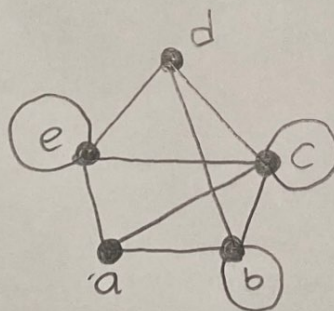
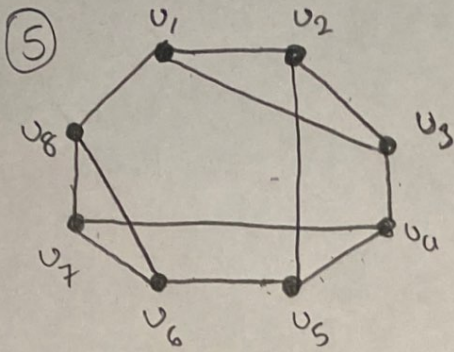


- ① a) undirected edges,
not multiple edges.
no loop.
- b) undirected edges
it has multiple edges.
no loop.
- c) undirected edges
it has multiple edges
it has loops.
- d) directed edges
it has multiple edge.
it has loops
- e) directed edges
it has multiple edges
it has loops.
- f) undirected edges.
it has multiple edges.
no loop.

- ④ Since $a_{12} = a_{21} = 1$, there is 1 edge between a and b.
- " $a_{13} = a_{31} = 1$, there are 3 edges " a and c.
- " $a_{15} = a_{51} = 4$, there are 4 " " a and e.
- " $a_{22} = 2$, there are 2 loops at b.
- " $a_{23} = a_{32} = 1$, there is 1 edge between b and c.
- " $a_{24} = a_{42} = 3$, there are 3 edges between b and d.
- " $a_{33} = 1$, there is 1 loop at c.
- " $a_{35} = a_{53} = 1$, there is 1 edge between c and e.
- " $a_{45} = a_{54} = 2$, there are 2 edges between d and e.
- " $a_{55} = 3$, there are 3 loops at e.

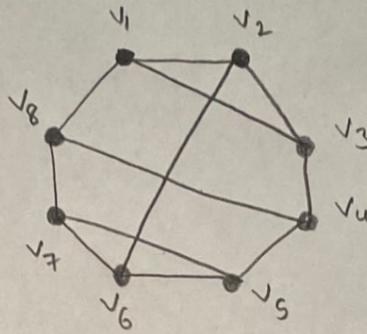




8 vertices

12 edges

$$\begin{aligned} \delta(u_1) &= 3 & \delta(u_2) &= 3 \\ \delta(u_3) &= 3 & \delta(u_4) &= 3 \\ \delta(u_5) &= 3 & \delta(u_6) &= 3 \\ \delta(u_7) &= 3 & \delta(u_8) &= 3 \end{aligned}$$

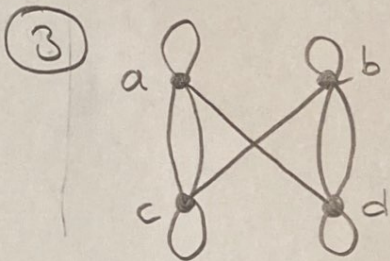


8 vertices

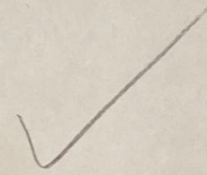
12 edges

$$\begin{aligned} \delta(v_1) &= 3 & \delta(v_2) &= 3 \\ \delta(v_3) &= 3 & \delta(v_4) &= 3 \\ \delta(v_5) &= 3 & \delta(v_6) &= 3 \\ \delta(v_7) &= 3 & \delta(v_8) &= 3 \end{aligned}$$

