The Impact of Trade Conflicts on Innovation

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Motivation: Trade Decoupling



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How to Measure the Welfare Effects Decouple?

- Most used trade models: isomorphic, summarize gains from trade by $\mathbb{G} \propto (\pi_{ii})^{\frac{1}{\varepsilon}}$ (Arkolakis et al., 2012).
- These models assume **fixed** technology and thus abstract from knowledge and technology spillovers of trade
- We build a detailed dynamic multi-sector multi-region model, in which innovative ideas diffuse between countries as a by-product of trade;
- We solve the model recursively, fit for forward-looking policy experiments.

Motivation

Preliminaries

Motivation

Our contribution:

- extend Buera and Oberfield (2020) to a multi-sector framework with a input-output structure;
- show that having multiple sectors exacerbates diffusion inefficiencies;
- calibrate key parameters using SMM; and
- run a quantitative exercise regarding decoupling, showing impact can be large.

Demand

Consumer problem

$$egin{aligned} \max_{\{q_{d,t}^i\}_{i\in\mathcal{I}}} & \sum_{i\in\mathcal{I}} (q_{d,t}^i)^{\kappa_d^i} \quad s.t. \quad \sum_{i\in\mathcal{I}} \kappa_d^i = 1 \\ & \sum_{i\in\mathcal{I}} p_{d,t}^i q_{d,t}^i \leq Y_{d,t} \\ & = & w_{d,t} \ell_{d,t} + r_{d,t} k_{d,t} + T_{d,t} + \sum_{i\in\mathcal{I}} \Pi_{d,t}^i \end{aligned}$$

Demand functions:

$$q_{d,t}^i = \frac{\kappa_d^i Y_{d,t}}{p_{d,t}^i}$$

Price index:

 Y_{dt}

$$P_{d,t} = K \cdot \Pi_{i \in \mathcal{I}} (p_{d,t}^i)^{\kappa_d^i}$$

Production

 \blacksquare Many producers of different varieties ω of each commodity i with the following technology:

$$q_{d,t}^{i}(\omega) = z_{d,t}^{i}(\omega) \left[(\Psi_{d,t}^{i,f})^{\frac{1}{\sigma_{i}}} (f_{d,t}^{i})^{\frac{\sigma_{i}-1}{\sigma_{i}}} + (\Psi_{d,t}^{i,m})^{\frac{1}{\sigma_{i}}} (m_{d,t}^{i})^{\frac{\sigma_{i}-1}{\sigma_{i}}} \right]^{\frac{\sigma_{i}}{\sigma_{i}-1}}$$

Cost of unit input bundles are:

$$c_{s,t}^{i} = \left[\Psi_{s,t}^{i,f} (pf_{s,t}^{i})^{1-\sigma_{i}} + \Psi_{s,t}^{i,m} (pm_{s,t}^{i})^{1-\sigma_{i}} \right]^{\frac{1}{1-\sigma_{i}}}$$

Landed costs are:

$$\mathsf{x}_{\mathsf{sd},t}^i(\omega) = \frac{t m_{\mathsf{sd},t}^i \cdot \tau_{\mathsf{sd},t}^i \cdot c_{\mathsf{s},t}^i}{z_{\mathsf{s},t}^i(\omega)} \equiv \frac{\tilde{\mathsf{x}}_{\mathsf{sd},t}^i}{z_{\mathsf{s},t}^i(\omega)}$$

■ Firms engage in Bertrand competition as in Bernard et al., 2003. Landed prices satisfy:

$$p_{d,t}^{i}(\omega) = \min \left\{ \begin{array}{c} \frac{\sigma}{\sigma-1} \frac{\vec{x}_{sd,t}^{i}}{z_{1s,t}^{i}(\omega)} & \frac{\vec{x}_{sd,t}^{i}}{z_{2s,t}^{i}(\omega)} & \min_{n \neq s} \frac{\vec{x}_{nd,t}^{i}}{z_{1n,t}^{i}(\omega)} \\ \end{array} \right. \\ \text{optimal monopolist price} \\ \underset{\text{productive firm from } s}{\text{MC of 2nd most}} & \underset{\text{firm from other countries}}{\text{MC of most productive firm from other countries}} \\ \end{array}$$

Assumption 1: We follow the canonical Eaton and Kortum (2002) assumption that and take $z_{s,t}^i(\omega)$ to be the realization of an i.i.d. random variable with Fréchet distribution:

$$F_{s,t}^i(z) = \exp\{-\lambda_{s,t}^i z^{-\theta_i}\}\$$

 Given that assumption, we can calculate closed form solution for trade shares

$$\pi_{sd,t}^{i} = Pr\left(\frac{\tilde{x}_{sd,t}^{i}}{z_{s,t}^{i}(\omega)} < \min_{(n \neq s)} \left\{ \frac{\tilde{x}_{nd,t}^{i}}{z_{n,t}^{i}(\omega)} \right\} \right) = \frac{\lambda_{s,t}^{i}(\tilde{x}_{sd,t}^{i})^{-\theta}}{\sum_{n \in \mathcal{D}} \lambda_{n,t}^{i}(\tilde{x}_{nd,t}^{i})^{-\theta}}$$

