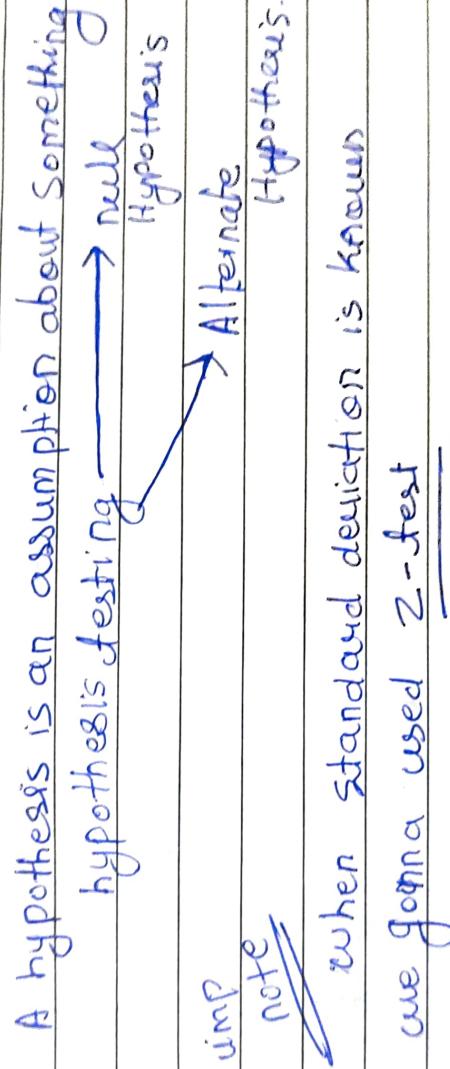


# Hypothesis testing

Q what is Hypothesis testing?  
its an statistical Analysis  
its formal procedures that statisticians use  
to test whether a hypothesis can be accepted  
or not



\* example of Hypothesis testing  
let say we have sample from population  
and we have to prove if this sample  
is properly representing population or  
not.

## steps in Hypothesis testing

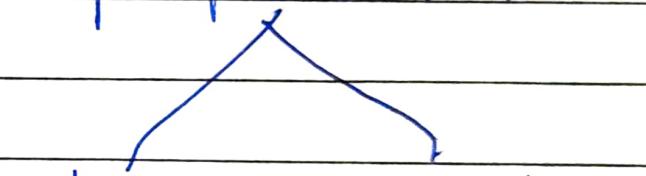
① Create null and Alternate hypothesis

$H_0$  = null (no decision (change))

$H_a$  = Alternate (change)

② Select test static

So we have proportion test



z-test

t-test

condition

S.d should

Sample  $> 30$

after selecting the proportion test then  
we go next is

(3) Determine Significance Level ( $P = 0.05$ )  
 $\alpha$   
reject hypothesis

(4) Determine the rejection criteria.  
Significance level represent this hypothesis  
is correct or incorrect

\*  $P > 0.05$  then Reject the null hypothesis  
\*  $P \leq 0.05$  Accept the Alternative hypothesis.

5 calculate test statistic (t-value)  
to do this we will use

$$\text{standardized error} = \frac{\bar{X} - m}{\frac{s.d.}{\sqrt{N}}}$$

for z-test for P-test

= t-values

then put this t-value up python code up  
order to get p-value.

$$1 - \text{stats.norm.cdf}(\frac{1.65}{t}, \text{loc}=0, \text{scale}=1) = \text{p-value}$$

Now calculate check p-value to threshold  
values.

Determine whether to accept hypothesis  
based on statistics.