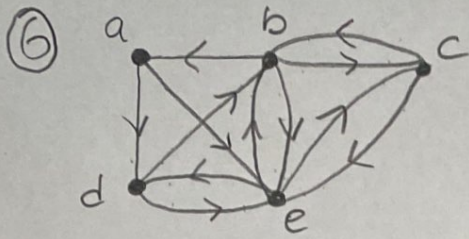
Yes, they are isomorphic.



	a	b	c	d
a	1	0	2	1
b	0	1	1	2
c	2	1	1	0
d	1	2	0	1



- ②
- ① a ② b ③ c ④ d ⑤ a b ⑥ a c
 ⑦ a d ⑧ b c ⑨ b d ⑩ c d ⑪ a c b
 ⑫ a b d
 ⑬ a b c d ⑭ ⑮ a b ⑯ a b
 ⑰ a b ⑱ a b c
 ⑲ a b ⑳ a b c
 ㉑ a b d ㉒ a b c d ㉓ a b c d ㉔ a b c d ㉕ a b c d
 ㉖ a b c d ㉗ a b c d ㉘ a b c d ㉙ a b c d ㉚ a b c d
 ㉛ a b c d ㉜ a b c d ㉝ a b c d ㉞ a b c d ㉟ a b c d
 ㊱ a b c d ㊲ a b c d ㊳ a b c d ㊴ a b c d



$\delta = \text{degree}$

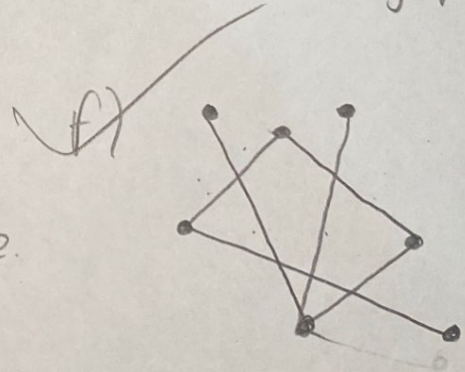
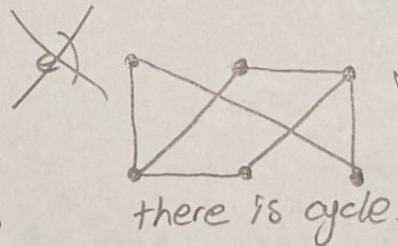
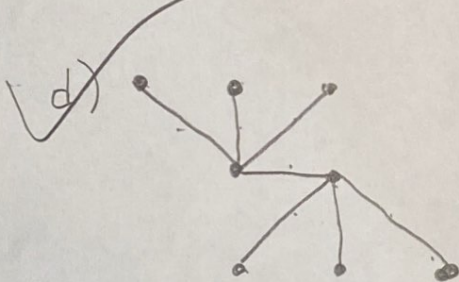
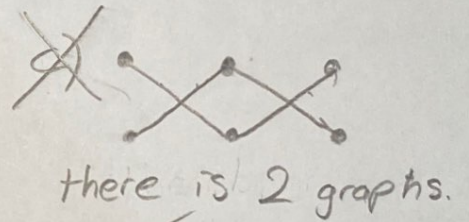
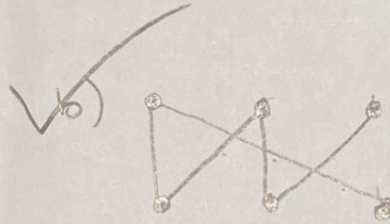
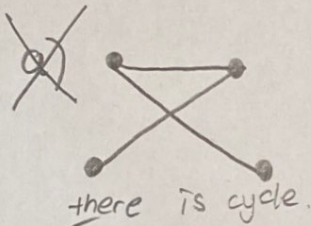
$$\delta(a) = 3 \quad \delta(b) = 6 \quad \delta(c) = 4$$

$$\delta(d) = 4 \quad \delta(e) = 7$$

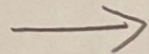
→ There is no Eulerian circuit because all of the vertices' degree are not even. (a, e).

a-d-b-a-e-d-e-b-c-b-e-c-e.

⑦



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total weight: 22