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In [48]:
         Name = "Muhammad Omer Farooq Bhatti"
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In [4]:
         import numpy as np
In [5]:
         #To help with our implementation, we create a class Node
         class Node:
             def __init__(self, gini, num_samples, num_samples_per_class, predicted_class):
                self.gini = gini
                self.num_samples = num_samples
                 self.num_samples_per_class = num_samples_per_class
                 self.predicted_class = predicted_class
                 self.feature_index = 0
                 self.threshold = 0
                 self.left = None
                 self.right = None
```

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In [9]:
        class dtree:
            def __init__(self, max_depth=0):
                self.max_depth=max_depth
                self.tree=[]
            def find split(self, X, y, n classes):
                """ Find split where children has lowest impurity possible
                in condition where the purity should also be less than the parent,
                if not, stop.
                n_samples, n_features = X.shape
                if n samples <= 1:</pre>
                    return None, None
                 #so it will not have any warning about "referenced before assignments"
                 feature ix, threshold = None, None
                 #print("y :" , y)
                 # Count of each class in the current node.
                 sample per class parent = [np.sum(y == c) for c in range(n classes)] #[2, 2]
                 #print("sample per class parent :", sample per class parent)
                 # Gini of parent node.
                best gini = 1.0 - sum((n / n samples) ** 2 for n in sample per class parent)
                 # Loop through all features.
                for feature in range(n_features):
                     # Sort data along selected feature.
                     sample sorted = sorted(X[:, feature]) #[2, 3, 10, 19]
                     #print("sample_sorted: ", sample_sorted)
                    sort idx = np.argsort(X[:, feature])
                    y_{sorted} = y_{sort_idx} \#[0, 0, 1, 1]
                     #print("y_sorted", y_sorted)
                     sample per class left = [0] * n classes
                    sample_per_class_right = sample_per_class_parent.copy() #[2, 2]
                     #loop through each threshold, 2.5, 6.5, 14.5
                     #1st iter: [-] [-++]
                     #2nd iter: [--] [++]
                     #3rd iter: [--+] [+]
                     for i in range(1, n samples): #1 to 3 (excluding 4)
                         #the class of that sample
                        c = y_sorted[i - 1] #[0]
                         #put the sample to the left
                        sample per class left[c] += 1 #[1, 0]
                         #take the sample out from the right [1, 2]
                        sample per class right[c] -= 1
                         #print(sample per class left)
                        gini left = 1.0 - sum(
                             (sample_per_class_left[x] / i) ** 2 for x in range(n_classes)
                         #we divided by n_samples - i since we know that the left amount of samples
                         #since left side has already i samples
                        gini right = 1.0 - sum(
                             (sample_per_class_right[x] / (n_samples - i)) ** 2 for x in range(n_classes)
                         #weighted gini
                        weighted gini = ((i / n samples) * gini left) + ( (n samples - i) /n samples) * gini right
                         # in case the value are the same, we do not split
                         # (both have to end up on the same side of a split).
                        if sample sorted[i] == sample sorted[i - 1]:
                            continue
                         if weighted gini < best gini:</pre>
                            best gini = weighted gini
                             feature ix = feature
                             threshold = (sample sorted[i] + sample sorted[i - 1]) / 2 # midpoint
                 #return the feature number and threshold
                 #used to find best split
                return feature_ix, threshold
            def fit(self, Xtrain, ytrain, n classes, depth=0):
                n_samples, n_features = Xtrain.shape
                 num_samples_per_class = [np.sum(ytrain == i) for i in range(n_classes)]
                 #predicted class using the majority of sample class
                predicted class = np.argmax(num samples per class)
                 #define the parent node
                node = Node (
                    gini = 1 - sum((np.sum(y == c) / n samples) ** 2 for c in range(n classes)),
                    predicted class=predicted class,
                    num_samples = ytrain.size,
                    num_samples_per_class = num_samples_per_class,
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indices left = X[:, feature] < threshold</pre>
            X_left, y_left = X[indices_left], y[indices_left]
            #tilde for negation
            X_right, y_right = X[~indices_left], y[~indices_left]
            #take note for later decision
            node.feature index = feature
            node.threshold = threshold
            node.left = self.fit(X_left, y_left, n_classes, depth + 1)
            node.right = self.fit(X_right, y_right, n_classes, depth + 1)
    return node
def _predict(self, sample):
   node = self.tree
    #print(sample)
    #print(node.feature index)
   while node.left:
        if sample[node.feature index] < node.threshold:</pre>
           node = node.left
        else:
           node = node.right
    return node.predicted class
def predict(self, X):
   return [self._predict(xrow) for xrow in X]
def k_fold_cross_validation(self, X_train, y_train, depth_range, n_classes, k=10):
    \#implementing k fold cross validation for determining the best value of hyperparameter k=no. of neig
    #We divide the training set into k parts. We withhold one part for testing and use the rest for trai
    #Loop through all the folds, by keeping each one separate as a testing set and using the rest for tr
    fold size = int(X train.shape[0]/k)
    accuracy = {}
    for d in depth range:
        self.max depth = d
        accuracy[self.max depth]=[]
        for i in range(0, X_train.shape[0], fold_size):
            xtest = X_train[i:i+fold_size]
            ytest = y_train[i:i+fold_size]
            xtrain = np.concatenate((X train[:i], X train[i+fold size:]), axis=0)
            ytrain = np.concatenate((y_train[:i], y_train[i+fold_size:]), axis=0)
            self.fit(xtrain, ytrain, n classes)
            yhat = self.predict(xtest)
            accuracy[self.max_depth].append( np.sum(yhat==ytest)/ytest.shape[0] )
    return accuracy
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In [10]:
        from sklearn.datasets import load iris
        from sklearn.model_selection import train_test_split
        dataset = load iris()
        X, y = dataset.data, dataset.target
        X_train, X_test, y_train, y_test = train_test_split(X,y, train_size=0.7)
        n classes=len(set(y))
In [14]:
        for d in range (5,16,2):
           clf = dtree(max depth=d)
           clf.fit(X train, y train, n classes)
           y pred = clf.predict(X test)
           accuracy= np.sum(y_pred==y_test)/y_test.shape[0]
           print(f"accuracy for max_depth = {d}: ", accuracy)
       accuracy for max_depth = 7: 0.911111111111111
       accuracy for max_depth = 13: 0.911111111111111
       In [13]:
       clf = dtree(max depth=5)
        d_range = [5, 7, 9, 11, 12, 13, 14, 15]
        \verb|accuracy| = clf.k_fold_cross_validation(X_train, y_train, d_range, n_classes, k=5)|
        acc=np.zeros((len(d range),2))
        for idx, key in enumerate(d range):
           accuracy[key] = np.mean(accuracy[key])
           print(f"Mean accuracy for k={key}: {accuracy[key]}")
           acc[idx, 0] = key
           acc[idx,1] = accuracy[key]
        print(f"The max accuracy achieved was {acc[acc.argmax(axis=0)[1],1]} for max_depth = {acc[acc.argmax(axis=0)
       Mean accuracy for k=5: 0.8952380952380953
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Mean accuracy for k=7: 0.8952380952380953
Mean accuracy for k=9: 0.8857142857142858
Mean accuracy for k=11: 0.8952380952380953
Mean accuracy for k=12: 0.7238095238095239
Mean accuracy for k=13: 0.8952380952380953
Mean accuracy for k=14: 0.73333333333334
Mean accuracy for k=15: 0.8857142857142858
The may accuracy achieved was 0.8952380952380953 for may denth = 5.0
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