## Important note

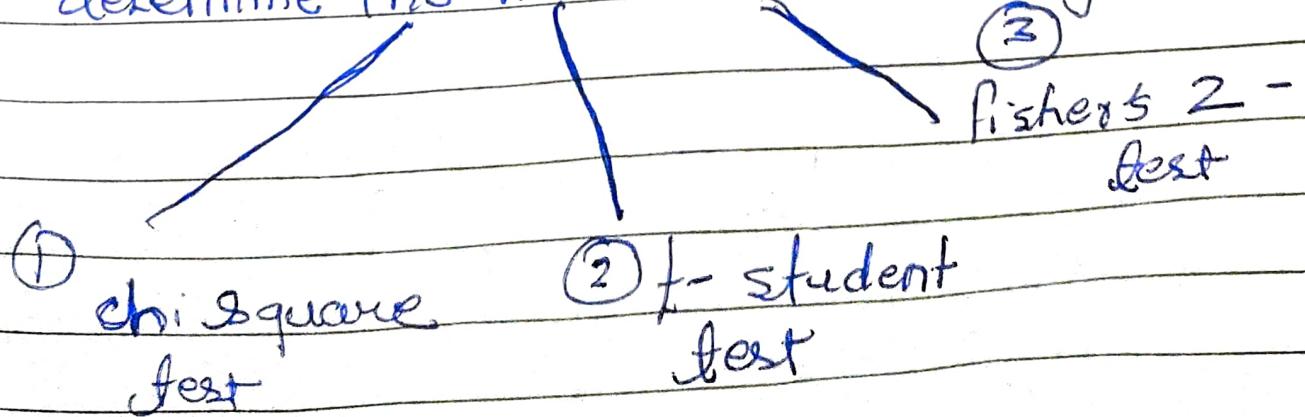
If according to condition if we have one sample we will go for one sample test or 1 tail test (particular for one column) and

if according to condition if we have two sample we will go for two sample test or 2 tail test - (mostly used in comparison  $\geq 2$ ) (particular for two columns).

## No hypothesis (null hypothesis)

when there is no difference in sample or in condition.

\* So based on test (statistics) we will determine the null and alternate hypothesis



but after doing test I want to determine  
or level to prove the null and Alternate  
Hypothesis

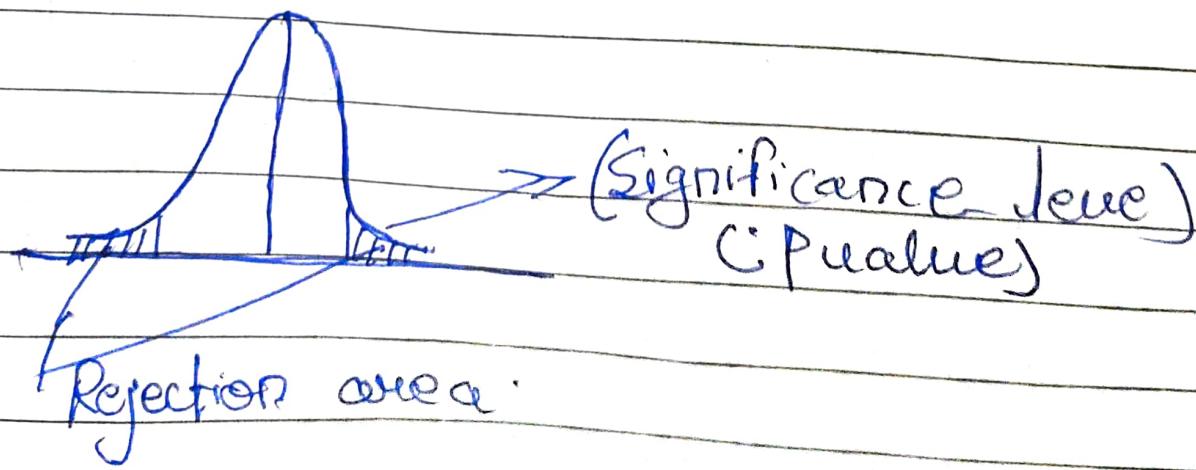
so we will use -

- \* level of significance ( $\alpha$ ) (may be 5%)  
level of confidence ( $c$ ) (if 5% then  
(c) is 95%)

$$\alpha + c = 1$$

$$z = \left| \frac{\bar{x} - \mu_0}{\sigma / \sqrt{n}} \right| \text{ for } t = \left| \frac{\bar{x} - \mu_0}{s / \sqrt{n}} \right|$$