And prices:

$$ho_{d,t}^i = oldsymbol{\Gamma}_1 \cdot \left(\sum_{n \in \mathcal{D}} \lambda_{n,t}^i (\widetilde{\mathbf{x}}_{nd,t}^i)^{- heta}
ight)^{-rac{1}{ heta_i}}$$

Assumptions

- We follow a literature on idea diffusion (Jovanovic and Rob, 1989, Alvarez et al., 2013, Buera and Oberfield, 2020).
- **Assumption 2** New ideas are a transformation of two rv:

■ Therefore, domestic technological frontiers evolve according to:

$$F_{d,t+\Delta}^{i}(z) = \underbrace{F_{d,t}^{i}(z)}_{Pr\{\text{productivity} < z \text{ at } t\}} \times \underbrace{\left(1 - \int_{t}^{t+\Delta} \int \alpha_{\tau} z^{-\theta_{i}}(z')^{\beta\theta} dG_{d,\tau}^{i}(z') d\tau\right)}_{Pr\{\text{no better draws in } (t,t+\Delta)\}}$$

Main theoretical contribution

Assumption 3 - managers learn from their suppliers, proportional to sourcing decisions:

$$G_{d,t}^i(\mathbf{Z}') \equiv \sum_{j \in \mathcal{I}} \underbrace{\eta_{d,t-1}^{i,j}}_{\text{intermediate cost share}} \sum_{s \in \mathcal{D}} \underbrace{H_{sd,t-1}^{i,j}(\mathbf{Z}')}_{\text{distribution conditional on source} = s}$$

Proposition (Recursive Law of Motion in a Multi-Sector Framework)

Given Assumptions 1-3, in the multi-sector multi-region economy described in the previous section, the country-sector-specific technology parameter evolves according to the following process:

$$\Delta \lambda_{d,t}^i = \alpha_t \Gamma(1-\beta) \sum_{j \in \mathcal{I}} \eta_{d,t-1}^{i,j} \sum_{s \in \mathcal{D}} (\pi_{sd,t-1}^{i,j})^{1-\beta} (\lambda_{s,t-1}^j)^{\beta}$$

with
$$\lambda_{d,t}^i = \int_{-\infty}^t \alpha_{\tau} \int (z')^{\beta \theta_i} dG_{d,\tau}^i(z') d\tau$$
.

■ To develop intuition, consider a simple 2-country (home and foreign), 2-sector model (i, -i). In each sector:

$$\begin{array}{lll} \Delta \lambda_h^i & \propto & \eta^i [(\pi_h^{i,i})^{1-\beta} (\lambda_h^i)^\beta + (1-\pi_h^{i,i})^{1-\beta} (\lambda_f^i)^\beta] \\ & + & (1-\eta_d^i) [(\pi_h^{i,-i})^{1-\beta} (\lambda_h^{-i})^\beta + (1-\pi_h^{i,-i})^{1-\beta} (\lambda_f^{-i})^\beta] \end{array}$$

Intuition: Within Sector

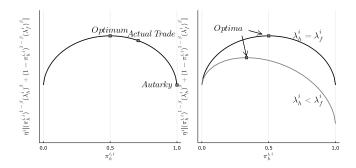


Figure: Within sector idea diffusion functions in a two-by-two economy. The left panel shows the optimal, free trade, and autarky points along the ideas diffusion function when countries are fully symmetric $(\lambda_h^i = \lambda_f^i)$. The right panel plots the functions and planner's solutions for the cases when countries have identical productivities $\lambda_h^i = \lambda_f^i$ and the home country is less productive $\lambda_h^i < \lambda_f^i$.

Intuition: Within Sector

$$\left(\frac{\eta^{i} \pi_{h}^{i,i}}{\eta^{i} (1 - \pi_{h}^{i,i})} \right)^{\text{First Best}} = \frac{\lambda_{h}^{i}}{\lambda_{f}^{i}}$$

$$\left(\frac{\eta^{i} \pi_{h}^{i,i}}{\eta^{i} (1 - \pi_{h}^{i,i})} \right)^{\text{Free Trade}} = \frac{\lambda_{h}^{i} (x_{h}^{i})^{-\theta}}{\lambda_{f}^{i} (\tau \cdot x_{f}^{i})^{-\theta}}$$

Free trade puts higher weight on source with the cheapest landed cost. Costs of autarky are higher for low productivity countries.

