large **fixed cost investment** *F* of \$2.5 billion to develop and get approval for the drug
- **Fixed Cost**: F = \$2.5billion

## Consider the production of a **new antibiotic**.

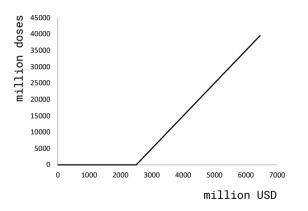
- to first to up with the medicine, there is a large **fixed cost investment** *F* of \$2.5 billion to develop and get approval for the drug
- **Fixed Cost**: F = \$2.5billion
- after the drug is developed and approved, producing new doses can be produced with a constant marginal cost: each 100 doses cost \$10 to produce

## Consider the production of a **new antibiotic**.

- to first to up with the medicine, there is a large **fixed cost investment** *F* of \$2.5 billion to develop and get approval for the drug
- **Fixed Cost**: F = \$2.5billion
- after the drug is developed and approved, producing new doses can be produced with a constant marginal cost: each 100 doses cost \$10 to produce
- Variable cost: \$0.1
- **Total Cost**: C(Y) = \$2.5billion + \$0.1 Y

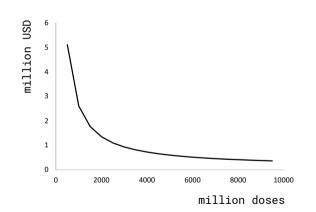
- **Production**: 
$$Y = \begin{cases} 0 & \text{if } C(Y) < \$2.5 \text{billion} \\ L = (C - \$2.5B)/(\$0.1) & \text{if } C(Y) \ge \$2.5 \text{billion} \end{cases}$$

## **Total Cost**



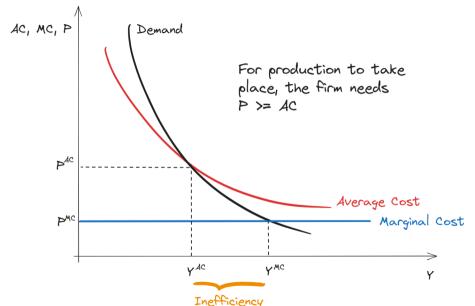
Output (Million)	TC (Million)
500	2550
1000	2600
1500	2650
2000	2700
2500	2750
3000	2800
3500	2850

# **Average Cost**



Output (Million)	AC (\$ per unit)
500	5.1
1000	2.6
1500	1.7
2000	1.3
2500	1.1
3000	0.9
3500	0.8
$ ightarrow \infty$	ightarrow 0.1

# Inefficiency in Markets with Increasing Returns

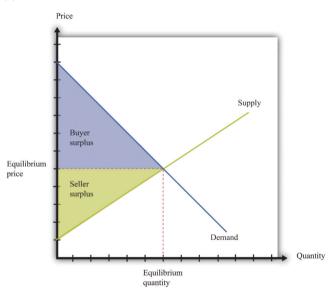


# **Problems with Perfect Competition**

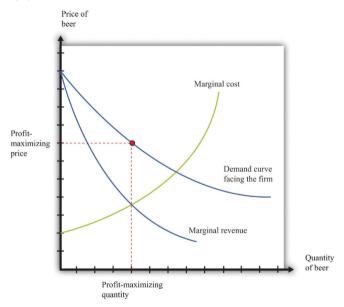
If price is equal to marginal cost, no firm will undertake the costly research that is necessary to invent new ideas.

- Wedge between *P* and *MC* to remunerate innovators (e.g.: Patents assign monopoly power for 20 years to innovators)
- P > MC (market power) has negative consequences: people priced out of market, lower overall surplus

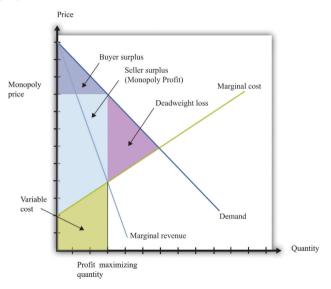
# Micro diversion (i)



# Micro diversion (ii)



# Micro diversion (iii)



# **Problems with Perfect Competition**

If price is equal to marginal cost, no firm will undertake the costly research that is necessary to invent new ideas.

- Alternative solutions:
  - Public funding of research and innovation (National Science Foundation, National Institute of Health) - reduces impact of fixed cost on AC
  - Subsidize education in science and engineering reduces cost of labor to produce ideas, so reduces fixed cost
  - 3. Prizes for innovators reduces impact of fixed cost on AC