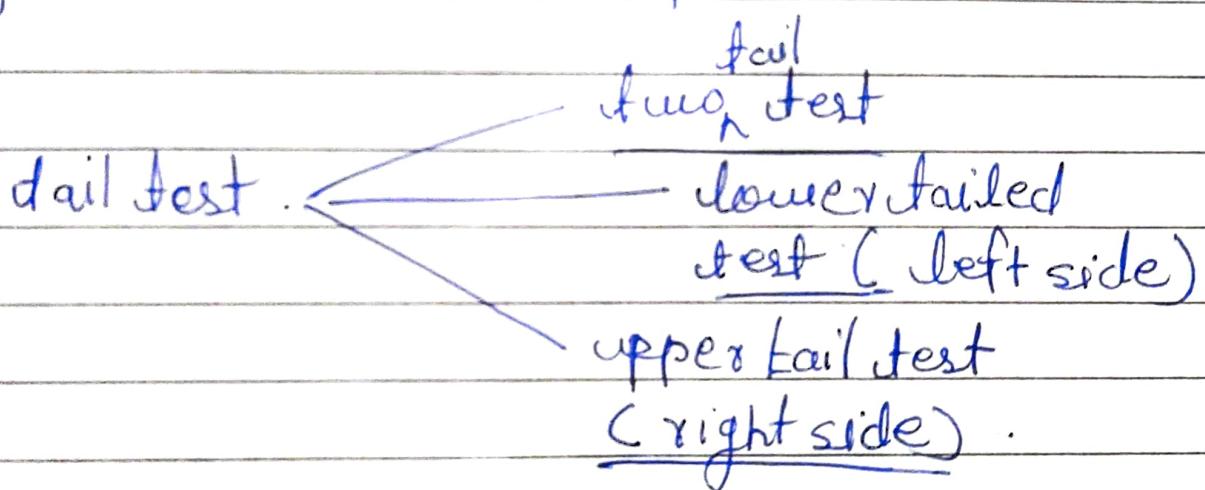
significance level ( 5% or 0.05 )



## Critical value methods.

a value in which where you accept the hypothesis or reject the hypothesis.  
(same as p-value)

if value come under critical value we Reject otherwise we accept.



$$\star \quad \sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$$

$$\sigma = \frac{\sigma}{\sqrt{n}}$$

$$\mu = \text{mean}$$

## Critical values for null

$$U + (Z\text{-score} \times \sigma_{\bar{X}})$$



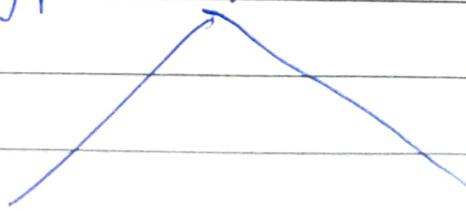
add + for (upper critical value)

or

add - for (lower critical values)

## Conclusion

there two method to accept or reject  
the hypothesis



P-value  
method



critical value  
Method

P-value is probability of null hypothesis being  
true -

$* \leq 0.01 \rightarrow$  very strong

$0.01 < P\text{-val} \leq 0.05$  strong

$0.05 \leq P\text{-val} \leq 0.1$  mild

# Error in hypothesis testing

① type I error

occur when the null hypothesis is true but we reject.

② type II error

occur when the null hypothesis is false but we fail to reject it.

\* to determine hypothesis testing we do chi-square or Anova or Z but which one to use?

categorical	categorical chi square (for two cat)	continuous two sample t-test (two cat) Anova test (if more than two cat)
continuous	logistic regression	correlation

Hence the with the help of these test value we will compare with our critical value and we reject or accept the hypothesis.

\* what is difference between mean and proportion

/  
categorical

/  
continuous.

### ~~function~~

\* regression test will tell you if two variable have association or correlation with them or not. It will tell you how correlated or not.

### \* Chi Square Test

You should use this test when there is two categorical variable.

### \* 1-way Anova

We will use this test when there is N-Sample independent variable.