Free parameters increase with the number of sectors

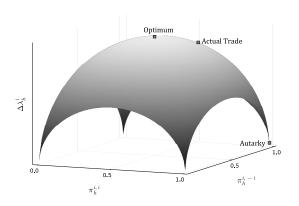


Figure: Idea diffusion function in a two-by-two economy. If countries and sectors are identical and $\eta^i = 1/2$, Planner's, Free Trade, and Autarky allocations are as represented in this figure. The marginal contribution of each sector to total diffusion are as shown in the left panel of Figure 1

Intuition: Between Sector

Distortions also happen across sectors:

$$\begin{pmatrix} \frac{\eta^i \pi_h^{i,i}}{(1-\eta^i)\pi_h^{i,-i}} \end{pmatrix}^{\mathsf{First Best}} = \underbrace{\frac{\eta^i}{1-\eta^i}}_{\mathsf{cost share}} \times \underbrace{\frac{\lambda_h^i}{\lambda_h^{-i}}}_{\mathsf{cost share}} \times \underbrace{\left(\frac{\lambda_h^i + \lambda_f^i}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{industry-wise productivity}} \\ \begin{pmatrix} \frac{\eta^i \pi_h^{i,i}}{(1-\eta^i)\pi_h^{i,-i}} \end{pmatrix}^{\mathsf{Free Trade}} = \underbrace{\frac{\eta^i}{1-\eta^i}}_{\mathsf{cost share}} \times \underbrace{\frac{\lambda_h^i (x_h^i)^{-\theta}}{\lambda_h^{-i} (x_h^{-i})^{-\theta}}}_{\mathsf{own cost-adj. productivity}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^i)^{-\theta} + \lambda_f^i (\tau \cdot x_f^i)^{-\theta}}{\lambda_h^{-i} (x_h^{-i})^{-\theta} + \lambda_f^{-i} (\tau \cdot x_f^{-i})^{-\theta}}\right)^{-1}}_{\mathsf{industry-wise cost-adj. productivity}} \\ \aleph = \underbrace{\left(\frac{x_h^i}{x_h^{-i}}\right)^{-\theta}}_{\mathsf{x}_h^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^i)^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}{\lambda_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i}}\right)^{-1}}_{\mathsf{x}_h^{-i} + \lambda_f^{-i} + \lambda_f^{-i}} \times \underbrace{\left(\frac{\lambda_h^i (x_h^{-i})^{-\theta} + \lambda_f^i (\tau \cdot x_f^{-i})^{-\theta}}_{\mathsf{x}_h^{-i}$$

domestic cost gap industry-wise cost-induced deviation in i industry-wise cost-induced deviation in -i

Scenarios

- We split the world into a U.S. bloc and a China bloc.
- Trade costs increase between blocs but not within blocs.
- Two scenarios:
 - Full decouple (increase iceberg trade costs by 150%)
 - Tariff decouple (increase tariffs by 36%, cf. Colantone and Stanig, 2018)
- Simulate dynamic model after policy changes for 2021-2040.
- Calculate effects as $\hat{x} = \sum_{t=p}^{T} (x_t' x_t) / \sum_{t=p}^{T} x_t$

Country Groups

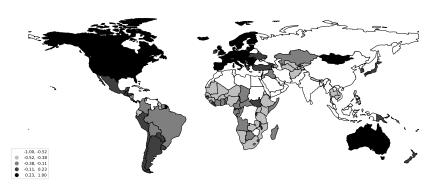


Figure: Differential Foreign Policy Similarity Index. Values are normalized such that 1 represents maximum relative similarity with the U.S. and -1 represents maximum relative similarity with China. The map shows the difference between pairwise similarity indices $\kappa_{i,US} - \kappa_{i,China}$. For more details, see Häge (2011).

Data

- Trade and Input Output Production Data: 2014 GTAP Database (GTAP10A)
- **E**xogenous path of labor endowments: $\{L_{d,t}\}_{t\in\mathcal{T}} \ \forall d\in\mathcal{D}$, IMF and UN data.
- 10 regions: China, India, Russia, Rest of China bloc; U.S., Latin America, European Union, Other Developed, Rest of U.S. bloc
- 6 sectors: Electronic Equipment; Heavy manufacturing; Light manufacturing; Other Services; Primary Sector; Business services.

