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## DSA Lab 9 : Theory

Q1. State and Explain : Sequential search and binary search. write detailed algorithm for the same.

- ① A Linear Search also known as sequential search that simply scans each element at a time.
- ② A binary search is a search in which the middle element is calculated to check whether it is smaller or larger than the element which is to be searched.

### Algorithm:

#### a) Sequential Search.

Linear-Search(A, N, VAL, POS)

Step 1 : [initialize] SET POS = -1

Step 2 : [initialize] SET I = 0

Step 3: Repeat step 4 while  $I < N$   
IF  $A[I] = VAL$ , then

SET POS = I

PRINT POS

(Go to step 6.)

[End of IF]

[End of loop]

steps: PRINT "Value not present in the array";  
step 6: Exit.

### b) Binary Search

Binary - Search( A, lower-bound, upper-bound  
, VAL, POS)

Step 1: [Initialize] set BEG = lower bound, END =  
upper bound, POS = -1

Step 2: Repeat step 3 and step 4 while BEG <= END.

Step 3: SET MID = (BEG + END) / 2

Step 4: IF A[MID] = VAL, then  
POS = MID

PRINT POS

Go to step 6.

IF A[MID] > Val then

SET END = MID - 1

Else

SET BEG = MID + 1

[End of if]

[End of loop]

Step 5: If POS = -1, then

PRINT "VAL, IS not Present in the Array!"

[END OF IF]

Step 6: Exit.

Q2.

State and Explain : Bubble Sort, Insertion Sort, Selection Sort , merge Sort, Heap Sort. and Quick Sort. Write detailed algo. for all sorting methods.



a) Bubble Sort:

Bubble sort is a simple algorithm which is used to sort a given set of  $n$  elements provided in form of an array with  $n$  number of elements.

Algorithm:

Bubble Sort (A, N)

Step 1: Repeat Step 2 for  $I = 0$  to  $N-1$

Step 2: Repeat for  $J = 0$  to  $N-1$

Step 3: If  $A[J] > A[J+1]$ , then  
SWAP  $A[J]$  and  $A[J+1]$

[End of Inner loop]

[End of Outer loop]

Step 4: Exit.

## b) Insertion Sort :

Insertion Sort is a simple sorting algorithm that works similar to the way you sort playing cards in your hand.

### Algorithm:

insertion sort (ARR, N) where ARR is an array of N elements

- Step 1: Repeat step 2 to 5 for  $k = 1$  to  $N$
- Step 2: Set  $\text{temp} = \text{ARR}[k]$
- Step 3: Set  $j = k - 1$
- Step 4: Repeat while  $\text{temp} <= \text{ARR}[j]$   
        set  $\text{ARR}[j+1] = \text{ARR}[j]$   
        set  $j = j - 1$   
    [End of Inner Loop]
- Step 5: set  $\text{ARR}[j+1] = \text{temp}$   
[End of loop]
- Step 6: Exit;

## c) Selection Sort:

The smallest element is selected from the unsorted array and swapped with the leftmost element, and that element becomes a part of the sorted array.

## Algorithm:

Selection Sort to sort an array ARR with N elements

- Step 1: Repeat Step 2 and 3 for  $k = 1$  to  $N - 1$
- Step 2: Call smallest(ARR, k, N, pos)
- Step 3: Swap  $A[k]$  with  $ARR[pos]$   
[End of loop]
- Step 4: Exit.

## 3) Merge Sort:

smallest(ARR, k, N, pos)

- Step 1: [Initialize] set small =  $ARR[k]$
- Step 2: [Initialize] set pos = k
- Step 3: Repeat for  $j = k + 1$  to  $N$   
    IF  $small > ARR[j]$ , then  
        Set small =  $ARR[j]$   
        Set pos = j  
    [End of IF]  
[End of Loop]
- Step 4: Exit.

### d) Merge Sort :

Merge Sort is a divide and conquer algorithm. It works by recursively breaking down a problem into two or more sub-problems of the same or ~~relative~~ related type, until they become simple enough to be solved directly.

#### Algorithm:

Merge-Sort (ARR, BEG, END)

Step 1: IF BEG < END, then

    set MID = (BEG + END)/2

    Call Merge-Sort (ARR, BEG, MID)

    Call Merge-Sort (ARR, MID + 1, END)

    Merge (AR, BEG, MID, END)

[End of IF]

Step 2: End.

### e) Heap Sort :

Heap Sort is a comparison-based sorting technique based on binary heap data structure. It is similar to Selection sort where we first find the minimum element and place the minimum element at the beginning.

- Algorithm:

HeapSort (ARR, N)

Step 1: [Build Heap H]

Repeat for  $i = 0$  to  $N-1$

    CALL Insert-Heap (ARR,  $i$ , ARR[i])  
[End of Loop]

Step 2: [Repeatedly delete the root element]

Repeat while  $N > 0$

    Call Delete-Heap (ARR,  $N$ , Val)

    Set  $N = N - 1$

[End of loop]

Step 3: End.

f) Quick Sort:

Quick Sort is an in-place sorting algorithm. It is divided-and-conquer algo. It works by selecting a "Pivot" element from the array and partitioning the other elements into two sub-arrays, according to whether they are less than or greater than the pivot.

Algorithm:

Quick-Sort (ARR, BEG, END)

Step 1: IF (BEG < END), then

Call Partition (ARR, BEG, END, loc)

Call Quicksort (ARR, BEG, LOC - 1)

Call Quicksort (ARR, LOC + 1, END)

[End of IF]

Step 2: End.

Partition (ARR, BEG, END, LOC)

Step 1: [Initialize] Set LEFT = BEG; RIGHT = END  
LOC = BEG, flag = 0

Step 2: Repeat Step 3 to while flag = 0  
Repeat while ARR[LOC] <= ARR[RIGHT]  
and LOC != Right.  
Set RIGHT = RIGHT - 1.

[End of Loop]

IF LOC == RIGHT; then  
Set flag = 1

Else IF ARR[LOC] > ARR[RIGHT], then  
Swap ARR[LOC] with ARR[RIGHT]  
Set LOC = RIGHT.

[End of IF]

IF flag = 0 , then

Repeat while ARR[Loc] >=

ARR[Left] and Loc != Left

Set Left = Left + 1

[End of loop]

IF Loc == Left ; then

Set flag = 1

Else IF ARR[Loc] < ARR[Left] , then

Swap ARR[Loc] with ARR[Left]

Set Loc = Left .

[End of IF]

[End of IF]

Step 7 : [END OF LOOP]

Step 8 : END.