Table: Behavioral parameters

| | θ_i | σ_i |
|--------------------------------|------------|------------|
| Primary (agriculture & natres) | 10.09 | 0.27 |
| Light manufacturing | 4.60 | 1.20 |
| Heavy manufacturing | 5.99 | 1.26 |
| Electronic Equipment | 7.80 | 1.26 |
| Business services | 2.80 | 1.26 |
| Other Services | 2.90 | 1.42 |
| Source | H07 | H07 |

Calibration of β : Simulated Method of Moments

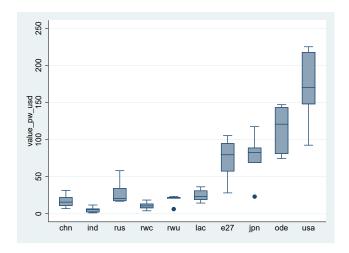
Table: Growth Rate of Real GDP using Different Values of β

| β | Mean | St.Dev. | max | min |
|-----------------------|-------|---------|--------|------|
| 0.05 | 1.72 | 1.13 | 4.50 | 0.35 |
| 0.10 | 1.75 | 1.14 | 4.54 | 0.35 |
| 0.15 | 1.80 | 1.18 | 4.60 | 0.36 |
| 0.20 | 1.90 | 1.22 | 4.71 | 0.37 |
| 0.25 | 2.07 | 1.32 | 4.90 | 0.40 |
| 0.30 | 2.39 | 1.55 | 5.26 | 0.46 |
| 0.35 | 3.00 | 2.06 | 6.52 | 0.57 |
| 0.40 | 4.20 | 3.19 | 10.62 | 0.78 |
| 0.45 | 6.61 | 5.64 | 18.90 | 1.20 |
| 0.50 | 11.63 | 10.89 | 36.23 | 2.05 |
| 0.55 | 22.34 | 22.37 | 73.63 | 3.81 |
| 0.60 | 45.89 | 48.13 | 157.19 | 7.57 |
| IMF past data | 1.79 | 1.81 | 5.67 | 0.01 |
| OECD SSP2 projections | 3.28 | 2.08 | 8.14 | 1.36 |
| N | 10 | | | |

Calibration of λ

- Assumption: $\lambda_{d,t}^i \propto$ labor productivity.
- Combine SEA-WIOD and World Bank's Global Productivity Database for Value Added and Employment across different sectors.

Calibration of λ : Value Added per Worker, 2014



Baseline: Productivity Frontier

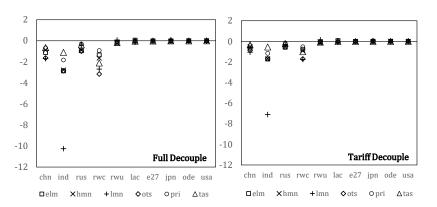


Figure: Cumulative Percentage Change in the Fréchet Distribution location parameter $\lambda^i_{d,t}$, after policy

Baseline: Real Income

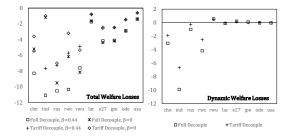


Figure: Cumulative Percentage Change in Real Income, after policy change, by 2040. Full Decouple increases iceberg trade costs $\tau^i_{sd,t}$ by 160 percentage points. Tariff decouple increases bilateral tariffs $tm^i_{sd,t}$ across groups, by 32 percentage points.

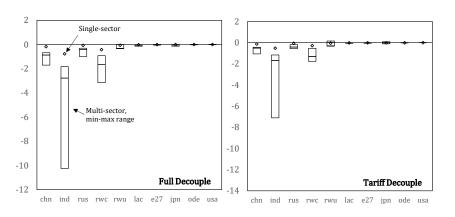


Figure: Multi-sector vs. Single-sector: Cumulative Percentage Change in the Fréchet Distribution location

Consequences of bloc membership

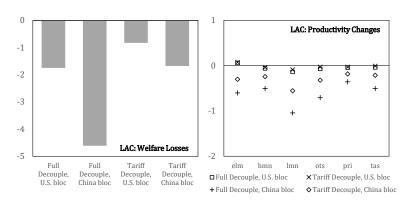
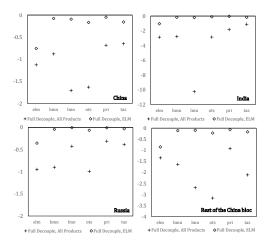


Figure: Left Panel: Cumulative Percentage Change in Real Income in LAC Region, by scenario. Right Panel: Cumulative Percentage Change of the Fréchet Distribution scale parameter $\lambda^i_{d,t}$ in LAC Region, by scenario.

Decoupling in a specific sector



Conclusions

- Including an ideas diffusion mechanism can substantially increase welfare losses when modelling large scale trade conflicts.
- Multi-sector framework exacerbates diffusion inefficiencies; important for more realistic policy experiments.
- Dynamic costs of trade decoupling can be very large for developing countries.
- If decoupling happens in a restricted number of sectors, losses are limited.